THE NORTH ATLANTIC OSCILLATION HAS AN EFFECT ON WESTERN TURKEY'S PRECIPITATION PATTERN

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Abstract. The North Atlantic Oscillation (NAO) is a largescale natural climate variability that has important impacts on the weather and climate of the North Atlantic region and surrounding continents, especially Europe. Strong positive 5 phase is disposed to be connected with lower than normal temperatures over southern Europe and the Middle East and it is disposed to be associated with lower than normal precipitation over southern and central Europe. Unlike strong positive phase of NAO, negative phase is disposed to be con-10 nected with higher than normal temperature over southern Europe and the Middle East and it is disposed to be associated with higher than normal precipitation over southern and central Europe. In this study, relationship between NAO and annual precipitation of Turkey will be conducted. Ex-15 ploratory data analysis, linear regression, and principle component analysis are applied to precipitation and NAO indexes datasets to assess whether there is a relationship between NAO and precipitation or not. Only, Marmara region rejects the null hypothesis. The provinces with significant p-values 20 and grouped provinces that are obtained from principle component analysis are nearly same except few provinces. Also, Marmara region has significant p-value. In the light of these informations, precipitation is affected by North Atlantic Oscillation can be said.

25 1 Introduction

The North Atlantic Oscillation (NAO) is a large-scale natural climate variability that has important impacts on the weather and climate of the North Atlantic region and surrounding continents, especially Europe. NAO is a difference in sea³⁰ level pressure of Azores High and Subpolar Low. The positive phase of NAO indicates higher than normal heights and pressure over Europe and the negative phase indicates lower than normal heights and pressure over Europe. Strong positive phase is disposed to be connected with lower than normal temperatures over southern Europe and the Middle East

and it is disposed to be associated with lower than normal precipitation over southern and central Europe as it is shown in Figure 1. Unlike strong positive phase of NAO, negative phase is disposed to be connected with higher than normal temperature over southern Europe and the Middle East and 40 it is disposed to be associated with higher than normal precipitation over southern and central Europe as it is shown in Figure 2 (Climate Prediction Center Internet Team, 2012). Therefore, NAO is expected to have an impact on Turkey. Weather and climate conditions are controlled by NAO in 45 Mediterranean basin along with Turkey. The geographical and temporal variations and anomalies in the precipitation for Turkey is strongly associated with strong NAO phases (Türkeş and Erlat, 2003). In this study, relationship between NAO and annual precipitation of Turkey will be conducted. 50 Exploratory data analysis, linear regression, and principle component analysis are applied to precipitation and NAo indexes datasets to assess whether there is a relationship between NAO and precipitation or not.



Figure 1. Positive phase of NAO (Global Patterns, n.d).

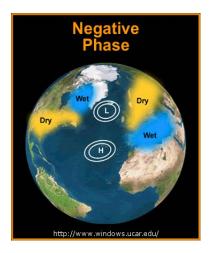


Figure 2. Negative phase of NAO (Global Patterns, n.d).

Annual Precipitation for Marmara Region 1970-2012

Figure 3. Histogram of Marmara region.

2 Data and Method

Hypothesis is determined as there is a relationship between precipitation and NAO for this paper. The North Atlantic Oscillation Indexes and annual precipitation of Turkey datasets are used in this paper. Annual precipitation is an observation data and it includes all provinces of Turkey. These datasets are between 1970 and 2012. Firstly, exploratory data analysis are applied to understand fundamentals features of precipitation data. Secondly, linear regression is applied to see whether there is a relationship between NAO and precipitation or not. Finally, principle component analysis is applied to understand effect of NAO on precipitation. This study is conducted with R.

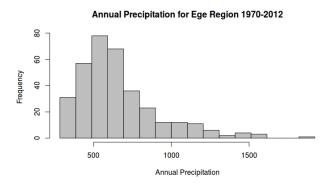


Figure 4. Histogram of Ege region.

3 Exploratory Data Analysis

15 Exploratory data analysis is an approach to analyse a data. Exploratory data analysis supports to find out essential properties of the data. Shapiro-Wilk normality test is applied the precipitation data. P-values of Marmara, Ege, Karadeniz, Akdeniz, Ic Anadolu, Dogu Anadolu, and Guneydogu 20 Anadolu regions are respectively 0.001137, 2.65e-15, 2.2e-16, 1.884e-12, 3.409e-13, 2.2e-16, and 3.668e-06. So, the null hypothesis that is the samples come from a normal distribution is rejected. Histogram of Marmara region has rightskewed distribution as it is stated in the Figure 3. A few 25 larger values bring the mean upwards. It is the closest region to normal distribution compared to the other regions and it is expected by looking Shapiro-Wilk normality test results. According to Figure 4, Figure 5, Figure 6, Figure 7, Figure 8, and Figure 9, other regions also have right-skewed 30 distribution.

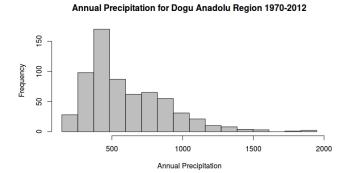
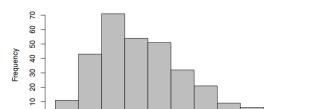


Figure 5. Histogram of Dogu Anadolu region.

1200

1000



Annual Precipitation for Guneydogu Anadolu Region 1970-2012

800

Annual Precipitation

Annual Precipitation for Akdeniz Region 1970-2012

Figure 6. Histogram of Guneydogu Anadolu region.

600

400

Figure 7. Histogram of Akdeniz region.

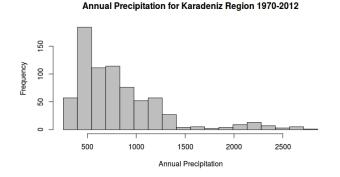


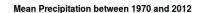
Figure 8. Histogram of Karadeniz region.

Annual Precipitation for Ic Anadolu Region 1970-2012

Annual Precipitation

Figure 9. Histogram of Ic Anadolu region.

There are eighty one provinces in Turkey and as it is expected, 53^{rd} province which is Rize has the highest precipitation in Turkey between 1970 and 2012 as it is stated in Figure 10. Also, Iğdır has the lowest precipitation. Average precipitation of Turkey is around 630 mm.



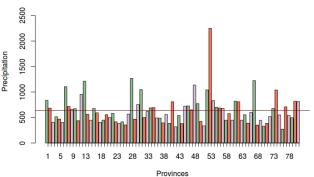


Figure 10. Average barplot for all provinces.

4 Linear Regression

Turkey has seven regions and linear regression is applied between each region and NAO index. P-values of Marmara, Ege, Karadeniz, Akdeniz, Ic Anadolu, Dogu Anadolu, and Guneydogu Anadolu regions are respectively 0.003816, 10 0.1888, 0.05551, 0.4469, 0.7868, 0.9588, and 0.7791. Only, Marmara region rejects the null hypothesis which is there is no relationship between precipitation and NAO. However other regions do not reject the null hypothesis. The summary of the linear model between Marmara region and NAO index 15 is shown in Figure 11. Marmara region is the independent variable and NAO index is the dependent variable in this linear model. The equation of the model is NAOindex =7.4118 - 0.0015*Canakkale + 0.0015*Edirne - 0.007*Istanbul + 0.0032*Tekirdaq + 0.0063*Yalova - 0.0008* 20 K \$rklareli - 0.0019*Bal\$kesir - 0.0044*Bilecik -0.0035*Bursa + 0.0014*Kocaeli - 0.0045*Sakarya.

In addition to the Marmara region, Karadeniz and Ege regions are chosen to examine and linear regression is applied between each provinces of these three regions and NAO indexes. Provinces with significant p-values are obtained since they will be compared principle component analysis results to understand that pattern on precipitation belongs to NAO or not. Provinces with significant p-values are Balıkesir, Bilecik, Bursa, Canakkale, Edirne, Istanbul, Kocaeli, Sakarya, Tekirdag, Yalova, Kırklareli, Amasya, Kastamonu, Rize, Izmir, Kütahya, and Manisa.

```
Residuals:
   Min
              1Q
-3.3659 -0.8634
                 0.0453
                          0.7355
                                   3.3252
Coefficients:
               Estimate Std. Error
                                      value Pr(>|t|)
                         1.6522810
                                      4.486
             7.4117935
                                             9.32e-05
            -0.0015119
                         0.0024180
                                     -0.625
                                               0.5364
ckle
             0.0015837
                         0.0038671
                                      0.410
edir
                                               0.6850
             -0.0069934
ist
                         0.0034079
                                               0.0487
tkrd
             0.0032244
                         0.0028871
                                      1.117
                                               0.2726
             0.0063374
                                      1.727
                         0.0036696
                                               0.0941
yalv
             -0.0008512
                         0.0033302
                                     -0.256
                                               0.8000
h1ke
            -0.0019170
                         0.0022720
                                     -0.844
                                               0.4053
            -0.0044137
                         0.0044600
                                     -0.990
blck
                                               0.3300
                         0.0044263
brsa
             -0.0034628
                                     -0.782
keli
             0.0014010
                         0.0032915
                                      0.426
                                               0.6733
             -0.0044772
                         0.0027584
skry
                                     -1.623
                                               0.1147
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ''
Residual standard error: 1.547 on 31 degrees of freedom
Multiple R-squared: 0.5439, Adjusted R-squared:
                                       p-value: 0.003816
F-statistic: 3.361 on 11 and 31 DF,
```

Figure 11. The summary of the linear model between Marmara region and NAO index.

The R^2 of the model is 0.5439 and it is not too small. So, the model explains 54% of the variability of the dependent variable which is NAO index.

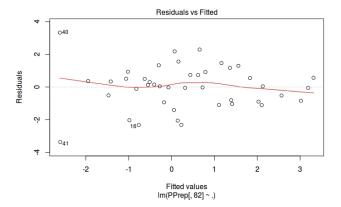


Figure 12. Residual vs Fitted plot.

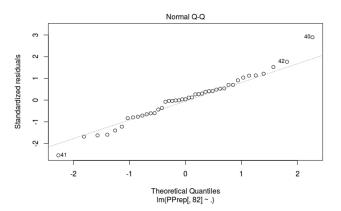


Figure 13. Normal Q-Q plot.

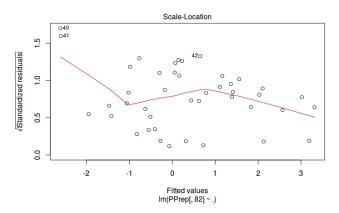


Figure 14. Scale Location plot.

Residual is the difference between fitted and actual dependent point. Fitted point is a predicted point by the 15 model. There should be no discernible pattern around zero residual versus fitted plot. As it is stated in Figure 12, residuals and fitted values are almost randomly distributed around the zero line. Therefore, the model is not very good, but it fits the data. According to Figure 13, residuals nearly fol- 20 low the normal distribution. Also, scale-location residuals are randomly distributed and there is no discernible pattern as it is shown in Figure 14.Cook's distance is used to find dominant points in independent variables. These points are far from the other points. In this case, 29^{th} and 40^{th} points are little away from the other points and 41^{st} point are far from the other points as it is shown in Figure 15. If the Cook's distance is greater than 0.5, that point can be influencial, so it is worthy to examine (Identifying Influential Data Points, n.d). Cook's distance of 41^{st} point is greater than 0.5. If exceeding point equals about two times of average of data, it should be examined (Jacoby, n.d). 41^{st} point is not greater or equal to the two times of average of data. So, it is not worthy for investigating.

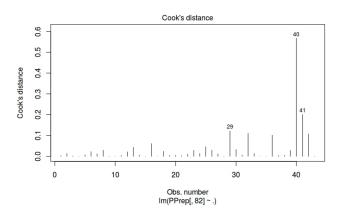


Figure 15. Cook's distance plot.

5 Principle Component Analysis

Principal Component Analysis(PCA) is the oldest and the most famous multivariate statistical technique (Abdi and Williams, 2010). The goal of principal components analysis 5 is to clarify the maximum amount of variance with less number of principal components. It is used for reducing dimension of very big datasets in addition to keep most of the information in the big dataset. R function of principle component analysis pulls the data normal distribution with centring and 10 scale arguments. Before applying PCA, precipitation data is scaled and standardized since the scale between NAO indexes and precipitation is large. Firstly, scree plots or percent variance plots are examined to determine the number of principle components that are enough to explain dataset. Ac-15 cording to the Kaiser's Criterion, if eigenvalues are greater than 1, these PCs can be taken (Habing, 2003). Secondly, interpreting how much do variables contribute to the principle components by looking the loadings. Finally, interpreting and understanding distribution of the variables in this classi-20 fication by examining the scores.

Variances of PCs of Scaled Precipitation Data

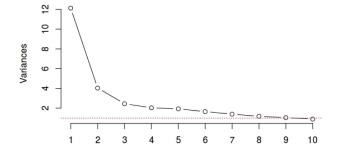


Figure 16. Scree plot of scaled precipitation.

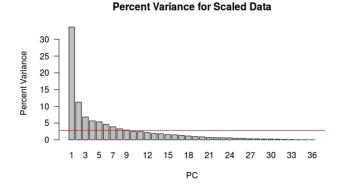


Figure 17. Percent variance plot of scaled precipitation.

According to Figure 16 and Figure 17, first nine principal component explains the important part of the dataset. The horizontal red line on the Figure 17 represents that if each variable devoted equally, they would devote 2.8% to the total variance since there are thirty six variables. First nine PCs represent 77.32% of the data as it is seen on Figure 17 or cumulative variance in R code.

PC1 PC2 PC3 PC4 PC5 PC6 amsy 0.19283777 0.119763046 -0.03005605 0.28866468 -0.118832484 0.01536832 arty 0.05226084 0.264700611 -0.16404973 0.08828010 0.090917379 -0.25086379 brtn 0.10246691 0.102942227 0.23433216 -0.43092785 0.005865238 0.22750525 bbtn 0.102942427 -0.00835866 -0.04359529 -0.03855983 0.144306162 -0.1559489 bybr 0.08957615 0.266417898 0.03122757 0.16478895 0.026550438 0.33649288 dzce 0.12998977 -0.072638956 0.11479633 0.07209496 0.465716324 -0.05614788 PC7 PC8 PC9 PC10 PC11 PC1 amsy -0.308915957 0.0103766 -0.15831858 0.06485237 0.378560195 0.1051176 0.20409231 -0.05343447 -0.08499438 -0.34240889 brtn -0.007291841 -0.1360664 -0.14005068 0.23096118 -0.17807854 -0.04297476 bolu -0.223777985 0.2694080 0.08123273 -0.02121548 0.10364551 -0.17639561 bybr 0.049641197 -0.1400139 0.02503747 -0.33552876 0.06749622 -0.2268101 dzce -0.117971754 0.2219801 -0.10274952 -0.02636045 0.11103084 -0.05734660 114 PC15 PC16 PC17 PC 0.01984874 0.005875968 0.02852258 0.232370506 14534806 0.08343316 artv -0.014534806 0.08343316 0.151164577 -0.14948521 0.04142609 0.30164855 brtn -0.112211765 0.18525763 0.069714588 -0.02916501 0.07142305 0.21761181 0.06972157 -0.03862699 -0.380407674 -0.16667922 -0.056719922 0.261749031 -0.22302055 --0.002443074 0.22273658 -0.295300242 --0.420368629 0.20570489 0.12500803 0.18938429 -0.12448131 -0.13665001 -0.11135995 -0.03093511 -0.06779759 -0.03537053 0.20972742 0.04483325 -0.31651080 -0.06209016 -0.12398088 -0.35260157 0.39234898 -0.35260157 0.39234696 -0.04759756 -0.16673993 7 PC28 PC29 1 -0.03193633 -0.47437977 0.1909 PC26 PC2 7 0.34778134 amsy 0.11808717 -0.14917760 -0.16759713 -0.09176541 0.13192405 192405 -0.01143379-0.04339387-0.05936514 -0.11609637 -0.06822225 -0.03292171 -0.003408239 PC35 PC36 -0.16013108 -0.18399502 -0.0303775 -0.11802220 -0.02200175 0.26114143 PC34 0.116714972 -0.05509367 0.10620078 0.06911158 1 -0.34088314 0.10453760 -0.07720621 75 0.10840534 -0.28428358 -0.1565149 0.007748655 0.02019195 -0.117462817 brtn 0.071832040 -0.010080901 -0.34088314 bybr -0.072212082 0.06516364 0.032401917 -0.00326050 0.05213561 0.10470732 dzce 0.011973330 -0.07198673 0.111800414 -0.17386594 0.05213561 0.10470732

Figure 18. Heads of loadings of scaled precipitation.

In the Figure 18, positive loadings represents positively correlated principle component and variable and negative loadings represents negatively correlated principle component and variable. Variables with large loadings have big effect on principle component. For example, Canakkale, Istanbul, Tekirdağ, Yalova, Bilecik, Bursa, Kocaeli, Sakarya, Aydın, Denizli, and Izmir have large loadings in PC1 and

Artvin, Bayburt, Giresun, Gümüşhane, Rize, Ordu, Samsun, Tokat, Trabzon, Sinop have large loadings in PC2 in this case. If PC2 is wanted to plot, plot would looks like time series of Artvin, Bayburt, Giresun, Gümüşhane, Rize, Ordu, 5 Samsun, Tokat, Trabzon, Sinop since these provinces contributed more than other provinces for PC2. It is the same for other PCs and the other loadings can be seen by looking the R code or Figure 18.

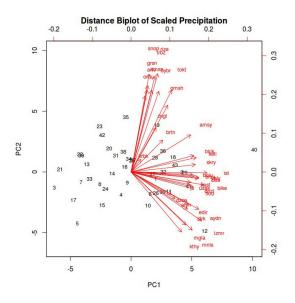


Figure 19. Biplot of scaled precipitation.

Scores are the position of each variables in this new co-10 ordinate system of PCs. Points with similar features can be grouped by looking biplots. Points that are close together correspond to variables that have similar scores on the components. According to Figure 19, Kütahya, Manisa, Izmir, Edirne, Kırklareli are near each other and Bolu, 15 Yalova, Bursa, Istanbul, Balıkesir, Canakkale, Tekirdağ, Kastamonu, Bilecik, Sakarya, and Kocaeli are near each other. These provinces are the provinces with significant p-values. Also, Bartın, Zongudak, Karabük, Gümüşhane, Tokat, Sinop, Trabzon, Giresun, Artvin, Samsun, Bayburt, and Ordu are 20 near each other and Düzce, Afyon, Aydın are near each other and these provinces are not the provinces with significant p-values. Kütahya, Manisa, Izmir, Edirne, Kırklareli are near each other, so they can be used interchangeably. Therefore, dimension can be reduced. Reducing dimension can be ap-25 plied for all the groups that mentioned above.

Variances of PCs of Standardized Precipitation Data

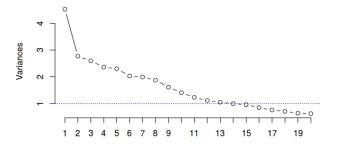


Figure 20. Scree plot of standardized precipitation.

Percent Variance for Standardized Data

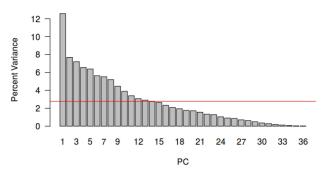


Figure 21. Percent variance plot of standardized precipitation

According to Figure 20 and Figure 21, first fourteen principal component explains the important part of the dataset. The horizontal red line on the Figure 21 represents that if each variable devoted equally, they would devote 2.8% to the total variance since there are thirty six variables. First fourteen PCs represent 77.37% of the data as it is seen on Figure 21 or cumulative variance in R code.

PC1 PC2 PC3 PC4 PC5 PC6
amsy 0.190917370 -0.10882687 0.05141870 -0.11659648 0.220187450 -0.25046787
artv 0.159170028 0.02972431 -0.18571539 -0.11462989 -0.140285531 0.31035921
brtn 0.005780693 0.28296529 0.02580156 0.10206587 0.052659907 -0.14063213
bolu 0.160411960 -0.22707174 -0.15904520 -0.06488459 -0.107506497 -0.03303453
bybr 0.045016140 0.18812854 0.21268659 -0.05394806 -0.327256015 -0.12885121
dzce 0.094492233 -0.39511466 -0.23924820 -0.14497623 -0.002692687 0.14709476
PC7 PC8 PC9 PC10 PC11 PC12
amsy 0.01748991 0.01213203 -0.27856946 0.21312894 -0.067358986 0.117439806
artv -0.14442985 0.33112145 0.14963759 0.08900313 0.001781240 0.124396705
brtn 0.49259503 0.01345546 0.05561997 -0.06381486 0.105273497 0.016205012
bolu 0.10652162 -0.12393069 0.01217536 0.35844286 -0.417142049 0.155072487
bybr -0.06257204 0.16786889 0.07138236 -0.01134035 -0.391994736 0.157649241
dzce 0.07768172 -0.07581670 -0.05795075 -0.03312206 -0.005393209 -0.008722816
PC13 PC14 PC15 PC16 PC17 PC18
amsy 0.17472283 0.02620003 -0.22286777 -0.03033826 -0.038174213 0.369600182
artv -0.1293913 -0.01525968 0.23637692 0.18380731 -0.095529354 0.052935052
bollu -0.01734649 -0.06228804 0.19543190 -0.12601097 -0.089632250 -0.00993564
bybr -0.19487672 0.04107363 -0.06091066 0.04027815 0.016201017 0.112959642
dzce -0.03440088 0.08706296 -0.11026700 0.01147127 0.033232617 0.011323984
PC19 PC20 PC21 PC22 PC23 PC24
amsy 0.14412477 0.184129806 -0.12714884 -0.2657740 -0.047856 0.09828023
artv -0.07091178 -0.112446291 -0.17924217 -0.1432906 0.03677026 0.14263509
brin 0.06702760 -0.04053505 -0.03118077 -0.1711518 0.17893425 0.09828023
artv -0.07091178 -0.112446291 -0.17924217 -0.1432906 0.03677026 0.14263509
brin 0.06702760 -0.04053505 -0.03118077 -0.1711518 0.15269649 0.104685
artv -0.20846507 0.004965736 0.02778870 0.02424700 0.0747856 0.09828023
artv -0.07091178 -0.112446291 -0.17924217 -0.1432906 0.03677026 0.14263509
brin 0.06702760 -0.04053506 0.03118077 -0.1711518 0.152696349 0.11004685
artv -0.20846507 0.004965736 0.02778870 0.02826808 0.03677028

Figure 22. Heads of loadings of standardized precipitation.

As it is mentioned before, variables with large loadings have big effect on principle component and some of them are shown in Figure 22. For example, Gümüşhane, Tekirdağ, Yalova, Kırklareli, Izmir, Manisa, Muğla, Uşak, Bursa, Balıkesir, and Aydın have large loadings in PC1 and Bartın, Bolu, Düzce, Istanbul, Kırklareli, Afyon, Muğla, Bayburt, Giresun, and Rize have large loadings in PC2 in this case. The other loadings can be seen by looking the R code or Figure 22.

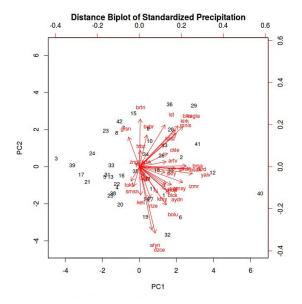


Figure 23. Biplot of standardized precipitation.

According to Figure 23, Istanbul, Balıkesir, Kırklareli, Manisa, Kastamonu, Canakkale are near each other and Bursa, Tekirdağ, Gümüşhane, Yalova, Sakarya, and İzmir are near each other and Amasya, Bilecik, Kütahya, Bolu are near each other and Edirne, Kocaeli, and Rize are near each other. These provinces are the provinces with significant p-values. Also, Zonguldak, Giresun, Trabzon, Bartın, and Bayburt are near each other and Düzce, Afyon, Aydın are near each other and Tokat and Samsun are near each other. These provinces are not the provinces with significant p-values. Istanbul, Balıkesir, Kırklareli, Manisa, Kastamonu, Canakkale are near each other, so they can be used interchangeably. Therefore, dimension can be reduced. Reducing dimension can be applied for all the groups that mentioned above.

In this section, principle component analysis are examined and provinces that are near each other are obtained. Also, 25 provinces have been grouped by means of principle component analysis and which provinces can be used interchangeably have been specified.

6 Conclusions

Exploratory data analysis is applied to understand the datasets and linear regression analysis is applied to find out whether there is a relationship or not between precipitation and NAO index datasets. Only, Marmara region rejects the null hypothesis is found out and to investigate NAO's effect, Ege and Karadeniz regions are choosen in addition to Marmara region. Principle component analysis are applied to three region which contains thirty six provinces. As it is seen in section 4 and section 5, the provinces with significant p-values and grouped provinces that are obtained from principle component analysis are nearly same except few provinces. Also, Marmara region has significant p-value. In the light of these informations, precipitation is affected by North Atlantic Oscillation can be said.

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