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# Computer Networks 1

**TRANSMISSION IMPAIRMENTS**

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# TRANSMISSION IMPAIRMENTS

□ Received signal is often a degraded form of the transmitted signal

□ Why?

- Attenuation
- Distortion
- Noise
- Interference

□ Effect:

- On analog data
  - Some degradation in signal quality
- On digital data
  - Fatal bit errors

# SIGNAL POWER IN DECIBELS

$$10 \log_{10}(P_{watt}) = P_{dB}$$

$$10 \log_{10}(P_{mW}) = P_{dBm}$$

□ Example:  $P=1 \text{ W}$

- $P_{dB}=?$
- $P_{dBm}=?$

# SIGNAL POWER IN DECIBELS

$$10 \log_{10}(P_{watt}) = P_{dB}$$

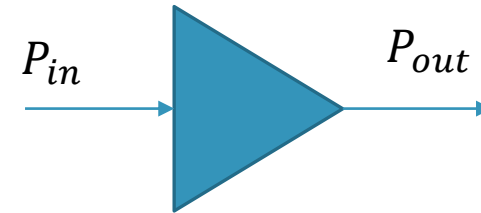
$$10 \log_{10}(P_{mW}) = P_{dBm}$$

□ Example:  $P=1 \text{ W}$

- $P_{dB}=0 \text{ dB}$
- $P_{dBm}=30 \text{ dBm}$

# POWER RATIO IN DECIBELS

$$G = \frac{P_{out}}{P_{in}}$$



$$G_{dB} = 10 \log_{10} G = 10 \log_{10} \left( \frac{P_{out}}{P_{in}} \right)$$

$$G = 2 \quad G_{dB} = ?$$

$$G = 1/2 \quad G_{dB} = ?$$

# OUTLINE

Attenuation

Distortion

Noise



# OUTLINE

Attenuation

Distortion

Noise

# ATTENUATION

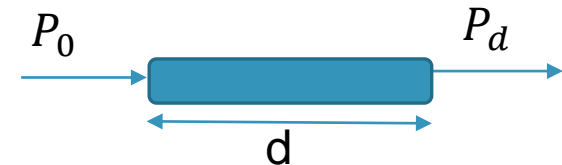
□ Signal strength falls off with distance traveled

- Guided Media (Wires, etc.):
  - Exponential drop in signal power with distance:

$$P_d = P_0 e^{-\alpha d}$$

$$\ln \left( \frac{P_d}{P_0} \right) = -\alpha d$$

$$10 \log \left( \frac{P_d}{P_0} \right) = -\alpha' d$$



Loss:  $\alpha'$  (dBs per km) (Depends on medium type)



# ATTENUATION

- Unguided Media (Open space):
  - Depends on
    - Absorption, scattering, weather
  - Inverse square law spread with distance

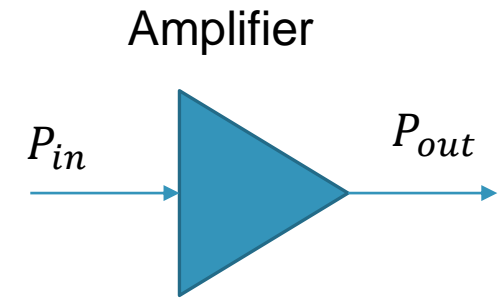
$$P_d \propto \frac{P_0}{d^2}$$

Loss: 6 dBs for each distance doubling

# LINK BUDGET

$$G = \frac{P_{out}}{P_{in}} \quad G_{dB} = 10 \log\left(\frac{P_{out}}{P_{in}}\right)$$

$$(P_{in})_{dB} + G_{dB} = (P_{out})_{dB}$$



$$L = \frac{P_{in}}{P_{out}} \quad L_{dB} = 10 \log \frac{P_{in}}{P_{out}}$$

$$(P_{in})_{dB} - L_{dB} = (P_{out})_{dB}$$



# DESIGN ISSUES RELATED TO ATTENUATION

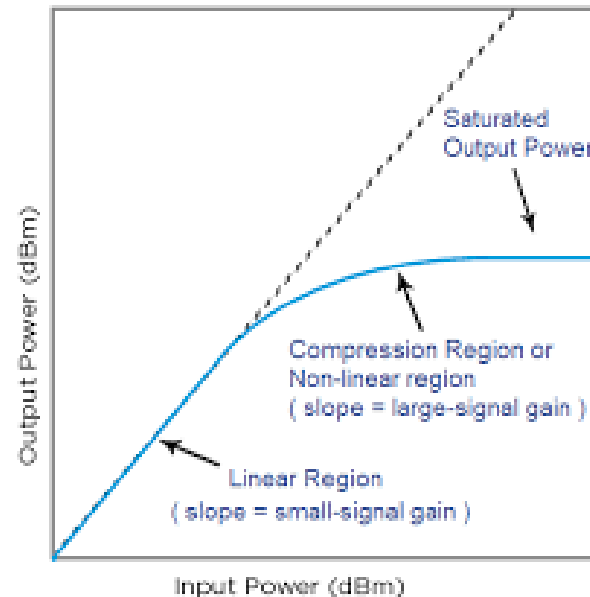
- Received signal strength must be
  - Sufficiently Large enough to be detected
  - Sufficiently higher than noise to be interpreted correctly

$$(P_{out\_Tx})_{dB} - L_{dB} > (P_{s\_Rx})_{dB}$$

- Design Key parameters
  - Transmitted Power
  - Channel Loss
  - Receiver Sensitivity

# TRANSMITTED POWER

- Increasing transmitted power
  - Power amplifier gains should not be too large



Nonlinearities

Saturation

Signal distortion

# RECEIVER SENSITIVITY

- Increasing receiver sensitivity
  - Decreasing minimum receivable power
  - Bad news: Noise

# CHANNEL ATTENUATION

## □ Limited distance

- To overcome these issues using
  - Amplifiers (analog transmission)
  - Repeaters (digital transmission)



# OUTLINE

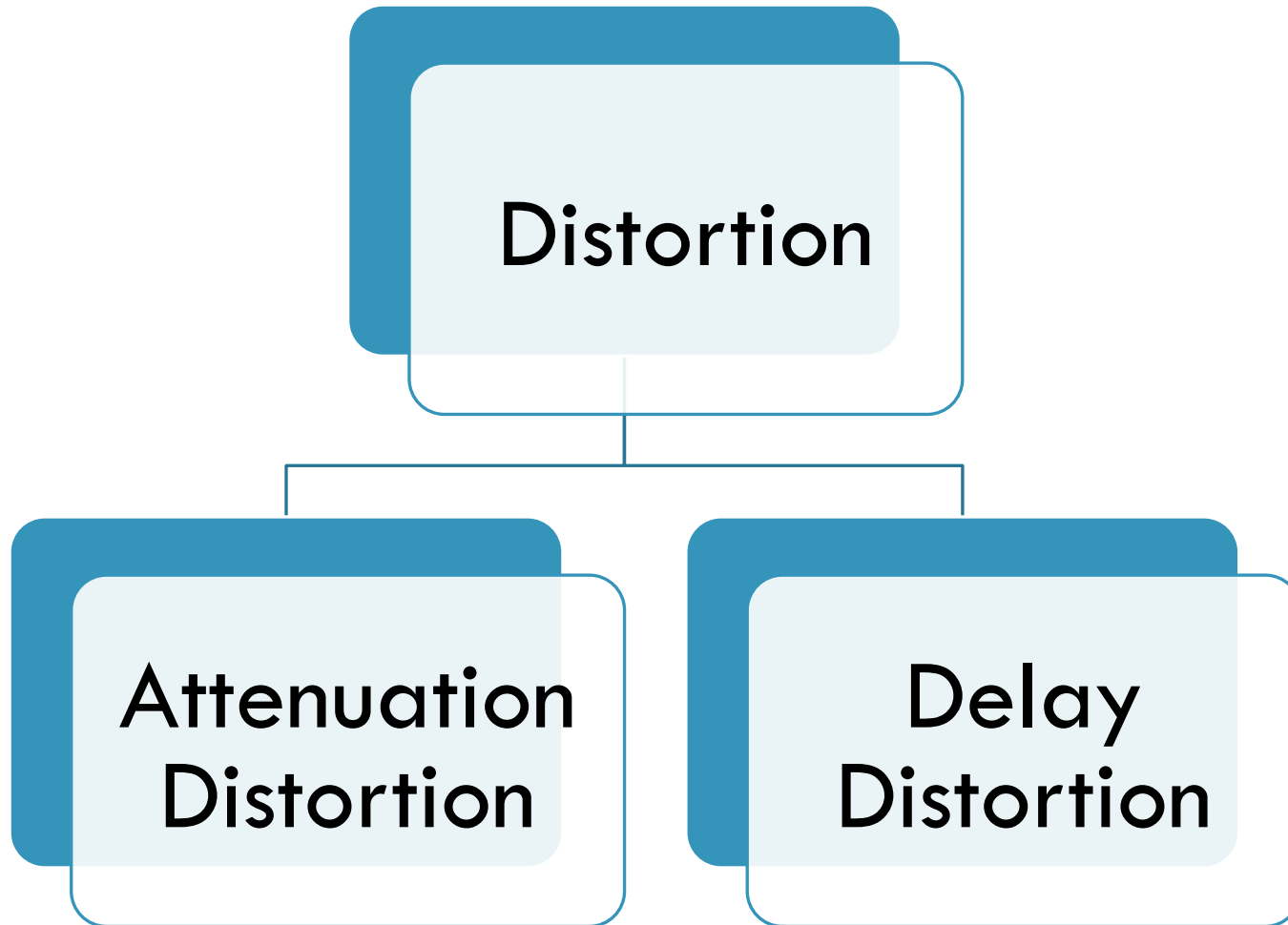
Attenuation

Distortion

Noise

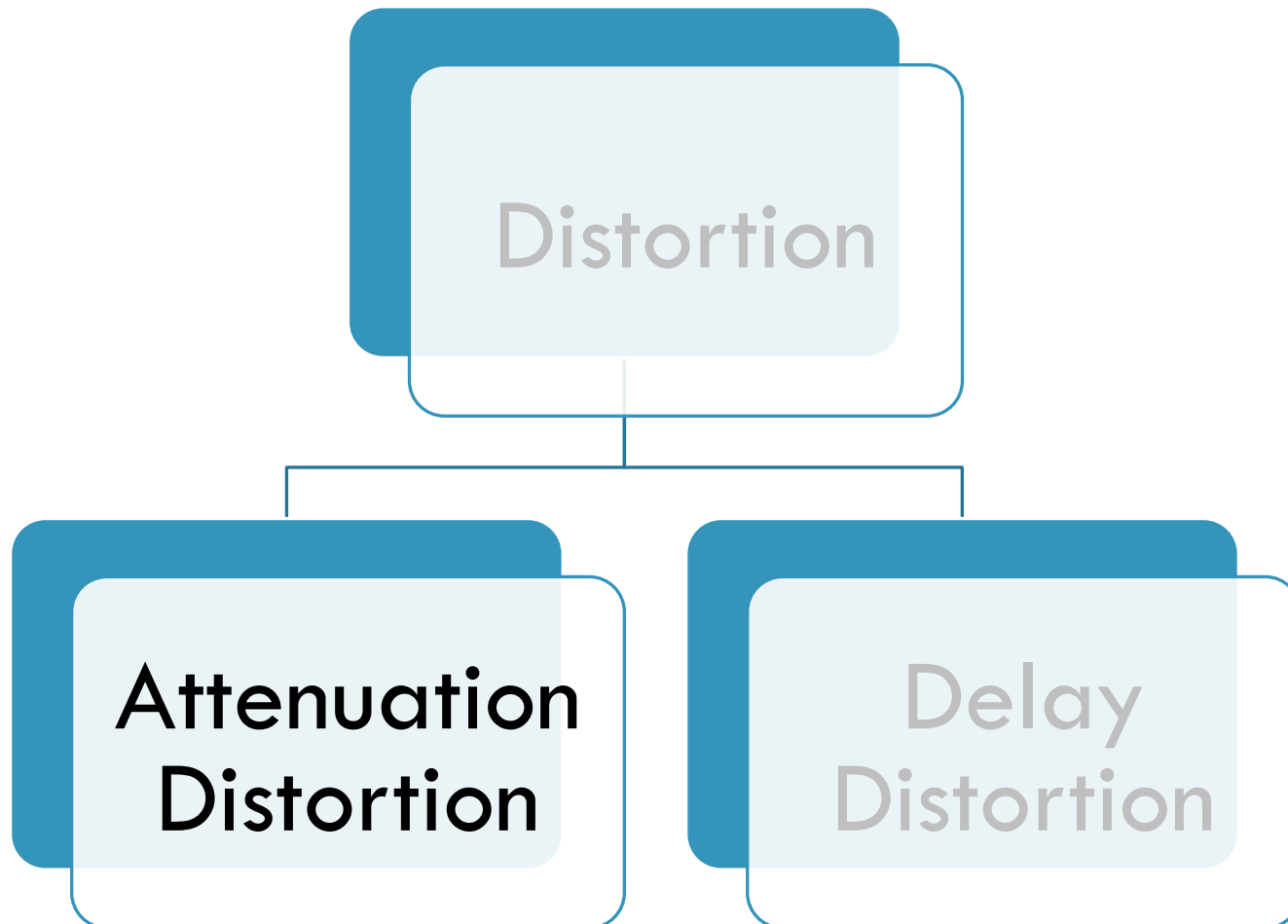


# DISTORTION





# DISTORTION



# ATTENUATION DISTORTION

- Attenuation varies with frequency
  - Causes bandwidth limitation
- In the transmitted bandwidth
  - Different Attenuation for frequency components of the signal
  - Causes signal distortion
  - Affects analog signals more
- To overcome this problem
  - Use Equalizers
    - Reverse the effect of frequency-dependent attenuation distortion

# EQUALIZER

## □ Passive

- Smooth out attenuation effects
  - Loading coils in telephone circuits
  - Change the electrical properties of the line

## □ Active

- Designing amplifier gain specifically
- Varying with frequency
- Reversing channel characteristics

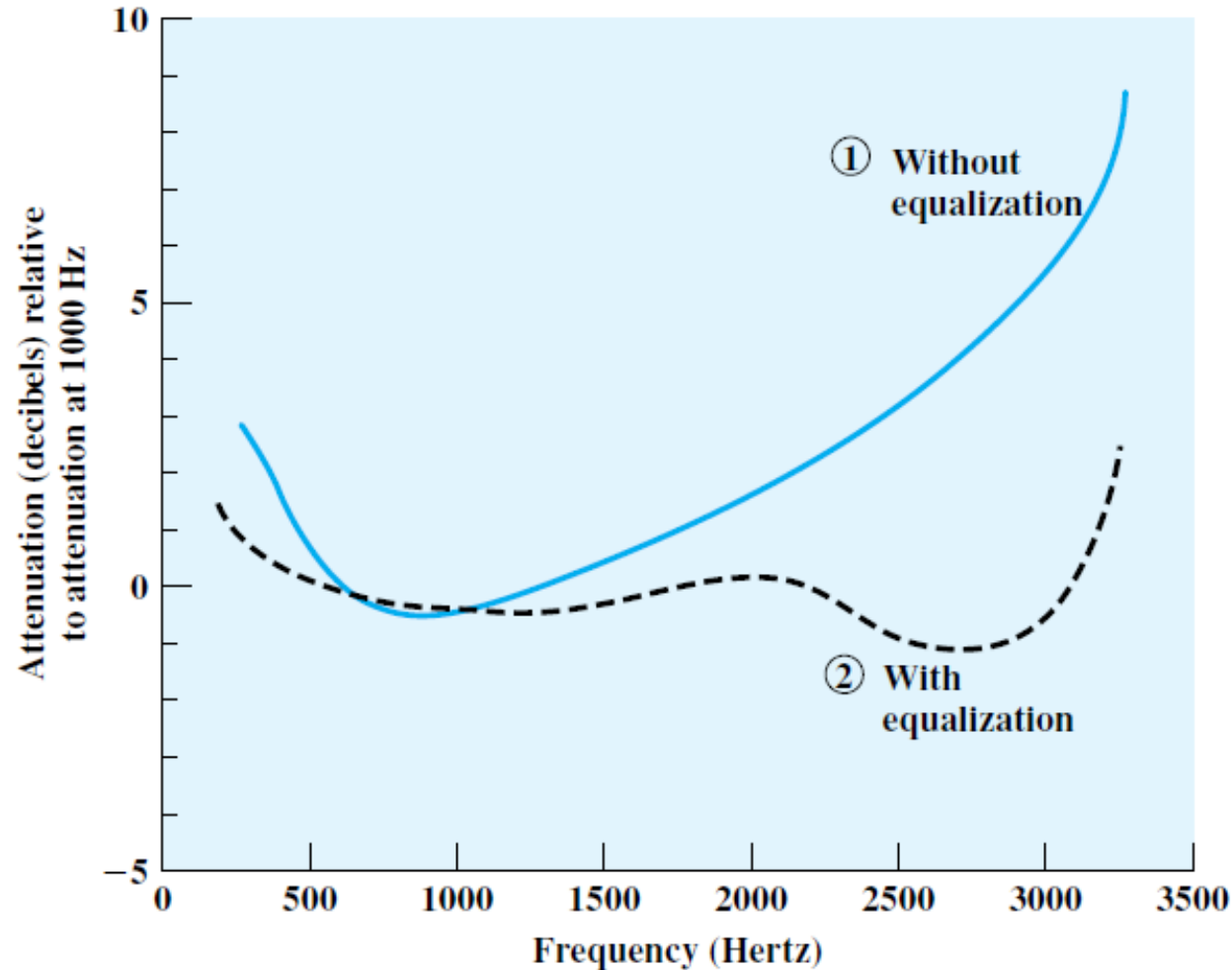
# ATTENUATION AS A FUNCTION OF FREQUENCY

- Measuring attenuation relative to the attenuation at 1000 Hz
  - A 1000-Hz tone of a given power is applied to the input
  - The power  $P_{1000}$  is measured at the output
  - For any frequency  $f$ , the procedure is repeated  
→  $P_f$

- Relative attenuation in decibels

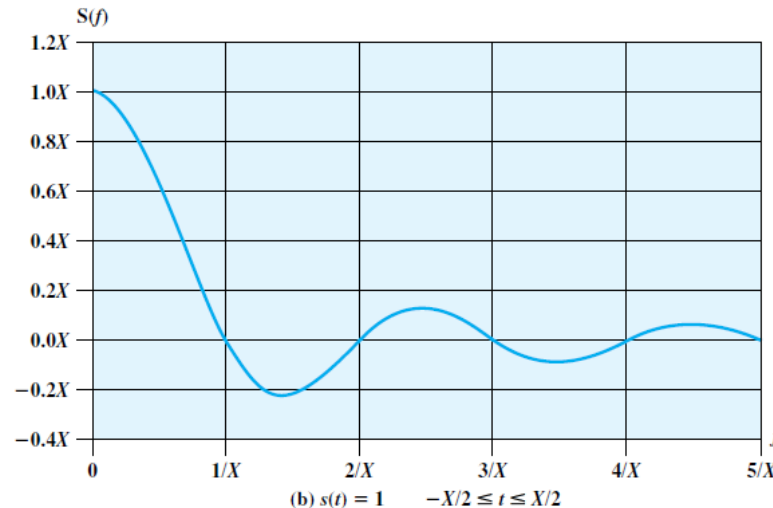
$$N_f = -10 \log(P_f / P_{1000})$$

# EQUALIZATION EFFECT ON ATTENUATION DISTORTION

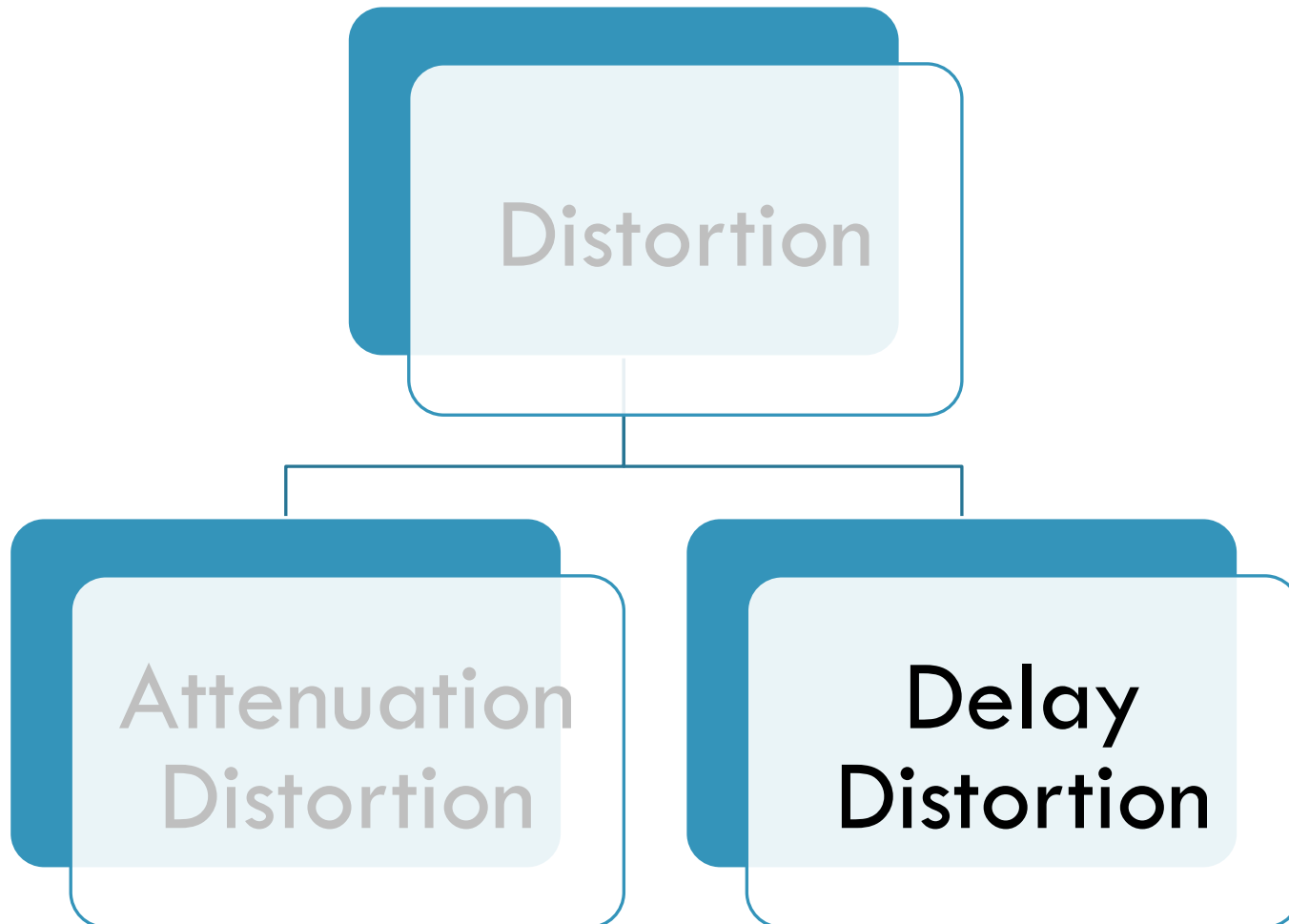


# ATTENUATION DISTORTION OF DIGITAL SIGNAL

- ❑ The strength of a digital signal falls off rapidly with frequency
  - Most of the content concentrated near the fundamental frequency
- ❑ Less problem for digital signals



# DISTORTION



# DELAY DISTORTION

- ❑ Happens only on guided media
- ❑ Wave propagation velocity varies with frequency
  - Highest at the center frequency (minimum delay)
  - Lower at both ends of the bandwidth (larger delay)
- ❑ Various frequency components of a signal
  - Arrive at the receiver at different times
  - Experience different delays
- ❑ Received signal is distorted
- ❑ Solution
  - Equalizing techniques



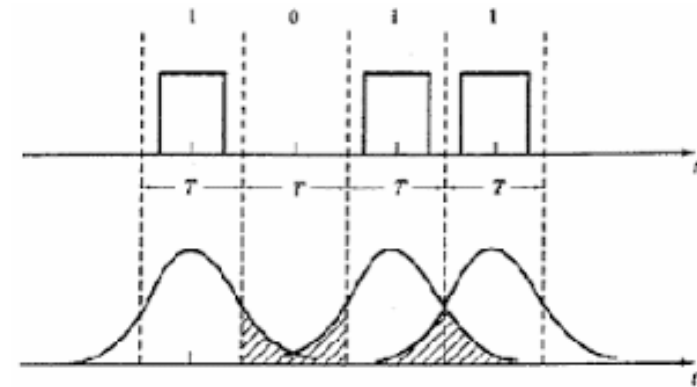
# DELAY DISTORTION FOR DIGITAL DATA

## ❑ Critical for digital data

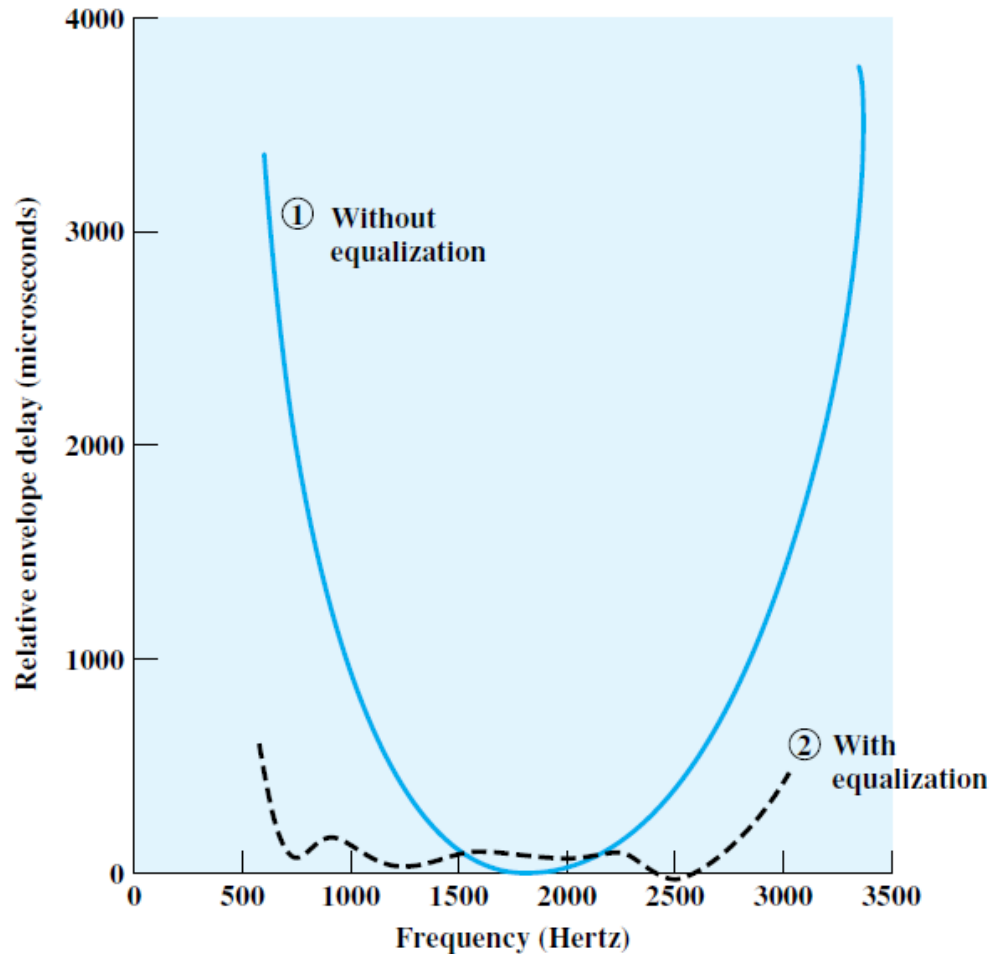
- Carrying by analog or digital signals

## ❑ Inter-symbol interference (ISI)

- Delay distortion
- Signal components of one bit position will spill over into other bit positions
- Major limitation to maximum bit rate over a channel



# EQUALIZATION EFFECT ON DELAY DISTORTION





# OUTLINE

Attenuation

Distortion

Noise

# NOISE

- ❑ Any additional unwanted signal
- ❑ Inserted between transmitter and receiver
- ❑ The most limiting factor in communication systems
- ❑ Noise Types
  - Thermal (White) Noise
  - Inter-modulation Noise
  - Impulse Noise
  - Crosstalk Noise

# THERMAL NOISE

- ❑ Due to thermal agitation of electrons
- ❑ Increases with temperature
- ❑ White noise
  - Uniformly distributed over frequency
  - Exists even in the same bandwidth as the signal
  - Difficult to eliminate
- ❑ More significant effect on weak received signals
  - Satellite communication

# THERMAL NOISE

## □ White noise

- Uniformly distributed over frequency

## □ Noise Power Spectral Density

$$N_0 = kT \quad (\text{W/Hz})$$

$k$ : Boltzmann's constant,  $k = 1.38 \times 10^{-23} \text{ J/}^\circ\text{K}$

$T$ : Absolute temperature in Kelvin

## □ Noise Power in Bandwidth $B$ Hz

$$N = N_0 B = kTB \quad (\text{Watts})$$

# INTER-MODULATION NOISE

- ❑ When signals with various frequencies sharing a transmission system
- ❑ Caused by nonlinearities in the medium and equipment
- ❑ Resulting new frequency components within valid signal bands

# INTER-MODULATION NOISE EXAMPLE

$$x(t) = \cos(2\pi f_1 t) + \cos(2\pi f_2 t)$$

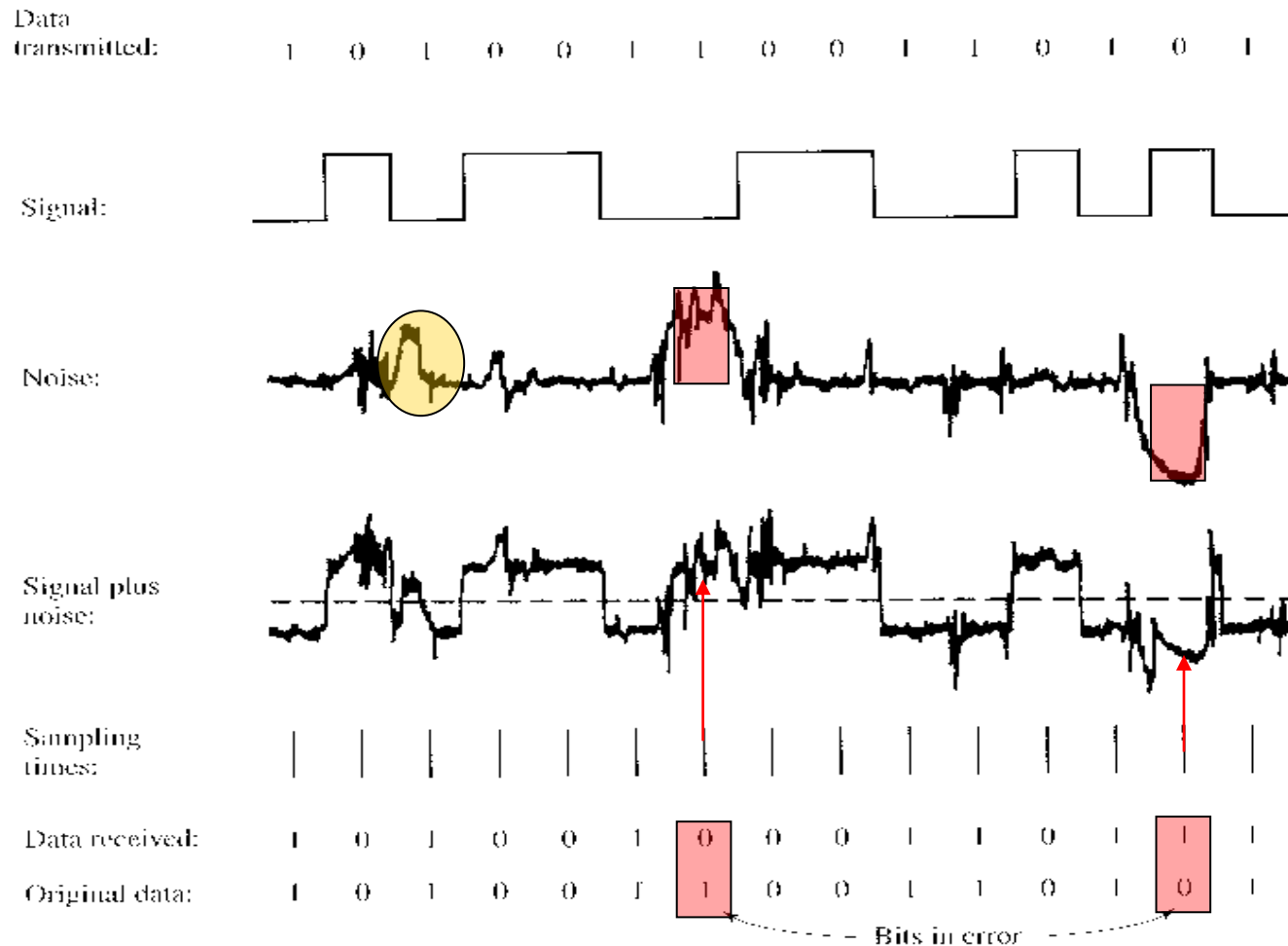
$$y(t) = a_1 x(t) + a_2 x^2(t) + a_3 x^3(t) + \dots$$



# IMPULSE NOISE

- ❑ Pulses (spikes) of
  - Irregular shape
  - High amplitude
  - Lasting short durations
- ❑ Causes
  - External electromagnetic interference
    - Due to switching large currents, lightning, ...
- ❑ Minor effect on analog signals
  - e.g. crackling noise in voice channels
- ❑ Major effect on digital signals
  - Bit reversal error
- ❑ More damage at higher data rates
  - A noise pulse of a given width can destroy a larger block of bits

# IMPULSE NOISE ON A DIGITAL SIGNAL



# CROSSTALK NOISE

□ A signal from one channel picked up by another channel in close proximity

## □ Examples

- Physical proximity
  - coupling between adjacent twisted pair channels
  - Shield cables properly
- Directional proximity
  - Antenna pick up from other directions
  - Use directional antennas
- Spectral proximity
  - Leakage between adjacent channels in frequency division multiplexing (FDM) systems
  - Use guard bands between adjacent channels