

## Problem 13.2

Musab Mehadi

mmehadi@jacobs-university.de

Robin Karp string search algorithm basically uses hashes to determine specific matching strings from a given array.

Assuming we are using prime number  $P$ .

- We first calculate the hash value of our required substring
- $X = \text{old hash} - \text{value of old char}$
- $X = X/P$
- $\text{new hash} = X + P^{(n-1)} * \text{new char}$ , where  $n = \text{size of substring}$
- If our hash matches we proceed to comparing the elements

The lines from the second step to the last are really helpful in that they help us to avoid computing the <sup>same</sup> values multiple times. (giving us a better time complexity)

Let's assume we are trying to find  
abc in abedabc

$$\begin{aligned} a \ b \ c &= 1 \times 3^0 + 2 \times 3^1 + 3(3^2) & a &= 1 & P &= 3 \\ &= \underline{34} & b &= 2 \\ & & c &= 3 \\ & & d &= 4 \\ & & \vdots & \\ & & z &= 26 \end{aligned}$$

$$a \ b \ e = 1(3^0) + (2 \times 3) + (5 \times 3^2) = 52 \neq 34$$

$$b \ e \ d = \frac{52-1}{3} + (4 \times 3^2) = 53 \neq 34$$

$$e \ d \ a = \frac{53-5}{3} + (1 \times 3^2) = \text{NA} = 26 \neq 34$$

diagram  $\Rightarrow$  25

$$\begin{array}{c} | \\ d \ a \ b \\ | \end{array} = \frac{26-5}{3} = 7 + 9 \times 2 = 25 \neq 34$$

$$\begin{array}{c} | \\ a \ b \ c \\ | \end{array} = \frac{25-4}{3} + (3 \times 3^2) = \underline{\underline{34 = 34}} \quad \text{OK}$$

Time complexity depends on the size of substring and  
the size of <sup>larger</sup> array  $O(nm)$ .