Melocoton

A Program Logic for Verified Interoperability Between OCaml and C

<u>Armaël Guéneau</u>, Johannes Hostert, Simon Spies, Michael Sammler, Lars Birkedal, Derek Dreyer

> CoqPL January 20th, 2024







Multi-Language Programs Are Everywhere







Python

C++

 C

Rust

Fortran

JavaScript

(

Bindings for:

- Rust
- Python
- OCaml
- Go
- ...

Multi-Language Programs Are Everywhere



.

Mind the gap!



Structured values
Garbage collection

Integers and pointers

Manual memory management

OCaml FFI code is unsafe and must follow subtle FFI rules

Buggy FFI code can produce segfaults, corrupt memory, break type safety and data abstraction guarantees of OCaml

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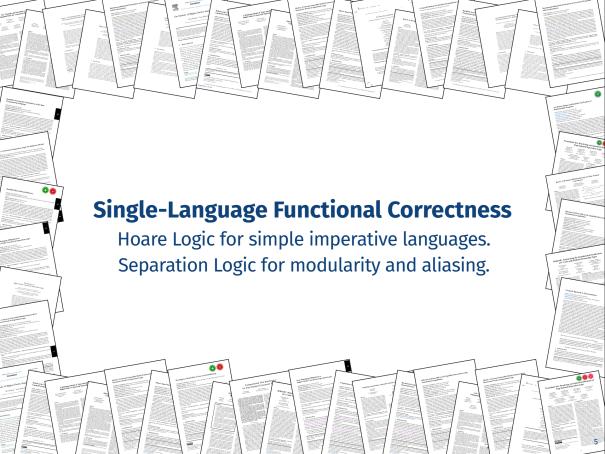
Goal: Verifying Multi-Language Code

How do we

verify functional correctness

of code written in

different languages?















Existing work on Semantics and Logical Relations. How do we prove functional correctness of individual, potentially unsafe libraries?







Existing work on Semantics and Logical Relations. How do we prove functional correctness of individual, potentially unsafe libraries?

Melocoton is the first program logic for multiple languages with different memory models



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C business logic

```
void hash_ptr(int * x) {
    // Implemented in OpenSSL
    // tedious to port to OCaml
}
```

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OCaml business logic

C business logic

```
let main () =
  let r = ref 42 in
  hash_ref r; (*written in C*)
  print_int !r
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```
value caml_hash_ref(value r) {
   int x = Int_val(Field(r, 0));
   hash_ptr(&x);
   Store_field(r, 0, Val_int(x));
   return Val_unit;
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OCaml glue code

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A Multi-Language Program Logic for FFI

Goal: a **program logic** to prove correctness of FFI glue code

OCaml glue code



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A Multi-Language Program Logic for FFI

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 \begin{cases} \gamma \mapsto_{\text{blk}[0|\text{mut}]} [n] \rbrace \\ \text{value caml\_hash\_ref(value r) } \lbrace \\ \text{int } \mathbf{x} = \text{Int\_val}(\text{Field}(\mathbf{r}, 0)); \\ \text{hash\_ptr}(\&\mathbf{x}); \\ \text{Store\_field}(\mathbf{r}, 0, \text{Val\_int}(\mathbf{x})); \\ \text{return Val\_unit;} \\ \rbrace \\ \{\gamma \mapsto_{\text{blk}[0|\text{mut}]} [m] \rbrace
```

A Multi-Language Program Logic for FFI

Goal: a **program logic** to prove correctness of FFI glue code



We Have A Tool For That: It Is Called Iris



an expressive Separation Logic Framework implemented in Coq

The Iris Methodology for **building your own program logic**:

- define operational semantics of your language
- define interpretation of program state in the Iris logic
- prove reasoning rules for operations of the language

Solution: Just Do That?

Solution?: Apply the methodology to "OCaml + C + FFI"?

Solution: Just Do That?

Solution?: Apply the methodology to "OCaml + C + FFI"?

One Big Language: unsatisfactory for **engineering** and **conceptual** reasons



Most multi-language programs look like this:

OCaml business logic oblivious of C



C business logic oblivious of OCaml

glue code

where the languages actually interact

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OCaml business logic oblivious of C



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where the languages actually interact

Design Principle: Language-Local Reasoning

Reuse existing single-language semantics and program logics

Our Contribution: Melocoton

 $\lambda_{
m ML+C}$ **Program Logic**Glue Code Verification $\lambda_{
m ML+C}$ **Semantics**Glue Code Semantics

"Iris Methodology": program logic on top of semantics, but

Language Interaction: new semantics and logic for glue code

Our Contribution: Melocoton



"Iris Methodology": program logic on top of semantics, but

- Language Interaction: new semantics and logic for glue code
- Language Locality: embed existing semantics and logics

4-

^{*}simplified/idealized versions of OCaml and C

Our Contribution: Melocoton

 OCaml* Program Logic
 λ_{ML+C} Program Logic
 C* Program Logic

 Glue Code Verification
 λ_{ML+C} Semantics

 OCaml* Semantics
 λ_{ML+C} Semantics

 Glue Code Semantics
 C* Semantics

"Iris Methodology": program logic on top of semantics, but

- Language Interaction: new semantics and logic for glue code
- Language Locality: embed existing semantics and logics



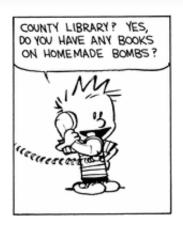


^{*}simplified/idealized versions of OCaml and C

The rest of this talk

- 1. Language-Local Reasoning with External Calls
- 2. Bridging Languages with View Reconciliation
- 3. A Tour of the Coq Formalization

Language-Local Reasoning with External Calls



Language-local Reasoning for Existing Languages

We reuse:

OCaml Program Logic

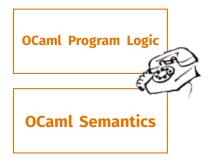
OCaml Semantics

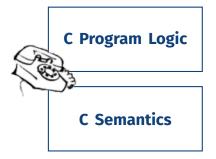
C Program Logic

C Semantics

Language-local Reasoning for Existing Languages

We reuse:





with a minimal extension: we add external calls

Modeling External Calls

OCaml OCaml

- operational semantics:none (i.e. stuck)
- program logic: assume a specification for the call

Modeling External Calls

OCaml[®]

- operational semantics:none (i.e. stuck)
- program logic: assume a specification for the call

Assuming specification: $\{r \mapsto_{\mathtt{ML}} n\} \text{ hash_ref}(r) \{\exists m. \ r \mapsto_{\mathtt{ML}} m\}$

Use the language-local OCaml program logic to verify main

Modeling External Calls, Formally

Standard Separation Logic triple:

$$\{P\}\ e\ \{Q\}$$

Melocoton language-local triple:

$$\{P\} \ e \ \textcircled{0} \ \ \ \ \ \{Q\}$$

interface: specs assumed for external calls

$$\Psi: \underbrace{\mathit{FnName}}_{\mathsf{Name}} \to \underbrace{\vec{\mathit{Val}}}_{\mathsf{Args}} \to \underbrace{(\mathit{Val} \to \mathit{iProp})}_{\mathsf{Postcondition}} \to \underbrace{\mathit{iProp}}_{\mathsf{Precondition}}$$

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FFI Operations are External Calls for C



```
value caml_hash_ref(value r) {
  int x = Int_val (Field(r, 0));
  hash_ptr(&x);
  Store_field(r, 0, Val_int(x));
  return Val_int(0);
}
```

"glue code" verified using the language-local C program logic

against interface Ψ_{FFI} and FFI assertions e.g. $\gamma \mapsto_{\mathrm{blk}[t|m]} \vec{v}$

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```
\Psi_{\mathrm{FFI}} \triangleq \left\langle \gamma \mapsto_{\mathrm{blk}[t|\mathsf{mut}]} [\dots v_i \dots] \right\rangle \mathtt{Store\_field}(\gamma, i, v') \left\langle \gamma \mapsto_{\mathrm{blk}[t|\mathsf{mut}]} [\dots v' \dots] \right\rangle \sqcup \mathtt{specs} \ \mathsf{for} \ \mathsf{Field}, \mathsf{Int\_val}, \mathsf{etc}...
```

FFI Operations are External Calls for C



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value caml_hash_ref(value r) {
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$$\sqcup \mathtt{specs} \ \mathsf{for} \ \mathsf{Field}, \mathsf{Int_val}, \mathsf{etc}...$$

Verify the code in the **language-local** C program logic:

```
\{\gamma \mapsto_{\mathsf{blk}[0|\mathsf{mut}]} [n]\} \; \mathsf{caml\_hash\_ref}(r) @ \Psi_{\mathsf{FFI}} \; \{\exists m. \, \gamma \mapsto_{\mathsf{blk}[0|\mathsf{mut}]} [m]\}
```

What we have so far

OCaml business logic

let main () = let r = ref 42 in hash_ref r; (*written in C*) print_int !r

C business logic

```
void hash_ptr(int * x) {
    // Implemented in OpenSSL
    // tedious to port to OCaml
}
```

OCaml glue code

```
external hash_ref: int ref -> unit
= "caml_hash_ref"
```

```
value caml_hash_ref(value r) {
   int x = Int_val(Field(r, 0));
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What we have so far

OCaml business logic

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let main () =
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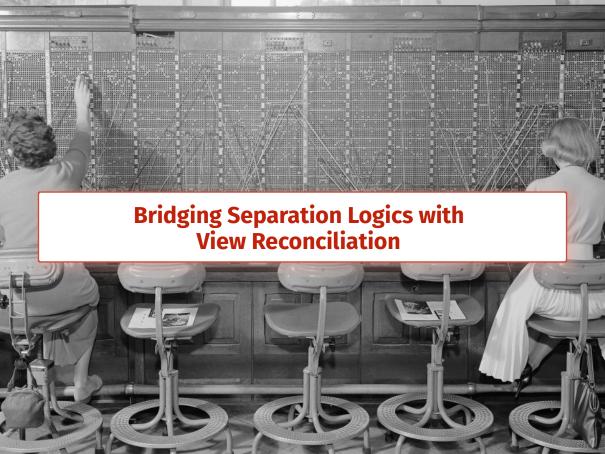
OCaml glue code



C glue code

```
value caml_haston_value r) {
  int x =
    hash_pt
    Store_fi
    return Val_man_po;
}
```

Missing: connecting the semantics and proofs!

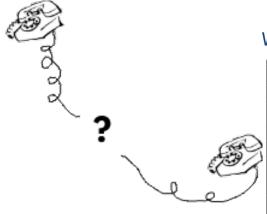


We assumed:

We proved:

```
 \begin{split} & \{ \gamma \mapsto_{\text{blk}[0|\text{mut}]} [n] \} \\ & \text{value caml\_hash\_ref(value r) } \{ \\ & \text{int } \mathbf{x} = \text{Int\_val}(\text{Field}(\mathbf{r}, \, 0)); \\ & \text{hash\_ptr}(\&\mathbf{x}); \\ & \text{Store\_field}(\mathbf{r}, \, 0, \, \text{Val\_int}(\mathbf{x})); \\ & \text{return Val\_unit;} \\ & \{ \exists m. \, \gamma \mapsto_{\text{blk}[0|\text{mut}]} [m] \} \end{split}
```

We assumed:



We proved:

```
 \begin{cases} \gamma \mapsto_{\text{blk}[0|\text{mut}]} [n] \rbrace \\ \text{value caml_hash\_ref(value r) } \{ \\ \text{int } \mathbf{x} = \text{Int\_val}(\text{Field}(\mathbf{r}, 0)); \\ \text{hash\_ptr}(\&\mathbf{x}); \\ \text{Store\_field}(\mathbf{r}, 0, \text{Val\_int}(\mathbf{x})); \\ \text{return Val\_unit;} \} \\ \{ \exists m. \ \gamma \mapsto_{\text{blk}[0|\text{mut}]} [m] \}
```

Two different views about the same piece of state!

Language Interaction: Different Views of the Same Data

OCaml glue code

C glue code

How is **OCaml** data accessed from **C** glue code?

Language Interaction: Different Views of the Same Data

OCaml glue code

C glue code

How is **OCaml** data accessed from **C** glue code?

High-level **OCaml** values are accessed.. ..through a low-level **block** representation.

High-level **OCaml** value ∼_{ML} Low-level **block** representation

```
High-level OCaml value \sim_{\text{ML}} Low-level block representation integers \sim_{\text{ML}} integers booleans \sim_{\text{ML}} integers (o or 1) true \sim_{\text{ML}} 1
```

```
High-level OCaml value \sim_{\rm ML} Low-level block representation integers \sim_{\rm ML} integers booleans \sim_{\rm ML} integers (0 or 1) arrays, refs \sim_{\rm ML} blocks \ell \sim_{\rm ML} \gamma
```

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High-level OCaml value \sim_{\rm ML} Low-level block representation integers \sim_{\rm ML} integers true \sim_{\rm ML} 1 arrays, refs \sim_{\rm ML} blocks pairs \sim_{\rm ML} blocks (of size 2)
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```

High-level **OCaml** value $\sim_{\mathtt{ML}}$ Low-level **block** representation

integers \sim_{ML} integers \leftarrow_{ML} integers (o or 1) arrays, refs \sim_{ML} blocks \leftarrow_{ML} blocks (of size 2) $\leftarrow_{\text{ML}} \gamma$ lists \sim_{ML} block-based linked lists

let
$$x = ref (1, (2, 3))$$

$$x \longrightarrow (1,(2,3))$$

$$x \longrightarrow 1$$

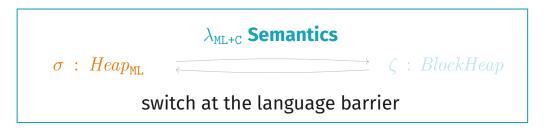
$$2 3$$

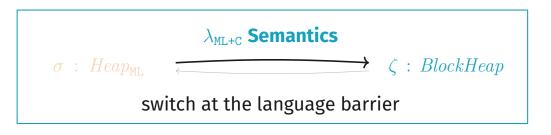
 $\lambda_{\text{ML+C}}$ Semantics

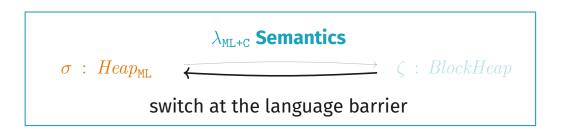
 σ : $Heap_{\mathtt{ML}}$

 ζ : BlockHeap

```
\lambda_{	ext{ML+C}} Semantics \sigma: Heap_{	ext{ML}} \qquad \overline{\qquad} \qquad \zeta: BlockHeap switch at the language barrier
```







```
\lambda_{	exttt{ML+C}} Semantics \sigma: Heap_{	exttt{ML}} \qquad \longleftarrow \qquad \zeta: BlockHeap switch at the language barrier
```

```
(\sigma_{\texttt{ML}} : \underline{\textit{Heap}}_{\texttt{ML}}, \ \sigma_{\texttt{C}} : \textit{Heap}_{\texttt{C}}) (run ML code) \longrightarrow^* (\sigma_{\texttt{ML}}' : \underline{\textit{Heap}}_{\texttt{ML}}, \ \sigma_{\texttt{C}} : \textit{Heap}_{\texttt{C}})
```

```
\lambda_{	ext{ML+C}} Semantics \sigma: Heap_{	ext{ML}} \qquad \overline{\qquad} \qquad \zeta: BlockHeap switch at the language barrier
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```
(\sigma_{\texttt{ML}} : \textit{Heap}_{\texttt{ML}}, \ \sigma_{\texttt{C}} : \textit{Heap}_{\texttt{C}})
(\text{run ML code}) \qquad \longrightarrow^* (\sigma_{\texttt{ML}}' : \textit{Heap}_{\texttt{ML}}, \ \sigma_{\texttt{C}} : \textit{Heap}_{\texttt{C}})
(\text{extcall ML} \to C) \qquad \longrightarrow (\zeta : \textit{BlockHeap}, \ \sigma_{\texttt{C}} : \textit{Heap}_{\texttt{C}})
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(\text{run C code}) \qquad \longrightarrow^{*} (\zeta : \underline{\textit{BlockHeap}}, \ \sigma_{C}' : \underline{\textit{Heap}}_{C})
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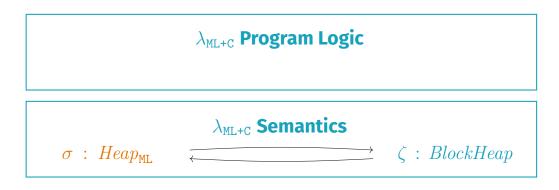
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(\sigma_{ML} : Heap_{ML}, \ \sigma_{C} : Heap_{C})
(run \ ML \ code) \longrightarrow^{*} (\sigma_{ML}' : Heap_{ML}, \ \sigma_{C} : Heap_{C})
(extcall \ ML \to C) \longrightarrow (\zeta : BlockHeap, \ \sigma_{C} : Heap_{C})
(run \ C \ code) \longrightarrow^{*} (\zeta : BlockHeap, \ \sigma_{C}' : Heap_{C})
(call \ FFI \ op) \longrightarrow (\zeta' : BlockHeap, \ \sigma_{C}' : Heap_{C})
```

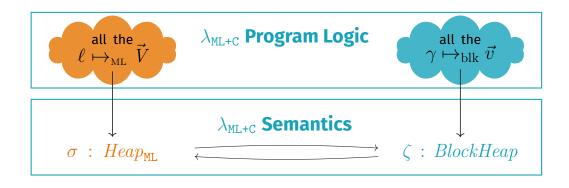
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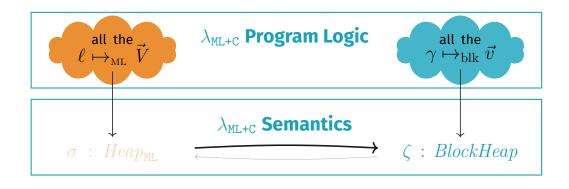
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(\text{run C code}) \qquad \longrightarrow^* (\zeta : \textit{BlockHeap}, \ \sigma_{\text{C}}' : \textit{Heap}_{\text{C}})
(\text{call FFI op}) \qquad \longrightarrow (\zeta' : \textit{BlockHeap}, \ \sigma_{\text{C}}' : \textit{Heap}_{\text{C}})
(\text{return from extcall}) \qquad \longrightarrow (\sigma_{\text{ML}}' : \textit{Heap}_{\text{ML}}, \ \sigma_{\text{C}}' : \textit{Heap}_{\text{C}})
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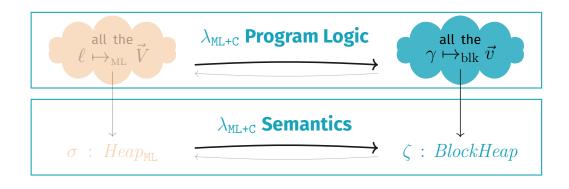


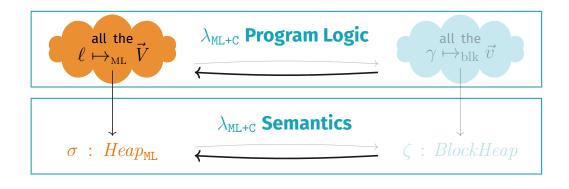


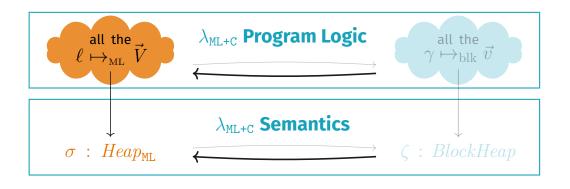
$$\lambda_{\mathsf{ML+C}} \ \, \begin{array}{c} \mathbf{Program} \ \, \mathbf{Logic} \\ \gamma \mapsto_{\mathsf{blk}} \vec{v} \end{array} \\ \\ \sigma : \mathit{Heap}_{\mathsf{ML}} \end{array} \ \, \begin{array}{c} \lambda_{\mathsf{ML+C}} \ \, \mathbf{Semantics} \\ \hline \end{array} \ \, \begin{array}{c} \zeta : \mathit{BlockHeap} \end{array}$$

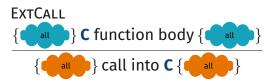


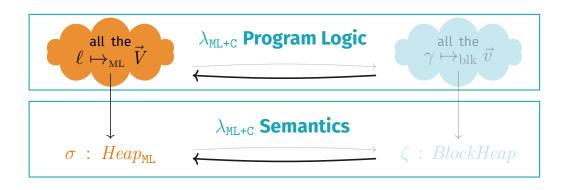


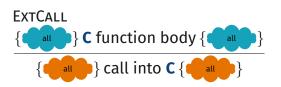




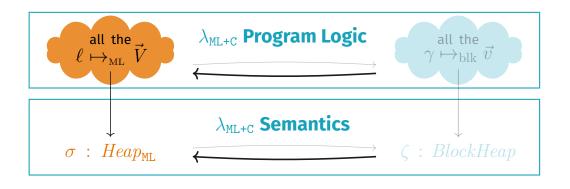


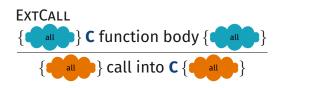




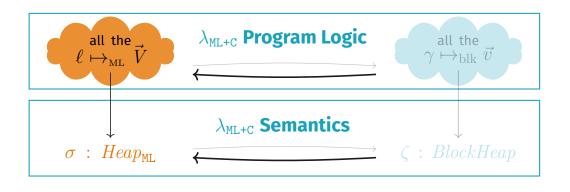


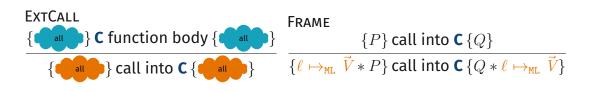
$$\frac{\{P\}\,e\,\{Q\}}{\{R*P\}\,e\,\{Q*R\}}$$

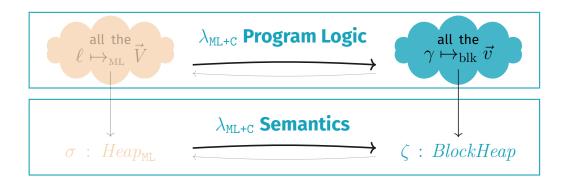


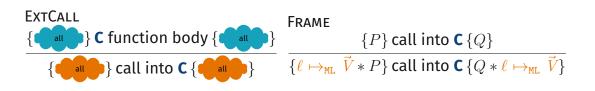


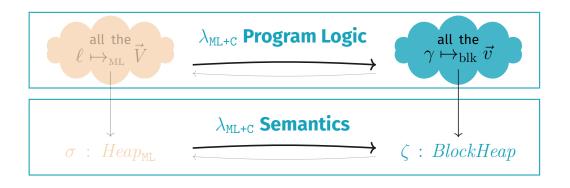
FRAME
$$\frac{\{P\} \text{ call into } \mathbf{C} \, \{Q\}}{\{R*P\} \text{ call into } \mathbf{C} \, \{Q*R\}}$$

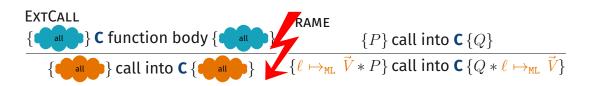


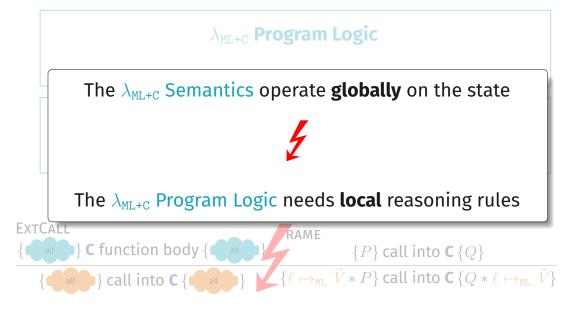


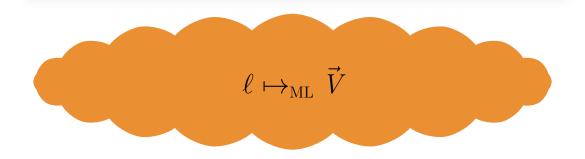


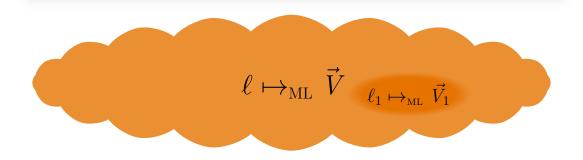


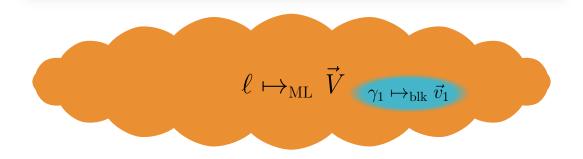


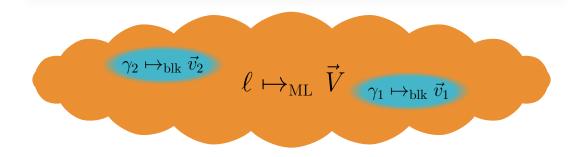


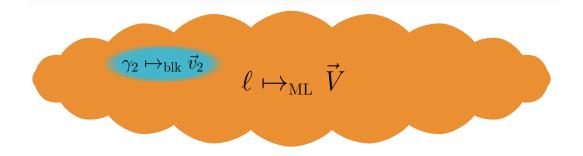


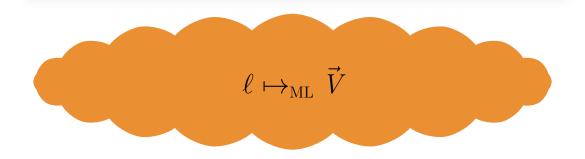




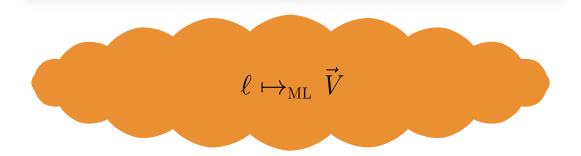








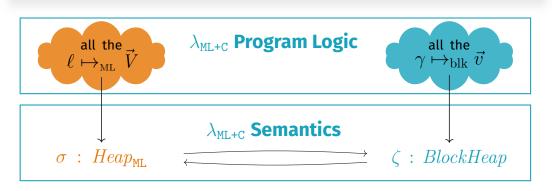
OCaml points-tos remain valid when switching to C!



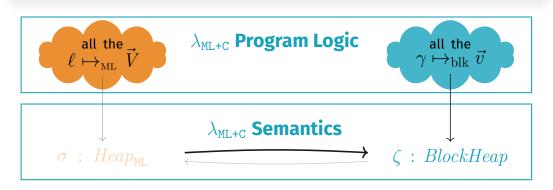
View Reconciliation Rules for Converting On-Demand:

View Reconciliation Rules

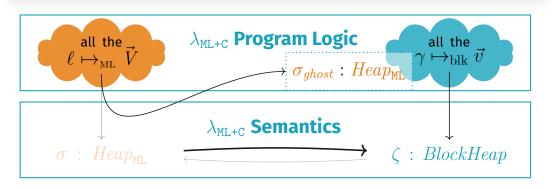
$$\begin{array}{c} \textbf{View Reconciliation Rules} \\ \ell \mapsto_{\mathtt{ML}} \vec{V} \implies \exists \gamma \vec{v}. \ \gamma \mapsto_{\mathtt{blk}} \vec{v} * \ell \sim_{\mathtt{ML}} \gamma * \vec{V} \sim_{\mathtt{ML}} \vec{v} \\ \vec{V} \sim_{\mathtt{ML}} \vec{v} * \gamma \mapsto_{\mathtt{blk}} \vec{v} \implies \exists \ell \ . \ \ell \mapsto_{\mathtt{ML}} \vec{V} * \ell \sim_{\mathtt{ML}} \gamma \end{array}$$



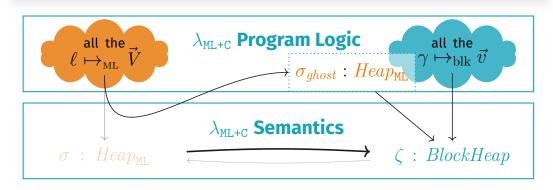
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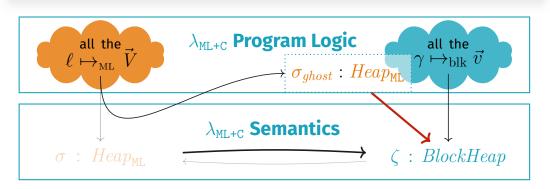
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OCaml glue code

C glue code

```
external hash_ref: int ref -> unit
= "caml_hash_ref"
```

```
value caml_hash_ref(value v) {
  int x = Int_val(Field(v, 0));
  hash_ptr(&x);
  Store_field(v, 0, Val_int(x));
  return Val_unit;
}
```

OCaml glue code

C glue code

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external hash_ref: int ref -> unit = "caml_hash_ref" \\ \{r \mapsto_{\mathsf{ML}} n\} \\ \quad \text{hash\_ref}(r) \\ \{\exists m. \ r \mapsto_{\mathsf{ML}} m\}
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EXTCALL

```
\frac{\{P*x\sim_{\mathtt{ML}}v\}\,\mathtt{f}(v)\,\{\lambda v'.\,\exists y.\,y\sim_{\mathtt{ML}}v'*Q(y)\}}{\{P\}\,\mathtt{external}\,\,\mathtt{"f"}(x)\,\{\lambda y.\,Q(y)\}}
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```
value caml_hash_ref(value v) {  \{r \mapsto_{\mathsf{ML}} n * r \sim_{\mathsf{ML}} v\}  int x = Int_val(Field(v, 0)); hash_ptr(&x); Store_field(v, 0, Val_int(x)); return Val_unit;  \{\exists m.\ r \mapsto_{\mathsf{ML}} m * \exists y.\ y \sim_{\mathsf{ML}} \mathsf{Val}\_\mathsf{unit}\}  }
```

EXTCALL

```
\frac{\{P*x\sim_{\mathtt{ML}}v\}\:\mathtt{f}(v)\:\{\lambda v'.\:\exists y.\:y\sim_{\mathtt{ML}}v'*Q(y)\}}{\{P\}\:\mathtt{external}\:\mathtt{"f"}(x)\:\{\lambda y.\:Q(y)\}}
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```
value caml_hash_ref(value v) {  \{r \mapsto_{\mathsf{ML}} n * r \sim_{\mathsf{ML}} v\}   \{v \mapsto_{\mathsf{blk}} [n] * r \sim_{\mathsf{ML}} v\}  int x = Int_val(Field(v, 0)); hash_ptr(&x); Store_field(v, 0, Val_int(x)); return Val_unit;  \{\exists m. \ r \mapsto_{\mathsf{ML}} m * () \sim_{\mathsf{ML}} \mathsf{Val}\_unit\}  }
```

VIEW RECONCILIATION (1)

```
\ell \mapsto_{\mathsf{ML}} \vec{V} \implies \exists \gamma \vec{v}. \gamma \mapsto_{\mathsf{blk}} \vec{v} * \ell \sim_{\mathsf{ML}} \gamma * \vec{V} \sim_{\mathsf{ML}} \vec{v}
```

OCaml glue code

= "caml_hash_ref"

 $\{r\mapsto_{\mathsf{ML}} n\}$

hash ref(r)

 $\{\exists m.\ r\mapsto_{\mathsf{ML}} m\}$

external hash ref: int ref -> unit

C glue code

```
value caml_hash_ref(value v) {
   \{r \mapsto_{\mathsf{ML}} n * r \sim_{\mathsf{ML}} v\}
   \{v \mapsto_{\text{blk}} [n] * r \sim_{\text{ML}} v\}
   int x = Int val(Field(v, 0));
   hash ptr(&x);
   Store field(v, 0, Val int(x));
   return Val unit;
   \{\exists m.\ v\mapsto_{\mathrm{blk}} [m]*r\sim_{\mathtt{MI}} v\}
   \{\exists m. \ r \mapsto_{\mathsf{MI}} m * () \sim_{\mathsf{MI}} \mathsf{Val} \ \mathsf{unit}\}
```

VIEW RECONCILIATION (2)

```
\vec{V} \sim_{\mathsf{MI}} \vec{v} * \gamma \mapsto_{\mathsf{blk}} \vec{v} \implies \exists \ell . \ell \mapsto_{\mathsf{MI}} \vec{V} * \ell \sim_{\mathsf{MI}} \gamma
```

A Tour of the Coq Formalization



Syntax and Semantics

```
Structure language (val : Type) := Language {
  (* small-step operational semantics *)
  expr : Type;
  state : Type;
  \texttt{head\_step} : \texttt{prog} \to \texttt{expr} \to \texttt{state} \to \texttt{expr} \to \texttt{state} \to \texttt{Prop};
  (* top-level functions *)
  func : Type;
  apply func : func \rightarrow list val \rightarrow option expr;
  (* external call expressions *)
  cont : Type; (* evaluation context *)
  is call : expr \rightarrow string \rightarrow list val \rightarrow cont \rightarrow Prop;
  (* ... *)
(* a program is a set of toplevel functions *)
Notation prog \Lambda := (gmap string \Lambda.(func)).
```

Cross-language linking?

```
Context (val : Type) (A1 A2 : language val).

Definition p1 : prog A1 := {[
    "f1" := Fun ["x"] (... (ExtCall "f2" ["z"]) ...);
]}.

Definition p2 : prog A2 := {[
    "f2" := Fun ["y"] (... (ExtCall "f1" ["u"]) ...);
]}.
```

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Definition p1 : prog A1 := {[
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    "f2" := Fun ["y"] (... (ExtCall "f1" ["u"]) ...);
]}.
```

We wish to **link** p1 and p2 together into a program:

- that implements both "f1" and "f2"
- with no remaining external calls

```
Definition p : prog (*???*) := link_prog p1 p2.
```

Cross-language linking!

```
Definition link_lang {val} (\Lambda1~\Lambda2 : language val) : language val.

Definition link_prog {val} {\Lambda1~\Lambda2 : language val} : prog \Lambda1~\rightarrow prog \Lambda2~\rightarrow prog (link_lang \Lambda1~\Lambda2).
```

Idea: a link_lang expression is of the form:

$$\underbrace{\left(e,[k_1;\ldots;k_n]\right)}_{\text{Λ1.(expr)} + Λ2.(expr)} \underbrace{\left[\text{list } (\Lambda$1.(cont) + Λ2.(cont))\right]}$$

(Omitted: how we can exchange state between $\Lambda 1$ and $\Lambda 2$)

Linking C and ML

```
Canonical Structure C_lang : language C_val := ...

Canonical Structure ML_lang : language ML_val := ...
```

Linking C and ML

```
Canonical Structure C_lang : language C_val := ...

Canonical Structure ML_lang : language ML_val := ...
```

```
Check (link_lang ML_lang C_lang).

Error:
The term "C_lang" has type "language C_val"
while it is expected to have type "language ML_val".
```

We need to add FFI semantics to translate between ML and C!

FFI as wrapper semantics

```
\sigma: \textit{Heap}_{\text{ML-C}} \underbrace{\qquad \qquad \qquad }_{\text{KL-C}} \zeta: \textit{BlockHeap} switch at the language barrier
```

FFI as wrapper semantics

```
(* embeds ML_lang + adds FFI semantics *)
Definition wrap_lang : language C_val.
Definition wrap_prog : ML_lang.(expr) → prog wrap_lang.
```

wrap_prog e emits:

- same external calls as e, translated to use C values/statewrap_prog e implements:
 - FFI operations
 - a main() function that runs e

Our full multi-language semantics

OCaml* Semantics

 $\lambda_{\text{ML+C}}$ Semantics

Glue Code Semantics

C* Semantics

```
Notation combined_lang := (link_lang wrap_lang C_lang).
Definition combined_prog (e: prog ML_lang) (p: prog C_lang) :=
  link_prog (wrap_prog e) p.
```

Program logic Building Blocks

$$\Psi \vDash p : \Pi$$

"assuming interface Ψ , program p implements interface Π "

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```
Lemma link_correct p1 p2 \Psi1 \Psi2 : dom p1 ## dom p2 \rightarrow \Pi \vDash p1 :: \Psi \rightarrow \Psi \vDash p2 :: \Pi \rightarrow \varnothing \vDash link_prog p1 p2 :: \Psi \sqcup \Pi.
```

Program logic Building Blocks

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Lemma link_correct p1 p2 \Psi1 \Psi2 : dom p1 ## dom p2 \rightarrow \Pi \vDash p1 :: \Psi \rightarrow \Psi \vDash p2 :: \Pi \rightarrow \varnothing \vDash link_prog p1 p2 :: \Psi \sqcup \Pi.
```

```
Lemma wrap_correct e \Psi : 
 \Psi on prim_names \sqsubseteq \bot \to 
 \{ True \} e @ \Psi \{ True \} \to 
 wrap_intf \Psi \vDash wrap_prog e :: prims_intf \Psi \sqcup main_intf.
```

Adequacy Theorem

```
Lemma adequacy p : \varnothing \models p :: main\_intf \rightarrow is\_safe p (call "main" (), <math>\sigma_{init})
```

Converts correctness in the logic into safety in the semantics

Conclusion:

How to Build Melocoton: Key Ideas (recap) And The Rest

How to Draw an Owl

A fun and creative guide for beginners



Fig 1. Draw two circles



Fig 2. Draw the rest of the owl

Key Ideas

We give a **general recipe** for merging two languages:

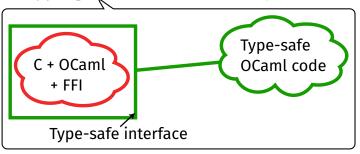
- Abstract over "the other side" using interfaces and external calls
- Formalize the semantics of the FFI
- Bridge between memory models using view reconciliation

Also in Melocoton...

- Use **angelic nondeterminism** in the FFI semantics $(BlockHeap \rightarrow Heap_{ML} \text{ step})$. Requires Transfinite Iris.
- More detailed FFI: GC interaction, callbacks, custom blocks
- Semantic typing for external calls (logical relation)

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Future Work

Planned/Ongoing

- Extend Melocoton with remaining OCaml 4 FFI features
- Static analysis tool for FFI glue code

Ideas

- Model the Multicore OCaml FFI
- Verification/bug finding/runtime analysis for FFI code
- Domain-specific language for FFI with built-in verification?
- Reusable Iris libraries for multi-language program logics?

Melocoton

Language Locality: Embed Existing Languages

OCaml Program Logic

 $\lambda_{\text{ML+C}}$ Program Logic

Glue Code Verification

C Program Logic

OCaml Semantics

 $\lambda_{\text{ML+C}}$ Semantics

Glue Code Semantics

C Semantics

Language Interaction: View Reconciliation Rules

https://melocoton-project.github.io