

Hacettepe University
Computer Science and Engineering Department



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| Identity Number | : 21527381 |
| Course | : BBM 104 Introduction to Programming II Lab |
| Experiment | : Lab1-Introduction to Java on eclipse platform |
| Subject | : Math with Java |
| Data Due | : 8.03.2017 23:29 |
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| Main Program | : HelloJava.java |

2. Software Using Documentation

2.1. Software Usage

Software input is *input.txt*. Input file reads such that an argument. Software output is write console. I wrote with eclipse neon2.0 and java jdk1.8.

3. Software Design Note

3.1 Description Of The Program

In this assignment I have developed a very simple application which does some mathematical calculations. Shortly these tasks;

- i- Integral computation via middle Riemann sum with in a range
- ii- Numerical approximation of $\text{arcsinh}(x)$ function by Maclaurin series
- iii- Finding the Armstrong (narsist) numbers within a range

To do assignment, I read the input.txt (command) file supplied as input. I gave this file a command argument.

3.1.1 Problem

Calculation of the area under the given 3 functions using the middle Riemann sum.

$\text{Func1}(x) = x^2 - x + 3$ $\text{Func2}(x) = (3\sin(x) - 4)^2$ $\text{Func3}(x) = \text{Arcsinh}(x)$

For second operation, I will implement $\text{arcsinh}(x)$ function as Maclaurin Series.

(Defining the $\text{Arcsinh}(x)$ function)

For third section, I am to find out and print the Armstrong numbers whose digit number is below or equal to the given digit parameter.

(Armstrong number example: $407 = 4^3 + 0^3 + 7^3$)

3.1.2 Solution

For the first stage, I use to middle Riemann Sum.

The sum is calculated by dividing the region up into rectangles that form a region that is similar to the region being measured, then the area for each of these shapes, and finally adding all of these small areas together. I wrote this algorithm and applied it to the values in the given input file.

For the second stage, the formula for the $\text{arcsinh}(x)$ function is given to me. I wrote this formula with get help the math class in Java

For the third stage, firstly I wrote an algorithm that checks for Armstrong numbers. Later, I setted the number ranges according to the digit. I sent every number in range to function I wrote.

3.2 System Chart

INPUT

Command syntax:

IntegrateRiemann name_of_function a b number_of_partitions

String String int int int

IntegrateReimann Func1 -5.0 12.0 40

PROGRAMS

Name:

MiddleReimannSum (String Func, double dFirst, double dLast, int iAreaNum)

OUTPUT

Command syntax:

IntegrateRiemann name_of_function a b number_of_partitions Result: c

String String int int int String int

IntegrateReimann Func1 -5.0 12.0 40 Result:608.9107812499999

INPUT

Arcsinh value

String double

Arcsinh 0.4

PROGRAMS

ArcsinhFunc(double x)

OUTPUT

Arcsinh 0.4 Result:0.39003531977071526

INPUT

Command syntax:

Armstrong value

String int

Armstrong 3

PROGRAMS

ArmDigit (int iDigit)

OUTPUT

Armstrong 3 Result:0 1 2 3 4 5 6 7 8 9 153 370 371 407

3.3 Function and Tasks

3.3.1 Main Function

Program begins in main function. This function reads the input file, parses the input file and calls the other functions.

3.3.2 MiddleReimannSum Function

The function is calculated by dividing the region up into rectangles that together form a region that is similar to the region being measured, then calculating the area for each of these shapes, and finally adding all of these small areas together.

3.3.3 f1 Function

This function is defined to Func1. $\text{Func1}(x) = x^2 - x + 3$

3.3.4 f2 Function

This function is defined to Func2. $\text{Func2}(x) = (3\sin(x) - 4)^2$

3.3.5 f3 Function

Func3 is $\text{Arcsinh}(x)$. The function is called $\text{ArcsinhFunc}()$

3.3.6 FactFunc Function

This function makes factorial account.

3.3.7 ArcsinhFunc Function

This function is defined to arcsinh function. $\text{arcsinh}(x) = \sum (-1)^n (2n)! / 4^n (n!)^2 (2n+1) * (x)^{2n+1}$.

3.3.8 AmsNumControl Function

This function checks whether a number is an armstrong number.

3.3.9 ArmDigit Function

The function sets range of numbers for the given digit.

The function sends the specified numbers to the function $\text{AmsNumControl}()$

3.4 Algorithm

- 1- Program begins in main function
- 2- Read the input.txt with args.
- 3- Parse and split the input.txt with args.
- 4- Shared tasks by split [0] (name)
- 5- The program call the MiddleReimannSum Function
- 6- The proper function (f1, f2, f3,) is selected and called
- 7- The result of IntegrateReimann is found and print on the console.
- 8- Arcsinh function is called.
- 9- FactFunc function is called
- 10-Arcsinh function is calculated
- 11-The result of Arcsinh function and print on the console
- 12- The program call the ArmDigit Function
- 13-The function set range of numbers for the given digit.
- 14-The function AmsNumControl is called for the specified range
- 15- The result of armstrong number is found and print on the console.
- 16- Program ends.

4. Comment

Homework was easy overall. But this is my first program with java. So I'm a little tough. Especially if you learn to parse a file. But thanks to this assignment, I got a better understanding of the logic by java. I learned Java methods (function) too. I have learned to java syntax. I learned the application of math class. I saw that the java is much more difficult than python. ☺ It was a useful homework for me in general.

5. References

<https://docs.oracle.com/javase/8/docs/>

<https://www.tutorialspoint.com/java/index.htm>

http://web.cs.hacettepe.edu.tr/~bbm102/misc/java_notes_by_oa.pdf