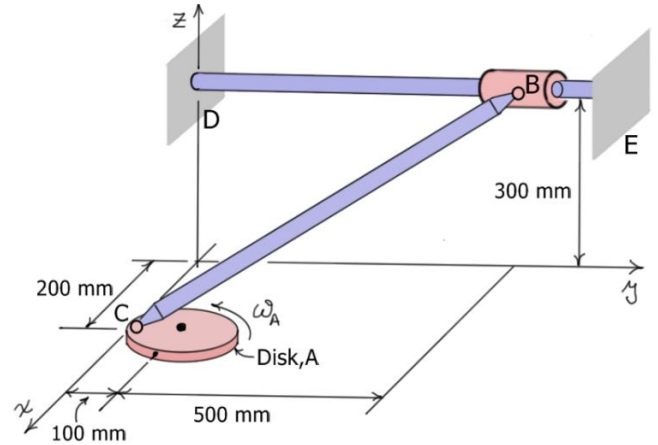
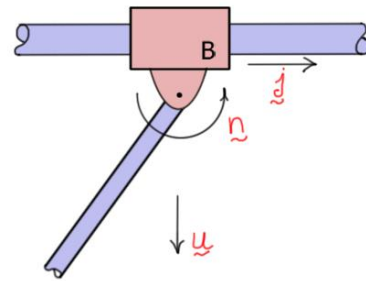


- 1) The figure shows a three-dimensional slider crank mechanism. The (x, y, z) axes shown represent a fixed reference frame R . At the instant shown, disk A has angular velocity ${}^R\omega_A = 10\mathbf{k}$ (rad/sec).

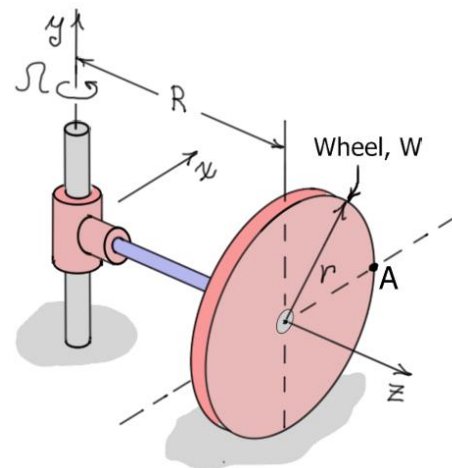
- a) If BC is attached to both the disk and the collar with ball-and-socket joints, find ${}^R\omega_{BC}$ and ${}^R\mathbf{v}_B$. In this case, assume that ${}^R\omega_{BC}$ is **perpendicular** to BC .



- b) If the ball-and-socket joint at the collar is replaced with the **two-axis joint** shown at the right, find ${}^R\omega_{BC}$ and ${}^R\mathbf{v}_B$. In this case, the rod BC rotates relative to collar C about the axis defined by the unit vector \mathbf{n} which is perpendicular to the plane BCD , and the collar translates and rotates about the \mathbf{j} direction. In this case, ${}^R\omega_{BC}$ is **perpendicular** to the vector $\mathbf{u} = \mathbf{j} \times \mathbf{n}$.



- 2) The system shown consists of a vertical column, a horizontal axle, and a wheel of radius r . The horizontal arm rotates at a **constant** rate Ω , and the wheel (W) rolls without slipping in a circular arc. Find ω_W and α_W the angular velocity and angular acceleration of the wheel relative to a fixed frame, and find \mathbf{v}_A and \mathbf{a}_A the velocity and acceleration of point A .



- 3) In the system shown, beveled gear A rolls on beveled gear B . As it rolls on B it spins about the axle AD which is pinned to the vertical shaft DE . If DE rotates at a **constant** angular velocity ω_1 (rad/sec), find ${}^{AD}\omega_A$ the angular velocity of gear A relative to the axle AD , ${}^R\omega_A$ the angular velocity of gear A , ${}^R\alpha_A$ the angular acceleration of gear A , and \underline{a}_C the acceleration of tooth C of gear A .

