# **Challenge Nine**

#### **Problem**

Ada gives John a positive integer  $\mathbf{N}$ . She challenges him to construct a new number (without leading zeros), that is a multiple of 9, by inserting *exactly* one digit  $(0 \dots 9)$  anywhere in the given number  $\mathbf{N}$ . It is guaranteed that  $\mathbf{N}$  does not have any leading zeros.

As John prefers smaller numbers, he wants to construct the *smallest* such number possible. Can you help John?

### Input

The first line of the input gives the number of test cases, **T**. **T** test cases follow.

Each test case has a single line containing a positive integer N: the number Ada gives John.

### **Output**

For each test case, output one line containing Case #x: y, where x is the test case number (starting from 1) and y is the new number constructed by John. As mentioned earlier, y cannot have leading zeros.

#### **Limits**

Memory limit: 1 GB.  $1 \le \mathbf{T} \le 100$ .

#### **Test Set 1**

Time limit: 20 seconds.

 $1 \leq \mathbf{N} \leq 10^5.$ 

#### **Test Set 2**

Time limit: 40 seconds. For at most 10 cases:  $1 \leq N \leq 10^{123456}$ . For the remaining cases:  $1 < N < 10^5$ .

## Sample

# Sample Input

## Sample Output

Case #1: 45 Case #2: 333 Case #3: 121212 In Sample Case #1, there are only two numbers that can be constructed satisfying the divisibility constraint: 45 and 54. John chooses the smaller number.

In Sample Case #2, 333 is the only number possible.

In Sample Case #3, there are four possible options - 212121, 122121, 121221 and 121212 - out of which the smallest number is 121212.