Project 2: AI APPRAISER

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Overview

Our stakeholder is a mortgage lender who would like more accurate appraisals to reduce risk for home loans. We analyzed the King County (CA) House Sales dataset using machine learning to develop a model for predicting the value of a house. The model accurately predicts the value of a house with information available to the bank at time of appraisal, and would be a good tool for making loan decisions. We recommend using this model along with existing appraisers to reduce risk and increase profit margins.

Business Problem

Our stakeholder is a mortgage lender who wants to increase the accuracy of their appraisals in order to reduce the risk of default, especially loans which have the minimum possible down payment (20%) without Private Mortgage Insurance. These loans are worth 80% of the purchase price of the house. If a borrower defaults immediately, our stakeholder wants confidence they'll be able to re-sell the house and cover the entire loan. At the same time, they do not want artificially low appraisals, as those would drive clients to competing lenders. Specifically, we want to maximize the number of appraisals which are between 80% and 105% of the true value of the house in order to minimize risk while remaining attractive to borrowers.

Data Understanding

This project uses the King County House Sales dataset, which can be found in kc_house_data.csv in the data folder in this repo. The description of the column names can be found in column_names.md in the same folder. As with most real world data sets, the column names are not perfectly described, so you'll have to do some research or use your best judgment if you have questions about what the data means.

- Where did the data come from, and how do they relate to the data analysis questions? The
 data come from house sales in King County, and they help us relate all of the features we are
 interested in (sqft, waterfront, renovated or not)
- What do the data represent? Who is in the sample and what variables are included? Only
 houses that have sold are in the sample, and variables include comparisons to nearby
 houses (_15 suffixed variables), metrics about the house that was sold and its lot (sqft),
 whether and when renovations were last done, and the original year it was built.
- What is the target variable? The target variable is the sale price of the house. A secondary target could be views; which could be used as a proxy for time-on-market.
- What are the properties of the variables you intend to use? Almost all of the variables we
 intend to use are numeric, except one binary variable (waterfront or not). Some of the
 variables are cyclic in nature (month), which we hope to capture in our feature selection.

```
In [1]: import pandas as pd
        import numpy as np
        import matplotlib.pyplot as plt
        import seaborn as sns
        import pprint
        import code.preprocessing as prep
        import code.visualization as vis
        from sklearn.model selection import train test split
        from sklearn import datasets, ensemble, linear model, neural network
        from sklearn.pipeline import Pipeline
        from sklearn.preprocessing import StandardScaler, PolynomialFeatures
        from sklearn.model selection import GridSearchCV, KFold
        from sklearn.feature selection import RFECV
        # NEW
        from sklearn.inspection import plot partial dependence
        from xgboost import XGBRegressor
```

Data Preparation

Clean data:

- Id remove.
- bedroom replace outlier data. (33 bedrooms to 3)
- Waterfront guess for Nan Value.
- Date seperate year, month and day. Try sin/cos for month to cycle twelve months. remove date.

- sqft living dif sqft living -sqft living15.
- sqft lot dif sqft lot sqft lot15.
- year_renovated fill the Nan with the average of the renovated year, add new column 1 or 0 for renovated.
- sqft_basement replace '?' to None.
- View -Removed

Since our business problem is making an appraisal, we only used data that would be available during an appraisal. This led us to remove the "views" variable.

Most other changes helped specific models which we did not end up using (changing year_renovated to average, and introducing a new field helped when Scaling Data for input into NN models for example), but did not harm other models so kept the changes so we could evaluate all models on one data set.

For our business problem, explainability of the model was less of a concern than accuracy, so we kept correlated columns like sqft_above and sqft_living.

First Model

After decide use sklean, first thing to try is LinearRegression().

```
In [3]: RANDOM_SEED = 5
    X train. X test. v train. v test = train test split(clean data. target da
In [4]: prep.model(linear model.LinearRegression(), X train, X test, v train, v to
Out[4]: 0.7178468857665168
```

Modeling

Try different model:

- Ridge(random state = RANDOM SEED),
- BayesianRidge(),
- LinearRegression(),
- RandomForestRegressor(random_state = RANDOM_SEED),
- GradientBoostingRegressor(random state = RANDOM SEED),
- neural network.MLPRegressor(solver="lbfgs", random state = RANDOM SEED)
- XGBRegressor()

Use pipline with PCA, PolynomialFeatures or StandardScaler, use GridSearchCV to found the best hyperparameters:

Questions to consider:

We found explainability was good enough with partial_dependence plots, so we did not restrict our analysis to easily explainable models like linear regression. Explainability was less important because getting the right answer on average is the most important thing for making a profit as a mortgage lender.

Some variables had clear nonlinear effects (yr_built, latitude, longitude), which made it hard to get good performance from a linear model. We tried many different regressors built into scikitlearn with default parameters to decide which models were worth tuning. After we found that GradientBoostingRegressor was best, we decided to install and use xgboost (third party library for boosting decision trees) to see if that improved performance.

We decided xgboost was best, so we used GridSearchCV to find good hyperparameters without overfitting. We had to leave it running overnight several days in a row, but the results got us very

```
In [5]: xg_model= XGBRegressor(learning_rate=0.008, max_depth=6, gamma=0, n_estimprep.model(xg model, X train, X test, v train, v test)
```

Out[5]: 0.892431332061363

In [6]: for column in X train.columns:

plot partial dependence (xq model, clean data, [column])

C:\Users\steve\anaconda3\lib\site-packages\sklearn\inspection_plot\pa rtial_dependence.py:863: RuntimeWarning: More than 20 figures have bee n opened. Figures created through the pyplot interface (`matplotlib.py plot.figure`) are retained until explicitly closed and may consume too much memory. (To control this warning, see the rcParam `figure.max_ope n_warning`).

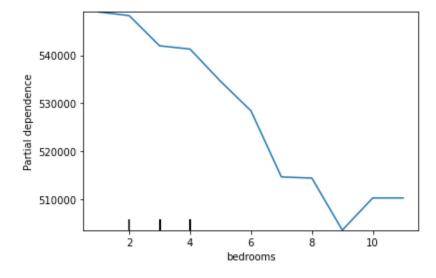
_, ax = plt.subplots()

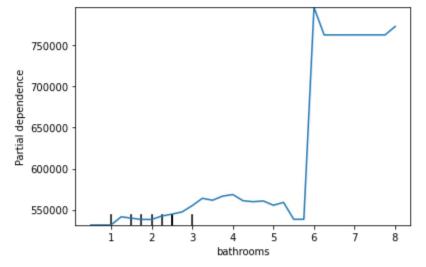
C:\Users\steve\anaconda3\lib\site-packages\sklearn\inspection_plot\pa rtial_dependence.py:863: RuntimeWarning: More than 20 figures have bee n opened. Figures created through the pyplot interface (`matplotlib.py plot.figure`) are retained until explicitly closed and may consume too much memory. (To control this warning, see the rcParam `figure.max_ope n warning`).

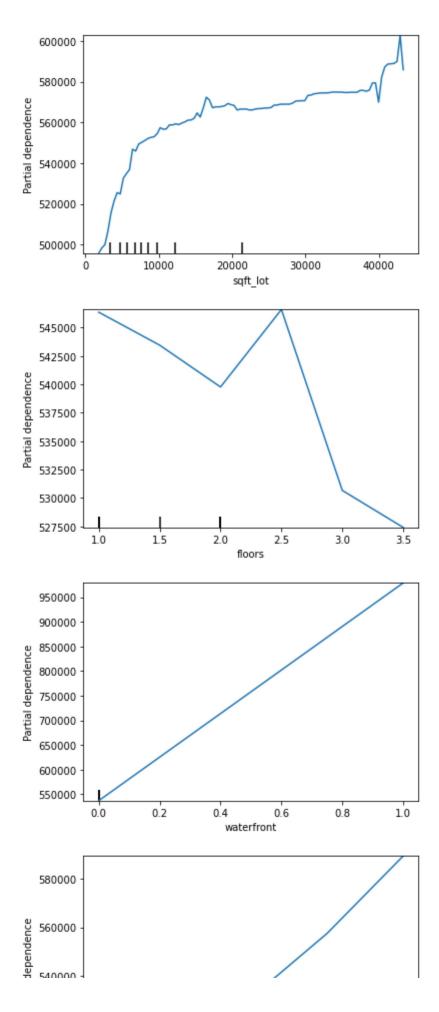
_, ax = plt.subplots()

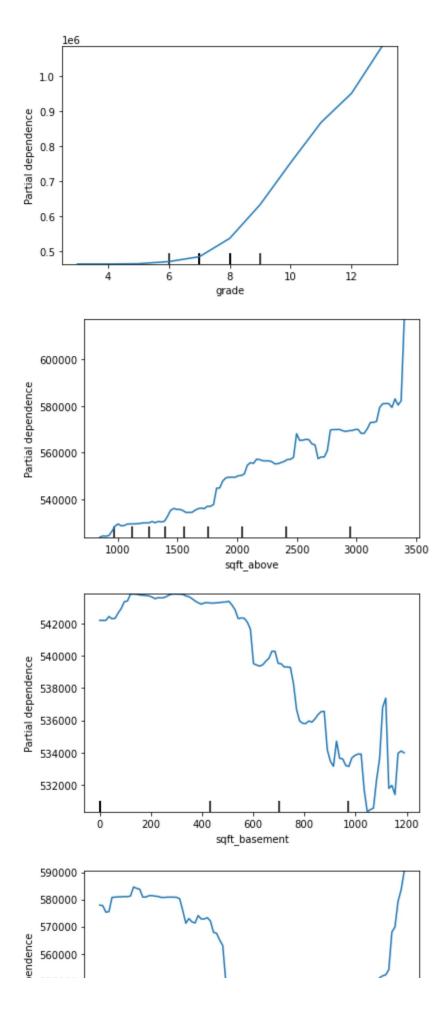
C:\Users\steve\anaconda3\lib\site-packages\sklearn\inspection_plot\pa rtial_dependence.py:863: RuntimeWarning: More than 20 figures have bee n opened. Figures created through the pyplot interface (`matplotlib.py plot.figure`) are retained until explicitly closed and may consume too much memory. (To control this warning, see the rcParam `figure.max_ope n_warning`).

, ax = plt.subplots()

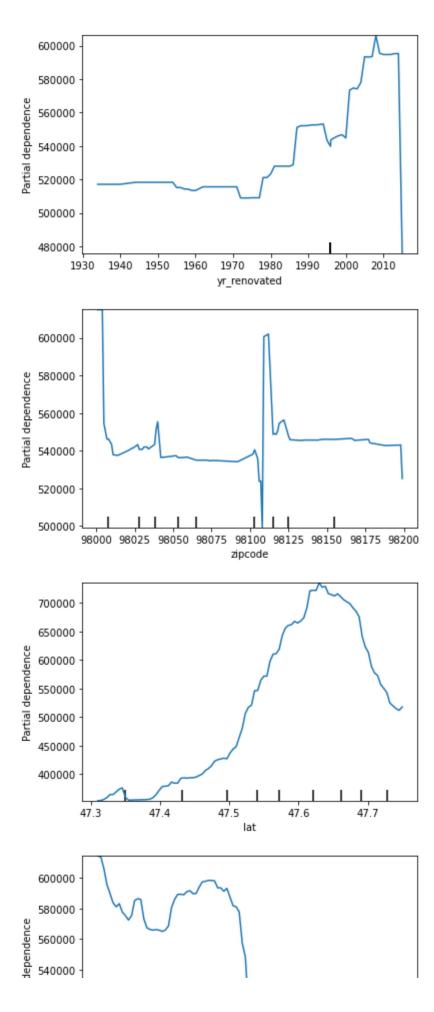


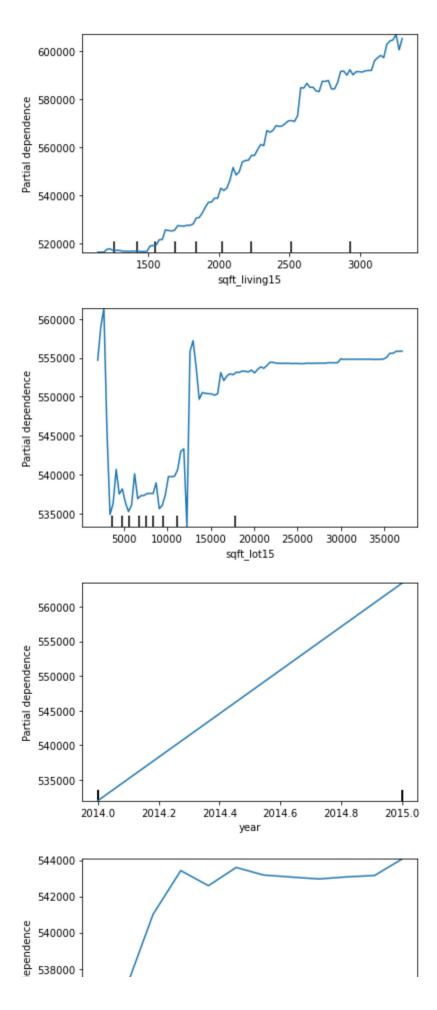




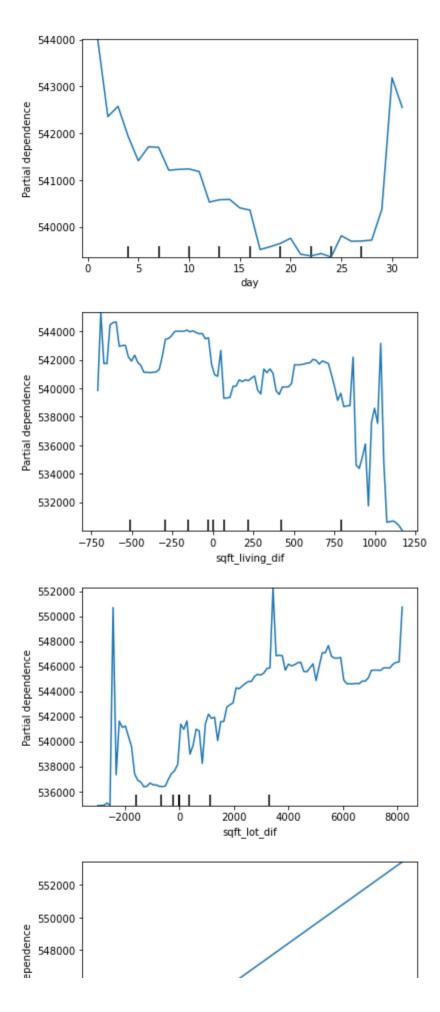


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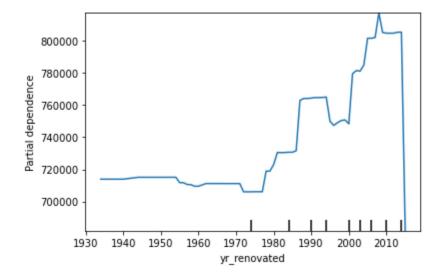




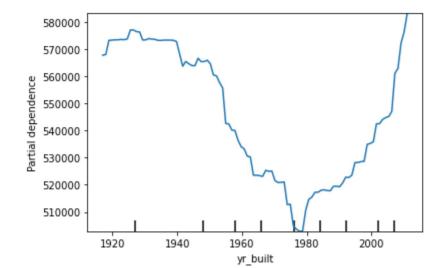
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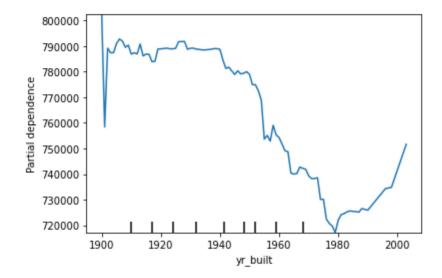
In [7]: plot partial dependence (xα model, clean data[clean data["renovated"]==1].



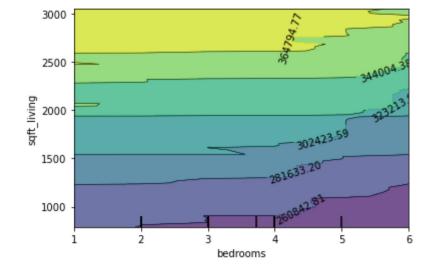
In [8]: plot partial dependence(xq model, clean data[clean data["renovated"]==0].

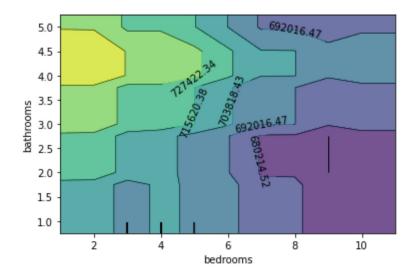


In [9]: plot partial dependence(xq model, clean data[clean data["renovated"]==1],

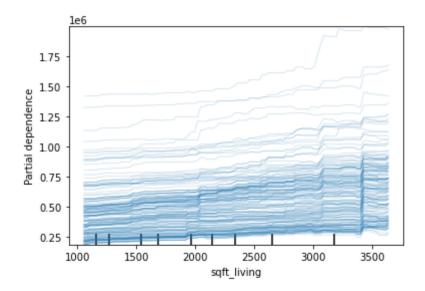


In [10]: plot partial dependence(xq model, clean data[clean data['zipcode'] == 981





In [12]: plot partial dependence(xg model, clean data[:200], ['sgft living'], kind:



Evaluation

```
In [13]: waterfront = (clean_data["waterfront"] == 1)
not_waterfront = (clean_data["waterfront"] == 0)
pred_data = x\alpha model.predict(clean_data)
```

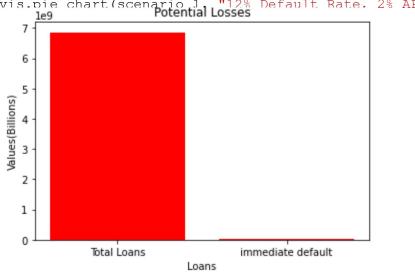
```
In [23]: high_appraisals = pred_data * .8> target_data
good_appraisals = (pred_data * .8 <= target_data) & (pred_data * 1.05 >=
low_appraisals = pred_data *1.05 < target_data</pre>
```

```
# Houses where 80% of appraised value exceeded sale price
# Risk of losing money if borrowers default on these loans
print("80% of Appraisal > Sale Price (High Appraisal): ",len(clean_data[h
# Houses where 100% of appraised value fell short of sale price
# Difficult to find borrowers for these loans
print("Sale Price between 80% and 105% of appraisal (Good Appraisal): ",
# Borrowers will walk away
print("105% of appraisal < Sale Price (Low Appraisal): ". len(clean data[...80% of Appraisal) > Sale Price (High Appraisal): 1128
Sale Price between 80% and 105% of appraisal (Good Appraisal): 14427
105% of appraisal < Sale Price (Low Appraisal): 6042</pre>
```

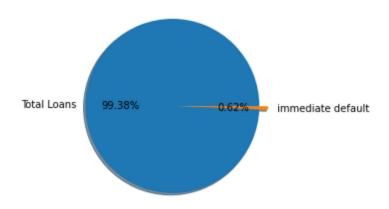
```
In [24]: total low loans = sum(pred data[low appraisals]*.8)
                                  total good loans = sum(pred data[good appraisals]*.8)
                                  total high loans = sum(pred data[high appraisals]*.8)
                                  # Do not include low, we assume low appraisals scared off borrowers
                                  total loans = total high loans + total good loans
                                  print("Total missed loans (Low Appraisals): ", total low loans)
                                  print("Total loans (Good Appraisals): ", total good loans)
                                  print("Total loans (High Appraisals): ", total high loans)
                                  print("Total loans (total): ", total loans)
                                  print()
                                 print("Average missed loan (Low Appraisals): ", total low loans/ len(pred
                                  print("Average loan (Good Appraisals): ", total good loans/ len(pred data
                                  print("Average loan (High Appraisals): ", total high loans/ len(pred data
                                  print()
                                  # Houses where 80% of appraised value exceeded sale price
                                  # Risk of losing money if borrowers default on these loans
                                  immediate default losses = pred data[high appraisals] *.8 - target data[high appraisal
                                  print("Total losses from High Appraisals (immediate default): ", sum(immediate default): ", sum(immedi
                                  print("Losses from High Appraisals (immediate default) as % of total loan
                                  print("Average loss from High Appraisals (immediate default): ", sum(immediate default): ", sum(immedi
                                  print()
                                  Total missed loans (Low Appraisals): 2484016628.9492188
                                  Total loans (Good Appraisals): 6456764666.5078125
                                  Total loans (High Appraisals): 400871010.2578125
                                  Total loans (total): 6857635676.765625
                                  Average missed loan (Low Appraisals): 411124.89721105905
                                  Average loan (Good Appraisals): 447547.28401662246
                                  Average loan (High Appraisals): 355382.10129238694
                                  Total losses from High Appraisals (immediate default): 42868671.25781
                                  Losses from High Appraisals (immediate default) as % of total loans :
                                  0.6251231952005845
                                  Average loss from High Appraisals (immediate default): 38004.14118600
                                  399
In [25]: loan values = {'Missed Loans': total low loans,
                                                                                         'Good Loans': total good loans,
                                                                                         'Risky Loans': total high loans}
                                  number appraisal = {'Low Appraisal': len(clean data[low appraisals]),
                                                                                                           'Good Appraisal': len(clean data[good appraisals]),
                                                                                                           'High Appraisal': len(clean data[high appraisals])
                                  risk loans = {'Total Loans': int(total loans),
                                                                                  'immediate default': int(sum(immediate default losses))}
In [32]: vis.bar chart(risk loans, "Loans", "Values(Billions)", "Potential Losses"
```

```
# Assume default rate of 50%, all defaults occur immediately.
scenario_1_default_rate = .12
scenario_1_losses = immediate_default_losses * scenario_1_default_rate
# Assume 1% interest rate.
# A 30 year fixed rate mortgage with a 2% APR would result in about 33% i
scenario_1_interest = (total_loans * (1-scenario_1_default_rate)) * .33

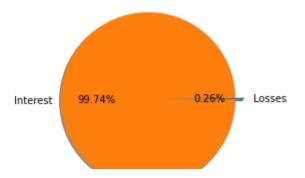
scenario_1 = {
    "Losses": sum(scenario_1_losses),
    "Interest": scenario_1_interest,
}
vis.pie_chart(risk_loans, "Potential Losses")
vis.pie_chart(scenario_1, "12% Default_Rate, 2% APR")
Potential Losses
```



Potential Losses

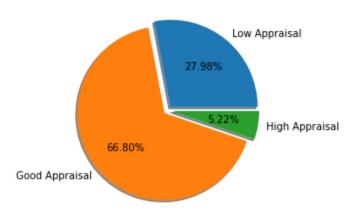


12% Default Rate, 2% APR

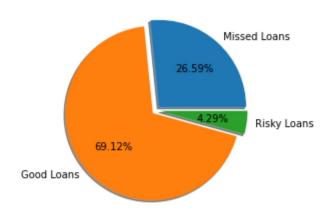


```
In [27]: vis.pie_chart(number_appraisal, "Number of Appraisal")
vis.pie_chart(loan_values, "Loan Values")
```

Number of Appraisal



Loan Values



'mean_absolute_error': 44852.386111207576}

In [31]: vis.bar chart(mean price error, "", "Values", "Mean Price Error")



Conclusions

The model is very good at predicting house prices in 2014-2015. Training on data outside this period will be necessary to help it understand larger trends in housing prices. Using this model to appraise houses nearly guarantees interest made from loans will cover money lost to bad appraisals + default, even under very adverse assumptions (12% foreclosure rate, 2% APR). We assumed the market remained stable during foreclosures; we did not analyze the case where a market crash depresses housing values simultaneously with default. That could increase losses significantly in a worst case scenario This model could definitely generate a profit, but client should work with us to determine expected ROI using more realistic assumptions of default rate and APR to evaluate whether this model is more profitable than their existing process.