

TITLE

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title

PROEFSCHRIFT

ter verkrijging van de graad van doctor aan de
Technische Universiteit Eindhoven, op gezag van de
rector magnificus prof.dr.ir. F.P.T. Baaijens, voor een
commissie aangewezen door het College voor
Promoties, in het openbaar te verdedigen

door

Carmela Filosa

geboren te Torre del greco, Italië

Dit proefschrift is goedgekeurd door de promotoren en de samenstelling van de promotiecommissie is als volgt:

voorzitter: prof.dr.
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leden:

Het onderzoek of ontwerp dat in dit proefschrift wordt beschreven is uitgevoerd in overeenstemming met de TU/e Gedragscode Wetenschapsbeoefening.

“ ”

Abstract

Keywords:

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1.3 Content of this thesis

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Non imaging optics

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2.2 Reflection and refraction law

2.3 Fresnel reflection

2.4 Application to optical design systems

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Ray tracing

3.1 Ray tracing for two-dimensional optical systems

3.2 Monte Carlo ray tracing

Chapter 4

Ray tracing on phase space

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Two different approaches to compute the boundaries in target phase space

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