

Asymmetry+random+geometric+dynamic+landscapes+CJMelian

June 20, 2017

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In [ ]: %-----  
        %General dynamic landscapes  
        %Melian@KB May 2017  
        %Palamara&Melian June 2017 version from scratch  
        %-----  
        for ri = 1:50;  
            S = 20; J = 100; %S sites and J inds. per site  
  
            %1. Implement a general case with zero-sum dynamics  
            %combining static-dynamic vs. symmetric-asymmetric scenarios (non-stationary Gille  
            %Be sure that the  $m_{ij} + \lambda + \nu == 1$   
            %-----  
            R = ones(S,J);  
            countgen = 0;  
            Pairs = zeros(1,2); cevents = 0;  
            for k = 1:100;  
                A = 100; %amplitude, is the peak deviation:  
                %350 to match simulations in random landscapes  
                f = 0.1; %ordinary frequency, number of  
                %cycles that occur each second of time  
                sig = 0; %the phase  
                countgen = countgen + 1;  
                r = A*sin(2*pi*f*countgen + sig) + A; %starting point with r approx.  
  
                %2. Check sinusoidal with boundary conditions considering continuous A and f  
                %Check  $r_{min} == 0$  and  $r_{max} == \max$  distance  $ij$   
  
                D = zeros(S,S); %threshold matrix  
                Di = zeros(S,S); %distance matrix  
                mu = S*(exp((-pi * (r/1000)^2 * S))); %site connectivity  
                n = unifrnd(0,1000,S,2);  
  
                for i = 1:S-1;  
                    for j = i+1:S;  
                        A = (n(i,1) - n(j,1))^2; %Euclidean distance
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        B = (n(i,2) - n(j,2))^2;
        d(i,j) = sqrt(A + B);
        Di(i,j) = 1/d(i,j);

        %3. This is the simplest kernel
        %Explore the asymmetry under 1/d(i,j)
        %Do we need to implement more asymmetric situations, like 1/(d(i,j)^x)

        if d(i,j) < r;%threshold
            D(i,j) = 1;
        else
            D(i,j) = 0;
        end
    end
end
DI=Di+Di';Dc=cumsum(DI,2);D1=D+D';

for j = 1:J*S;
    KillHab = unidrnd(S);
    KillInd = unidrnd(J);
    MigrantHab = unifrnd(0,max(Dc(KillHab,:)));
    Hab = find(Dc(KillHab,:) >= MigrantHab);
    %pause
    if D1(KillHab,Hab(1,1)) == 1;

        %4. Implement local birth dynamics and speciation dynamics

        MigrantInd = unidrnd(J);
        cevents = cevents + 1;
        Pairs(cevents,1) = KillHab;
        Pairs(cevents,2) = Hab(1,1);
        break
    end

end
end
end
fid = fopen('Asymmetry.txt','a');fprintf(fid,
[repmat('% 6f',1,size(Pairs,2)), '\n'],Pairs);fclose(fid);

In [11]: A = dlmread('Asymmetry.txt');

In [12]: size(A)

ans =

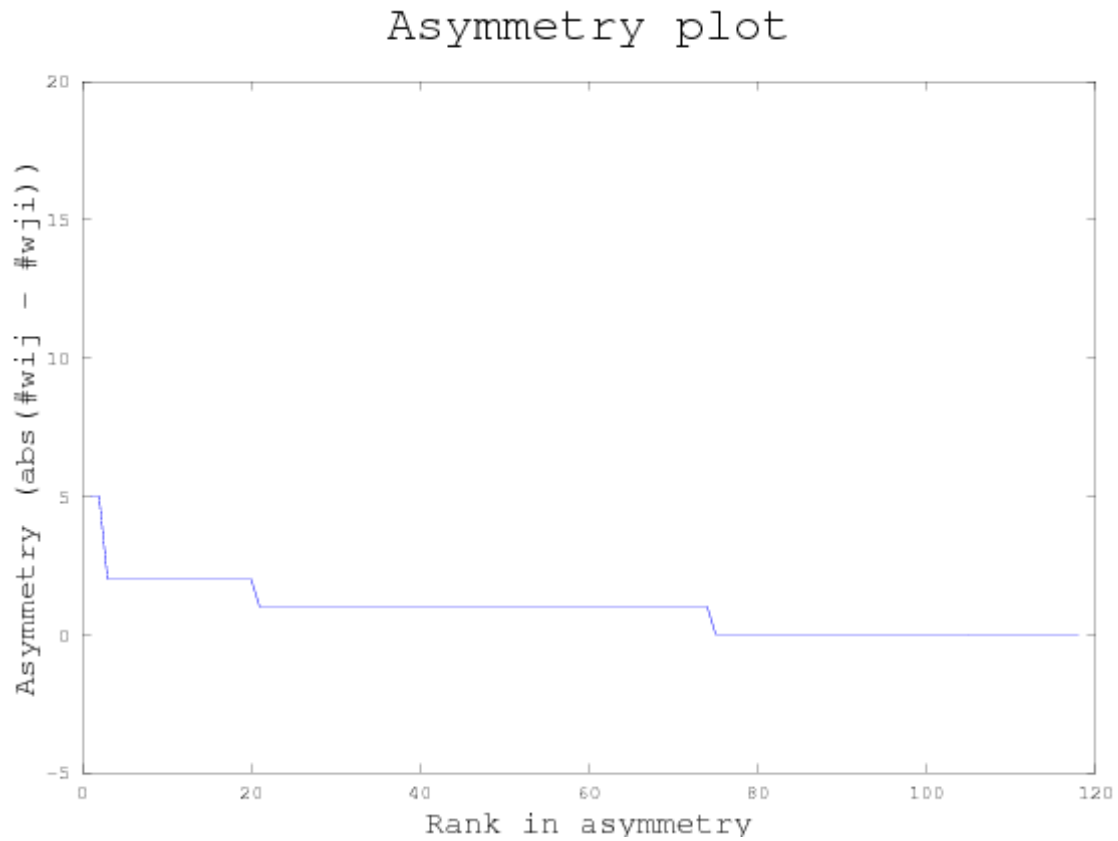
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In [18]: %-----
%Compute asymmetry in migration events between site i and j
%Melian@KB May 2017
%-----
A = dlmread('Asymmetry.txt');
B = unique(A,'rows');
[tf1, idx] = ismember(A,B,'rows');
y = accumarray(idx(:),1);
count = 0;
for i = 1:length(B);
    if B(i,1) ~= B(i,2);
        i;
        wij = find(B(:,1) == B(i,1) & B(:,2) == B(i,2));
        wji = find(B(:,1) == B(i,2) & B(:,2) == B(i,1));
        B(wij,:);
        B(wji,:);
        if ~isempty(B(wji,:));
            count = count + 1;
            ASY(count,1) = abs(y(wij,:) - y(wji,:));
        end
    end
end
Q = sort(ASY,'descend');
V = 1:length(Q);
plot(V,Q,"markersize",36)
xlabel ("Rank in asymmetry","fontsize",16);
ylabel ("Asymmetry (abs(#wij - #wji))","fontsize",16);
title ("Asymmetry plot","fontsize",24);
axis([0 120 -5 20])

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In []: Asymmetry plot accounting for connectance and Euclidean distance for $A = 100$ and $f = 0.1$ -- Most pairwise sites have asymmetry close to zero (approx 75%) -- *explore broader space of A and f* , is asymmetry low across all the parameter space?
 Model a scenario with higher asymmetry -- which one?