$$|U(t)| = \begin{cases} 1 & 0 \le t \le T_{\pm} \\ 0 & 0 \le t \le T_{\pm} \\ 0 & 0 \le t \le T_{\pm} \end{cases}$$

$$|U(t)| = \begin{cases} 8 \cos(2\pi x_{\pm}t) & 0 \le t \le T_{\pm} \\ 0 & 0 \le t \le T_{\pm} \\ 0 & 0 \le t \le t \end{cases}$$

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The six functions work as contained I 217%.

Frequencies near pass through the filter

& frequencies for from decay from six function

```
%Melissa Regalado
%U29407369
%EC401 Lab 5
```

Lab Problem 5.1

```
Fs = 8192;
fc = 1000;
Tf = 0.01;
t = 0:1/Fs:0.1;
B = 1;
g = B*cos(2*pi*fc*t);
w = (t < Tf);
h = w.*g;
cd('/Users/melissaregalado/Documents/MATLAB/EC401/Lab5/');
% compute FT
[G, f] = ctft(g, Fs, 1000);
[W, f] = ctft(w, Fs, 1000);
[H, f] = ctft(h, Fs, 1000);
%plot
figure(1);
plot(f, abs(G));
title('|G(j\omega)|');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
figure(2);
plot(f, abs(W));
title('|W(j\omega)|');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
figure(3);
plot(f, abs(H));
title('|H(j\omega)|');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
%C.)
Fs = 8192;
fc = 1000;
% first filter duration
Tf1 = 0.005;
h1 = dtmffilters(fc, Tf1, Fs);
```

```
[H1, f] = ctft(h1, Fs, 10000);
figure(4);
plot(f, abs(H1));
title('|H(j \setminus mega)| with Tf = 0.005');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
axis([0 2000 0 1]);
% sec filter duration
Tf2 = 0.008;
h2 = dtmffilters(fc, Tf2, Fs);
[H2, f] = ctft(h2, Fs, 10000);
figure(5);
plot(f, abs(H2));
title('|H(j \setminus mega)| with Tf = 0.008');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
axis([0 2000 0 1]);
% thirdfilter duration
Tf3 = 0.02;
h3 = dtmffilters(fc, Tf3, Fs);
[H3, f] = ctft(h3, Fs, 10000);
figure(6);
plot(f, abs(H3));
title('|H(j \omega)| with Tf = 0.02');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
axis([0 2000 0 1]);
% four filter duration
Tf4 = 0.05;
h4 = dtmffilters(fc, Tf4, Fs);
[H4, f] = ctft(h4, Fs, 10000);
figure(7);
plot(f, abs(H4));
title('|H(j \omega)| with Tf = 0.05');
xlabel('Frequency (Hz)');
ylabel('Magnitude');
axis([0 2000 0 1]);
%c.2)
%Larger TF indicates a more narrow passbamnd and definite
% stop bands that better neglect unwanted frequencies . Smaller
% TF allows more freq leakage on edges
% uses a narrower passband to isolate freq while ones ooutside of
% range are attenuated.
```

```
Fs = 8192;
Tf = 0.027;
% center frequencies
freq = [697, 770, 852, 941, 1209, 1336, 1477];
randomized_freq = freq + (rand(1, length(freq)) - 0.5) * 10;
for i = 1:length(freq)
    fc = freq(i);
   h = dtmffilters(fc, Tf, Fs);
                                       % bandpass filter
    [H, f] = ctft(h, Fs, 10000);
    figure(i + 7);
   plot(f, abs(H));
    title(['Frequency Response of Bandpass Filter at ', num2str(fc), ' Hz']);
    xlabel('Frequency (Hz)');
   ylabel('Magnitude');
    axis([0 2000 0 1]);
end
%%Lab Problem 5.2
Fs = 8192;
Tf = 1.0;
frequencies = [697, 770, 852, 941, 1209, 1336, 1477];
key = '5';
sKey = dtmfdial(key, 1.3, Fs);
for i = 1:length(frequencies)
    fc = frequencies(i);
   h = dtmffilters(fc, Tf, Fs);
    [score, E] = dtmfdetect(sKey, h, Fs);
    fprintf('Frequency %d Hz | Score: %d | Energy: %.4f\n', fc, score, E);
end
%2.b)
Fs = 8192; % Sample rate
Ttone = 0.1; % Tone duration
KeysIn = '555-1212'; % Input key sequence
sKeys = dtmfdial(KeysIn, Ttone, Fs); % Make DTMF signal
sound(sKeys,Fs) % Play the signal
Tf_values = [.1];
for Tf = Tf values
    fprintf('Testing with Tf = %.4f seconds\n', Tf);
    KeysOut = dtmfkeys(sKeys, Tf, Fs);
    fprintf('Decoded Key Sequence: %s\n', KeysOut);
end
```

```
qain = 0.2;
noise = gain * (rand(1, length(sKeys)) - 0.5);
noisyKeys = sKeys + noise;
% noisy DTMF signal
KeysOut_noisy = dtmfkeys(noisyKeys, Tf, Fs);
fprintf('Decoded Key Sequence with Noise: %s\n', KeysOut_noisy);
Tf\_short = 0.05;
KeysOut_shortTf = dtmfkeys(sKeys, Tf_short, Fs);
fprintf('Decoded Key Sequence with Shorter Tf: %s\n', KeysOut_shortTf);
% Another approach can FT that can identify specific peaks
%while ignoring freq that dont relate. This would be easier to distinguish
%from noise and interference.
Frequency 697 Hz | Score: 0 | Energy: 0.0000
Frequency 770 Hz | Score: 1 | Energy: 0.7162
Frequency 852 Hz | Score: 0 | Energy: 0.0000
Frequency 941 Hz | Score: 0 | Energy: 0.0000
Frequency 1209 Hz | Score: 0 | Energy: 0.0000
Frequency 1336 Hz | Score: 1 | Energy: 0.7162
Frequency 1477 Hz | Score: 0 | Energy: 0.0000
Testing with Tf = 0.1000 seconds
Decoded Key Sequence: 5551212
Decoded Key Sequence with Noise: ?
Decoded Key Sequence with Shorter Tf: 5551212
```





























