Some helpful notes for plant breeding related topics

From Lynch and Walsh 1998

Difference between IBD and IBS

- all measures of relatedness are based upon the concept og idendity by descent (IBD). Genes that are
 identiicial by descent are direct descendants of a specific gene carried i some ancestral individual.
- Two genes that have identical nucleotide sequences but have descended from different copies in the reference population are identical by state but not by descent.
- Genes that are identical by descent are necessarily identical by state, barring mutation
- Individuals that contain pairs of alleles that are IBD aree said it be **inbred**.

Intro to Matrix Algebra and Linear Models

Standard regression model

• Depending on the casual connections between two variables, *x* and *y*, their true relationsip may be linear or non-linear. However, regardless of the true pattern of association, a linear model can always serve as a first approximation

$$y = \alpha + \beta x + e$$

Where:

 α is the y-intercept

 β is the slop of the line (or the regression coefficient)

e is the residual error

Letting:

$$\hat{\mathbf{v}} = \alpha + \beta \mathbf{x}$$

- be the value of y predicted by the model, then the residual error is the deviation between the observed and predicted y value, i.e., $e = y \hat{y}$.
- When info on *x* is used to predict *y*, *x* is referred to as the predictor or independent variable and y as the response or dependent.
- The objective of linear regression analysis is to estimate the model parameters, α and β , that give the "best-fit" for the joint distribution of x and y. The true parameters α and β are only obtainable if the entire population is sampled

Standard multiple regression formula

$$y = \alpha + \beta_1 z_1 + \beta_2 z_2 + ... + \beta_n z_n + e$$

Where:

y is the response variable

 z_i is the predicitor (or explanitory) variable usued to predict the value of the response variable

 $y, z_1, ..., z_n$ are observed measurees

 $\alpha, \beta_1, ..., \beta_n$ are constants to be measured

e is the residual error --> is the deviation between the observed and fitted value of y

- Similar to a simple linear regression ($y = \alpha + \beta x + e$), except that y iis now a function of n predictor variables, rather than one
- No assumption on the relationship between y and $z_1, ..., z_n$, it simply gives the best linear apprroximation between observations

What's bookmarked?

- pg 49, additive genetic varaiance (ch. covariance, regression, and correlation)
- pg 444 detected marker effects (mapping QTLs: inbred line crossing)
- pg 454 marker approximations, likelihood ratio (mapping QTLs)
- pg 784 maximum likelihood estimates of variance components in the general mixed model (variance component estimation)