

From Raw **H**<sub>EAT</sub>  
**V**<sub>ENTILATION</sub>  
**A**<sub>IR</sub> **C**<sub>ONDITIONING</sub> **Signals**  
to Predictive Insights

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# Exploratory Data Analysis



```
<class 'pandas.core.frame.DataFrame'>
```

```
RangeIndex: 408000 entries, 0 to 407999
```

```
Data columns (total 45 columns):
```

```
#   Column                Non-Null Count  Dtype
```

```
---  ---  
0   timestamp            408000 non-null object  
1   indoor_temp           405616 non-null float64  
2   supply_temp           405615 non-null float64  
3   hvac_control          407974 non-null float64  
4   airflow              407999 non-null float64  
5   power_usage           407999 non-null float64  
6   outdoor_temp          408000 non-null float64  
7   solar_radiation       408000 non-null float64  
8   occupancy             408000 non-null float64  
9   price                 408000 non-null float64  
10  temp_error            405616 non-null float64  
11  cooling_demand         408000 non-null float64  
12  heating_demand        405616 non-null float64  
13  .....
```

```
memory usage: 140.1+ MB
```

› As I began exploring the dataset, I quickly noticed its scale: it contains **408,000 data points** spread across **45 features**. This richness offers a great opportunity to uncover meaningful patterns but also calls for careful preprocessing to manage the complexity.

# Exploratory Data Analysis

## Important Steps

- Fix The Data Types (object->timestamp)
- Removing Non-Informative Features
- Analyze Correlations
- Feature Selection
- Remove Missing Values

Analysis indicate that the HVAC data is recorded at **15-minute intervals**, spanning from **2020-01-01 00:00:00** to **2031-08-20 23:45:00**. This suggests a consistent and regular sampling frequency throughout the dataset

Removing the following zero-variance columns: **8 columns have constant values**  
['hvac\_control', 'cooling\_demand', 'hvac\_control', 'cooling\_demand\_sma'.....]

Perfectly correlated variable pairs:  
temp\_error <--> indoor\_temp  
heating\_demand <--> indoor\_temp  
heating\_demand <--> temp\_error.....  
**More than 30 columns correlated**

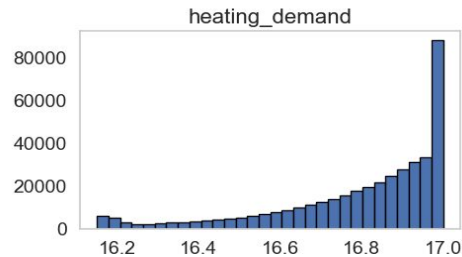
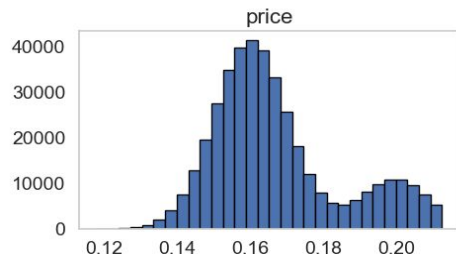
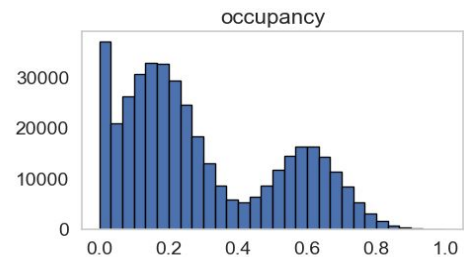
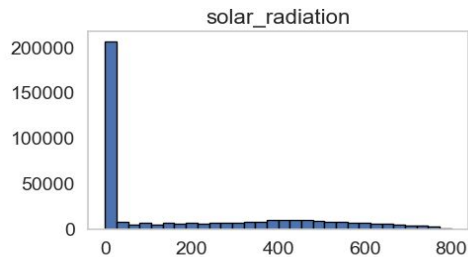
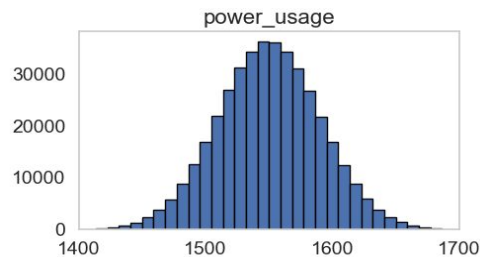
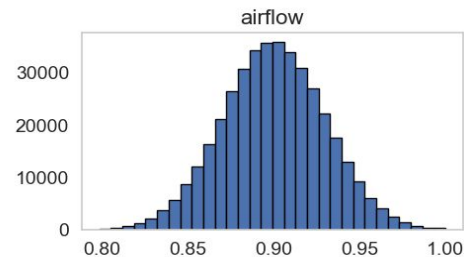
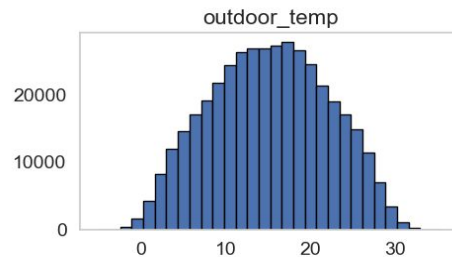
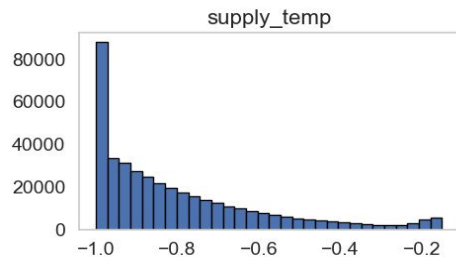
Most variables are **multiple transformed versions of the same original features**, including **Savitzky-Golay, Simple Moving Average, Exponential Moving Average**, **Robust filtering**, and **Min-Max scaling**.

**Consecutive missing (NaN) values** are dropped!

# Exploratory Data Analysis



Histogram of Features



# Exploratory Data Analysis

## Exploring the Target Variable: Power Usage

- **Trend**  
Is there a long-term increase or decrease in power consumption over time?
- **Seasonality**  
Are there recurring patterns (e.g., daily, weekly, yearly cycles)?
- **Autocorrelation**  
Does current power usage depend on previous values?

## Exploring the Predictor variable: Seasonality

- Gives us hints about how to treat them: categorical, numerical....

## Modeling Strategy Based on Data Characteristics

- ◆ **No Autocorrelation in Power Usage**  
→ Use standard models:
  - Linear Regression, Gradient Descent, Tree-Based Models...
- ◆ **Autocorrelation Detected**  
→ **Time Series Models**

### Seasonality in Power Usage?

- Use models designed for seasonal patterns:  
→ SARIMA, Facebook Prophet.....

### Non-Stationarity in the Series?

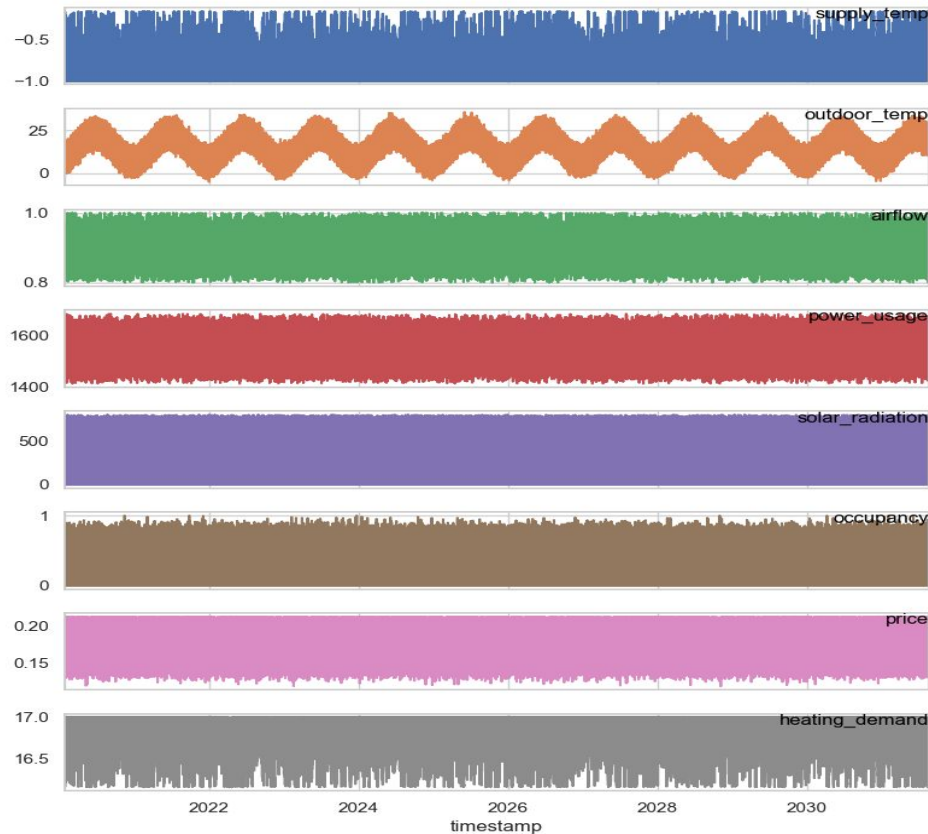
- Address trends or variance shifts using:  
→ Differencing , Log / Power Transformations..

# Exploratory Data Analysis

## ◆ Seasonality in Outdoor Temperature

- Outdoor temperature exhibits **clear annual seasonality** :
  - It **rises** during the first half of the year
  - And **falls** during the second half
- This pattern is **less apparent** in other variables (e.g., **heating\_demand**)
- To reveal potential seasonal effects in those variables, consider analyzing data at a **coarser time granularity** :
  - **Daily** or **hourly averages**

Time Series of Key HVAC Variables

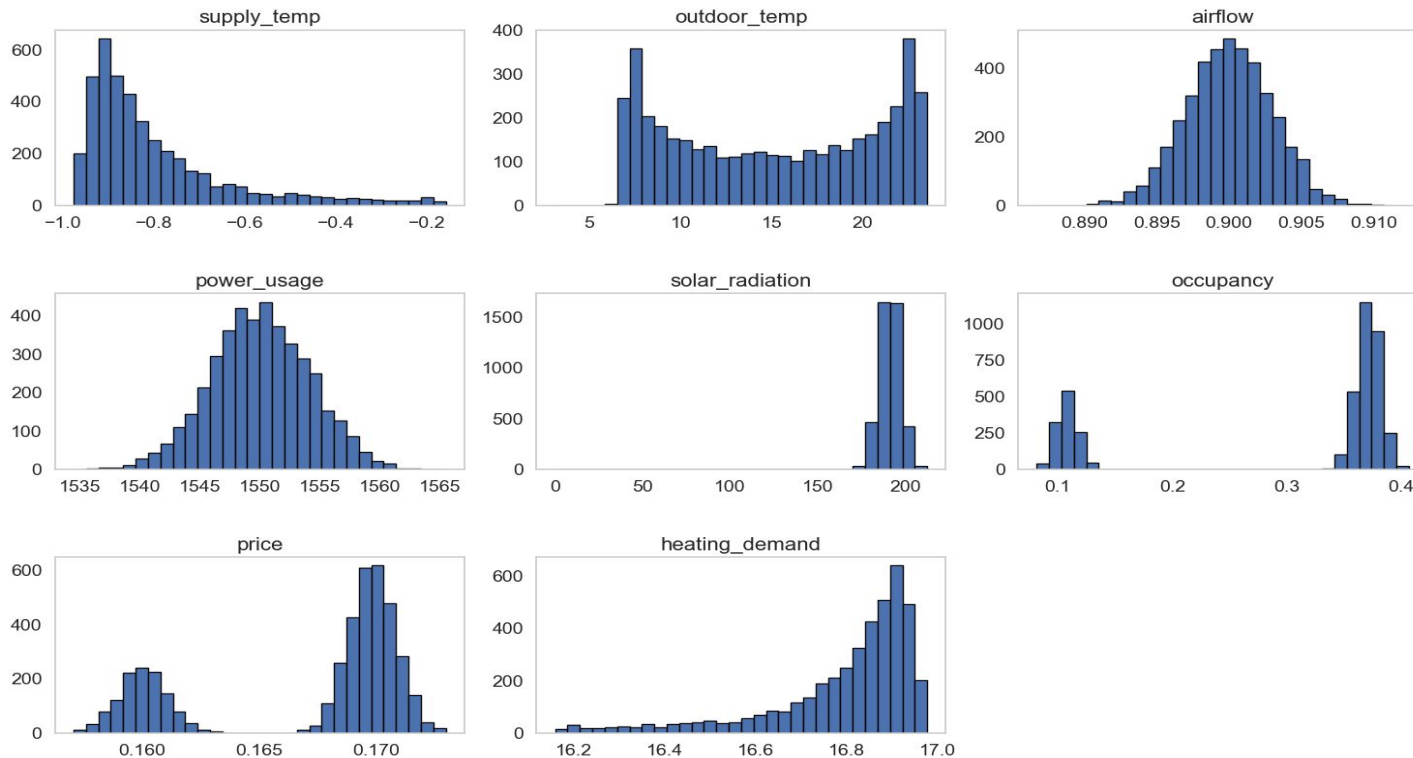


# Exploratory Data Analysis

## Seasonal Decomposition: Shifting to Daily Resolution for Analysis

```
daily_data = hvac_raw_data.resample('D').mean()
```

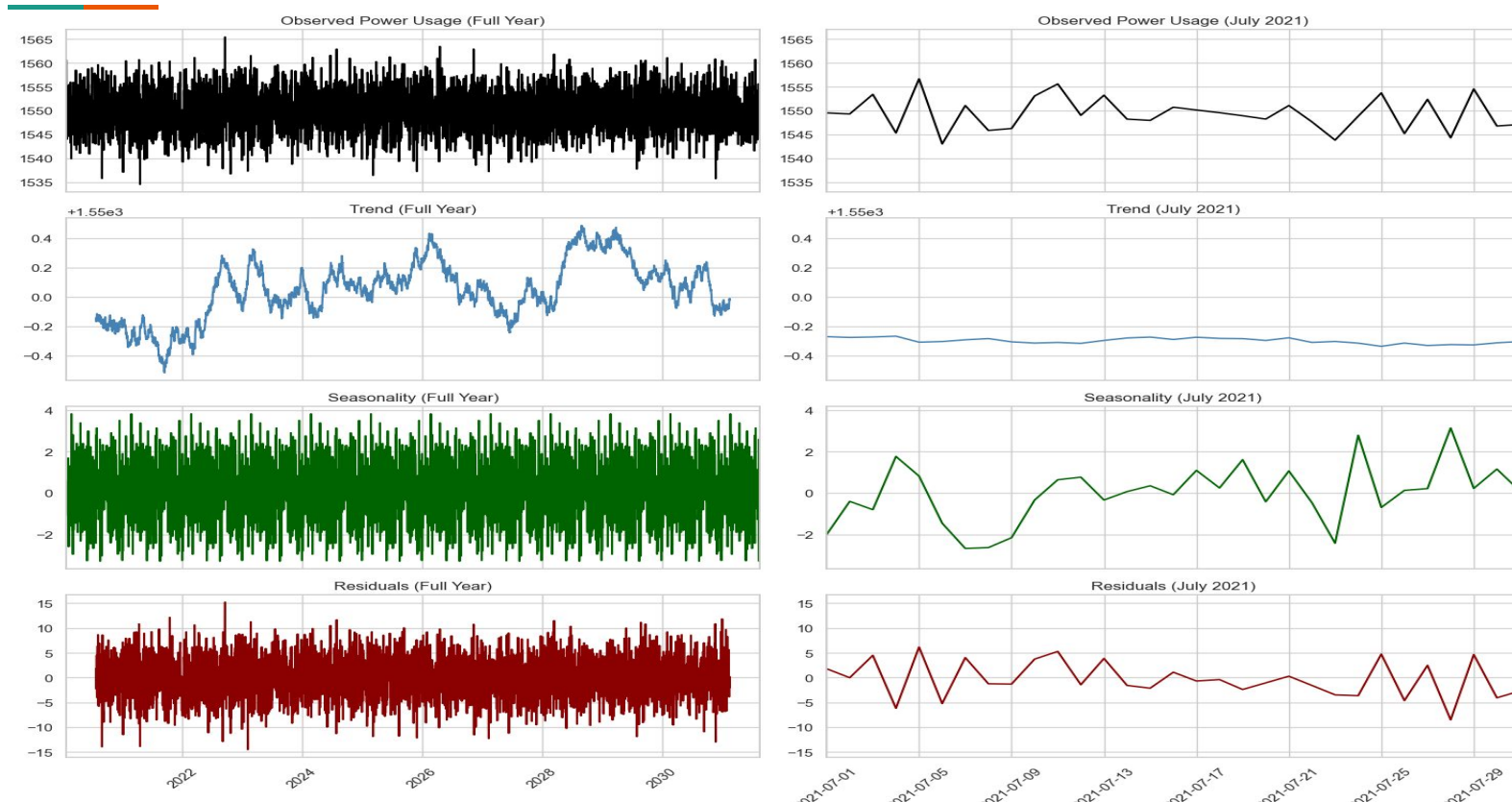
Histogram of Features on Daily Level



# Exploratory Data Analysis

## Seasonal Decomposition: Shifting to Daily Resolution for Analysis

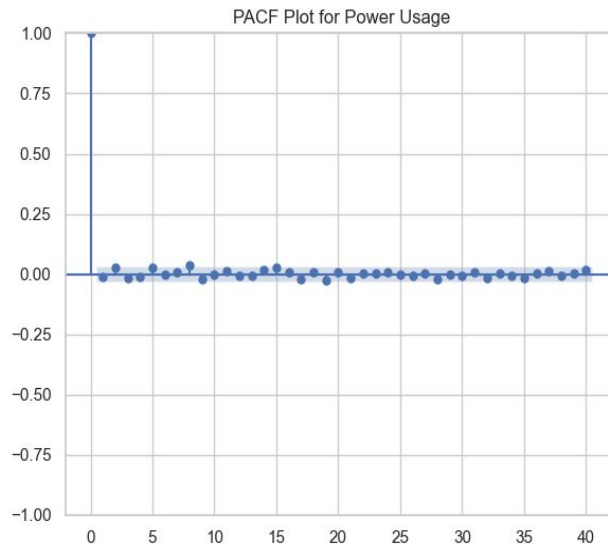
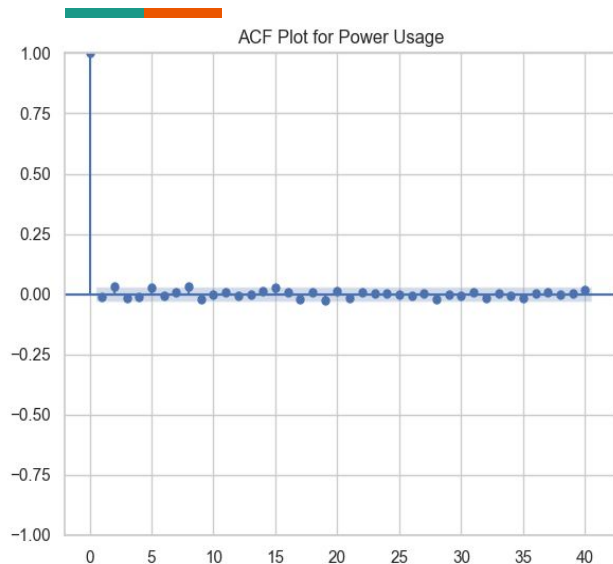
```
daily_data = hvac_raw_data.resample('D').mean()
```





# Exploratory Data Analysis

## Diagnostic Tests for Autocorrelation



PACF, ACF, and the Ljung-Box test indicate **no significant autocorrelation or partial autocorrelation** in the data.

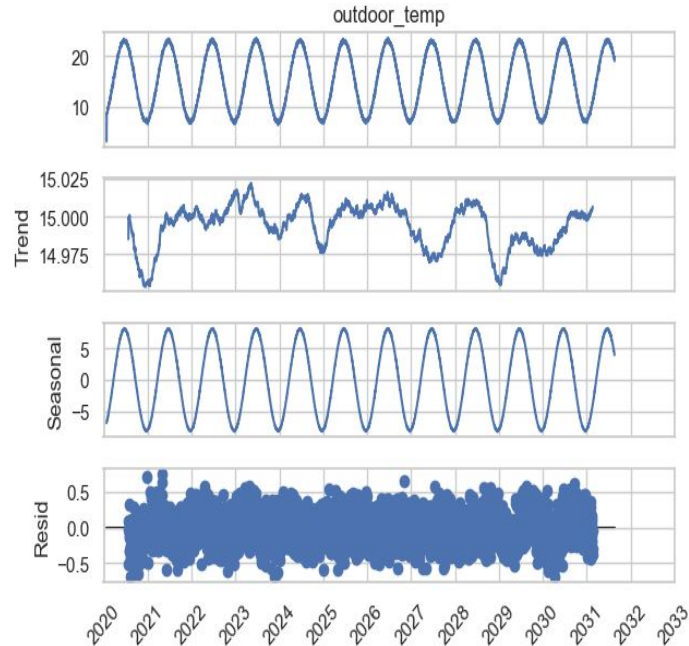
The Ljung-Box test

	lb_stat	lb_pvalue
40	34.87208	0.699994

The Ljung-Box test returned a **p-value of 0.70**, which is well above the 0.05 threshold, suggesting that the null hypothesis of **no autocorrelation** cannot be rejected.

# Exploratory Data Analysis

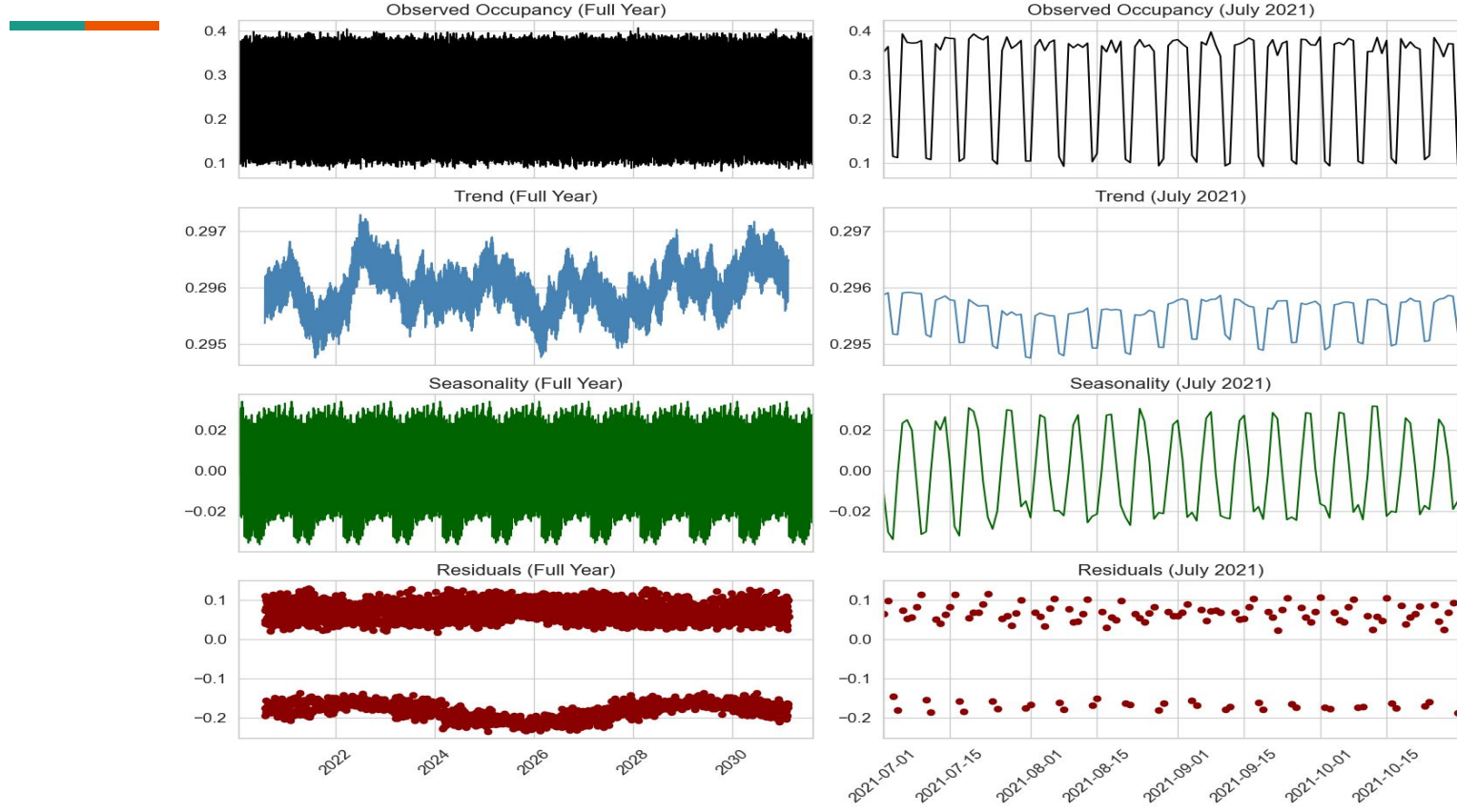
## Seasonality in predictors



Outdoor temperature exhibits a clear **annual seasonal pattern**, characterized by **high values in summer and low values in winter**.

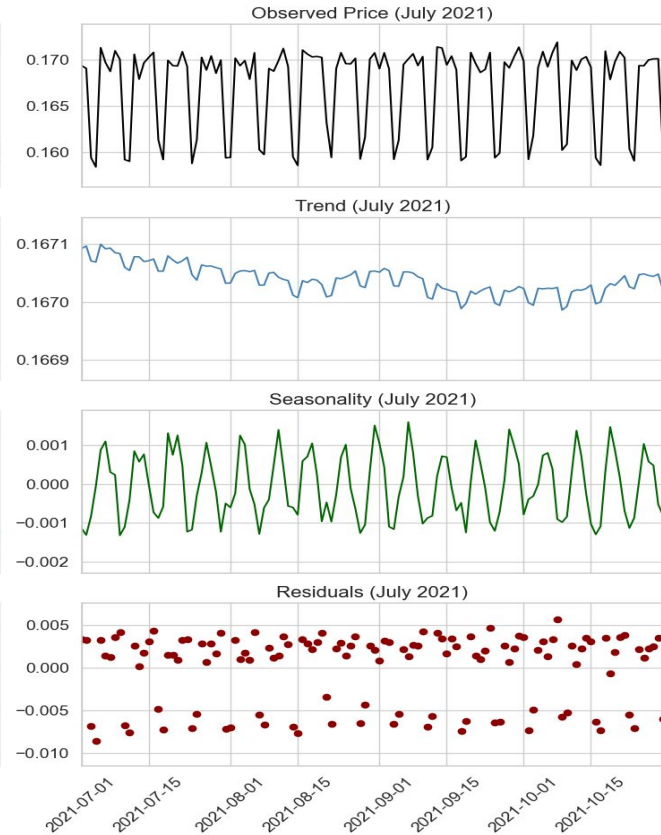
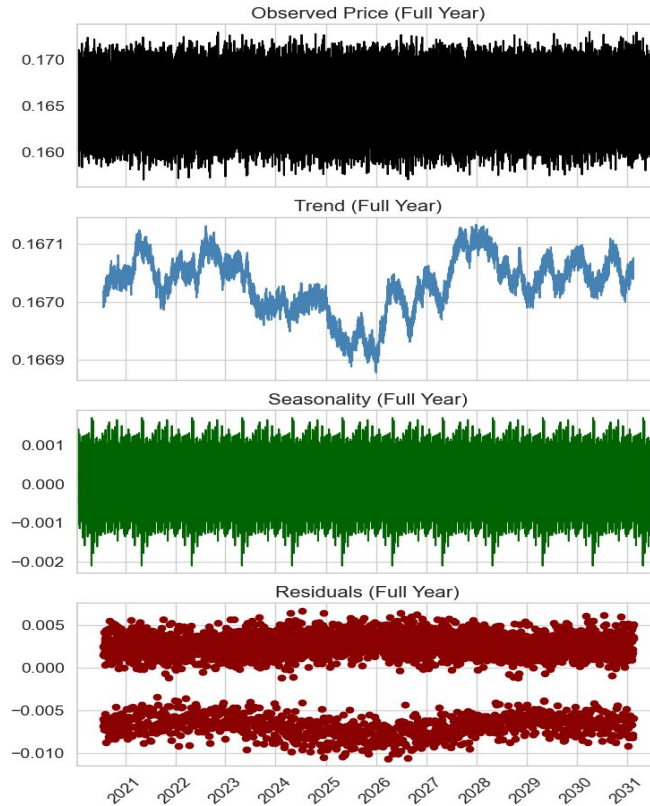
# Exploratory Data Analysis

## Seasonality in predictors



# Exploratory Data Analysis

## Seasonality in predictors



# Exploratory Data Analysis

## Seasonality in predictors



### Stable Long-Term Trends Across Variables

- **Supply Temperature:** Very stable, ranging from -0.825 to -0.775
- **Airflow:** Minimal trend variation (0.9000 to 0.9005)
- **Solar Radiation:** Steady trend between 190.5 and 191.5
- **Heating Demand:** Consistently between 16 and 17; trend remains around 16.8

# Exploratory Data Analysis

## Conclusion: Daily Power Usage Analysis



- No clear trend or strong seasonality in daily power usage; minor fluctuations ( $\sim \pm 2.5$  units) likely reflect HVAC response to temperature extremes
- ACF, PACF, and Ljung-Box tests show no significant autocorrelation — daily values largely independent
- Predictors like supply temperature, solar\_radiation and airflow are stable; only outdoor temperature shows annual seasonality. Price and occupancy shows slight weekly seasonality.
- Next step: analyze **hourly data** to detect intra-day patterns and short-term dependencies

# Feature Engineering



```
# Seasonal encoding for outdoor temperature (annual cycle)
```

```
daily_data['day_of_year'] = daily_data.index.dayofyear
```

```
daily_data['sin_day'] = np.sin(2 * np.pi * daily_data['day_of_year'] / 365)
```

```
daily_data['cos_day'] = np.cos(2 * np.pi * daily_data['day_of_year'] / 365)
```

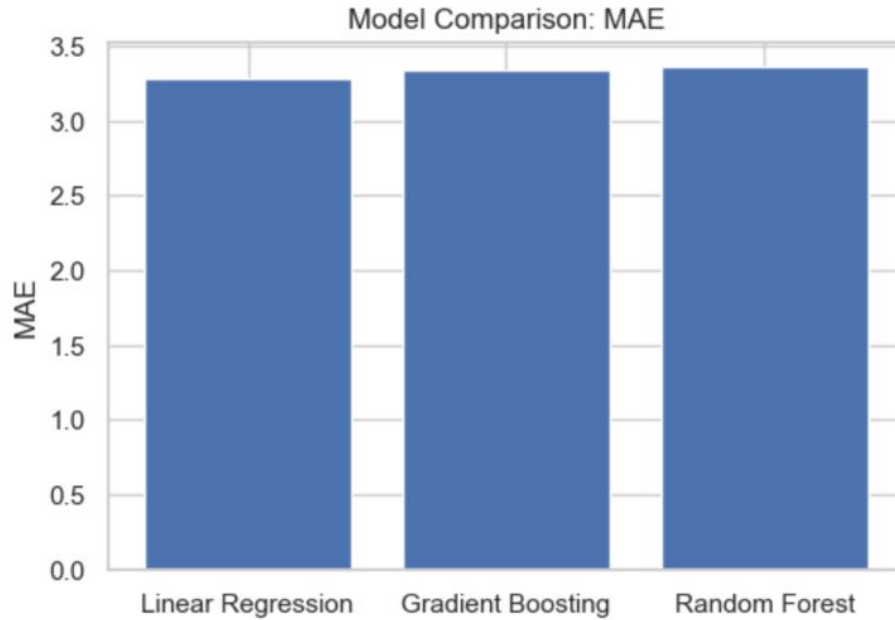
```
# Rolling mean of price and occupancy over last 7 days
```

```
daily_data['price_roll_7'] = daily_data['price'].rolling(window=7).mean()
```

```
daily_data['occupancy_roll_7'] = daily_data['occupancy'].rolling(window=7).mean()
```

# Modelling

Linear Regression, Gradient Boosting Regressor, Random Forest



Models could detect the daily power consumption with MAE of ~3.4 !



# What is next?



What insights emerge when the dataset is analyzed at multiple granularities?

.....

# Questions & Discussion



*Any Questions?*

*Thank you for Listening!*

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