

Chapter 13: Query Processing

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Chapter 13: Query Processing

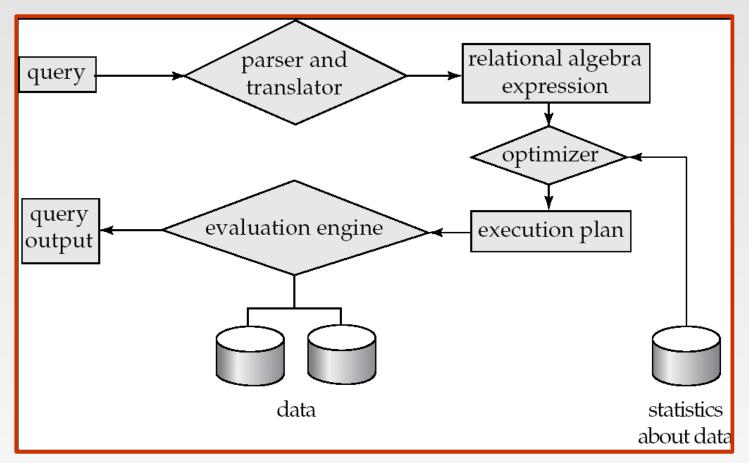
- Overview
- Measures of Query Cost
- Selection Operation
- Sorting
- Join Operation
- Other Operations
- Evaluation of Expressions





Basic Steps in Query Processing

- 1. Parsing and translation
- 2. Optimization
- 3. Evaluation







Basic Steps in Query Processing (Cont.)

- Parsing and translation
 - translate the query into its internal form. This is then translated into relational algebra.
 - Parser checks syntax, verifies relations
- Evaluation
 - The query-execution engine takes a query-evaluation plan, executes that plan, and returns the answers to the query.





Basic Steps in Query Processing: Optimization

- A relational algebra expression may have many equivalent expressions
 - E.g., $\sigma_{balance<2500}(\Pi_{balance}(account))$ is equivalent to $\Pi_{balance}(\sigma_{balance<2500}(account))$
- Each relational algebra operation can be evaluated using one of several different algorithms
 - Correspondingly, a relational-algebra expression can be evaluated in many ways.
- Annotated expression specifying detailed evaluation strategy is called an evaluation-plan.
 - E.g., can use an index on *balance* to find accounts with balance < 2500,
 - or can perform complete relation scan and discard accounts with balance ≥ 2500





Basic Steps: Optimization (Cont.)

- Query Optimization: Amongst all equivalent evaluation plans choose the one with lowest cost.
 - Cost is estimated using statistical information from the database catalog
 - e.g. number of tuples in each relation, size of tuples, etc.
- In this chapter we study
 - How to measure query costs
 - Algorithms for evaluating relational algebra operations
 - How to combine algorithms for individual operations in order to evaluate a complete expression
- In Chapter 14
 - We study how to optimize queries, that is, how to find an evaluation plan with lowest estimated cost





Measures of Query Cost

- Cost is generally measured as total elapsed time for answering query
 - Many factors contribute to time cost
 - disk accesses, CPU, or even network communication
- Typically disk access is the predominant cost, and is also relatively easy to estimate. Measured by taking into account
 - Number of seeks * average-seek-cost
 - + Number of blocks read * average-block-read-cost
 - + Number of blocks written * average-block-write-cost
 - Cost to write a block is greater than cost to read a block
 - data is read back after being written to ensure that the write was successful
 - Assumption: single disk
 - Can modify formulae for multiple disks/RAID arrays
 - Or just use single-disk formulae, but interpret them as measuring resource consumption instead of time





Measures of Query Cost (Cont.)

- For simplicity we just use the *number of block transfers from disk and the number of seeks* as the cost measures
 - t_{τ} time to transfer one block
 - t_s time for one seek
 - Cost for b block transfers plus S seeks
 b * t_T + S * t_S
- We ignore CPU costs for simplicity
 - Real systems do take CPU cost into account
- We do not include cost to writing output to disk in our cost formulae
- Several algorithms can reduce disk IO by using extra buffer space
 - Amount of real memory available to buffer depends on other concurrent queries and OS processes, known only during execution
 - We often use worst case estimates, assuming only the minimum amount of memory needed for the operation is available
- Required data may be buffer resident already, avoiding disk I/O
 - But hard to take into account for cost estimation





Selection Operation

- **File scan** search algorithms that locate and retrieve records that fulfill a selection condition.
- Algorithm A1 (*linear search*). Scan each file block and test all records to see whether they satisfy the selection condition.
 - Cost estimate = b_rblock transfers + 1 seek
 - b_r denotes number of blocks containing records from relation r
 - If selection is on a key attribute, can stop on finding record
 - cost = $(b_r/2)$ block transfers + 1 seek
 - Linear search can be applied regardless of
 - selection condition or
 - ordering of records in the file, or
 - availability of indices





Selection Operation (Cont.)

- **A2** (binary search). Applicable if selection is an equality comparison on the attribute on which file is ordered.
 - Assume that the blocks of a relation are stored contiguously
 - Cost estimate (number of disk blocks to be scanned):
 - cost of locating the first tuple by a binary search on the blocks

$$\lceil \log_2(b_r) \rceil * (t_T + t_S)$$

- If there are multiple records satisfying selection
 - Add transfer cost of the number of blocks containing records that satisfy selection condition
 - Will see how to estimate this cost in Chapter 14





Selections Using Indices

- Index scan search algorithms that use an index
 - selection condition must be on search-key of index.
- A3 (primary index on candidate key, equality). Retrieve a single record that satisfies the corresponding equality condition
 - $Cost = (h_i + 1) * (t_T + t_S)$
- A4 (primary index on nonkey, equality) Retrieve multiple records.
 - Records will be on consecutive blocks
 - Let b = number of blocks containing matching records
 - $Cost = h_i^* (t_T + t_S) + t_S + t_T^* b$
- **A5** (equality on search-key of secondary index).
 - Retrieve a single record if the search-key is a candidate key
 - $Cost = (h_i + 1) * (t_T + t_S)$
 - Retrieve multiple records if search-key is not a candidate key
 - each of n matching records may be on a different block

• Cost =
$$(h_i + n) * (t_T + t_S)$$

– Can be very expensive!





Selections Involving Comparisons

- Can implement selections of the form $\sigma_{A \leq V}(r)$ or $\sigma_{A \geq V}(r)$ by using
 - a linear file scan or binary search,
 - or by using indices in the following ways:
- **A6** (*primary index, comparison*). (Relation is sorted on A)
 - For $\sigma_{A \ge V}(r)$ use index to find first tuple $\ge V$ and scan relation sequentially from there
 - For $\sigma_{A \le V}(r)$ just scan relation sequentially till first tuple > V; do not use index
- A7 (secondary index, comparison).
 - For $\sigma_{A \ge V}(r)$ use index to find first index entry $\ge v$ and scan index sequentially from there, to find pointers to records.
 - For $\sigma_{A \le V}(r)$ just scan leaf pages of index finding pointers to records, till first entry > V
 - In either case, retrieve records that are pointed to
 - requires an I/O for each record
 - Linear file scan may be cheaper





Implementation of Complex Selections

- **Conjunction:** $\sigma_{\theta 1} \wedge \theta_{\theta 2} \wedge \dots \theta_{n}(r)$
- **A8** (conjunctive selection using one index).
 - Select a combination of θ_i and algorithms A1 through A7 that results in the least cost for $\sigma_{\theta_i}(r)$.
 - Test other conditions on tuple after fetching it into memory buffer.
- **A9** (conjunctive selection using multiple-key index).
 - Use appropriate composite (multiple-key) index if available.
- A10 (conjunctive selection by intersection of identifiers).
 - Requires indices with record pointers.
 - Use corresponding index for each condition, and take intersection of all the obtained sets of record pointers.
 - Then fetch records from file
 - If some conditions do not have appropriate indices, apply test in memory.



Algorithms for Complex Selections

- **Disjunction:** $\sigma_{\theta 1} \vee \sigma_{\theta 2} \vee \dots \sigma_{\theta n}(r)$.
- A11 (disjunctive selection by union of identifiers).
 - Applicable if all conditions have available indices.
 - Otherwise use linear scan.
 - Use corresponding index for each condition, and take union of all the obtained sets of record pointers.
 - Then fetch records from file
- Negation: $\sigma_{\neg \theta}(r)$
 - Use linear scan on file
 - If very few records satisfy $\neg \theta$, and an index is applicable to θ
 - Find satisfying records using index and fetch from file





Sorting

- We may build an index on the relation, and then use the index to read the relation in sorted order. May lead to one disk block access for each tuple.
- For relations that fit in memory, techniques like quicksort can be used. For relations that don't fit in memory, **external sort-merge** is a good choice.



External Sort-Merge

Let *M* denote memory size (in pages).

1. Create sorted runs. Let *i* be 0 initially.

Repeatedly do the following till the end of the relation:

- (a) Read *M* blocks of relation into memory
- (b) Sort the in-memory blocks
- (c) Write sorted data to run R_i ; increment i.

Let the final value of *i* be *N*

2. Merge the runs (next slide).....





External Sort-Merge (Cont.)

- Merge the runs (N-way merge). We assume (for now) that N < M.
 - Use N blocks of memory to buffer input runs, and 1 block to buffer output. Read the first block of each run into its buffer page

2. repeat

- Select the first record (in sort order) among all buffer pages
- 2. Write the record to the output buffer. If the output buffer is full write it to disk.
- 3. Delete the record from its input buffer page.
 If the buffer page becomes empty then read the next block (if any) of the run into the buffer.
- until all input buffer pages are empty:





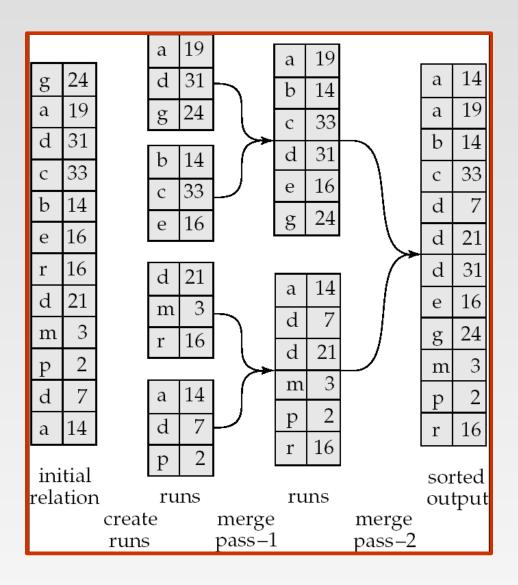
External Sort-Merge (Cont.)

- If $N \ge M$, several merge *passes* are required.
 - In each pass, contiguous groups of M 1 runs are merged.
 - A pass reduces the number of runs by a factor of M-1, and creates runs longer by the same factor.
 - ▶ E.g. If M=11, and there are 90 runs, one pass reduces the number of runs to 9, each 10 times the size of the initial runs
 - Repeated passes are performed till all runs have been merged into one.





Example: External Sorting Using Sort-Merge





External Merge Sort (Cont.)

- Cost analysis:
 - Total number of merge passes required: $\lceil \log_{M-1}(b_r/M) \rceil$.
 - Block transfers for initial run creation as well as in each pass is 2b_r
 - for final pass, we don't count write cost
 - we ignore final write cost for all operations since the output of an operation may be sent to the parent operation without being written to disk
 - Thus total number of block transfers for external sorting: $b_r(2\lceil \log_{M-1}(b_r/M)\rceil + 1)$
 - Seeks: next slide





External Merge Sort (Cont.)

- Cost of seeks
 - During run generation: one seek to read each run and one seek to write each run
 - $2\lceil b_r/M \rceil$
 - During the merge phase
 - **Buffer size:** b_b (read/write b_b blocks at a time)
 - Need $2 \lceil b_r / b_b \rceil$ seeks for each merge pass
 - except the final one which does not require a write
 - Total number of seeks:

$$2\lceil b_r/M \rceil + \lceil b_r/b_b \rceil (2\lceil \log_{M-1}(b_r/M) \rceil - 1)$$



Join Operation

- Several different algorithms to implement joins
 - Nested-loop join
 - Block nested-loop join
 - Indexed nested-loop join
 - Merge-join
 - Hash-join
- Choice based on cost estimate
- Examples use the following information
 - Number of records of customer: 10,000 depositor: 5000
 - Number of blocks of customer: 400 depositor: 100





Nested-Loop Join

- To compute the theta join $r \bowtie_{\theta} s$ for each tuple t_r in r do begin for each tuple t_s in s do begin test pair (t_r, t_s) to see if they satisfy the join condition θ if they do, add $t_r \cdot t_s$ to the result. end end
- \blacksquare r is called the **outer relation** and s the **inner relation** of the join.
- Requires no indices and can be used with any kind of join condition.
- Expensive since it examines every pair of tuples in the two relations.



Nested-Loop Join (Cont.)

In the worst case, if there is enough memory only to hold one block of each relation, the estimated cost is

$$n_r * b_s + b_r$$

block transfers, plus

$$n_r + b_r$$

seeks

- If the smaller relation fits entirely in memory, use that as the inner relation.
 - Reduces cost to $b_r + b_s$ block transfers and 2 seeks
- Assuming worst case memory availability cost estimate is
 - with depositor as outer relation:
 - 5000 * 400 + 100 = 2,000,100 block transfers,
 - ▶ 5000 + 100 = 5100 seeks
 - with customer as the outer relation
 - 10000 * 100 + 400 = 1,000,400 block transfers and 10,400 seeks
- If smaller relation (*depositor*) fits entirely in memory, the cost estimate will be 500 block transfers.
- Block nested-loops algorithm (next slide) is preferable.



Block Nested-Loop Join

Variant of nested-loop join in which every block of inner relation is paired with every block of outer relation.

```
for each block B_r of r do begin

for each block B_s of s do begin

for each tuple t_r in B_r do begin

for each tuple t_s in B_s do begin

Check if (t_r, t_s) satisfy the join condition

if they do, add t_r \cdot t_s to the result.

end

end

end

end
```



Block Nested-Loop Join (Cont.)

- Worst case estimate: $b_r * b_s + b_r$ block transfers + 2 * b_r seeks
 - Each block in the inner relation s is read once for each block in the outer relation (instead of once for each tuple in the outer relation
- Best case: $b_r + b_s$ block transfers + 2 seeks.
- Improvements to nested loop and block nested loop algorithms:
 - In block nested-loop, use M 2 disk blocks as blocking unit for outer relations, where M = memory size in blocks; use remaining two blocks to buffer inner relation and output
 - Cost = $\lceil b_r / (M-2) \rceil * b_s + b_r$ block transfers + $2 \lceil b_r / (M-2) \rceil$ seeks
 - If equi-join attribute forms a key on inner relation, stop inner loop on first match
 - Scan inner loop forward and backward alternately, to make use of the blocks remaining in buffer (with LRU replacement)
 - Use index on inner relation if available (next slide)





Indexed Nested-Loop Join

- Index lookups can replace file scans if
 - join is an equi-join or natural join and
 - an index is available on the inner relation's join attribute
 - Can construct an index just to compute a join.
- For each tuple t_r in the outer relation r, use the index to look up tuples in s that satisfy the join condition with tuple t_r .
- Worst case: buffer has space for only one page of r, and, for each tuple in r, we perform an index lookup on s.
- Cost of the join: $b_r(t_T + t_S) + n_r * c$
 - Where c is the cost of traversing index and fetching all matching s tuples for one tuple or r
 - c can be estimated as cost of a single selection on s using the join condition.
- If indices are available on join attributes of both r and s, use the relation with fewer tuples as the outer relation.





Example of Nested-Loop Join Costs

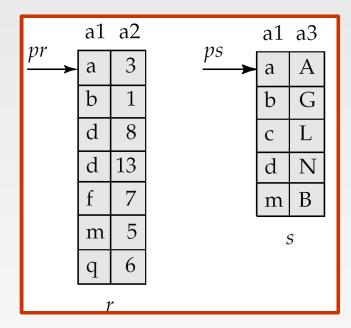
- lacktriangle Compute depositor $oxed{\bowtie}$ customer, with depositor as the outer relation.
- Let *customer* have a primary B+-tree index on the join attribute *customer-name*, which contains 20 entries in each index node.
- Since customer has 10,000 tuples, the height of the tree is 4, and one more access is needed to find the actual data
- depositor has 5000 tuples
- Cost of block nested loops join
 - 400*100 + 100 = 40,100 block transfers + 2 * 100 = 200 seeks
 - assuming worst case memory
 - may be significantly less with more memory
- Cost of indexed nested loops join
 - 100 + 5000 * 5 = 25,100 block transfers and seeks.
 - CPU cost likely to be less than that for block nested loops join





Merge-Join

- Sort both relations on their join attribute (if not already sorted on the join attributes).
- 2. Merge the sorted relations to join them
 - 1. Join step is similar to the merge stage of the sort-merge algorithm.
 - 2. Main difference is handling of duplicate values in join attribute every pair with same value on join attribute must be matched
 - 3. Detailed algorithm in book







Merge-Join (Cont.)

- Can be used only for equi-joins and natural joins
- Each block needs to be read only once (assuming all tuples for any given value of the join attributes fit in memory
- Thus the cost of merge join is: $b_r + b_s$ block transfers $+ \lceil b_r / b_b \rceil + \lceil b_s / b_b \rceil$ seeks
 - + the cost of sorting if relations are unsorted.
- hybrid merge-join: If one relation is sorted, and the other has a secondary B+-tree index on the join attribute
 - Merge the sorted relation with the leaf entries of the B+-tree.
 - Sort the result on the addresses of the unsorted relation's tuples
 - Scan the unsorted relation in physical address order and merge with previous result, to replace addresses by the actual tuples
 - Sequential scan more efficient than random lookup

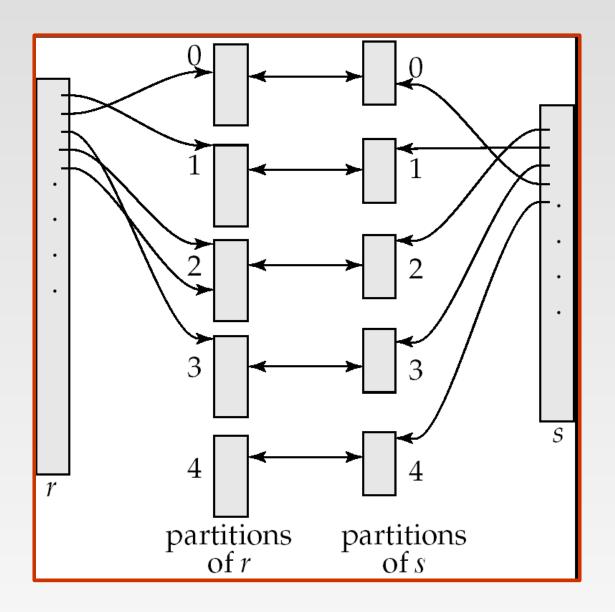


Hash-Join

- Applicable for equi-joins and natural joins.
- A hash function h is used to partition tuples of both relations
 - Intuition: partitions fit in memory
- h maps *JoinAttrs* values to {0, 1, ..., n}, where *JoinAttrs* denotes the common attributes of r and s used in the natural join.
 - r_0, r_1, \ldots, r_n denote partitions of r tuples
 - Each tuple $t_r \in r$ is put in partition r_i where $i = h(t_r[JoinAttrs])$.
 - r_0 , r_1 ..., r_n denotes partitions of s tuples
 - Each tuple $t_s \in s$ is put in partition s_i , where $i = h(t_s [JoinAttrs])$.
- Note: In book, r_i is denoted as H_{r_i} , s_i is denoted as H_{s_i} and n is denoted as n_h .



Hash-Join (Cont.)







Hash-Join (Cont.)

- r tuples in r_i need only to be compared with s tuples in s_i Need not be compared with s tuples in any other partition, since:
 - an r tuple and an s tuple that satisfy the join condition will have the same value for the join attributes.
 - If that value is hashed to some value i, the r tuple has to be in r_i and the s tuple in s_i .



Hash-Join Algorithm

The hash-join of r and s is computed as follows.

- **1.** Partition the relation *s* using hashing function *h*.
 - 1. When partitioning a relation, one block of memory is reserved as the output buffer for each partition, and one block for input
 - 2. If extra memory is available, allocate b_b blocks as buffer for input and each output
- 2. Partition *r* similarly.
- 3. ... next slide ...





Hash Join (Cont.)

Hash Join Algorithm (cont)

- 1. For each partition *i*:
 - (a) Load s_i into memory and build an in-memory hash index on it using the join attribute.
 - This hash index uses a different hash function than the earlier one h.
 - (b) Read the tuples in r_i from the disk one by one.
 - For each tuple t_r probe the in-memory hash index to find all matching tuples t_s in s_i
 - For each matching tuple t_s in s_i
 - output the concatenation of the attributes of t_r and t_s

Relation *s* is called the **build input** and *r* is called the **probe input**.





Hash-Join algorithm (Cont.)

- The value n and the hash function h is chosen such that each s_i should fit in memory.
 - Typically n is chosen as [b_s/M] * f where f is a "fudge factor", typically around 1.2
 - The probe relation partitions s_i need not fit in memory
- Recursive partitioning required if number of partitions *n* is greater than number of pages *M* of memory.
 - instead of partitioning n ways, use M-1 partitions for s
 - Further partition the M 1 partitions using a different hash function
 - Use same partitioning method on r
 - Rarely required: e.g., recursive partitioning not needed for relations of 1GB or less with memory size of 2MB, with block size of 4KB.





Handling of Overflows

- Partitioning is said to be skewed if some partitions have significantly more tuples than some others
- **Hash-table overflow** occurs in partition s_i if s_i does not fit in memory. Reasons could be
 - Many tuples in s with same value for join attributes
 - Bad hash function
- Overflow resolution can be done in build phase
 - Partition s_i is further partitioned using different hash function.
 - Partition r_i must be similarly partitioned.
- Overflow avoidance performs partitioning carefully to avoid overflows during build phase
 - E.g. partition build relation into many partitions, then combine them
- Both approaches fail with large numbers of duplicates
 - Fallback option: use block nested loops join on overflowed partitions



Cost of Hash-Join

- If recursive partitioning is not required: cost of hash join is $3(b_r + b_s) + 4 * n_h$ block transfers + $2(\lceil b_r/b_b \rceil + \lceil b_s/b_b \rceil)$ seeks
- If recursive partitioning required:
 - number of passes required for partitioning build relation s is $\lceil log_{M-1}(b_s) 1 \rceil$
 - best to choose the smaller relation as the build relation.
 - Total cost estimate is:

$$2(b_r + b_s \lceil log_{M-1}(b_s) - 1 \rceil + b_r + b_s$$
 block transfers + $2(\lceil b_r / b_b \rceil + \lceil b_s / b_b \rceil) \lceil log_{M-1}(b_s) - 1 \rceil$ seeks

- If the entire build input can be kept in main memory no partitioning is required
 - Cost estimate goes down to $b_r + b_s$.





Example of Cost of Hash-Join

customer ⋈ *depositor*

- Assume that memory size is 20 blocks
- $b_{depositor}$ = 100 and $b_{customer}$ = 400.
- depositor is to be used as build input. Partition it into five partitions, each of size 20 blocks. This partitioning can be done in one pass.
- Similarly, partition customer into five partitions, each of size 80. This is also done in one pass.
- Therefore total cost, ignoring cost of writing partially filled blocks:
 - 3(100 + 400) = 1500 block transfers + $2(\lceil 100/3 \rceil + \lceil 400/3 \rceil) = 336$ seeks





Hybrid Hash-Join

- Useful when memory sized are relatively large, and the build input is bigger than memory.
- Main feature of hybrid hash join:
 Keep the first partition of the build relation in memory.
- E.g. With memory size of 25 blocks, *depositor* can be partitioned into five partitions, each of size 20 blocks.
 - Division of memory:
 - The first partition occupies 20 blocks of memory
 - 1 block is used for input, and 1 block each for buffering the other 4 partitions.
- customer is similarly partitioned into five partitions each of size 80
 - the first is used right away for probing, instead of being written out
- Cost of 3(80 + 320) + 20 + 80 = 1300 block transfers for hybrid hash join, instead of 1500 with plain hash-join.
- Hybrid hash-join most useful if $M >> \sqrt{b_s}$





Complex Joins

Join with a conjunctive condition:

$$r \bowtie _{\theta 1 \wedge \theta 2 \wedge \dots \wedge \theta n} s$$

- Either use nested loops/block nested loops, or
- Compute the result of one of the simpler joins $r \bowtie_{\theta_i} s$
 - final result comprises those tuples in the intermediate result that satisfy the remaining conditions

$$\theta_1 \wedge \ldots \wedge \theta_{i-1} \wedge \theta_{i+1} \wedge \ldots \wedge \theta_n$$

Join with a disjunctive condition

$$r \bigvee_{\theta^1 \vee \theta^2 \vee ... \vee \theta^n} s$$

- Either use nested loops/block nested loops, or
- Complete as the unton of the records in individual joins $r = \frac{1}{6}$ is:

$$(r \theta_1 s) \cup (r \theta_2 s) \cup \ldots \cup (r \theta_n s)$$

(applies only to the set version of union!)





Other Operations

- **Duplicate elimination** can be implemented via hashing or sorting.
 - On sorting duplicates will come adjacent to each other, and all but one set of duplicates can be deleted.
 - Optimization: duplicates can be deleted during run generation as well as at intermediate merge steps in external sort-merge.
 - Hashing is similar duplicates will come into the same bucket.

Projection:

- perform projection on each tuple
- followed by duplicate elimination.





Other Operations: Aggregation

- **Aggregation** can be implemented in a manner similar to duplicate elimination.
 - Sorting or hashing can be used to bring tuples in the same group together, and then the aggregate functions can be applied on each group.
 - Optimization: combine tuples in the same group during run generation and intermediate merges, by computing partial aggregate values
 - For count, min, max, sum: keep aggregate values on tuples found so far in the group.
 - When combining partial aggregate for count, add up the aggregates
 - For avg, keep sum and count, and divide sum by count at the end





Other Operations : Set Operations

- **Set operations** (\cup , \cap and \longrightarrow): can either use variant of merge-join after sorting, or variant of hash-join.
- E.g., Set operations using hashing:
 - 1. Partition both relations using the same hash function
 - Process each partition i as follows.
 - Using a different hashing function, build an in-memory hash index on r_i .
 - 2. Process s_i as follows
 - $r \cup s$:
 - 1. Add tuples in s_i to the hash index if they are not already in it.
 - 2. At end of s_i add the tuples in the hash index to the result.
 - $r \cap s$:
 - 1. output tuples in s_i to the result if they are already there in the hash index
 - r − s:
 - 1. for each tuple in s_i , if it is there in the hash index, delete it from the index.
 - 2. At end of s_i add remaining tuples in the hash index to the result.





Other Operations: Outer Join

- Outer join can be computed either as
 - A join followed by addition of null-padded non-participating tuples.
 - by modifying the join algorithms.
- Modifying merge join to compute $r \supset s$
 - In $r \supset \bowtie s$, non participating tuples are those in $r \prod_{R} (r \bowtie s)$
 - Modify merge-join to compute $r \longrightarrow s$: During merging, for every tuple t_r from r that do not match any tuple in s, output t_r padded with nulls.
 - Right outer-join and full outer-join can be computed similarly.
- Modifying hash join to compute $r \stackrel{\triangleright}{\longrightarrow} s$
 - If r is probe relation, output non-matching r tuples padded with nulls
 - If r is build relation, when probing keep track of which r tuples matched s tuples.
 - At end of s_i output non-matched r tuples padded with nulls





Evaluation of Expressions

- So far: we have seen algorithms for individual operations
- Alternatives for evaluating an entire expression tree
 - Materialization: generate results of an expression whose inputs are relations or are already computed, materialize (store) it on disk. Repeat.
 - Pipelining: pass on tuples to parent operations even as an operation is being executed
- We study above alternatives in more detail

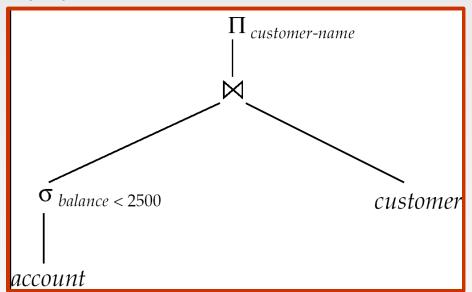




Materialization

- Materialized evaluation: evaluate one operation at a time, starting at the lowest-level. Use intermediate results materialized into temporary relations to evaluate next-level operations.
- E.g., in figure below, compute and store $\sigma_{balance < 2500}(account)$

then compute the store its join with *customer*, and finally compute the projections on *customer-name*.







Materialization (Cont.)

- Materialized evaluation is always applicable
- Cost of writing results to disk and reading them back can be quite high
 - Our cost formulas for operations ignore cost of writing results to disk, so
 - Overall cost = Sum of costs of individual operations + cost of writing intermediate results to disk
- Double buffering: use two output buffers for each operation, when one is full write it to disk while the other is getting filled
 - Allows overlap of disk writes with computation and reduces execution time





Pipelining

- Pipelined evaluation: evaluate several operations simultaneously, passing the results of one operation on to the next.
- E.g., in previous expression tree, don't store result of

$$\sigma_{balance<2500}(account)$$

- instead, pass tuples directly to the join. Similarly, don't store result of join, pass tuples directly to projection.
- Much cheaper than materialization: no need to store a temporary relation to disk.
- Pipelining may not always be possible e.g., sort, hash-join.
- For pipelining to be effective, use evaluation algorithms that generate output tuples even as tuples are received for inputs to the operation.
- Pipelines can be executed in two ways: demand driven and producer driven





Pipelining (Cont.)

- In demand driven or lazy evaluation
 - system repeatedly requests next tuple from top level operation
 - Each operation requests next tuple from children operations as required, in order to output its next tuple
 - In between calls, operation has to maintain "state" so it knows what to return next
- In producer-driven or eager pipelining
 - Operators produce tuples eagerly and pass them up to their parents
 - Buffer maintained between operators, child puts tuples in buffer, parent removes tuples from buffer
 - If buffer is full, child waits till there is space in the buffer, and then generates more tuples
 - System schedules operations that have space in output buffer and can process more input tuples
- Alternative name: pull and push models of pipelining





Pipelining (Cont.)

- Implementation of demand-driven pipelining
 - Each operation is implemented as an iterator implementing the following operations
 - open()
 - E.g. file scan: initialize file scan
 - state: pointer to beginning of file
 - E.g.merge join: sort relations;
 - » state: pointers to beginning of sorted relations
 - next()
 - E.g. for file scan: Output next tuple, and advance and store file pointer
 - E.g. for merge join: continue with merge from earlier state till next output tuple is found. Save pointers as iterator state.
 - close()





Evaluation Algorithms for Pipelining

- Some algorithms are not able to output results even as they get input tuples
 - E.g. merge join, or hash join
 - intermediate results written to disk and then read back
- Algorithm variants to generate (at least some) results on the fly, as input tuples are read in
 - E.g. hybrid hash join generates output tuples even as probe relation tuples in the in-memory partition (partition 0) are read in
 - Pipelined join technique: Hybrid hash join, modified to buffer partition 0 tuples of both relations in-memory, reading them as they become available, and output results of any matches between partition 0 tuples
 - When a new r_0 tuple is found, match it with existing s_0 tuples, output matches, and save it in r_0
 - Symmetrically for s₀ tuples





End of Chapter

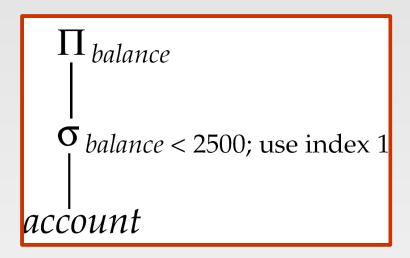
Database System Concepts, 5th Ed.

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Figure 13.2





Complex Joins

- Join involving three relations: $loan \bowtie depositor \bowtie customer$
- **Strategy 1.** Compute *depositor* ⋈ *customer*; use result to compute *loan* (*depositor* ⋈ *customer*)
- **Strategy 2.** Computer *loan* ⋈ *depositor* first, and then join the result with *customer*.
- Strategy 3. Perform the pair of joins at once. Build and index on *loan* for *loan-number*, and on *customer* for *customer-name*.
 - For each tuple t in depositor, look up the corresponding tuples in customer and the corresponding tuples in loan.
 - Each tuple of deposit is examined exactly once.
- Strategy 3 combines two operations into one special-purpose operation that is more efficient than implementing two joins of two relations.

