

```
install.packages('HistData')
```

```
library(HistData)
```

```
attach(Galton)
```

```
head(parent)
```

```
[1] 70.5 68.5 65.5 64.5 64.0 67.5
```

```
mean(parent)
```

```
[1] 68.30819
```

```
sd(parent)
```

```
[1] 1.787333
```

```
scale(parent)
```

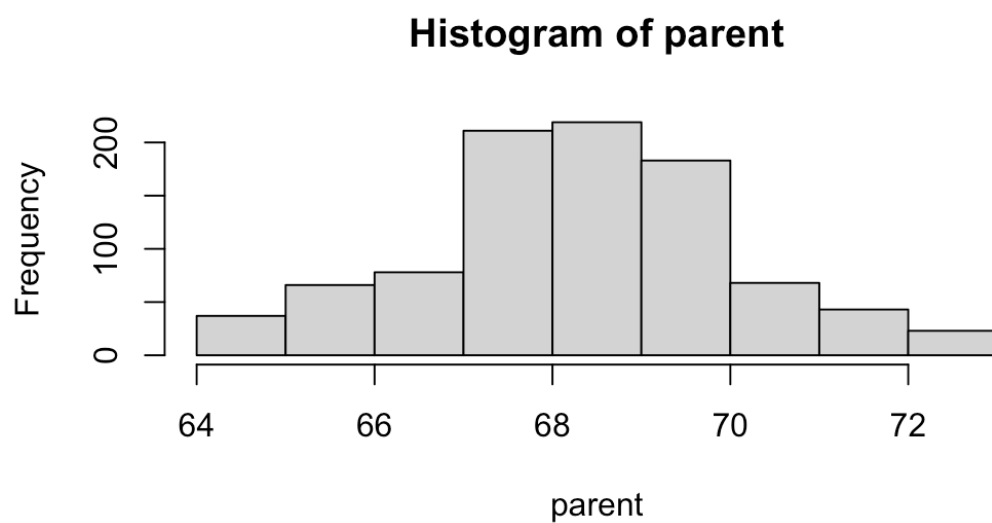
```
[,1]
```

```
[1,] 1.2263019
```

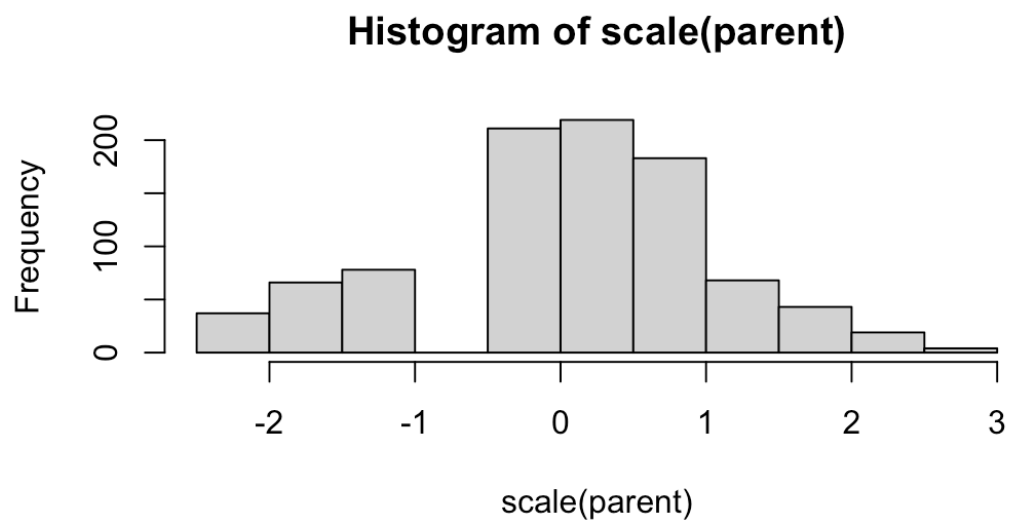
```
[2,] 0.1073165
```

```
[3,] -1.5711616
```

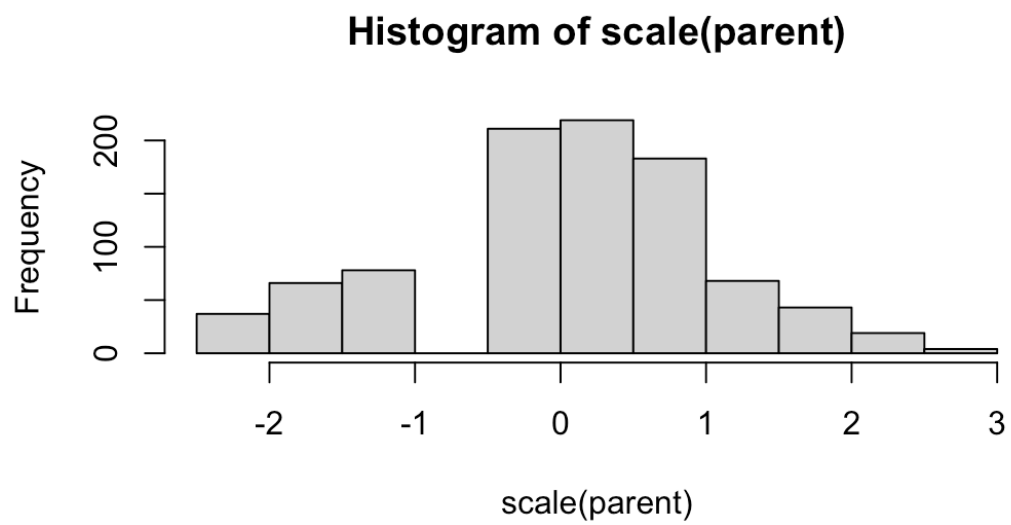
```
hist(parent)
```



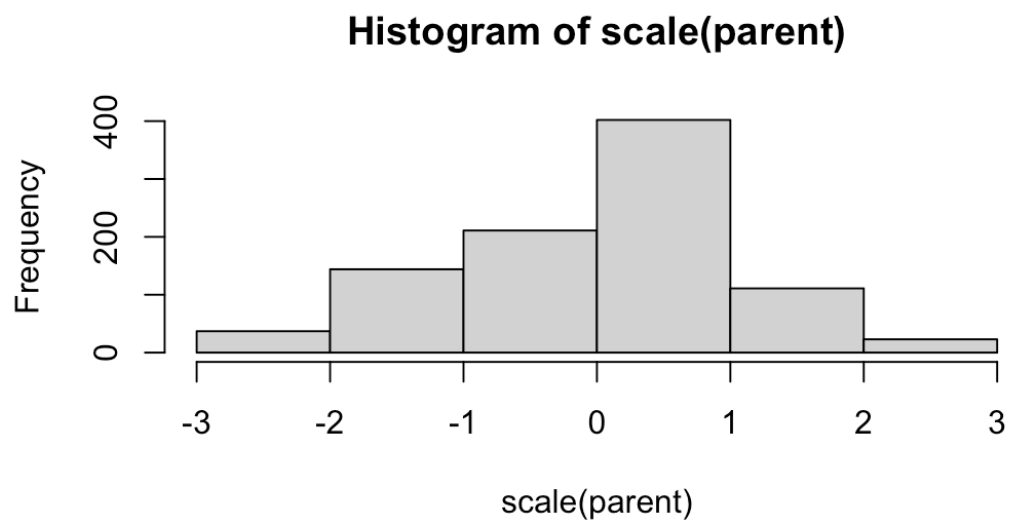
```
hist(scale(parent))
```



```
hist(scale(parent), breaks=15)
```

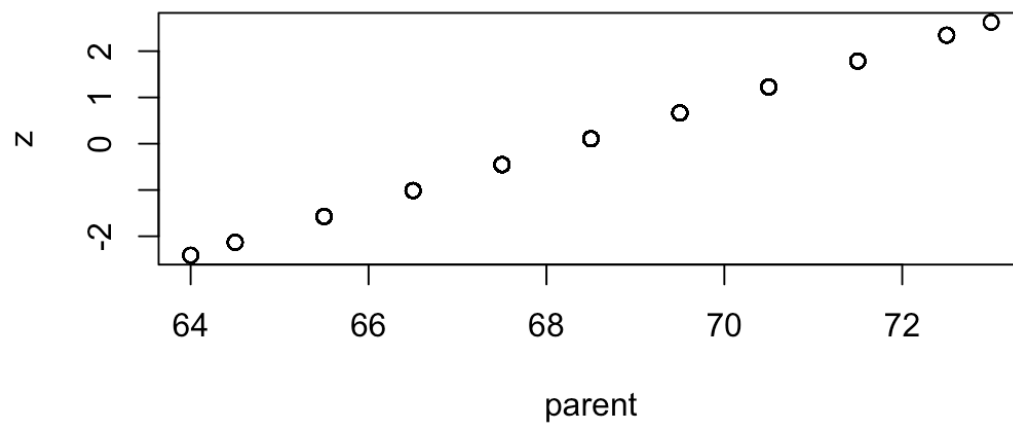


```
hist(scale(parent), breaks=5)
```



```
z=scale(parent)
```

```
plot(parent, z)
```



```
pnorm(0)
```

```
[1] 0.5
```

```
pnorm(3.74)
```

```
[1] 0.999908
```

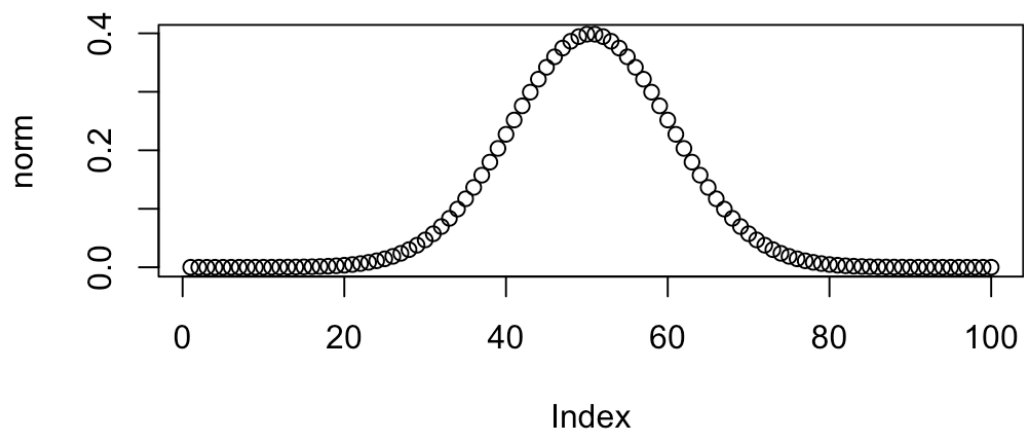
```
1-pnorm(3.74)
```

```
[1] 9.201013e-05
```

```
x <- seq(-5, 5, length = 100)
```

```
norm <- dnorm(x)
```

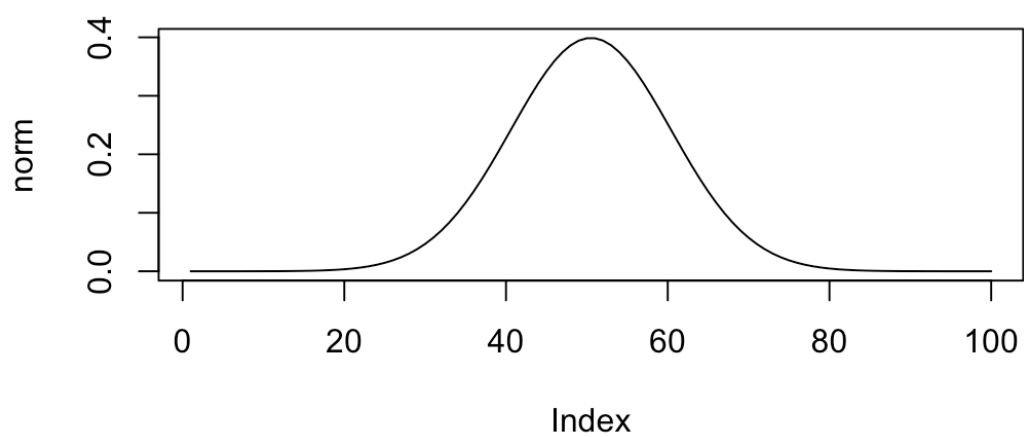
```
plot(norm)
```



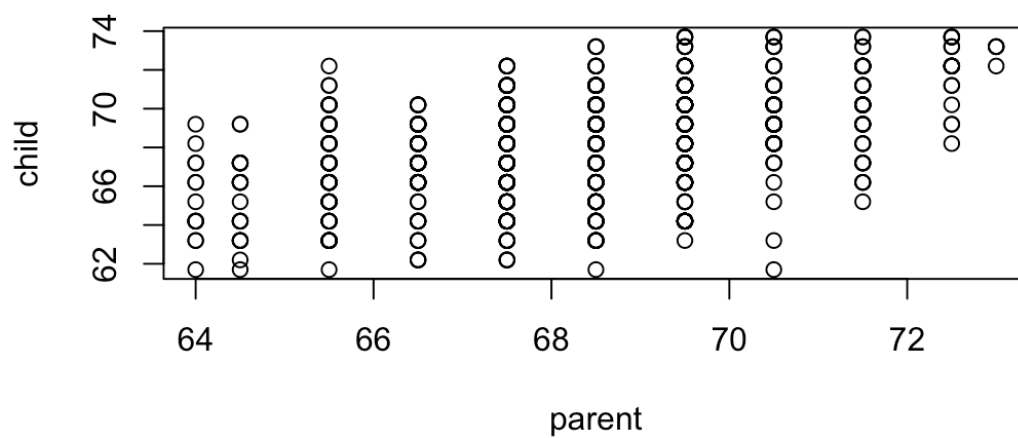
```
x <- seq(-5, 5, length = 100)
```

```
norm <- dnorm(x)
```

```
plot(norm)
```



```
plot(parent, child)
```



```
cor(parent, child)
```

```
[1] 0.4587624
```

```
cor(parent, child, method = "pearson")
```

```
[1] 0.4587624
```

```
cor.test(parent, child, method = "pearson")
```

Pearson's product-moment correlation

data: parent and child

t = 15.711, df = 926, p-value < 2.2e-16

alternative hypothesis: true correlation is not equal to 0

95 percent confidence interval:

0.4064067 0.5081153

sample estimates:

cor

0.4587624

```

bill.fav <- c(10.0, 9.5, 8.4, 7.6, 2.1)

mary.fav <- c(9.7, 9.6, 9.0, 8.5, 7.6)

cor(bill.fav, mary.fav, method = "pearson")

[1] 0.9551578

cor(bill.fav, mary.fav, method = "spearman")

[1] 1

grade <- c(0, 0, 0, 0, 0, 1, 1, 1, 1, 1)

study.time <- c(30, 25, 59, 42, 31, 140, 90, 95, 170, 120)

grade.data <- data.frame(grade, study.time)

grade.data

  grade study.time
1     0         30
2     0         25
3     0         59

cor.test(grade, study.time)

```

Pearson's product-moment correlation

```

data:  grade and study.time

t = 5.3515, df = 8, p-value = 0.0006846

alternative hypothesis: true correlation is not equal to 0

95 percent confidence interval:

 0.5740098 0.9724262

sample estimates:

```

cor

0.8841088

iq = c(105, 98, 110, 105, 95)

t.test(iq, mu = 100)

One Sample t-test

data: iq

t = 0.96495, df = 4, p-value = 0.3892

alternative hypothesis: true mean is not equal to 100

95 percent confidence interval:

95.11904 110.08096

sample estimates:

mean of x

102.6

grade.0 <- c(30, 25, 59, 42, 31)

grade.1 <- c(140, 90, 95, 170, 120)

install.packages("lsr")

library(lsr)

cohensD(grade.0, grade.1)

[1] 3.384563

var.test(grade.0, grade.1)

F test to compare two variances

data: grade.0 and grade.1

F = 0.16831, num df = 4, denom df = 4, p-value = 0.1126

alternative hypothesis: true ratio of variances is not equal to 1

95 percent confidence interval:

0.01752408 1.61654325

sample estimates:

ratio of variances

0.1683105

var(grade.0)

[1] 184.3

var(grade.1)

[1] 1095

t.test(grade.0, grade.1, var.equal = TRUE)

### Two Sample t-test

data: grade.0 and grade.1

t = -5.3515, df = 8, p-value = 0.0006846

alternative hypothesis: true difference in means is not equal to 0

95 percent confidence interval:

-122.48598 -48.71402

sample estimates:

mean of x mean of y

37.4 123.0

studytime <- c(30, 25, 59, 42, 31, 140, 90, 95, 170, 120)

grade <- c(0, 0, 0, 0, 0, 1, 1, 1, 1, 1)



```
t.test(studytime ~ grade)
```

Welch Two Sample t-test

data: studytime by grade

t = -5.3515, df = 5.3094, p-value = 0.002549

alternative hypothesis: true difference in means between group 0 and group 1 is  
not equal to 0

95 percent confidence interval:

-126.00773 -45.19227

sample estimates:

mean in group 0 mean in group 1

37.4 123.0

```
trial.1 <- c(10, 12.1, 9.2, 11.6, 8.3, 10.5)
```

```
trial.2 <- c(8.2, 11.2, 8.1, 10.5, 7.6, 9.5)
```

```
t.test(trial.1, trial.2, paired = TRUE)
```

Paired t-test

data: trial.1 and trial.2

t = 7.2012, df = 5, p-value = 0.0008044

alternative hypothesis: true mean difference is not equal to 0

95 percent confidence interval:

0.7073371 1.4926629

sample estimates:

mean difference

1.1

```
binom.test(2, 5, p = 0.5)
```

### Exact binomial test

data: 2 and 5

number of successes = 2, number of trials = 5, p-value = 1

alternative hypothesis: true probability of success is not equal to 0.5

95 percent confidence interval:

0.05274495 0.85336720

sample estimates:

probability of success

0.4

binom.test(2, 5, p = 0.9)

### Exact binomial test

data: 2 and 5

number of successes = 2, number of trials = 5, p-value = 0.00856

alternative hypothesis: true probability of success is not equal to 0.9

95 percent confidence interval:

0.05274495 0.85336720

sample estimates:

probability of success

0.4

diag.table <- matrix(c(20, 5, 10, 15), nrow = 2)

> diag.table

[,1][,2]

```
[1,] 20 10
```

```
[2,] 5 15
```

```
> chisq.test(diag.table, correct = F)
```

Pearson's Chi-squared test

```
data: diag.table
```

```
X-squared = 8.3333, df = 1, p-value = 0.003892
```

```
install.packages('psych')
```

```
library(psych)
```

```
phi(diag.table, digits = 3)
```

```
[1] 0.408
```

```
install.packages('vcd')
```

```
library(vcd)
```

```
assocstats(diag.table)
```

	$X^2$	df	$P(> X^2)$
--	-------	----	------------

Likelihood Ratio	8.6305	1	0.0033059
------------------	--------	---	-----------

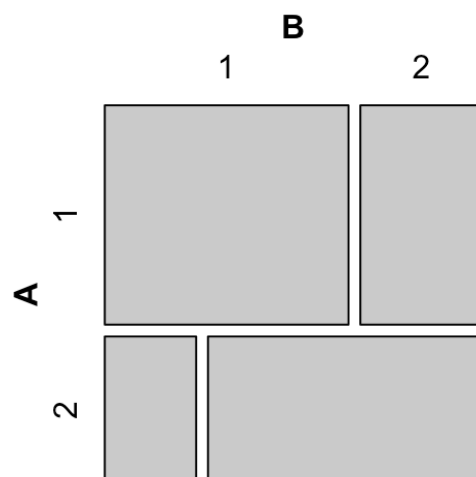
Pearson	8.3333	1	0.0038924
---------	--------	---	-----------

Phi-Coefficient : 0.408

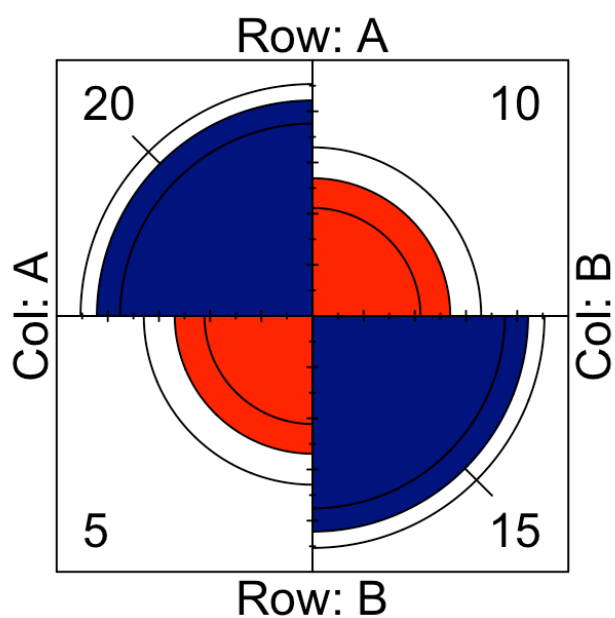
Contingency Coeff.: 0.378

Cramer's V : 0.408

```
mosaic(diag.table)
```



```
fourfold(diag.table)
```



```
install.packages("fmsb")
```

```
library(fmsb)
```

```
data = data.frame(matrix(sample(1:100, 10, replace = T), ncol = 10))
```

```
colnames (data) = c("A+", "A", "A-", "B+", "B", "B-", "C+", "C", "C-", "F")
```

```
data = rbind(rep(100, 10), rep(0, 10), data)
```

```
data
```

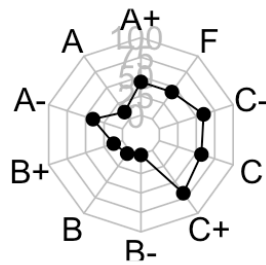
```
  A+   A  A-  B+   B  B-  C+   C  C-   F
```

```
1 100 100 100 100 100 100 100 100 100 100 100
```

```
2 0 0 0 0 0 0 0 0 0 0 0
```

```
3 43 11 40 12 5 1 68 57 60 43
```

```
radarchart(data, axistype=1,  
            cglcol="grey", cglty=1, axislabcol="grey", caxislabels=seq(0,100,  
25), cglwd=0.8)
```



```
intern.data <- matrix(c(20, 7, 7, 5, 8, 3, 3, 4, 5), 3, 3)
```

```
intern.data
```

```
      [,1][,2][,3]
```

```
[1,] 20 5 3
```

```
[2,] 7 8 4
```

```
[3,] 7 3 5
```

```
intern.data <- matrix(c(20, 7, 7, 5, 8, 3, 3, 4, 5), nrow=3, ncol=3)
```

```
Kappa.test(intern.data)
```

```
$Result
```

Estimate Cohen's kappa statistics and test the null hypothesis that  
the extent of agreement is same as random ( $\kappa=0$ )

```
data: intern.data
```

```
Z = 2.583, p-value = 0.004898
```

```
95 percent confidence interval:
```

```
0.05505846 0.45158606
```

```
sample estimates:
```

```
[1] 0.2533223
```

```
$Judgement
```

```
[1] "Fair agreement"
```

```
install.packages('pwr')
```

```
library(pwr)
```

```
pwr.t.test(n =, d = 0.5, sig.level = 0.05, power = 0.90, type = "two.sample")
```

Two-sample t test power calculation

```
n = 85.03128
```

```
d = 0.5
```

```
sig.level = 0.05
```

```
power = 0.9
```

```
alternative = two.sided
```

NOTE: n is number in *each* group

```
pwr.t.test(n = 100, d = 0.5, sig.level = 0.05, power = , type = "two.sample")
```

Two-sample t test power calculation

$n = 100$

$d = 0.5$

$\text{sig.level} = 0.05$

$\text{power} = 0.9404272$

$\text{alternative} = \text{two.sided}$

NOTE: n is number in *each* group

```
pwr.anova.test(k = 5, n = , f = 0.5, sig.level = 0.05, power = 0.90)
```

Balanced one-way analysis of variance power calculation

$k = 5$

$n = 13.31145$

$f = 0.5$

$\text{sig.level} = 0.05$

$\text{power} = 0.9$

NOTE: n is number in each group

```
pwr.r.test(n = , r = .10, sig.level = 0.05, power = 0.90)
```

approximate correlation power calculation (arctangh transformation)

$n = 1045.82$

$r = 0.1$

$\text{sig.level} = 0.05$

power = 0.9

alternative = two.sided

pwr.r.test(n =, r = .90, sig.level = 0.05, power = 0.90)

approximate correlation power calculation (arctangh transformation)

n = 7.440649

r = 0.9

sig.level = 0.05

power = 0.9

alternative = two.sided