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Homework 3

All calculations can be found in the notebook https://github.com/meredith-durbin/ASTR531/blob/master/HW4/HW4.ipynb.

- 19.2 (a) Assuming no stellar wind and that the change in envelope mass is entirely due to shell fusion, the total energy released should be $E = (M_{\text{end}} M_{\text{start}})c^2$, and the timescale should be E/L_{\star} . This gives a timescale of about 4 Myr, which is about a thousand times too long.
 - (b) The winds of planetary nebulae have velocities consistent with a post-AGB wind.
 - (c) Assuming this time that the change in envelope mass is only due to mass loss, this time I get crossing times of 1.35×10^6 , 1.35×10^5 , and 1.35×10^4 years respectively.
- 20.2 (a) The luminosity of a white dwarf is dependent on mass, μ_{ion} , and cooling time. If we only vary μ_{ion} , then the ratio of luminosities is $(4/1)^{-7/5}$ for He vs. H, and $(6/1)^{-7/5}$ for C vs. H. This means that the He-rich white dwarf will be 0.14 times as bright as the H-rich one, and the C-rich one will be 0.08 times as bright.
 - (b) The luminosity of a WD is due to cooling, which is dependent on the thermal energy of the ions. Heavier ions have higher specific heat and thus less energy available for cooling.
- 21.3 The RGB star would have the shorter fundamental period, as period is proportional to dynamical timescales and AGB stars have much longer dynamical timescales due to their lower density.
- 23.1 (a) The star is on the main sequence while it is fusing hydrogen in the core. The horizontal movement across the HRD happens on such a short timescale that it is barely visible in the diagram, between 12 and 12.4 Myr. The rest of the time is spent as a red supergiant, where it fuses hydrogen in a shell, and initially fuses helium in the core and then eventually moves to helium shell fusion and then core C-fusion.
 - (b) During hydrogen fusion, the star appears to lose a total of $0.2~\rm M_{\odot}$ over a period of about $12.15~\rm Myr$, so the mass loss rate is $1.65\times 10^{-8}~\rm M_{\odot}/year$. During helium fusion, the star appears to lose a total of $2~\rm M_{\odot}$ over a period of about $1.5~\rm Myr$, so the mass loss rate is $1.3\times 10^{-6}~\rm M_{\odot}/year$.
 - (c) Our estimate of the main sequence mass loss is slightly lower than what is stated in the chapter 15 summary (10^{-7} to 10^{-5} $M_{\odot}/{\rm year}$). For the core He fusion phase, the Reimers relation predicts a mass loss rate of 1.1×10^{-6} $M_{\odot}/{\rm year}$ assuming a log luminosity of 4.8 L_{\odot} and radius of 665 R_{\odot} , which is almost spot on.