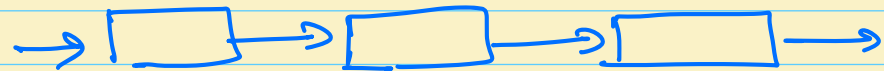


Tree

9:05 pm

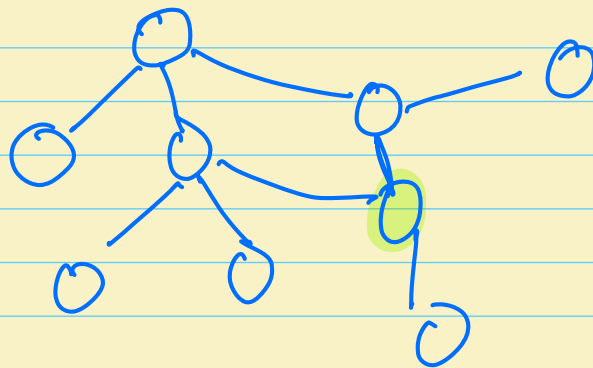
Array, linked list, stack, queues:

↳ Linear data structure,

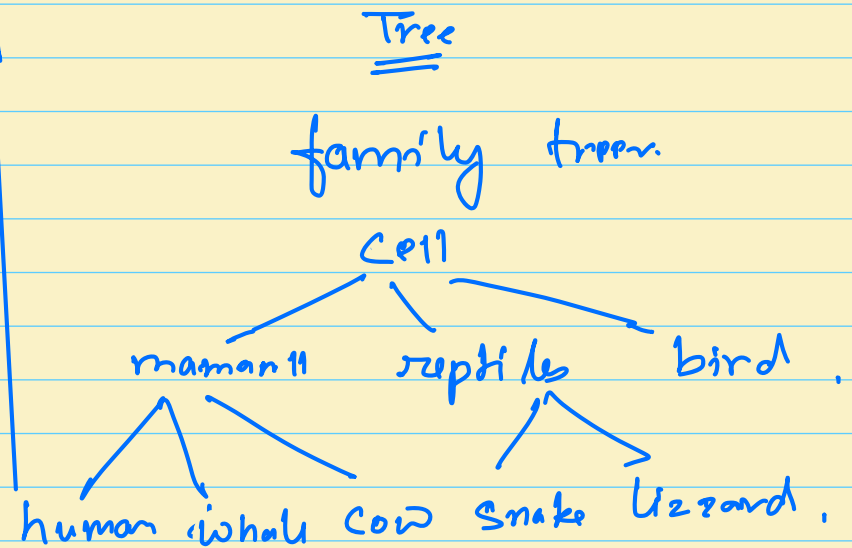


→ Non-linear data structure.

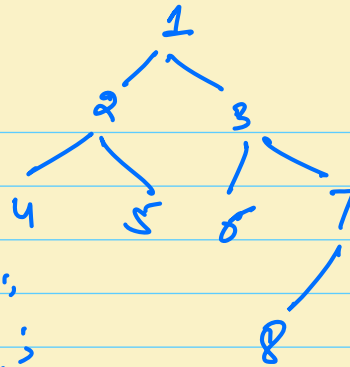
↳ Trees
↳ Graphs.



Tree → hierarchical way of representing data.

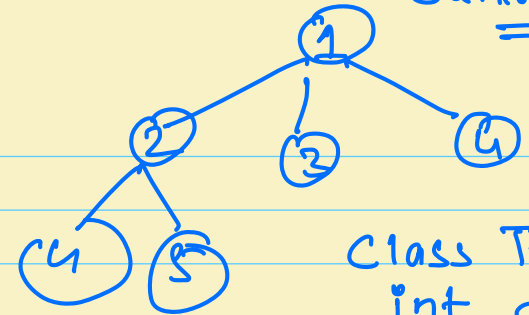


Binary



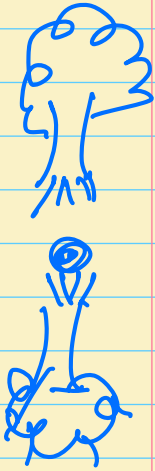
```
{ class TreeNode
  int data;
  Tree left;
  Tree right;
}
```

Generic tree

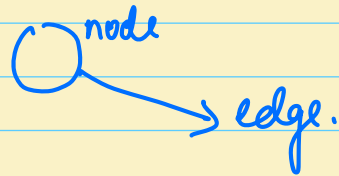


```
class TreeNode {
  int data;
  list<Tree>
  ref's
}
```

Naming



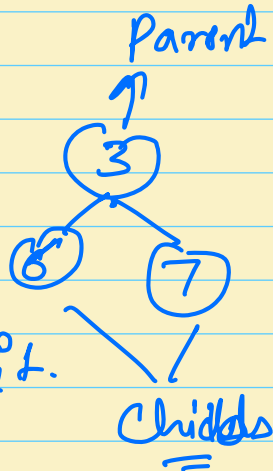
- 1) Node : An element in the tree contains data and may have child nodes connected.



- 2) Root : Top most node of the tree.

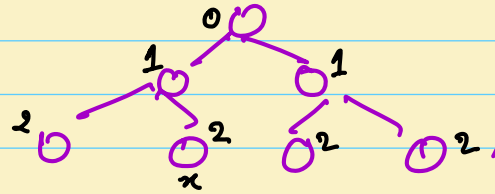
- 3) Parent : A node that has child connected to it.

- 4) Child : A node that has parent connected to it.



5) leaf: A node that has no child.

6) Depth: The level at which node reside in the tree.



depth of $x = 2$

7) Height: The length of the longest path from node to leaf.
height of the tree is length from root to leaf [longest]

8) Subtree: A tree that is part of larger tree.

9) Sibling: Nodes that share the same parent node.

(1) \rightarrow 2 and 3 are their sibling

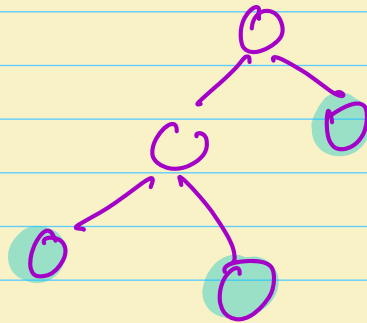
10) Ancestor: All the node from parent to the root node upwards.

(8) \rightarrow 1, 3, 7

21) Descendant:

All nodes from child to the leaf node along that path.

Ques = 3

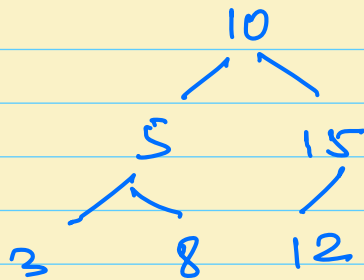


ans = 0

Binary Tree

↳ It can have atmost 2 childs

0, 1, 2 childs.



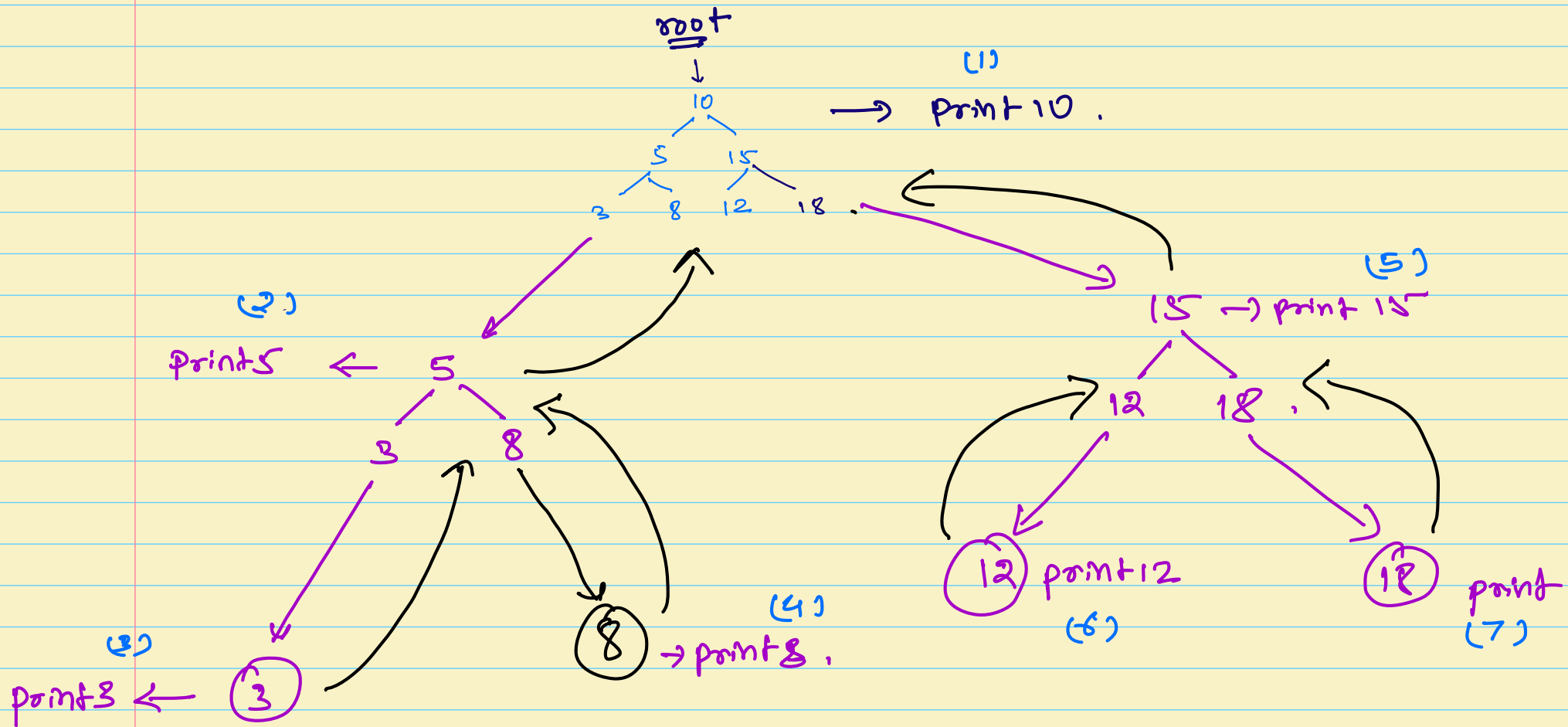
Traversal of the Tree

(1)

Preorder Traversal

node left right
(N L R)

- 1) visit the current node, (print)
- 2) left of the sub tree.
- 3) Right of the sub tree.



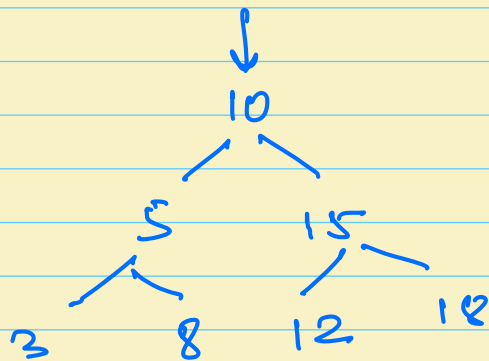
10, 5, 3, 8, 15, 12, 18

Pseudo code

```
void preorder (root)
{
    if (root == null) return
    print (root.data)
    preorder (root → left) // left
    preorder (root → right) // right
}
```

(2) Inorder traversal [L N R]

- 1) Traverse left subtree.
- (2) print the current node.
- (3) Traverse the right subtree.



BST \Rightarrow

\hookrightarrow inorder traversal

\downarrow
sorted list.

3, 5, 8, 10, 12, 15, 18

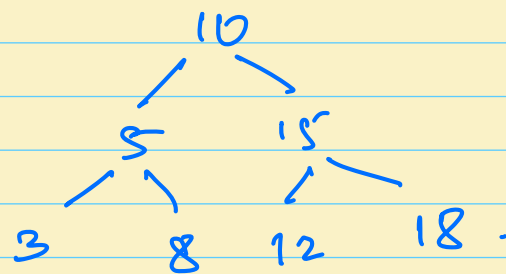

```

void inorder (root)
{
    if (root == null) return

    inorder (root → left) // left
    print (root.data)
    inorder (root → right) // right
}

```

③ Post order traversal (L R N)



- (1) Travers left sub tree
- (2) Travers right sub tree
- (3) print node.

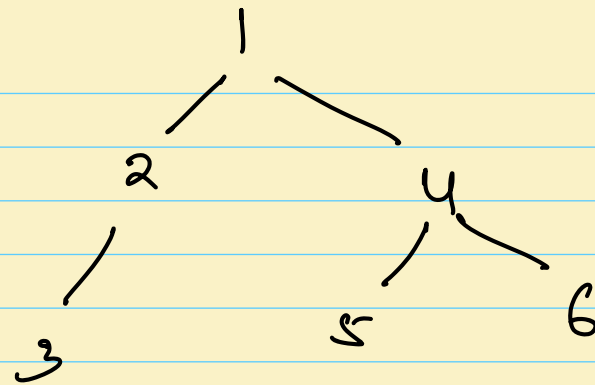
3, 8, 5, 12, 18, 15, 10

pseudo code,

```
void postorder (root)
{
    if (root == null) return

    postorder (root → left) // left
    postorder (root → right) // right
    print (root.data)
}
```

Quiz



inorder. LNR

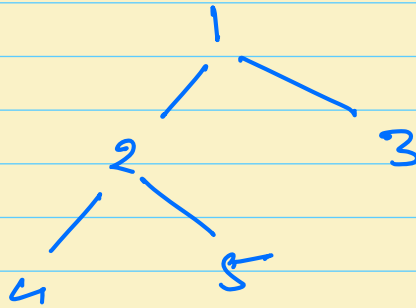
left
print
Right.

3, 2, 1, 5, 4, 6

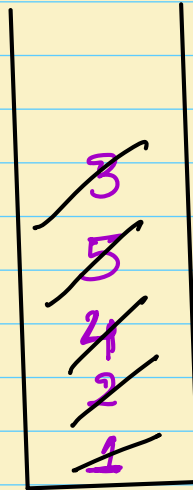
$O(n)$

number of
nodes in the tree

Iterative Inorder traversal



L N R



4, 2, 5, 1, 3

pseudo code

cur = root.

st = () // stack,
=

while (cur != null || !stack.isEmpty())
{

if (cur != null)
{

st.push(cur)
cur = cur.left;

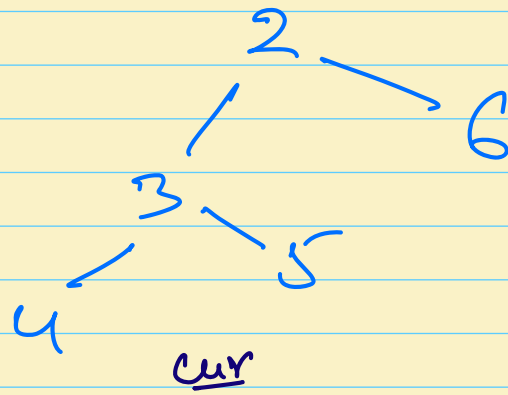
}
else
{

cur = st.pop();
print (cur.data);
cur = cur.right;

}

if (st.empty())
break;

}



4, 3

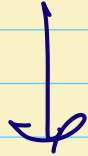
~~5~~
~~4~~
~~3~~
2

Ques

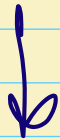
Flipkart \rightarrow



order is placed



provide efficient mechanism



sort the order based on
time of placing.

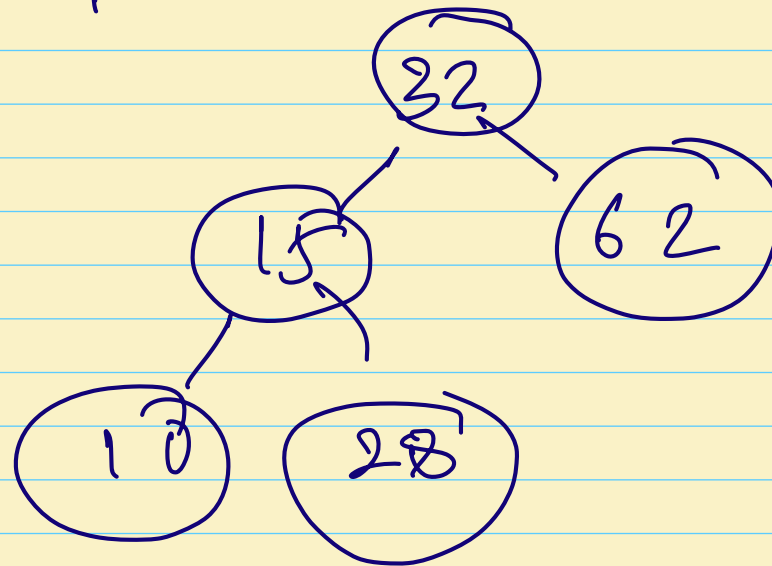
$O_1 \rightarrow t_1$

$t_1' < t_2 < t_3$

$O_2 \rightarrow t_2$

$O_3 \rightarrow t_3$

\vdots



Inorder traversal



number in sorted
format

Ques

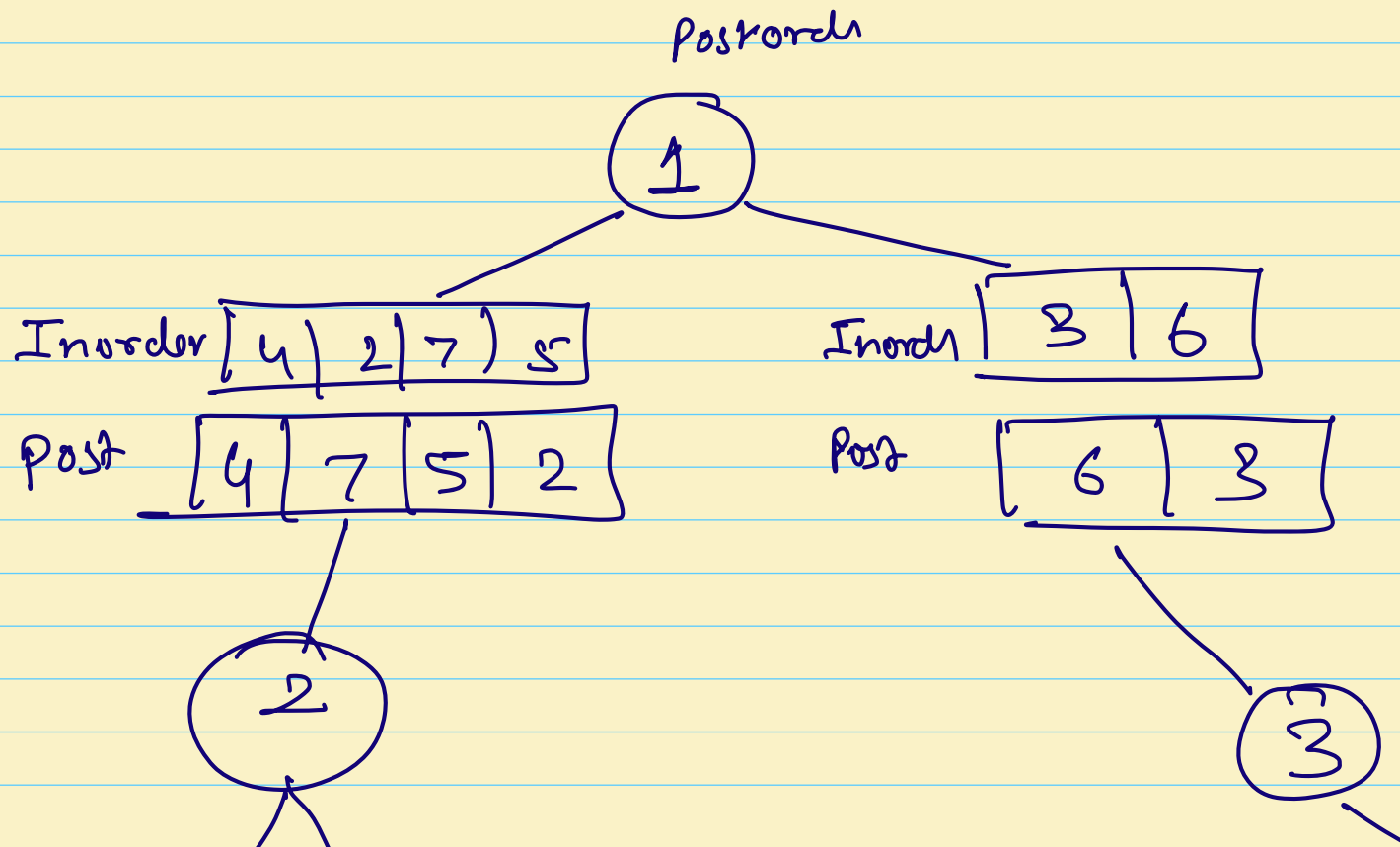
(L N R)

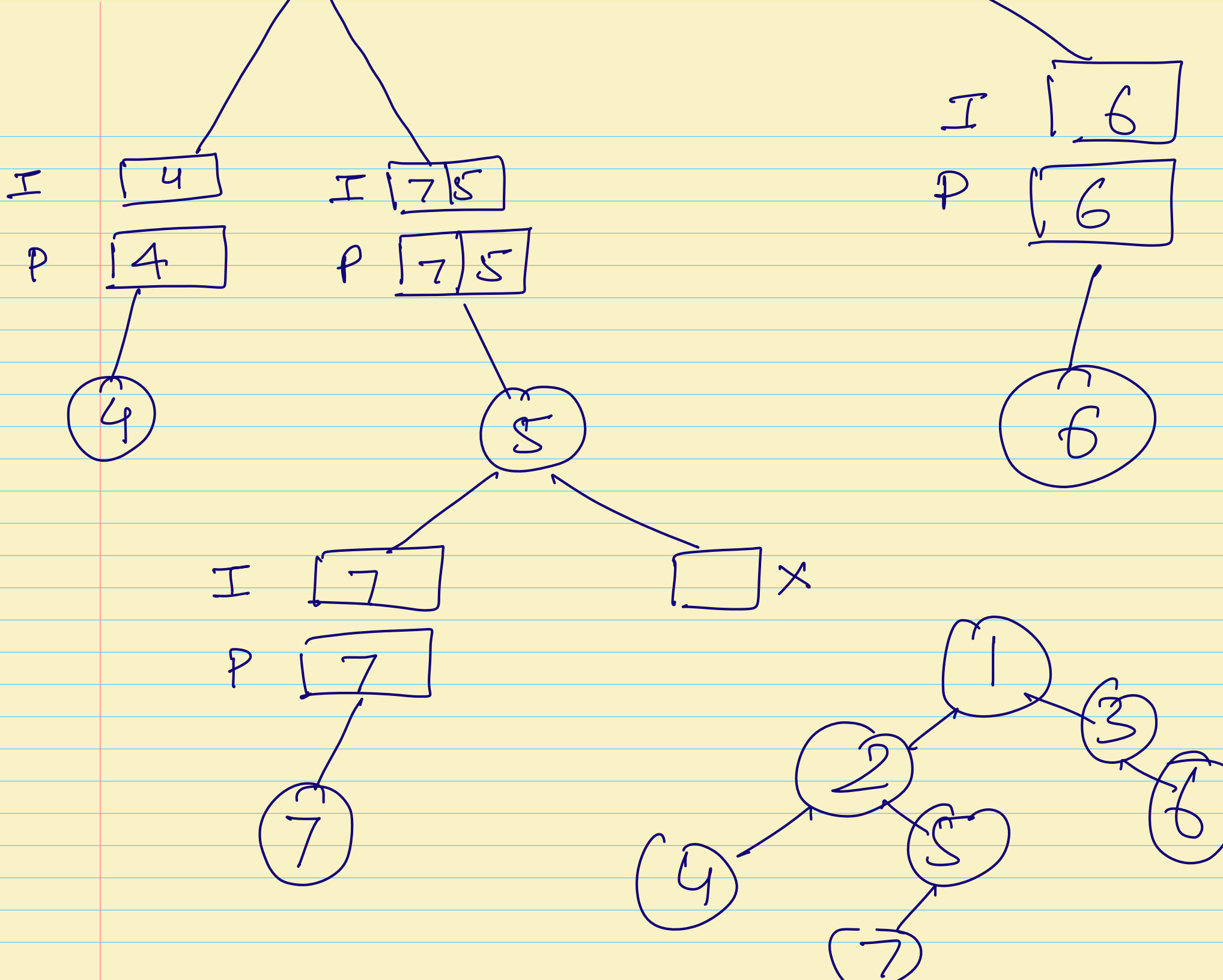
Inorder: [4, 2, 7, 5, 1, 3, 6]

Postorder: [4, 7, 5, 2, 6, 3, 1]

(L R N)

Create a tree using the above traversal.





Last element of postorder \rightarrow root

function buildTree (inorder[], postorder[])

if postorder is empty:
return null;

rootValue = postorder.last

root = new TreeNode (rootValue);

rootIndex = index of (inorder, rootValue)

leftPartI = subarray (inorder, start, rootIndex - 1)

rightPartI = subarray (inorder, rootIndex + 1, end)

leftPartP = subarray (post order, start, rootIndex - 1)

I:

0	1	2	3
4	2	7	5

Post:

0	1	2	3
4	7	5	2

rootIndex = 1
Inorder

0	1
4	2

leftPartI =

4

rightPartI =

7	5
---	---

Post Order.

0, 0

left Part P = 4

right Part P = 7 | 5

right Part P = Subarray (post order,
rootIndex, end-1)

root.left = buildTree (leftPart I,
leftPart P)

root.right = buildTree (rightPart I, rightPart P)

return root;

}

T.C, $O(N)$

S.C: $O(N)$,