inclass07

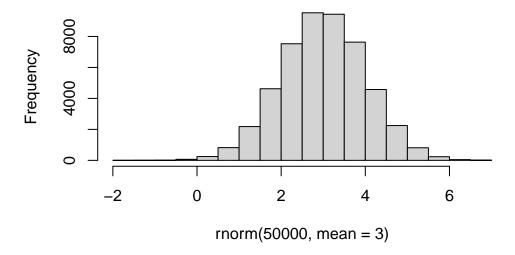
Clustering

First, lets make up some data to cluster so we can get a feel for these methods and d how to work with them.

We can use the "rnorm" function to get random numbers from a normal distribution around a given "mean"

```
hist(rnorm(50000, mean=3))
```

Histogram of rnorm(50000, mean = 3)

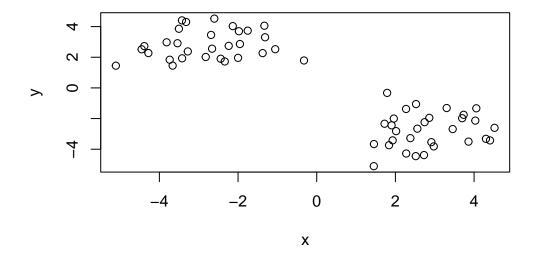


Lets gets 30 points with a mean of 3 $\,$

```
temp <- c(rnorm(30, mean=3),
  rnorm(30, mean=-3))
put two of these together
  x <- cbind(x=temp, y=rev(temp))</pre>
  X
              X
 [1,]
     2.742507 -2.237313
 [2,] 1.930372 -3.421799
 [3,] 3.697294 -1.977868
 [4,] 4.056811 -1.331041
 [5,] 2.558193 -2.660298
 [6,] 1.454726 -3.662458
 [7,] 4.301499 -3.320913
 [8,] 4.405483 -3.426306
 [9,] 2.270497 -1.374508
[10,] 2.380468 -3.277130
[11,] 4.520089 -2.603031
[12,] 1.789649 -0.324164
[13,] 3.303600 -1.313204
[14,] 2.726551 -4.382811
[15,] 4.030920 -2.133516
[16,] 1.724160 -2.337513
[17,] 1.450845 -5.106174
[18,] 2.517830 -4.450796
[19,] 2.274701 -4.279307
[20,] 2.017993 -2.820837
[21,] 3.858287 -3.503523
[22,] 2.914180 -3.539410
[23,] 2.975645 -3.815064
[24,] 3.456224 -2.686058
[25,] 2.861493 -1.952562
[26,] 1.959717 -2.000008
[27,] 3.734885 -1.754357
[28,] 2.525061 -1.055127
[29,] 1.903224 -2.441048
[30,] 1.838105 -3.737298
[31,] -3.737298 1.838105
[32,] -2.441048 1.903224
[33,] -1.055127 2.525061
```

```
[34,] -1.754357 3.734885
[35,] -2.000008
                1.959717
[36,] -1.952562
                2.861493
[37,] -2.686058
                3.456224
[38,] -3.815064
                2.975645
[39,] -3.539410 2.914180
[40,] -3.503523 3.858287
[41,] -2.820837 2.017993
[42,] -4.279307
                2.274701
[43,] -4.450796 2.517830
[44,] -5.106174 1.450845
[45,] -2.337513 1.724160
[46,] -2.133516 4.030920
[47,] -4.382811
                2.726551
[48,] -1.313204 3.303600
[49,] -0.324164 1.789649
[50,] -2.603031
                4.520089
[51,] -3.277130 2.380468
[52,] -1.374508 2.270497
[53,] -3.426306 4.405483
[54,] -3.320913 4.301499
[55,] -3.662458 1.454726
[56,] -2.660298 2.558193
[57,] -1.331041 4.056811
[58,] -1.977868 3.697294
[59,] -3.421799 1.930372
[60,] -2.237313 2.742507
```

plot(x)



##K-means clustering

Very popular clustering mehtods, especially for big datasets, that we can use with the "kmeans()" function in base R.

```
km <- kmeans(x, centers=2)
km</pre>
```

K-means clustering with 2 clusters of sizes 30, 30

Cluster means:

Clustering vector:

Within cluster sum of squares by cluster:

```
[1] 62.53017 62.53017 (between_SS / total_SS = 88.2 %)
```

```
Available components:
```

km\$cluster

```
[1] "cluster"
                "centers"
                             "totss"
                                         "withinss"
                                                      "tot.withinss"
[6] "betweenss"
                "size"
                             "iter"
                                         "ifault"
  kmeans(x, centers=2, nstart=20)
K-means clustering with 2 clusters of sizes 30, 30
Cluster means:
        X
1 -2.764181 2.806034
2 2.806034 -2.764181
Clustering vector:
 Within cluster sum of squares by cluster:
[1] 62.53017 62.53017
 (between_SS / total_SS = 88.2 %)
Available components:
[1] "cluster"
                "centers"
                             "totss"
                                          "withinss"
                                                      "tot.withinss"
[6] "betweenss"
                "size"
                                         "ifault"
                             "iter"
Q: What component of your result objects deatils
-cluster size?
  km$size
[1] 30 30
-cluster assignemnt/membership?
```

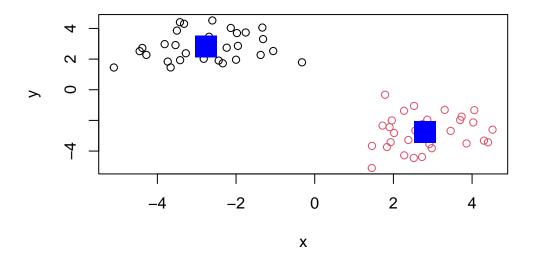
cluster center?

km\$centers

Q. Plot ${\bf x}$ colored by the kmeans cluster assignement and add cluster points as blue points

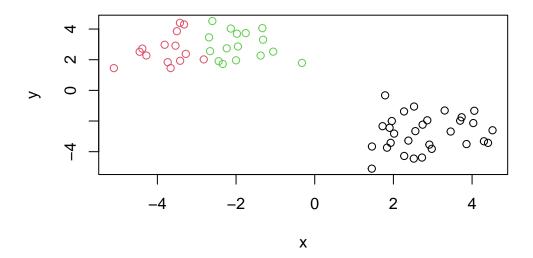
#pch made it a square, cex made the square bigger

```
plot(x, col=km$cluster)
points(km$centers, col="blue", pch=15, cex=3)
```



Q. Lets cluster into 3 groups or same "x" data and make a plot

```
km <- kmeans(x,3)
plot(x, col=km$cluster)</pre>
```



#Hierarchical clustering

we can use the 'hclust()' function for Heriarchical Clustering. Unlike 'kmeans()' where we could just pass in our data as input, we need to give 'hclust()' a distance matrix.

We will use the 'dist()' fucntion to start with

```
d <- dist(x)
hc <- hclust(d)
hc</pre>
```

Call:

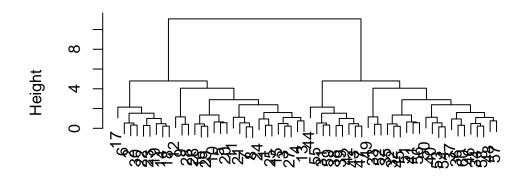
hclust(d = d)

Cluster method : complete
Distance : euclidean

Number of objects: 60

plot(hc)

Cluster Dendrogram

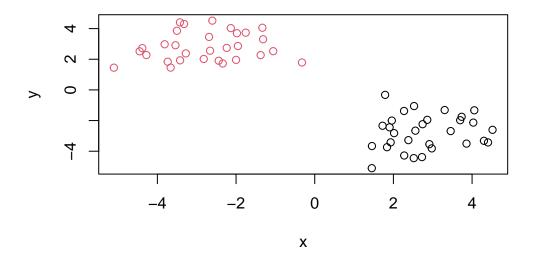


d hclust (*, "complete")

I can now 'cut' my tree with "cutree()' to yield a clister membership vector

```
grps <- cutree(hc,h=8)
grps</pre>
```

```
plot(x, col=grps)
```



You can also tell "cutree()" to cut where it yields k groups

```
cutree(hc, k=2)
```

#Principal Component Analysis (PCA)

```
url <- "https://tinyurl.com/UK-foods"
x <- read.csv(url)</pre>
```

Q1. How many rows and columns are in your new data frame named x? What R functions could you use to answer this questions?

find the number of rows and columns

```
dim(x)
```

[1] 17 5

Preview the first 6 rows

head(x)

	Х	England	Wales	${\tt Scotland}$	N.Ireland
1	Cheese	105	103	103	66
2	Carcass_meat	245	227	242	267
3	Other_meat	685	803	750	586
4	Fish	147	160	122	93
5	Fats_and_oils	193	235	184	209
6	Sugars	156	175	147	139

fix the labeling of the rows, they are set as the first column of our x dataframe instead of proper row names

```
rownames(x) <- x[,1]
x <- x[,-1]
head(x)
```

	England	Wales	${\tt Scotland}$	${\tt N.Ireland}$
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

#now re check number of rows and columns to show it's corrected $\dim(\mathbf{x})$

[1] 17 4

```
x <- read.csv(url, row.names=1)
head(x)</pre>
```

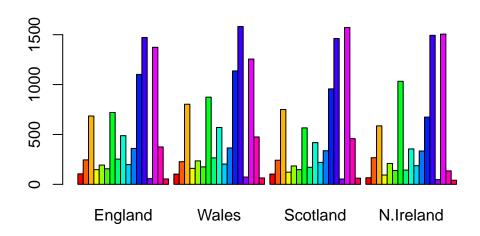
	England	wales	Scotland	N.Ireland
Cheese	105	103	103	66
Carcass_meat	245	227	242	267

Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

Q2. Which approach to solving the 'row-names problem' mentioned above do you prefer and why? Is one approach more robust than another under certain circumstances?

the second is prefered because if you run the code x < -x[,-1] multiple times, it will keep shifting the columns

```
barplot(as.matrix(x), beside=T, col=rainbow(nrow(x)))
```



Q3: Changing what optional argument in the above barplot() function results in the following plot?

can change the beside factor to make it stacked

```
barplot(as.matrix(x), beside=F, col=rainbow(nrow(x)))
```



Q5: Generating all pairwise plots may help somewhat. Can you make sense of the following code and resulting figure? What does it mean if a given point lies on the diagonal for a given plot?

This figure shows all countries compared separately ind eparate plots, and you can mathe up their x and y axis. If a given point lies on the diagonal for a given plot, it means that at that point, both countries have the same value/correlate.

```
pairs(x, col=rainbow(10), pch=16)
```



Q6. What is the main differences between N. Ireland and the other countries of the UK in terms of this data-set?

Northern Ireland has lower values on average than other countries of the UK #Lets use PCA to make this plot easier

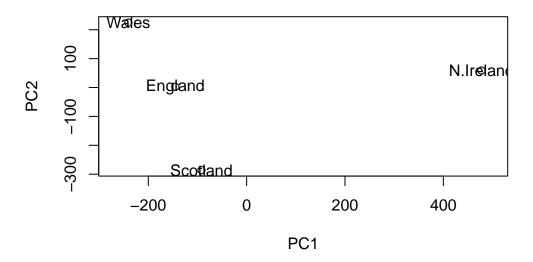
```
pca <- prcomp( t(x) )
summary(pca)</pre>
```

Importance of components:

```
PC1 PC2 PC3 PC4
Standard deviation 324.1502 212.7478 73.87622 4.189e-14
Proportion of Variance 0.6744 0.2905 0.03503 0.000e+00
Cumulative Proportion 0.6744 0.9650 1.00000 1.000e+00
```

Q7. Complete the code below to generate a plot of PC1 vs PC2. The second line adds text labels over the data points.

```
plot(pca$x[,1], pca$x[,2], xlab="PC1", ylab="PC2", xlim=c(-270,500))
text(pca$x[,1], pca$x[,2], colnames(x))
```



add colors

```
plot(pca$x[,1], pca$x[,2], col= c("orange", "red", "blue", "green"), xlab="PC1", ylab="PC2
text(pca$x[,1], pca$x[,2], colnames(x))
```

