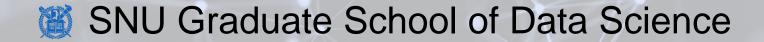
#### Review

- **Transfer learning**: Change the last layer, initialize, and train for your application (relatively small amount of data)
- Object detection = (classification + localization) of multiple objects
- Bounding box proposal
  - Sliding window: Every location, every size
  - Selective search: Considering pixel relationship
- R-CNN (Great! But super slow!)
  - Selective search (~2000 boxes per image), Warping (227x227)
  - Feature extraction by using a CNN (transfer learning), SVM classifiers, BB reg
  - Non-max suppression
- SPPnet: BB on a CNN feature map, SPP layer for scale invariance
- Fast R-CNN: Single-stage training (softmax and multi-task loss)
- Faster R-CNN: RPN on GPU instead of selective search

# One-stage 2D Object Detectors

Lecture 5

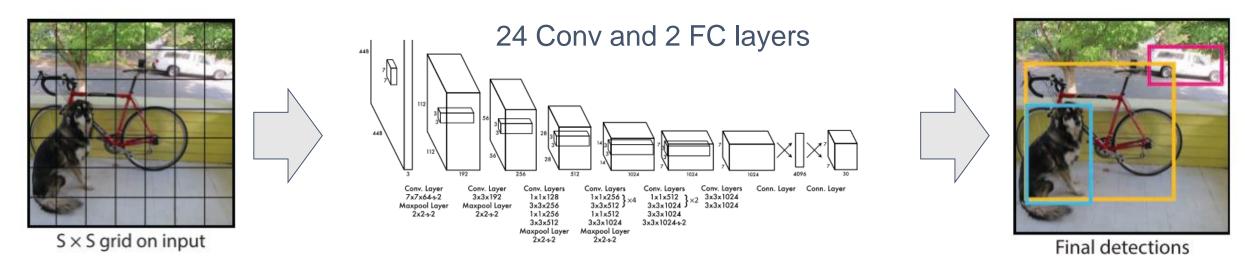
Hyung-Sin Kim



Can we use a **single** module that gives bounding boxes for all the objects and also classify them by processing an entire image **only once**?

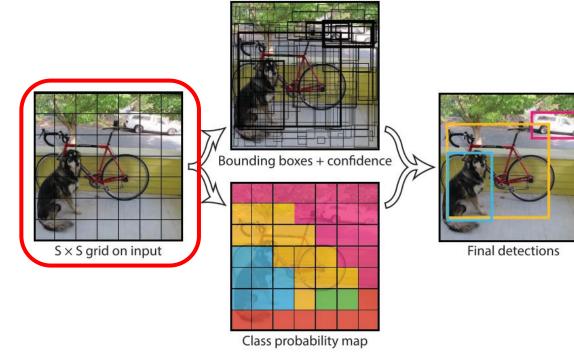
# YoLo [CVPR'16] - You Only Look Once

- Insight: Humans glance at an image and instantly know what objects are in the image
- Process an entire image **only once**, instead of processing each bounding box
- Training only one CNN is enough to detect multiple objects in an image!



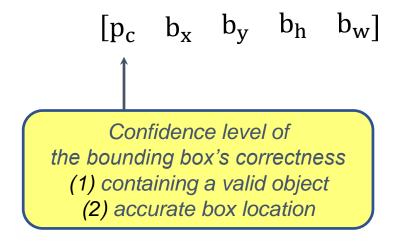
#### YoLo [CVPR'16] – Detection Flow (Input)

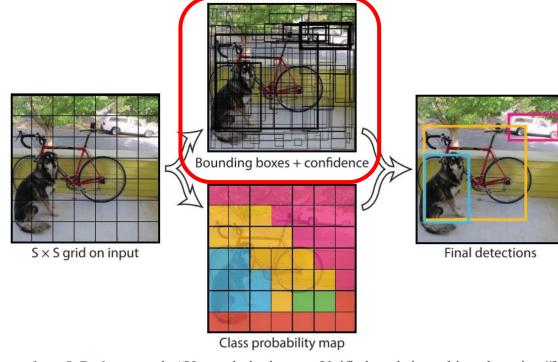
• Divide an image into **S** x **S** grid



#### YoLo [CVPR'16] – Detection Flow (Box & Score)

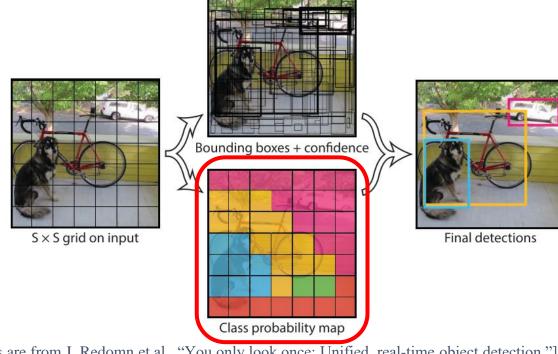
- Each grid cell proposes **B** bounding boxes
  - Each box has its center point in the grid cell
  - Bounding box representation





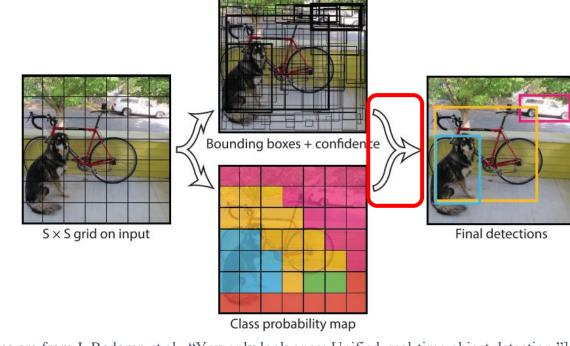
#### YoLo [CVPR'16] – Detection Flow (Box & Score)

- Each cell proposes <u>one</u> class probability set
  - There are C classes
  - Predict conditional probability P(C<sub>i</sub>|object) for each class  $(1 \le i \le C)$
  - Result
    - $\{P(C_1|object), P(C_2|object), \dots, P(C_C|object)\}$
    - Sum of all the elements = 1
  - One cell proposes **multiple boxes** but only one class!



#### YoLo [CVPR'16] – Detection Flow (Pred Metric)

- Now, each cell has a  $[5x\mathbf{B} + \mathbf{C}]$  vector
  - When B=2 and C=20, the vector has 30 entries
  - $[p_{c1}, b_{x1}, b_{y1}, b_{h1}, b_{w1}]$  Bounding box 1  $[p_{c2}, b_{x2}, b_{y2}, b_{h2}, b_{w2}]$  Bounding box 2 ClassProbabilitySet 20 prob values
- The whole image has an S x S x (5xB+C) tensor
  - When B=2, C=20, and S=7, this is a 7x7x30 tensor



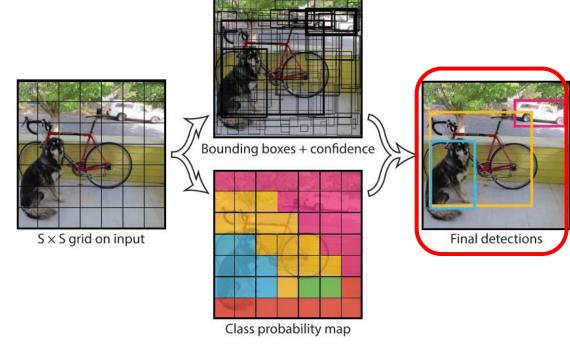
[The figures are from J. Redomn et al., "You only look once: Unified, real-time object detection."]

7x7x30

#### YoLo [CVPR'16] — Detection Flow (Refining)

- Get rid of bounding boxes with low confidence
  - Now each remaining box is sure that it contains an object and knows what it is

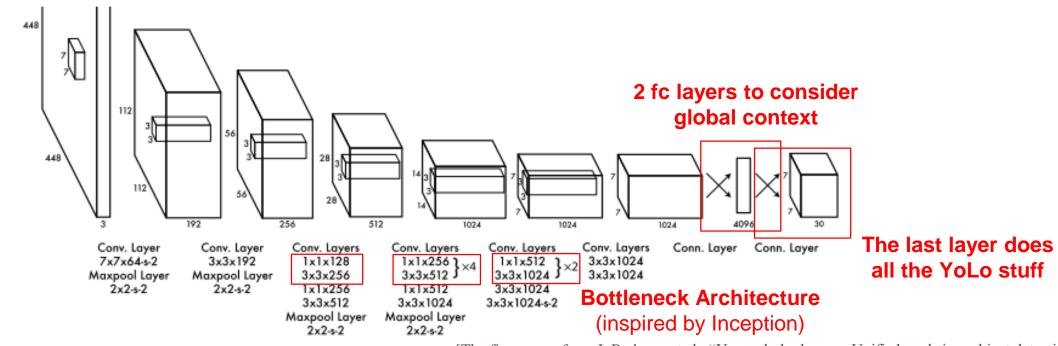
- Non-max suppression for each class
  - One box for one object!



Let's train a single CNN to do all these things!

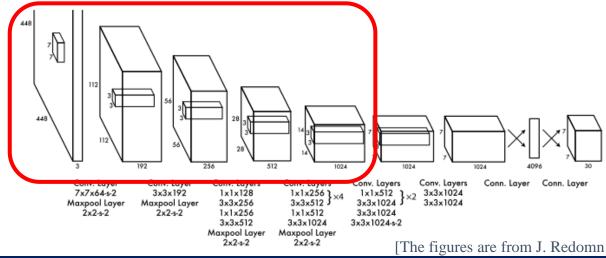
### YoLo [CVPR'16] – CNN Architecture

- One CNN to do all these things (24 conv layers and 2 fc layers)
  - Input is an entire image, not a single bounding box
  - The last layer does both box proposal and classification
  - The other layers extract a feature vector by analyzing the whole image



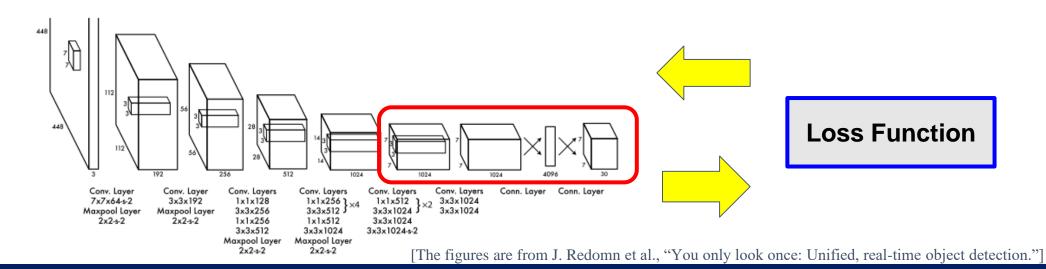
# YoLo [CVPR'16] - Training

- Step 1) Pre-train a model for classification
  - First 20 conv layers followed by average-pooling layer and an fc layer (works well on ImageNet)



# YoLo [CVPR'16] - Training

- Step 2) Convert the model for <u>detection</u> (transfer learning)
  - Fix the pre-trained 20 conv layers and remove average pooling and fc layers
  - Add new 4 conv layers and 2 fc layers with random weights
  - Training the new 6 layers by using a multi-task loss function
    - Only one box is selected for each object, which have the highest IoU with the object's ground truth



#### YoLo [CVPR'16] – Loss Function

- **Remember!** We are training one model that does all the following tasks
  - Box proposal
  - Determine an object's existence in the box (confidence)
  - Classify an object in the box if it exists

The loss function is squared sum of
(1) localization, (2) confidence, and
(3) classification errors

#### Localization

$$\lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\operatorname{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ Classification \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \sum_{c \in \operatorname{classes}} (p_i(c) - \hat{p}_i(c))^2 \\ \end{pmatrix}$$

• Measure errors for center location and width/height

#### **Center location**

$$\begin{split} & \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ & + \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ & \boldsymbol{Width \ and \ height} + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{obj}} \left( C_i - \hat{C}_i \right)^2 \\ & + \lambda_{\operatorname{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\operatorname{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ & + \sum_{i=0}^{S^2} \mathbb{1}_i^{\operatorname{obj}} \sum_{c \in \operatorname{classes}} \left( p_i(c) - \hat{p}_i(c) \right)^2 \end{split}$$

- Measure errors for center location and width/height
- If i-th cell has an object and its j-th box is "responsible" for the object, the loss function counts localization errors from the box

$$\begin{split} \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=1}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=1}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\text{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{1}_i^{\text{obj}} \sum_{c \in \text{classes}} (p_i(c) - \hat{p}_i(c))^2 \end{split}$$

- Measure errors for center location and width/height
- If i-th cell has an object and its j-th box is "responsible" for the object, the loss function counts localization errors from the box
- Why square root for width and height?
  - Need to boost errors for smaller boxes



$$\begin{split} \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\text{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{1}_i^{\text{obj}} \sum_{c \in \text{classes}} (p_i(c) - \hat{p}_i(c))^2 \end{split}$$

- Measure errors for center location and width/height
- If i-th cell has an object and its j-th box is "responsible" for the object, the loss function counts localization errors from the box
- Why square root for width and height?
  - Need to boost errors for smaller boxes
- We should not equally weight localization error and classification error
  - The weight for localization error is **5 times higher** than that for classification error

$$\begin{split} \lambda_{\text{coord}} \sum_{i=0}^{2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ (x_{i} - \hat{x}_{i})^{2} + (y_{i} - \hat{y}_{i})^{2} \right] \\ + \lambda_{\text{coord}} \sum_{j=0}^{S^{2}} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ \left( \sqrt{w_{i}} - \sqrt{\hat{w}_{i}} \right)^{2} + \left( \sqrt{h_{i}} - \sqrt{\hat{h}_{i}} \right)^{2} \right] \\ + \sum_{i=0}^{S^{2}} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( C_{i} - \hat{C}_{i} \right)^{2} \\ + \lambda_{\text{noobj}} \sum_{i=0}^{S^{2}} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{noobj}} \left( C_{i} - \hat{C}_{i} \right)^{2} \\ + \sum_{i=0}^{S^{2}} \mathbb{1}_{i}^{\text{obj}} \sum_{c \in \text{classes}} (p_{i}(c) - \hat{p}_{i}(c))^{2} \end{split}$$

#### YoLo [CVPR'16] – Loss Function (Confidence)

- Measure errors for existence and absence
  - Confidence label = Pr(Object) x IoU(truth, pred)

$$\begin{split} \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\operatorname{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\operatorname{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ \text{When there is something} \\ + \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\operatorname{obj}} \left( C_i - \hat{C}_i \right)^2 \\ \text{When there is nothing} \\ + \lambda_{\operatorname{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbb{1}_{ij}^{\operatorname{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{1}_{i}^{\operatorname{obj}} \sum_{c \in \operatorname{classes}} \left( p_i(c) - \hat{p}_i(c) \right)^2 \end{split}$$

#### YoLo [CVPR'16] – Loss Function (Confidence)

- Measure errors for existence and absence
  - Confidence label = Pr(Object) x IoU(truth, pred)
- Different weight for the two terms
  - There are much more absence cases than existence cases, making the absence term larger than the existence term
  - Our goal is not to detect an absence case well though...
    - Right answer for 9 background images + Wrong answer for 1 object image = 90% accuracy??
  - Halve the weight for the absence term

$$\begin{split} \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbbm{1}_{ij}^{\operatorname{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\operatorname{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbbm{1}_{ij}^{\operatorname{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbbm{1}_{ij}^{\operatorname{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\operatorname{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^B \mathbbm{1}_{ij}^{\operatorname{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbbm{1}_{ij}^{\operatorname{obj}} \sum_{c \in \operatorname{classes}} \left( p_i(c) - \hat{p}_i(c) \right)^2 \end{split}$$

#### YoLo [CVPR'16] – Loss Function (Classification)

Measure for errors for every class

$$\begin{split} \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\text{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{1}_{i}^{\text{obj}} \sum_{c \in \text{classes}} (p_i(c) - \hat{p}_i(c))^2 \end{split}$$

#### YoLo [CVPR'16] – Loss Function (Classification)

Measure for errors for every class

Only if a cell has an object!

$$\begin{split} \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ (x_i - \hat{x}_i)^2 + (y_i - \hat{y}_i)^2 \right] \\ + \lambda_{\text{coord}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left[ \left( \sqrt{w_i} - \sqrt{\hat{w}_i} \right)^2 + \left( \sqrt{h_i} - \sqrt{\hat{h}_i} \right)^2 \right] \\ + \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{obj}} \left( C_i - \hat{C}_i \right)^2 \\ + \lambda_{\text{noobj}} \sum_{i=0}^{S^2} \sum_{j=0}^{B} \mathbb{1}_{ij}^{\text{noobj}} \left( C_i - \hat{C}_i \right)^2 \\ + \sum_{i=0}^{S^2} \mathbb{1}_{i}^{\text{obj}} \sum_{c \text{classes}} (p_i(c) - \hat{p}_i(c))^2 \end{split}$$

#### YoLo [CVPR'16] – Performance

- A bit less accurate but much **faster!** (40 s/image vs. 22 ms/image 1800x)
- More accurate when applied to different image sets since YoLo is trained by using the whole image, not just boxes

Real-Time Detectors	Train	mAP	<b>FPS</b>
100Hz DPM [30]	2007	16.0	100
30Hz DPM [30]	2007	26.1	30
Fast YOLO	2007+2012	52.7	155
YOLO	2007+2012	63.4	45
Less Than Real-Time			
Fastest DPM [37]	2007	30.4	15
R-CNN Minus R [20]	2007	53.5	6
Fast R-CNN [14]	2007+2012	70.0	0.5
Faster R-CNN VGG-16[27]	2007+2012	73.2	7
Faster R-CNN ZF [27]	2007+2012	62.1	18
YOLO VGG-16	2007+2012	66.4	21









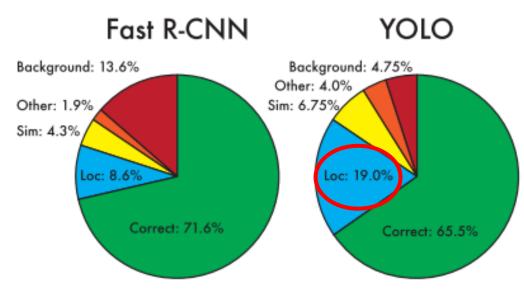


	VOC 2007	Picasso		People-Art
	AP	AP	Best $F_1$	AP
YOLO	59.2	53.3	0.590	45
R-CNN	54.2	10.4	0.226	26
DPM	43.2	37.8	0.458	32
Poselets [2]	36.5	17.8	0.271	
D&T [4]	_	1.9	0.051	

#### YoLo [CVPR'16] – Problems

- Localization errors!
  - YoLo learns how to propose bounding boxes from data
    - It struggles to draw a bounding box for an object with **new or unusual** aspect ratios
  - Using square root for weight/height errors is not enough to resolve errors for small boxes

- Each cell can only have one class
  - It struggles to detect a group of small objects (e.g., flock of birds)



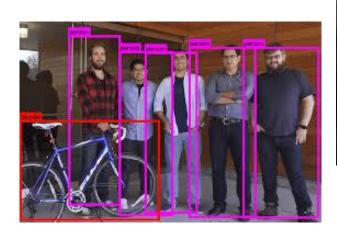
#### YoLo [CVPR'16] – Stepping Forward...

- YoLo v2 [CVPR'17] Better, faster, and stronger
  - <a href="https://openaccess.thecvf.com/content\_cvpr\_2017/papers/Redmon\_YOLO9000">https://openaccess.thecvf.com/content\_cvpr\_2017/papers/Redmon\_YOLO9000</a>
    Better Faster CVPR 2017 paper.pdf
- YoLo v3 [TechReport'18] Minor fixes
  - https://arxiv.org/pdf/1804.02767.pdf;

# YoLo [CVPR'16] – YoLo to Xnor.ai to Apple

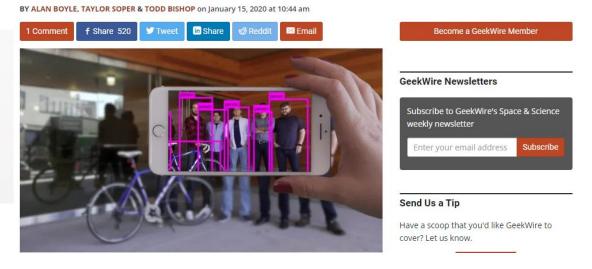
https://www.youtube.com/watch?time\_continue=205&v=rov7T256z4s&feature=emb\_logo)







#### Exclusive: Apple acquires Xnor.ai, edge Al spin-out from Paul Allen's Al2, for price in \$200M range



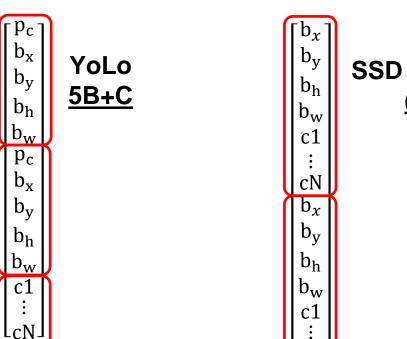
Can we detect multiple objects per cell while maintaining the concept of single-shot detector?

#### SSD [ECCV'16] – Anchor Box

• We want to detect **multiple objects** per grid cell

Each grid cell proposes a set of **predetermined** default anchor boxes with various aspect ratios (1,2,3,1/2,1/3), which are adjusted during the

training procedure)

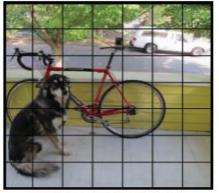


SSD (anchor box) (C+4)xB

### SSD [ECCV'16] – Resolution

#### YoLo

- (1) One grid size
- Global bounding boxes
- Boxes learned from data



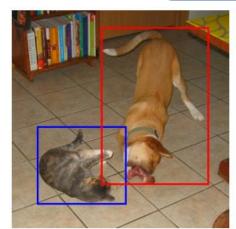
 $S \times S$  grid on input

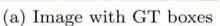


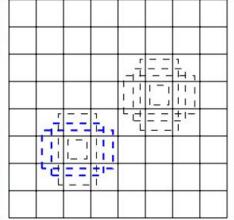
Bounding boxes + confidence

#### SSD

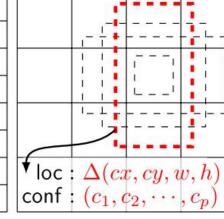
- Various grid sizes
- Local anchor boxes
- Adjust predetermined boxes

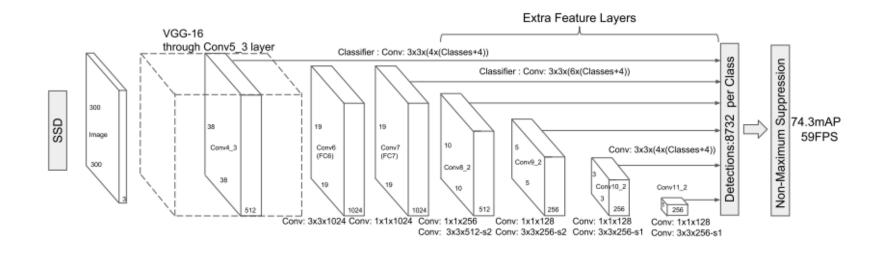


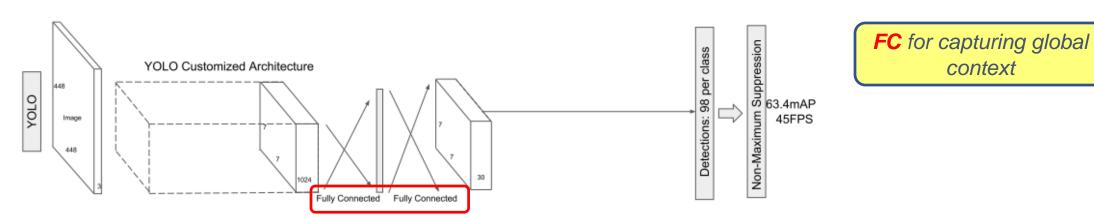


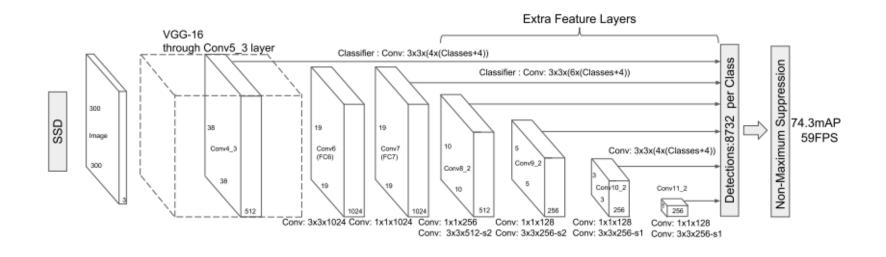


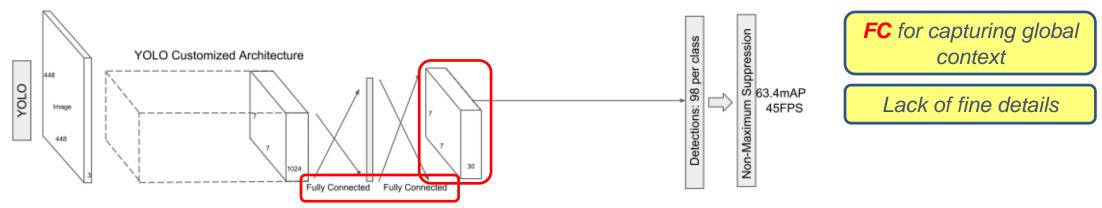
(b)  $8 \times 8$  feature map (c)  $4 \times 4$  feature map

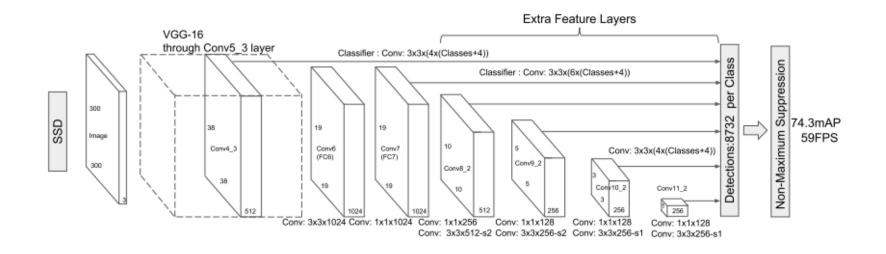


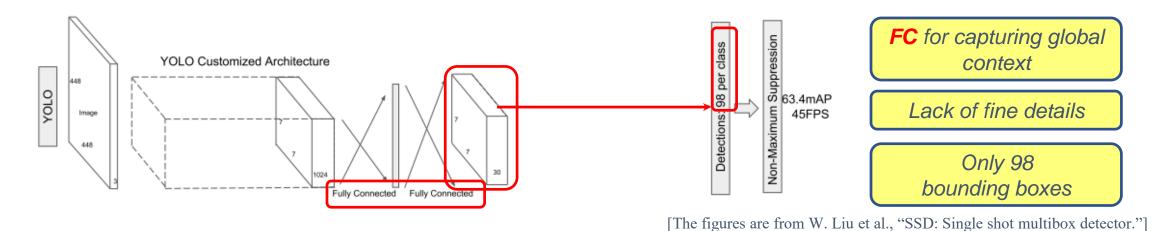


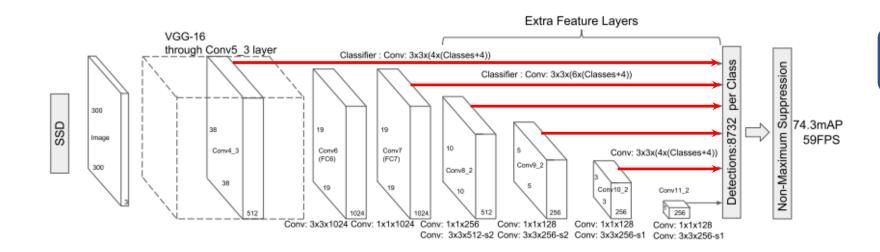




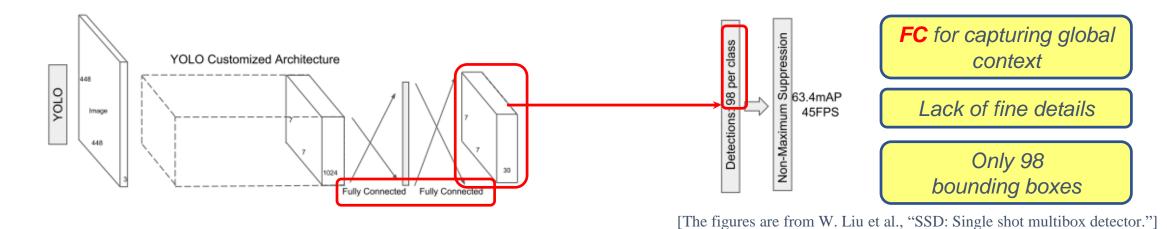


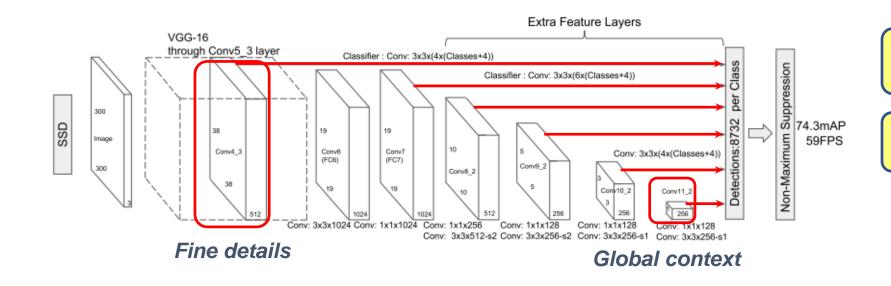






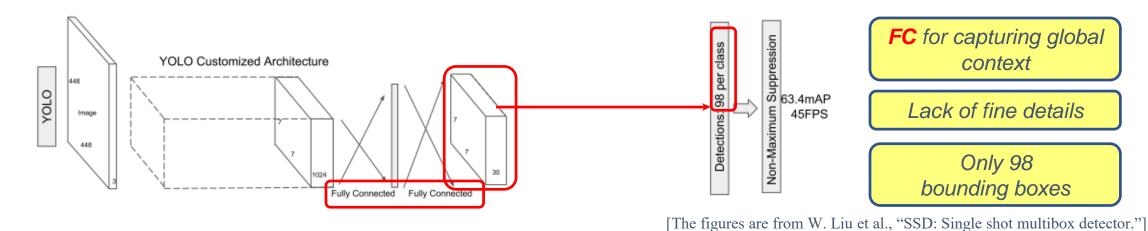
No FC, but only **Conv**! (local anchor boxes)

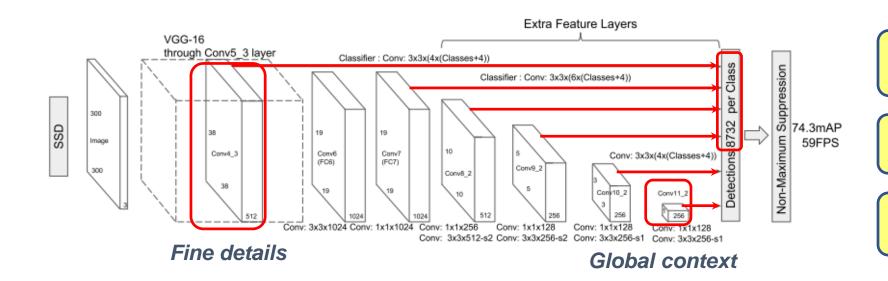




No FC, but only **Conv**! (local anchor boxes)

Both fine details and global context!

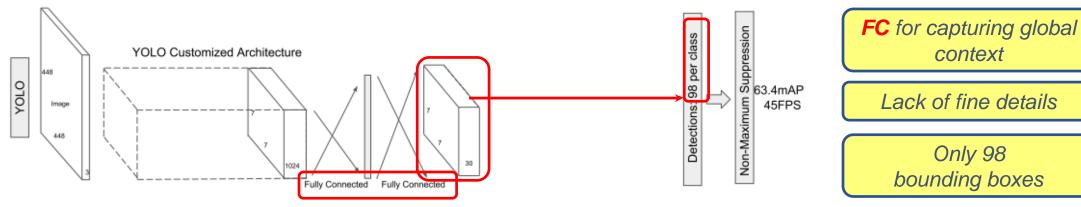


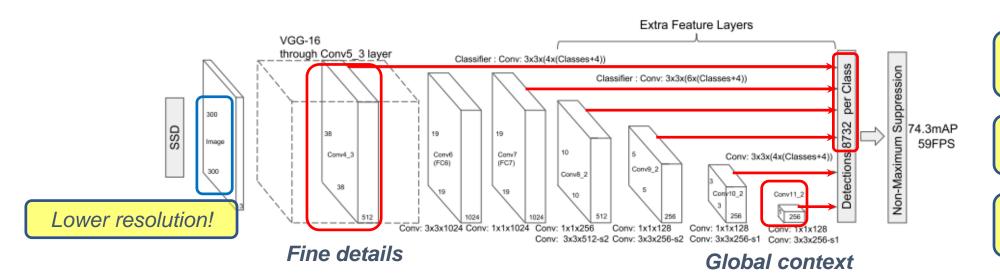


No FC, but only **Conv**! (local anchor boxes)

Both fine details and global context!

Much more anchor boxes (8732)!

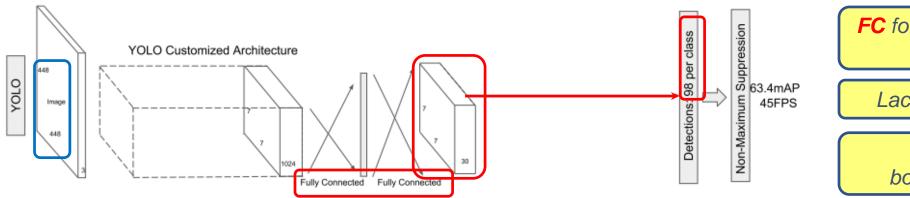




No FC, but only **Conv**! (local anchor boxes)

Both fine details and global context!

Much more anchor boxes (8732)!



FC for capturing global context

Lack of fine details

Only 98 bounding boxes

- Similar structure to YoLo's loss function, but **different** localization loss
  - For the center point

$$L_{loc,center} = smooth_{L1}(\widehat{b_x} - \widehat{b_x^g}) + smooth_{L1}(\widehat{b_y} - \widehat{b_y^g})$$

$$\widehat{b_x} = \underbrace{\frac{b_x - b_x^d}{b_w^d}} \qquad \widehat{b_x^g} = \frac{b_x^g - b_x^d}{b_w^d} \qquad \widehat{b_y} = \frac{b_y - b_y^d}{b_h^d} \qquad \widehat{b_x^g} = \frac{b_h^g - b_h^d}{b_h^d}$$

$$\widehat{b_x^g} = \frac{b_x^g - b_x^d}{b_w^d}$$

$$\widehat{b_y} = \frac{b_y - b_y^d}{b_h^d}$$

Ratio compared to default box size (Larger error for a smaller default box)

$$\widehat{b_x^g} = \frac{b_h^g - b_h^d}{b_h^d}$$

- Similar structure to YoLo's loss function, but **different** localization loss
  - For the center point

$$L_{loc,center} = smooth_{L1}(\widehat{b_x} - \widehat{b_x^g}) + smooth_{L1}(\widehat{b_y} - \widehat{b_y^g})$$

$$\widehat{b_x} = \underbrace{\frac{b_x - b_x^d}{b_w^d}}$$

$$\widehat{b_{x}^{g}} = \frac{b_{x}^{g} - b_{x}^{d}}{b_{w}^{d}}$$

$$\widehat{b_y} = \frac{b_y - b_y^d}{b_h^d}$$

Ratio compared to default box size (Larger error for a smaller default box)

$$\widehat{b_x} = \frac{b_x - b_x^d}{b_w^d} \qquad \widehat{b_x^g} = \frac{b_x^g - b_x^d}{b_w^d} \qquad \widehat{b_y} = \frac{b_y - b_y^d}{b_h^d} \qquad \widehat{b_x^g} = \frac{b_h^g - b_h^d}{b_h^d}$$

For the size

$$L_{loc,size} = smooth_{L1}(\widehat{b_w} - \widehat{b_w^g}) + smooth_{L1}(\widehat{b_h} - \widehat{b_h^g})$$

$$\widehat{b_w} = \underbrace{log\left(\frac{b_w}{b_w^d}\right)} \qquad \widehat{b_x^g} = log\left(\frac{b_w^g}{b_w^d}\right) \qquad \widehat{b_h} = log\left(\frac{b_h}{b_h^d}\right) \qquad \widehat{b_h^g} = log\left(\frac{b_h^g}{b_h^d}\right)$$

$$\widehat{b_x^g} = log\left(\frac{b_w^g}{b_w^d}\right)$$

$$\widehat{b_h} = log\left(\frac{b_h}{b_h^d}\right)$$

Log: Larger error when a default box is larger than its corresponding ground truth

$$\widehat{b_h^g} = log\left(\frac{b_h^g}{b_h^d}\right)$$

- Similar structure to YoLo's loss function, but **different** localization loss
  - For the center point

$$L_{loc,center} = smooth_{L1}(\widehat{b_x} - \widehat{b_x^g}) + smooth_{L1}(\widehat{b_y} - \widehat{b_y^g})$$

$$\widehat{b_x} = \underbrace{\frac{b_x - b_x^d}{b_w^d}}$$

$$\widehat{b_{x}^{g}} = \frac{b_{x}^{g} - b_{x}^{d}}{b_{w}^{d}}$$

$$\widehat{b_y} = \frac{b_y - b_y^d}{b_h^d}$$

Ratio compared to default box size (Larger error for a smaller default box)

$$\widehat{b_x} = \frac{b_x - b_x^d}{b_w^d} \qquad \widehat{b_x^g} = \frac{b_x^g - b_x^d}{b_w^d} \qquad \widehat{b_y} = \frac{b_y - b_y^d}{b_h^d} \qquad \widehat{b_x^g} = \frac{b_h^g - b_h^d}{b_h^d}$$

For the size

$$L_{loc,size} = smooth_{L1}(\widehat{b_w} - \widehat{b_w^g}) + smooth_{L1}(\widehat{b_h} - \widehat{b_h^g})$$

$$\widehat{b_w} = \underbrace{log\left(\frac{b_w}{b_w^d}\right)} \qquad \widehat{b_x^g} = log\left(\frac{b_w^g}{b_w^d}\right) \qquad \widehat{b_h} = log\left(\frac{b_h}{b_h^d}\right) \qquad \widehat{b_h^g} = log\left(\frac{b_h^g}{b_h^d}\right)$$

$$\widehat{b_x^g} = log\left(\frac{b_w^g}{b_w^d}\right)$$

$$\widehat{b_h} = log\left(\frac{b_h}{b_h^d}\right)$$

Log: Larger error when a default box is larger than its corresponding ground truth

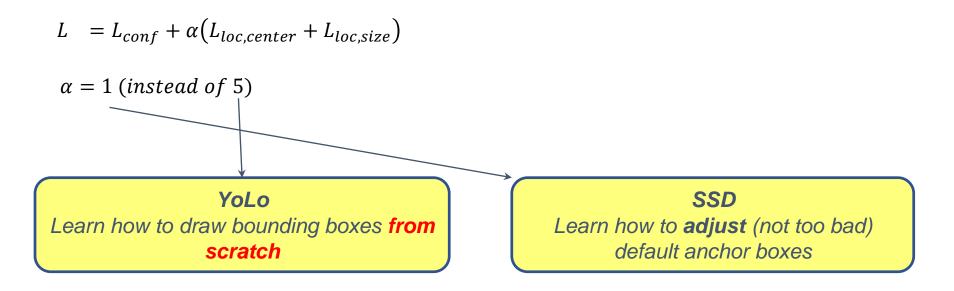
$$\widehat{b_h^g} = log\left(\frac{b_h^g}{b_h^d}\right)$$

Smooth function

$$smooth_{L1}(x) = \begin{cases} 0.5x^2, & if |x| < 1\\ |x| - 0.5, & otherwise \end{cases}$$

Mitigate gradient explosion due to outliers

- Similar structure to YoLo's loss function, but different localization loss
  - Complete loss for a pair of ground truth and its best anchor box



#### **Stepping Forward ...**

- RetinaNet [ICCV'17]
  - Focal loss for dense object detection

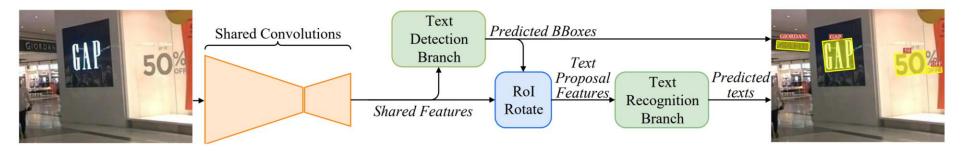
- Pelee [NIPS'18]
  - Pelee: A real-time object detection system on mobile devices
- EfficientDet [CVPR'20]
  - EfficientDet: Scalable and Efficient Object Detection

#### Summary

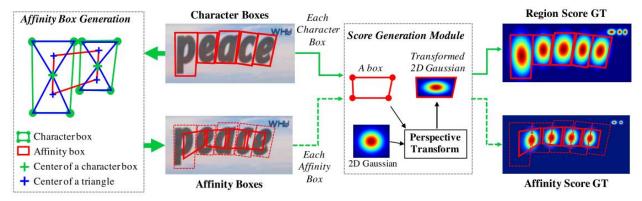
- Object detection = Classification and localization of multiple objects
  - Box proposal, IoU, NMS
- Sliding windows
  - Intuitive but extremely slow (Run CNN for each of too many boxes)
- R-CNN
  - Run CNN for each of (only) 2000 boxes (selective search) but still slow
- SPPnet, Fast R-CNN, and Faster R-CNN
  - Much more advanced compared to R-CNN
- YoLo
  - Run CNN once and propose 98 boxes, fast but not accurate
- SSD
  - Run CNN once without FC layers and propose 8732 boxes, fast and accurate

#### Object + Text!

- FOTS [CVPR'18]
  - Fots: Fast oriented text spotting with a unified network



- CRAFT [CVPR'19]
  - Character region awareness for text detection





Thanks!