

PART 1:

```

int knapsack_algo( vector<int> R, vector<int> D, int R_lim, int n, vector<int> &result ){ //returns max runtime and indexes of test suites
int i,j;
int table[n+1][R_lim+1];
for ( i = 0; i <= n; i++) { //Knapsack bottom-up filling table
    for ( j = 0; j <= R_lim; j++) {
        if ( i == 0 || j == 0 ) {
            table[i][j] = 0;
        }
        else if ( R[i-1] <= j ) { //item i selected      j-R[i-1]->new runtime limit
            table[i][j] = max( D[i-1] + table[i-1][j - R[i-1]], table[i-1][j] );
        }
        else {
            table[i][j] = table[i-1][j]; //item i not selected
        }
    }
}
int max_bug = table[n][R_lim];
j = R_lim;
for( i = n; max_bug > 0 && i > 0; i-- ){
    if ( max_bug != table[i-1][j] ) { //this means bug limit not equal to upper row with same runtime amount
        result.push_back(i-1); // so this item included to solution
        max_bug = max_bug - D[i-1]; //pick item set new max_bug
        j = j - R[i-1]; //set new runtime limit
    }
}
return table[n][R_lim];
}

```

Complexity $O(n^2)$

Complexity $O(n)$

0, if $i = 0$ or $j = 0$

TABLE(i,j) = MAX[BD($i-1$) + TABLE($i-1, j - R(i-1)$) , TABLE($i-1, j$)], if $R(i-1) \leq j$
 TABLE($i-1, j$) , otherwise

➔ My algorithm does not work if the running times of the test suites are given as real numbers, because I take running times as integer values and create a table with columns 0 to maximum possible runtime.

PART 2:

```

freq_dis(vector<int> v1, vector<int> v2, int l1, int l2){ //to calculate differences between
int table[l1+1][l2+1]; //Ordered sequence of statement execution frequencies
for( int i=0; i<=l1; i++){
    for( int j=0; j<=l2; j++){
        if ( i == 0 ) { //first vector empty
            table[i][j] = j;
        }
        else if ( j == 0 ) { //second vector empty
            table[i][j] = i;
        }
        else if ( v1[i-1] == v2[j-1] ) { //last values same
            table[i][j] = table[i-1][j-1];
        }
        else {
            //replacement cost      insertion cost      removing cost
            table[i][j] = min( 4 + table[i-1][j-1], min( 3 + table[i][j-1], 2 + table[i-1][j] ) );
        }
    }
}
return table[l1][l2];
}

```

Complexity = $L1 \times L2 = O(n^2)$

I used Levenshtein distance algorithm with a table filled bottom to up. I tried (1-1-1) , (3-2-2) and (4-3-2) for costs and choose (4-3-2) , actually (4-3-2) and (3-2-2) give same result for given data text but I choose to assign more cost to insertion.

j , if $i = 0$

TABLE(i,j) = i , if $j = 0$

TABLE($i-1, j-1$) if $v1(i-1) = v2(j-1)$

MIN [4 + TABLE($i-1, j-1$) , 3 + TABLE($i, j-1$) , 2 + TABLE($i-1, j$)] otherwise