

Introduction to Solids: Structure and bonding in solids: Overview of crystal lattices and their role in defining material properties. Classification of solids into metals, semiconductors, and insulators based on bonding and electron behavior.

Electronic Properties of Materials: Band theory explaining conduction, valence bands, and energy gaps in different material types. Detailed examination of Fermi level, density of states, and their implications for electronic behavior.

Phonons and Thermal Properties: The role of lattice vibrations (phonons) in thermal and electronic properties. Concepts like specific heat and thermal conductivity in relation to material structure and temperature.

Books:

- Foundations of Materials Science and Engineering – Smith and Hashemi, Ch2: 2.4, 2.5
- Principles of Electronic Materials and Devices – S. O. Kasap, Ch 1, 1.1-1.3

Types of solids

Materials are of two types: Crystalline & Non-crystalline

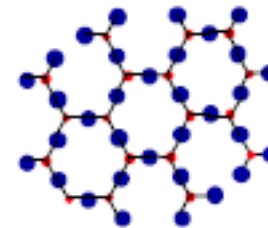
Non-crystalline solid: Atoms are not situated in an orderly, repeating pattern. i.e. glass, rubber, plastic etc.

Crystalline solid: Atoms are spatially arranged in an orderly, repeating pattern extending in all three dimensions. i.e. Copper, NaCl

Packing atoms together

Crystalline materials...

- atoms pack in periodic, 3D arrays
- typical of:
 - metals
 - many ceramics
 - some polymers



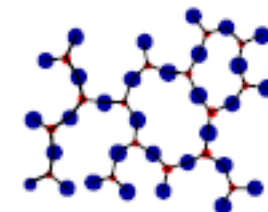
crystalline SiO₂

Adapted from Fig. 3.18(a),
Callister 6e.

Noncrystalline materials...

- atoms have no periodic packing
- occurs for:
 - complex structures
 - rapid cooling

• Si • Oxygen



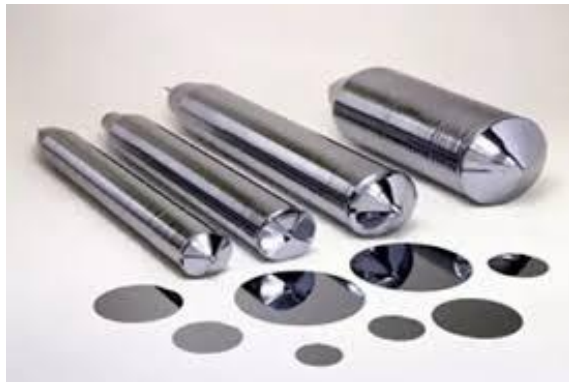
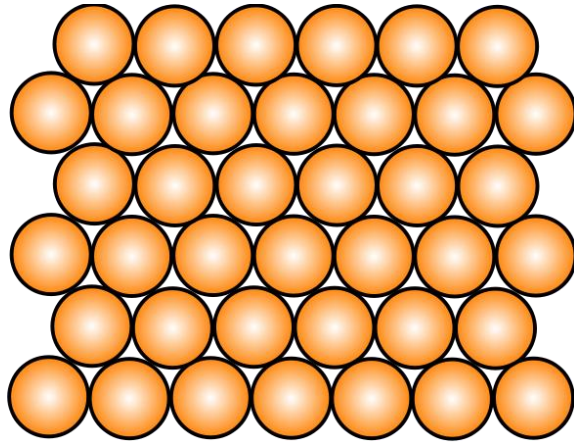
noncrystalline SiO₂

Adapted from Fig. 3.18(b),
Callister 6e.

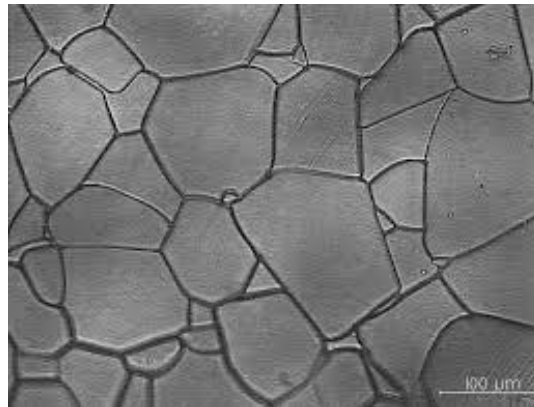
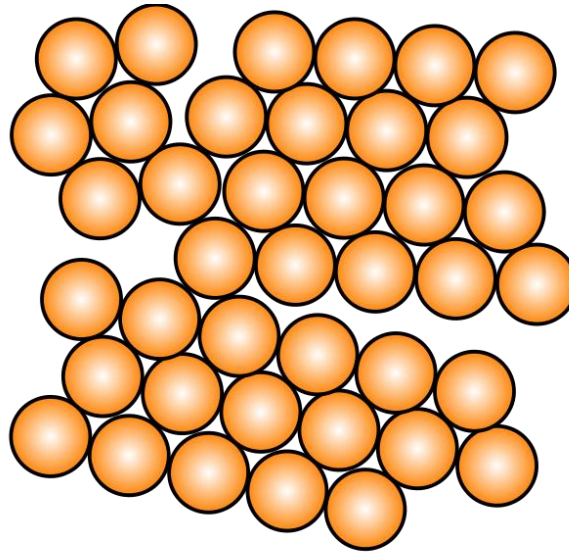
"Amorphous" = Noncrystalline

Types of solids

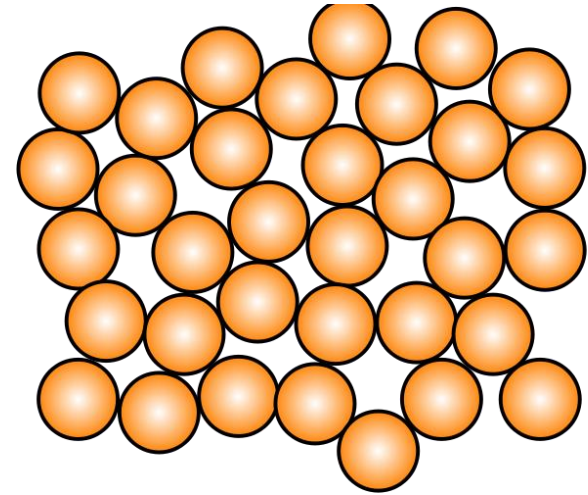
MONOCRYSTALLINE



POLYCRYSTALLINE



AMORPHOUS



How to construct the crystal structure?

Lattice : Translationally periodic arrangement of POINTS in space

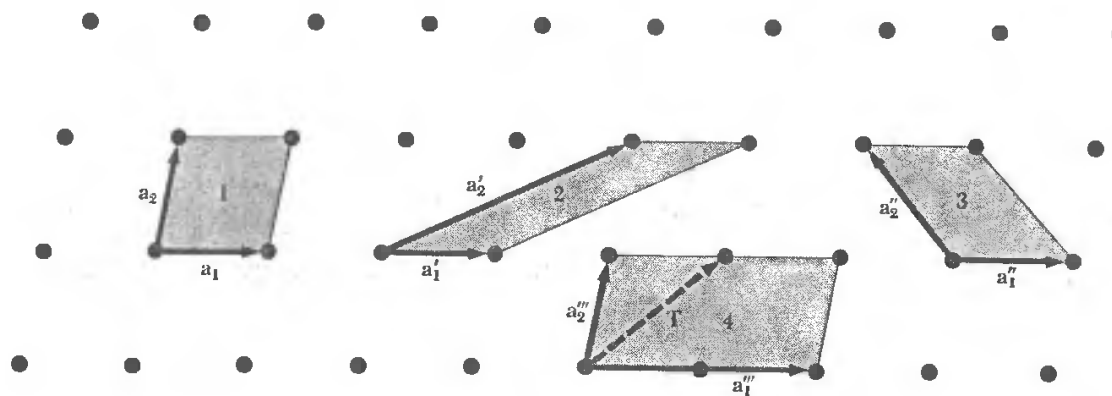
Basis: An atom or a group of atoms associated with each **lattice** point

CRYSTAL = Lattice + Basis

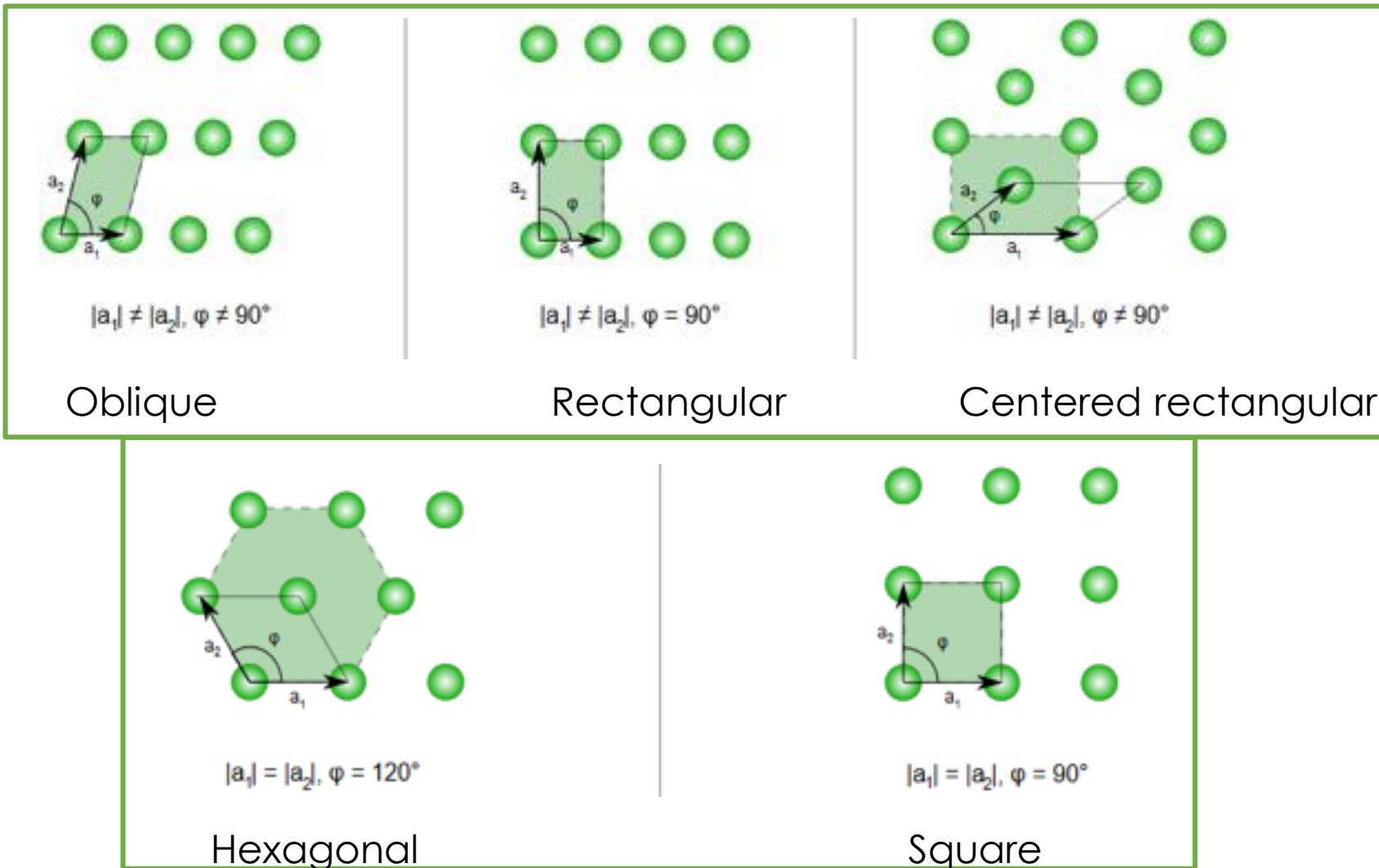
CRYSTAL: Translationally periodic arrangement of ATOMS in space.

A **space lattice** is defined as an infinite array of points in three dimensions in which every point has surroundings *identical* to that of every other point in the array.

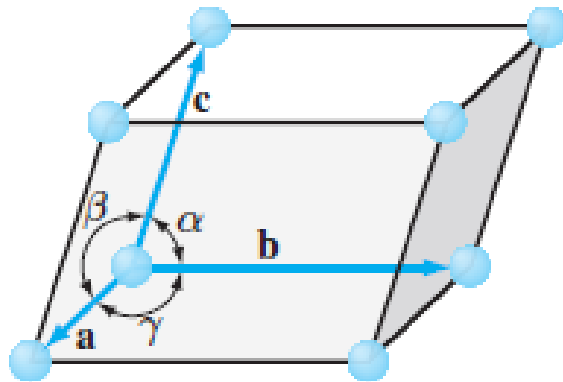
The **unit cell** is the smallest unit which, when repeated in space indefinitely, will generate the space lattice.



2-D Bravis Lattice

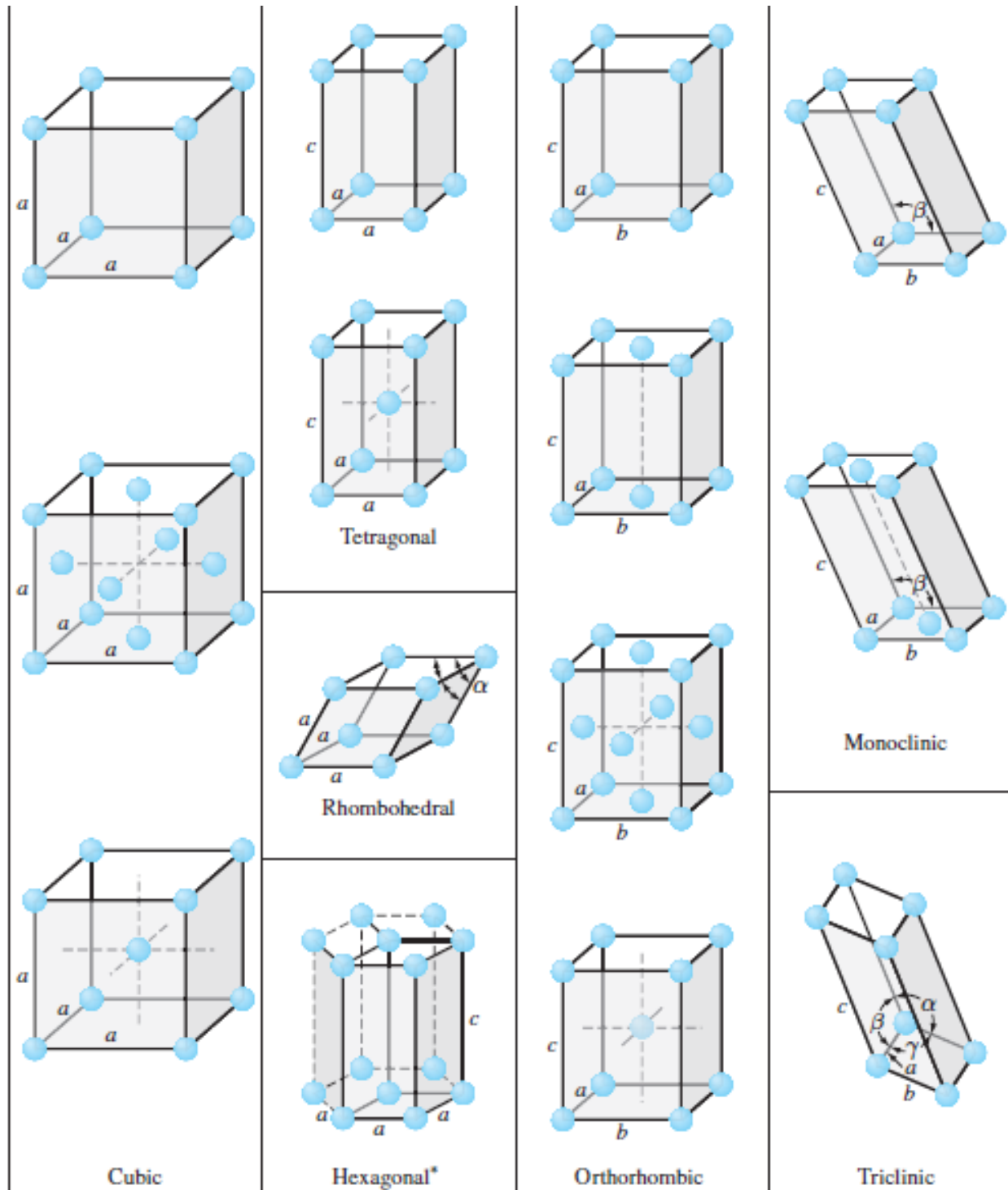


Crystal systems

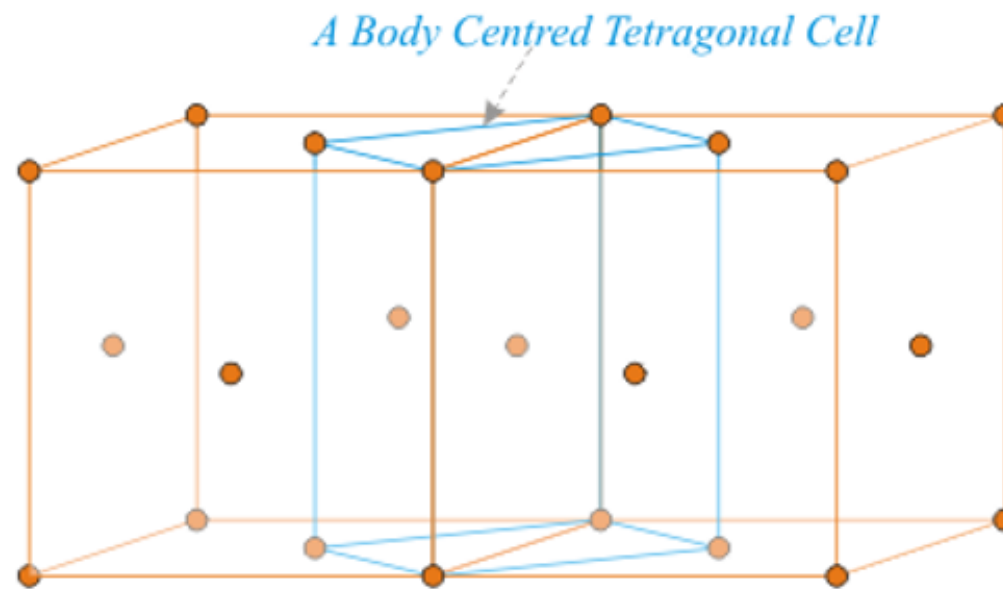


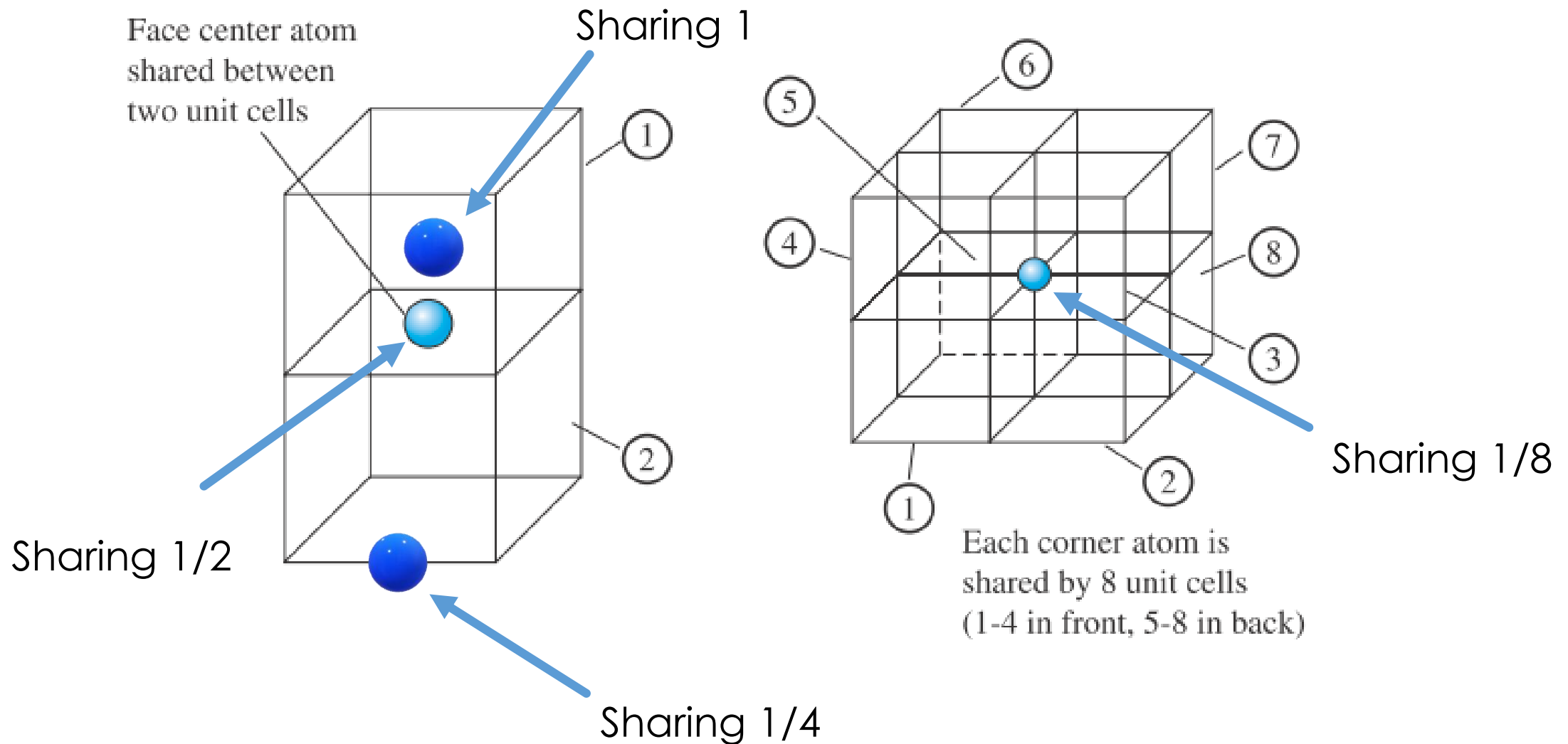
Crystal System	Axial Lengths and Interaxial Angles
Cubic	Three equal axes at right angles $a = b = c, \alpha = \beta = \gamma = 90^\circ$
Tetragonal	Three axes at right angles, two equal $a = b \neq c, \alpha = \beta = \gamma = 90^\circ$
Orthorhombic	Three unequal axes at right angles $a \neq b \neq c, \alpha = \beta = \gamma = 90^\circ$
Rhombohedral	Three equal axes, equally inclined $a = b = c, \alpha = \beta = \gamma \neq 90^\circ$
Hexagonal	Two equal axes at 120° , third axis at right angles $a = b \neq c, \alpha = \beta = 90^\circ, \gamma = 120^\circ$
Monoclinic	Three unequal axes, one pair not at right angles $a \neq b \neq c, \alpha = \gamma = 90^\circ \neq \beta$
Triclinic	Three unequal axes, unequally inclined and none at right angles $a \neq b \neq c, \alpha \neq \beta \neq \gamma \neq 90^\circ$

3-D Bravis Lattice

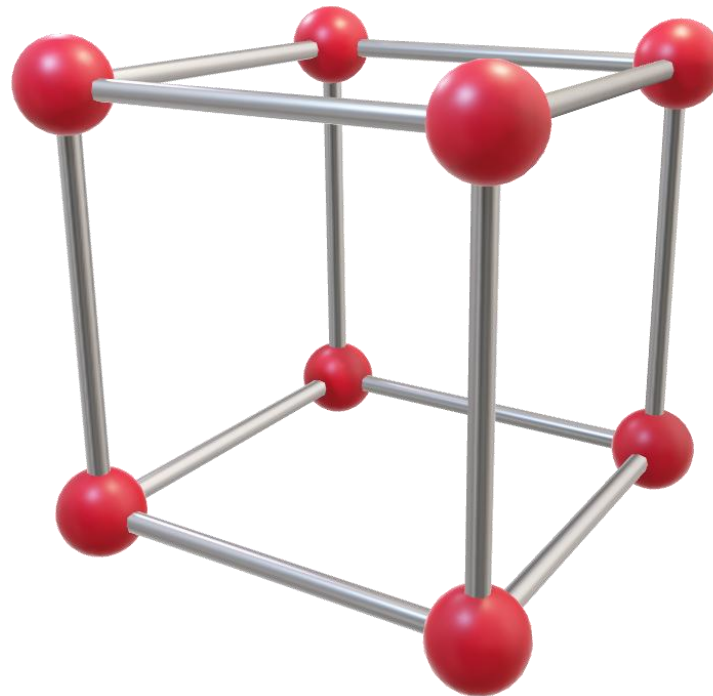


3-D Bravis Lattice





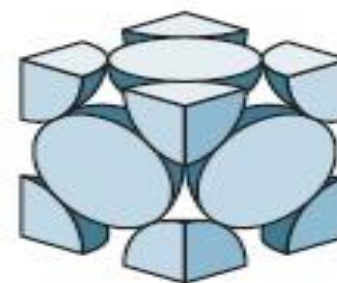
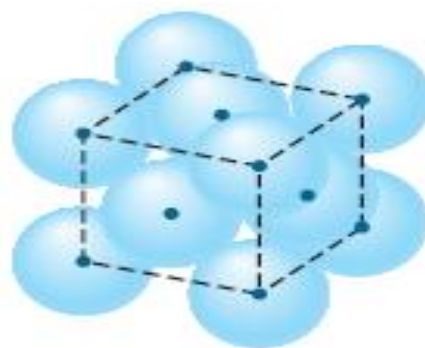
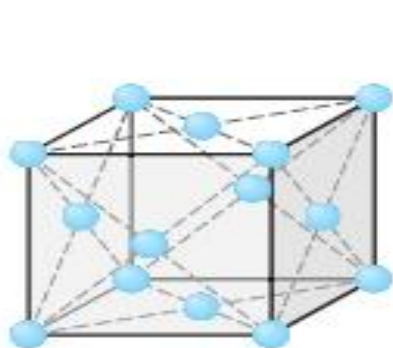
A Lattice with only **1** lattice point



Sharing in a unit cell $1/8 * 8 = 1$

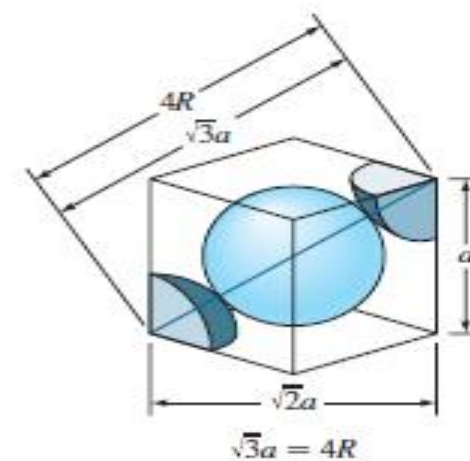
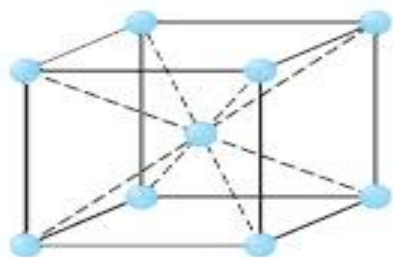
Atomic Packing Factor: $\frac{\text{Volume occupied by atoms in a unit cell}}{\text{Volume of the unit cell}}$

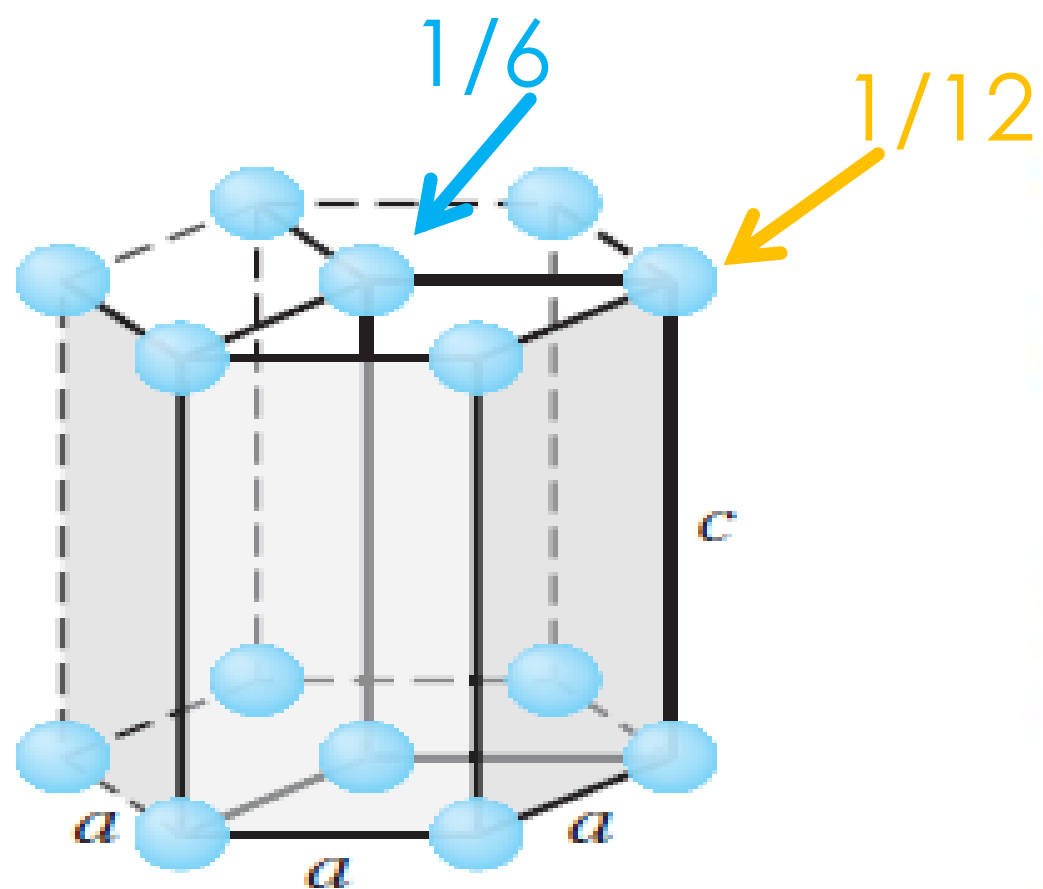
FCC:
 $\text{APF}_{\text{FCC}} = 0.74$



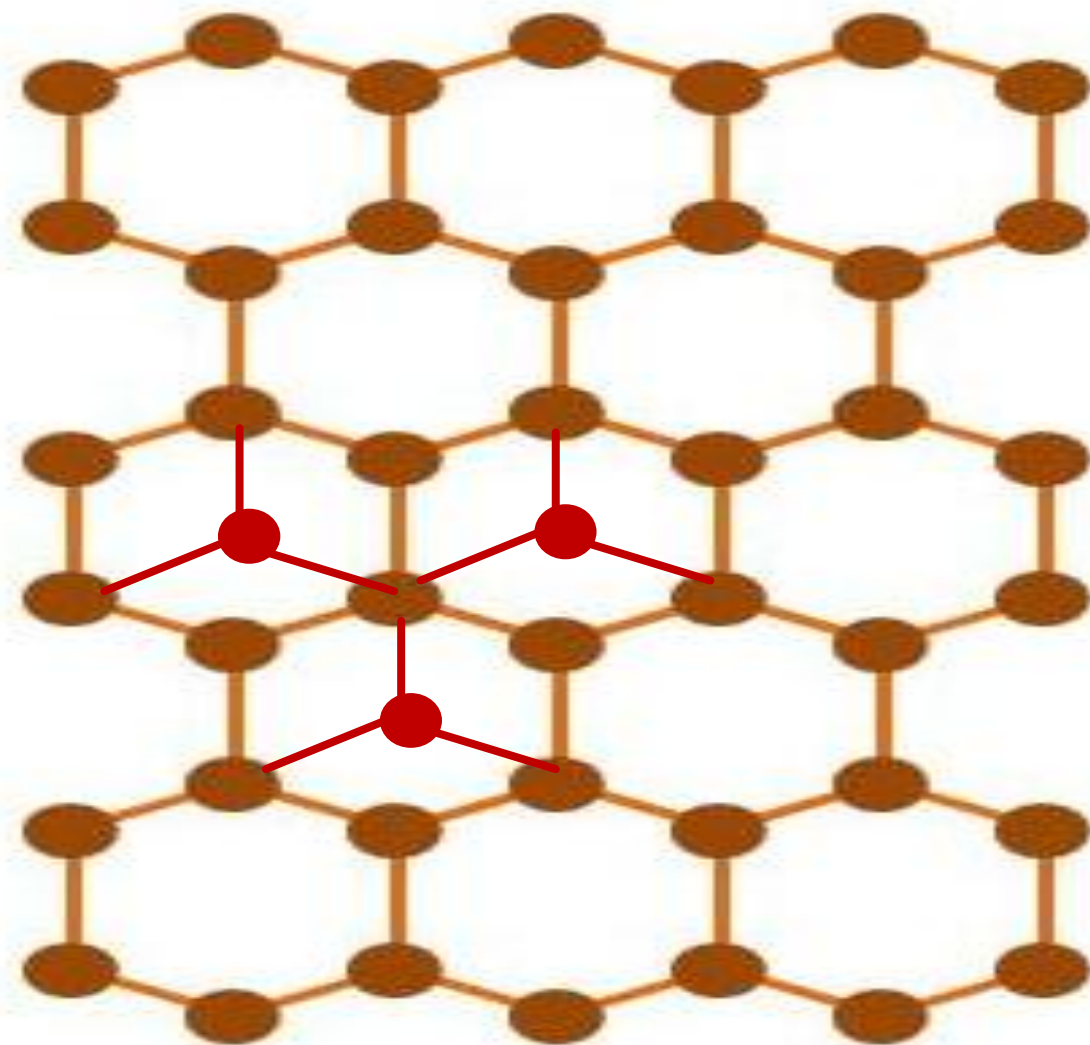
$$\sqrt{2}a = 4R \quad \text{or} \quad a = \frac{4R}{\sqrt{2}}$$

BCC:
 $\text{APF}_{\text{BCC}} = 0.68$





Hexagonal*



Packing density of the monoatomic unit cell

$$APF = \frac{\text{No of atoms in a unit cell} \times \text{Volume of one atom}}{\text{Volume of the unit cell}}$$

Atom is assumed as a hard sphere

Unit cell is cubic
So a^3

Structure	No. of atoms	APF
SC	1	52%
BCC	2	68%
FCC	4	74%

Density of a crystalline material can be calculated by

The diagram illustrates the formula for the density of a crystalline material, $\rho = \frac{n \times A}{N_A \times V}$. Red arrows point from descriptive labels to each variable in the formula:

- Density of a material** points to ρ .
- No. of atoms in a unit cell** points to n .
- Atomic weight** points to A .
- Avogadro's Number** points to N_A .
- Volume of the unit cell** points to V .

$$\rho = \frac{n \times A}{N_A \times V}$$

