### Light Rail and Park&Ride facilities in Sioux Falls

Julien Ars

École Polytechnique Fédérale de Lausanne (EPFL)

Civil Engineering

2025-05-28

CIVIL-477 - Transport Networks Modelling & Analysis



#### **Outlines**

- 1 Introduction
  - Sioux Falls
  - Adding a light rail
- 2 Methodology
  - Defining transit lines
  - Modelling trafic
- 3 Results

# Introduction

#### ■ Most populous city in South Dakota

- Superficy of 210 km<sup>2</sup>
- $\blacksquare$  9 bus lines! Run 6 days per week,  $\approx$



- Most populous city in South Dakota
- More than 200'000 inhabitants (rapidly growing: 125 000 in 2000) <sup>a</sup>
- Superficy of 210 km<sup>2</sup>
- 9 bus lines! Run 6 days per week, ≈



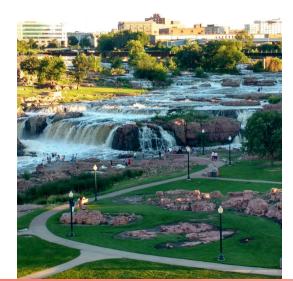
<sup>&</sup>lt;sup>a</sup>Source: Wikipedia

- Most populous city in South Dakota
- More than 200'000 inhabitants (rapidly growing: 125 000 in 2000)
- Superficy of 210 km<sup>2</sup>
- Nice waterfalls
- $lue{}$  9 bus lines! Run 6 days per week,  $\approx$  every 30 min.
- Public on-demand service to supplement the bus lines.



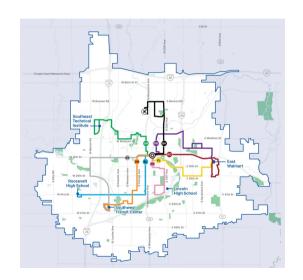
<sup>&</sup>lt;sup>a</sup>Source: Wikipedia

- Most populous city in South Dakota
- More than 200'000 inhabitants (rapidly growing: 125 000 in 2000)
- Superficy of 210 km<sup>2</sup>
- Nice waterfalls
- $lue{}$  9 bus lines! Run 6 days per week, pprox every 30 min.
- Public on-demand service to supplement the bus lines.



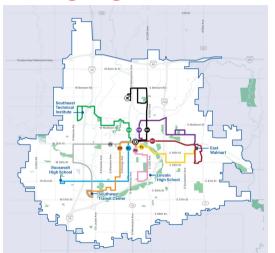
<sup>&</sup>lt;sup>a</sup>Source : Wikipedia

- Most populous city in South Dakota
- More than 200'000 inhabitants (rapidly growing: 125 000 in 2000) <sup>a</sup>
- Superficy of 210 km<sup>2</sup>
- Nice waterfalls
- $lue{}$  9 bus lines ! Run 6 days per week, pprox every 30 min.
- Public on-demand service to supplement the bus lines.



<sup>&</sup>lt;sup>a</sup>Source : Wikipedia

## Adding a light rail



- Now let's imagine the city of SiouxFalls decides to enter in the 21st century
- And want to replace a bus line by a light rail line with Park & Ride facilities.
- What will be the impact on the trafic ?

#### Our study

Considering the classic 'Sioux Falls' benchmark network, and the current bus network of the city of Sioux Falls.

- → Add light rail transit lines to match current bus lines and the most used road links.
- → Test the trafic conditions in the 3 cases :
  - Base No light rail
  - Light Rail Light rail can only be taken when origin and destination is served by the network.
    - P&R Light rail can only be taken when origin **or** destination is served by the network.

# Methodology

- Match the classic SiouxFalls network to the bus map (and vice-versa)
- Compare with the Base situation to identify the most used road links.
- 3 Define transit lines
- 4 Compute distance and time of trave for the transit line



Figure: Sioux Falls nodes and edges matched on the bus map

5 / 8

- Match the classic SiouxFalls network to the bus map (and vice-versa)

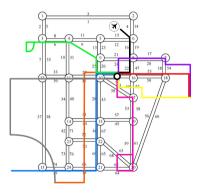


Figure: Sioux Falls bus lines matched on the classic network

- Compare with the Base situation to identify the most used road links.

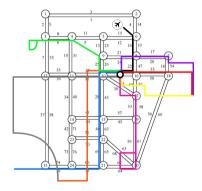


Figure: Base trafic flows (at UE)

- Match the classic SiouxFalls network to the bus map (and vice-versa)
- Compare with the Base situation to identify the most used road links.
- Define transit lines
- 4 Compute distance and time of travel

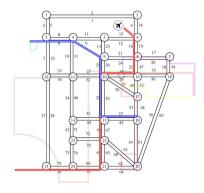


Figure: The two lines defined

- Compute distance and time of travel for the transit line

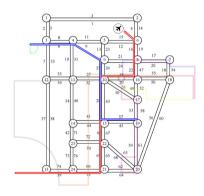


Figure: The two lines defined

# Modelling trafic (Base case)

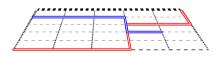
Classic Frank-Wolf algorithm

- Update travel times
- 2 Descent direction (All-or-nothing assignment on the shortest path)
- Determine step (line search)
- 4 Update link flows

# Modelling trafic (Light Rail case)

#### Two layered approach

- The light rail network is another network
- For now : no connections between the two layers (no Park and Ride)
- For groups where origin and destination on the light rail network: change all-or-nothing assignment.
  - Compute the shortest path on both Networks
  - Assign the trafic only on the one with the shortest time (can use the labels of Dijkstra



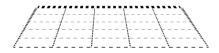


Figure: Two layers approach

# Modelling trafic (Light Rail case)

#### Two layered approach

- The light rail network is another network
- For now: no connections between the two layers (no Park and Ride)
- For groups where origin and destination on the light rail network: change all-or-nothing assignment.
  - Compute the shortest path on both Networks
  - Assign the trafic only on the one with the shortest time (can use the labels of Dijkstra)

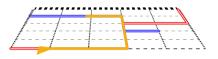




Figure: Shortest paths

# Modelling trafic (P&R case)

Two layered approach, with connections

- Park & Ride facilities serve as connections between the two layers

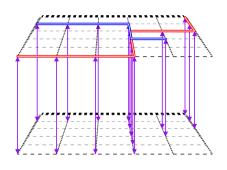


Figure: Two layers approach, with connections

# Modelling trafic (P&R case)

Two layered approach, with connections

- Park & Ride facilities serve as connections between the two lavers
- But, need to enforce only use one P&R facility
  - → Separate onboarding and offboarding links
  - → 3 possible networks

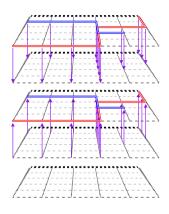
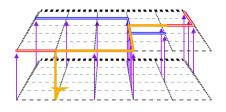


Figure: 3 networks

# Modelling trafic (P&R case)

#### Two layered approach, with connections

- (All-or-nothing assignment) For every group:
  - Compute travel time without light rail
  - If the origin is at a station, compute travel time with offboarding links
  - If the destination is at a station, compute travel time with onboarding links
  - Assign trafic according to the one with the shortest time



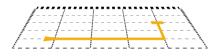


Figure: Shortest path example (onboarding links only)

# Results