Assignment2 Rpart

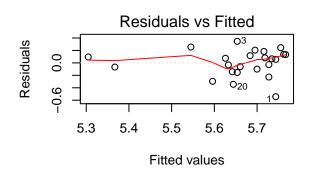
-"Mert Göksel" -"Bilge Özkır" -"Aisuluu Baktybekova"

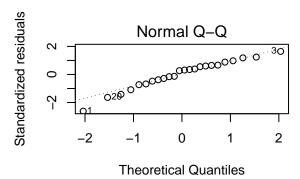
6/14/2021

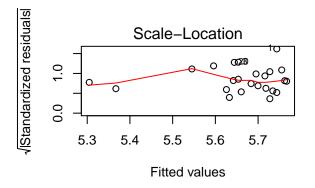
$\mathbf{Q3}$

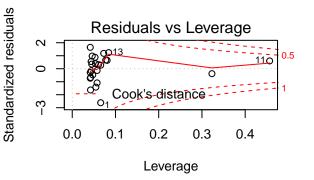
```
library(tidyverse, quietly = T)
## -- Attaching packages ----- tidyverse 1.3.1 --
## v ggplot2 3.3.3
                     v purrr
                                 0.3.4
## v tibble 3.1.2 v dplyr 1.0.6
## v tidyr 1.1.3 v stringr 1.4.0
## v readr 1.4.0 v forcats 0.5.1
## -- Conflicts ------ tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag() masks stats::lag()
sweet.ind <- c(</pre>
  5.2,
  5.5,
  6.0,
  5.9,
  5.8,
  6.0,
  5.8,
  5.6,
  5.6,
  5.9,
  5.4,
  5.6,
  5.8,
  5.5,
  5.3,
  5.3,
  5.7,
  5.5,
  5.7,
  5.3,
  5.9,
  5.8,
```

```
5.8,
  5.9
pectin <- c(</pre>
  220,
  227,
  259,
  210,
  224,
  215,
  231,
  268,
  239,
  212,
  410,
  256,
  306,
  259,
  284,
  383,
  271,
  264,
  227,
  263,
  232,
  220,
  246,
  241
df <- data.frame(pectin=pectin, sweet.ind=sweet.ind)</pre>
#a
fit1 <- fit <- lm(data = df, formula = sweet.ind~pectin)</pre>
par(mfrow = c(2, 2))
plot(fit1)
```









#From residuals vs fitted we see that no apparent pattern exist but the line is #not smooth thus we cant say the data is linear. we can try transforming data

#From qqplot we can suspect this being not normal as first 3 points are very #far away from the line, testing with shapiro is advised. shapiro.test(fit1\$residuals)

```
##
## Shapiro-Wilk normality test
##
## data: fit1$residuals
## W = 0.9608, p-value = 0.4547
```

#p value is bigger than 0.05 thus we can assume normality.

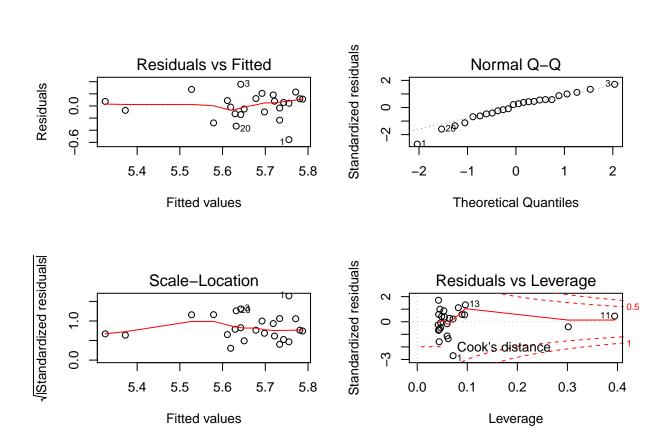
#homogenity of variance is not constant. transformation required.

#no points in leverage plot is higher or lesser than |3| thus is good.

#Conclusion: transformation required, testing normality is advised.

#Because these assumptions are required to have a model that works as intended. #Drawing a line is easy, but drawing a line that can give you good predictions is #after all what we are after.

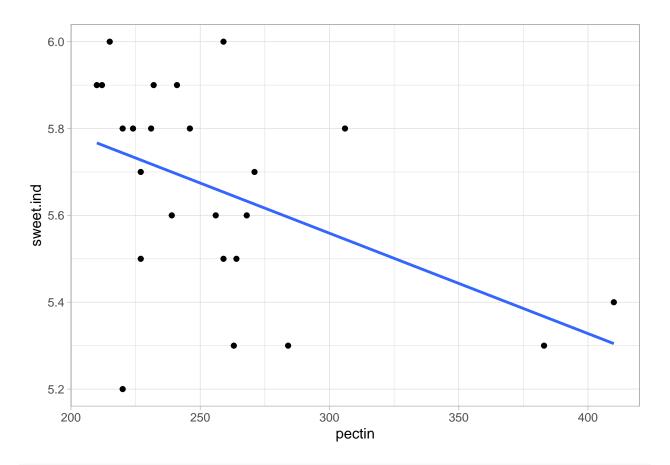
```
#b
fit2 <- lm(data = df, formula = sweet.ind~log(pectin)) #this works better
par(mfrow = c(2, 2))
plot(fit2)</pre>
```



#all extremities are lower in this version. Meaning this version of regression
#is better than non log version
fit2\$call

```
## lm(formula = sweet.ind ~ log(pectin), data = df)
```

```
df %>% ggplot(aes(x=pectin, y=sweet.ind)) + geom_point() +
  geom_smooth(method = "lm", se = F, formula = y~x) + theme_light()
```



#c summary(fit2)

```
##
## lm(formula = sweet.ind ~ log(pectin), data = df)
##
## Residuals:
                 1Q
                     Median
                                   3Q
## -0.55526 -0.10588 0.05096 0.11984 0.35744
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 9.4801
                        1.4568 6.508 1.51e-06 ***
## log(pectin) -0.6906
                           0.2631 -2.625 0.0155 *
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 0.2136 on 22 degrees of freedom
## Multiple R-squared: 0.2385, Adjusted R-squared: 0.2038
## F-statistic: 6.889 on 1 and 22 DF, p-value: 0.01548
#both BO and B1 have p values less than 0.05 thus they are both significant
#R squared value is low thus this linear model doesnt have much precision
#F statistic has value 6.889 with degrees of freedom 1, 22
6.889 > df(0.05, 1, 22)
```

```
## [1] TRUE
#Thus at alpha = 0.05 this regression model is significant
#Seems like a non linear model would fit better from graph
\#d
anova(fit2)
## Analysis of Variance Table
##
## Response: sweet.ind
              Df Sum Sq Mean Sq F value Pr(>F)
## log(pectin) 1 0.31436 0.314361 6.8886 0.01548 *
## Residuals 22 1.00397 0.045635
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
#as p value is less than 0.05 this model is significant.
#e
predict(fit2, newdata = data.frame(pectin=300))
##
## 5.541073
```

$\mathbf{Q4}$

```
df2 <- cbind(Mechanical=c(50,40), Electrical=c(30,30), Other=c(60,40))
rownames(df2) <- c("Design1", "Design2")
df2 <- as.table(df2)
chisq.test(df2)

##
## Pearson's Chi-squared test
##
## data: df2
## X-squared = 1.5332, df = 2, p-value = 0.4646

#As p value is higher than 0.05 we can conclude that rows are independent</pre>
```

```
df3 <- cbind(Case=c(64,230-64), Control=c(270-134,134))
rownames(df3) <- c("Exposed", "Unexposed")
df3 <- as.table(df3)

caseinex <- df3[1,1]/sum(df3[1,])
caseinex

## [1] 0.32

odds <- (df3[1,1]/sum(df3[1,]))/(df3[2,1]/sum(df3[2,]))
odds

## [1] 0.5783133</pre>
```

#odds ratio here means that being a case while exposed to caffeine is 0.5783... #times more likely than being a case when not exposed. Meaning caffeine lowers #the odds of having parkinsons. If we are talking just from this table then this is #indeed the case but to have a solid idea more testing and research is required.