

Zexi Huang and Mert Kosan



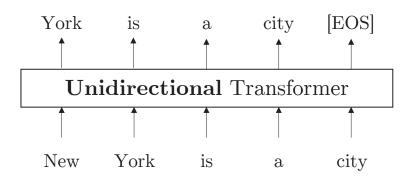
Word Embedding: Related Work

• Context-free embedding: word2vec (Mikolov et al 2013), GloVe (Pennington et al 2014), fastText (Bojanowski et al 2017)

- Autoregressive (AR) models: Semi-supervised sequence learning (Dai and Le 2015), ELMo (Peters et al 2017), GPT (Radford et al 2018)
- Autoencoding (AE) models: BERT (Devlin et al 2018), RoBERTa (Liu et al 2019), ALBERT (Lan et al 2019)

Two Notable Objectives for Language Pretraining

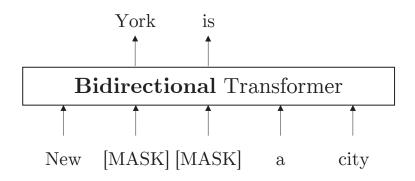
Auto-regressive Language Modeling



$$\log p(\mathbf{x}) = \sum_{t=1}^{T} \log p(x_t | \mathbf{x}_{< t})$$

Next-token prediction

Denoising Auto-encoding (BERT)

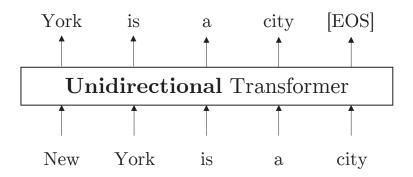


$$\log p(\bar{\mathbf{x}}|\hat{\mathbf{x}}) = \sum_{t=1}^{T} \operatorname{mask}_{t} \log p(x_{t}|\hat{\mathbf{x}})$$

• Reconstruct masked tokens

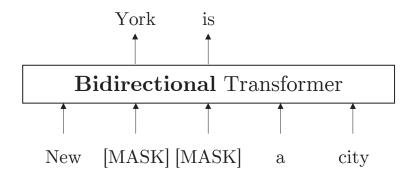
Two Notable Objectives for Language Pretraining

Auto-regressive Language Modeling



No Bidirectional Context

Denoising Auto-encoding (BERT)

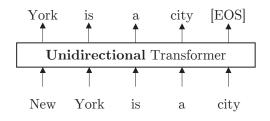


Independent Predictions

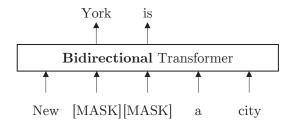
Artificial **Noise**: [MASK]

Two Notable Objectives for Language Pretraining

Auto-regressive Language Modeling



Denoising Auto-encoding (BERT)



 \bigcirc Full Auto-regressive **Dependence** \leftarrow

Independent Predictions

Free from artificial **Noise**

- \iff
- 😥 Artificial **Noise**: [MASK]

No Bidirectional Context

- \iff
- Natural Bidirectional Context

Desire: Combine the Pros and Remove the Cons

Full Auto-regressive **Dependence**

Free from **Noise**

Natural Bidirectional Context

Desire: Combine the Pros and Remove the Cons

XLNet

• An auto-regressive model that captures bidirectional context

• Standard LM: Left-to-right factorization $1 \rightarrow 2 \rightarrow 3 \rightarrow 4$

$$P(\mathbf{x}) = P(x_1)P(x_2 \mid \mathbf{x}_1)P(x_3 \mid \mathbf{x}_{1,2})P(x_4 \mid \mathbf{x}_{1,2,3}) \cdots$$

 X_1

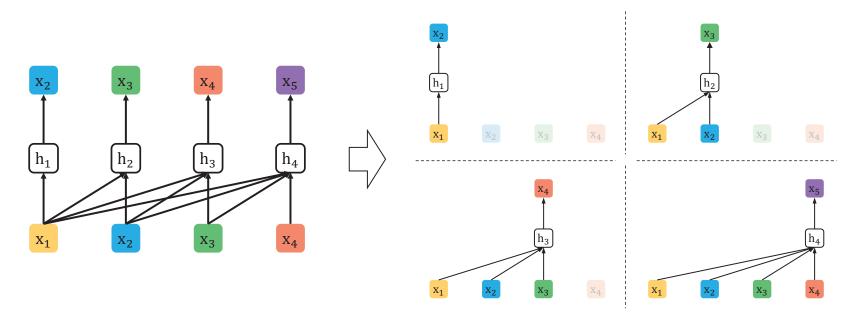


X₃

X₄

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• Change the Factorization order to: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$

$$P(\mathbf{x}) = P(x_4)P(x_1 \mid \mathbf{x}_4)P(x_3 \mid \mathbf{x}_{1,4})P(x_2 \mid \mathbf{x}_{1,3,4}) \cdots$$

 X_1

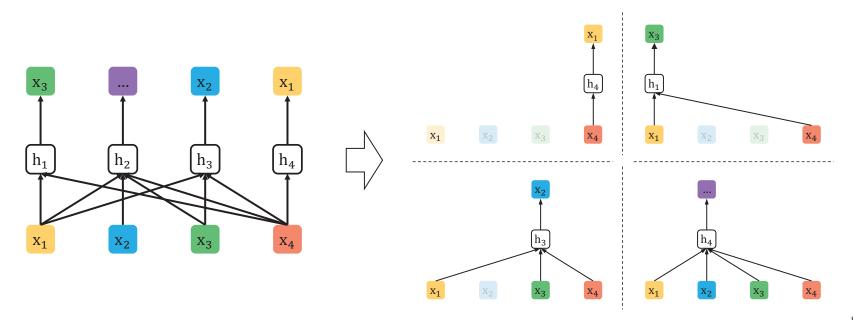


X₃

X₄

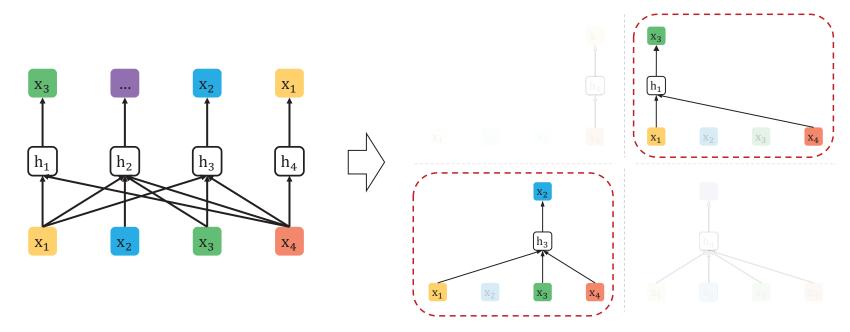
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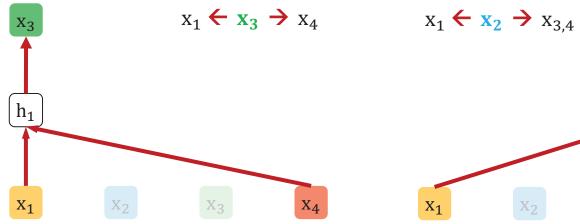
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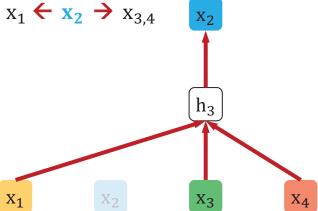
$$P(\mathbf{x}) = P(x_4)P(x_1 \mid \mathbf{x}_4)P(x_3 \mid \mathbf{x}_{1,4})P(x_2 \mid \mathbf{x}_{1,3,4}) \cdots$$



Bidirectional Context via Factorization Order

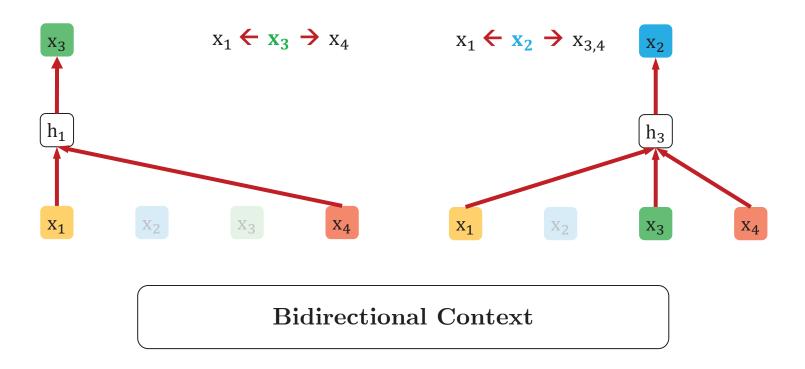
Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$





Bidirectional Context via Factorization Order

• Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$



Permutation Language Modeling

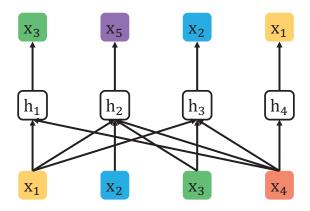
- Given a sequence \mathbf{x} of length T
- Uniformly sample a factorization order **z** from all possible permutations
- Maximize the permutated log-likelihood

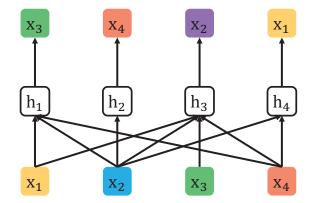
$$\mathbb{E}_{\mathbf{z} \sim \mathcal{Z}_{T}} \left[\log P(\mathbf{x} \mid \mathbf{z}) \right] = \mathbb{E}_{\mathbf{z} \sim \mathcal{Z}_{T}} \left[\sum_{t=1}^{T} P(x_{z_{t}} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_{t}) \right]$$

More examples

Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$

Factorization order: $2 \rightarrow 4 \rightarrow 1 \rightarrow 3$





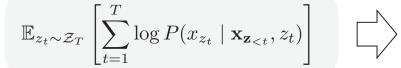
Target-position-aware Distribution

$$\mathbb{E}_{z_t \sim \mathcal{Z}_T} \left[\sum_{t=1}^T \log P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_t) \right]$$



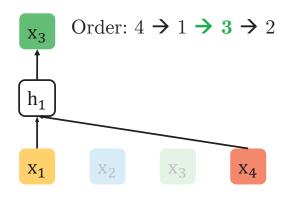
The distribution $P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_t)$ must condition on the target position z_t

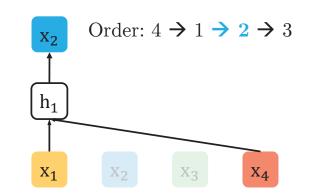
Target-position-aware Distribution





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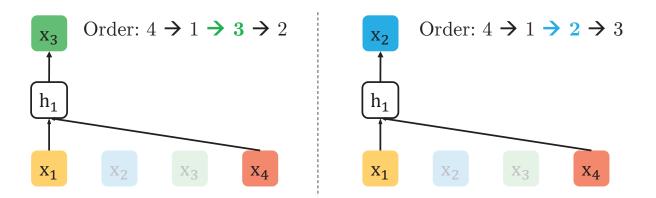




Target-position-aware Distribution

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The distribution $P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_t)$ must condition on the **target position** z_t

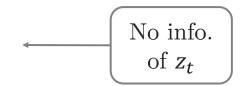


- Predicting **position 3** and **position 2** requires different prediction distributions
- The prediction distribution should change according to the target position

Reparameterization

• Standard Softmax does **NOT** work

$$P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_t) = \frac{\exp\left(e(x_{z_t})^\top h(\mathbf{x}_{\mathbf{z}_{< t}})\right)}{\sum_{x'} \exp\left(e(x')^\top h(\mathbf{x}_{\mathbf{z}_{< t}})\right)}$$



Reparameterization

• Standard Softmax does **NOT** work

$$P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{ No info. of $z_t$$$

• Proposed solution: incorporate z_t into hidden states

$$P(x_{z_t} \mid \mathbf{x}_{\mathbf{z}_{< t}}, z_t) = \frac{\exp\left(e(x_{z_t})^\top g(\mathbf{z}_t, \mathbf{x}_{\mathbf{z}_{< t}})\right)}{\sum_{x'} \exp\left(e(x')^\top g(\mathbf{z}_t, \mathbf{x}_{\mathbf{z}_{< t}})\right)}$$
 Deep Net

Reparameterization

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 Deep Net

Question: how to implement $g(z_t, \mathbf{x}_{z_{< t}})$?

Target Position Aware Representation: $g(\mathbf{z}_t, \mathbf{x}_{\mathbf{z}_{t-1}})$

Reuse the Idea of Attention



- Stand at the target position z_t Gather information from $\mathbf{x}_{z_{< t}}$

$$g(z_t, \mathbf{x}_{\mathbf{z}_{< t}}) = \operatorname{Attn}_{\theta} \left(\underbrace{\mathbf{Q} = \operatorname{Enc}(\mathbf{z}_t)}_{\text{Stand at } \mathbf{z}_t}, \underbrace{\operatorname{KV} = \mathbf{h}(\mathbf{x}_{\mathbf{z}_{< t}})}_{\text{Gather info. from } \mathbf{x}_{\mathbf{z}_{< t}}} \right)$$

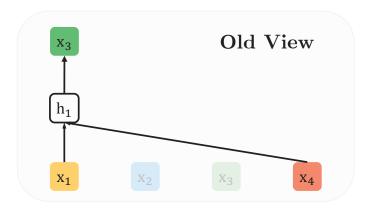
Target Position Aware Representation: $g(z_t, x_{z_{< t}})$

Reuse the Idea of Attention

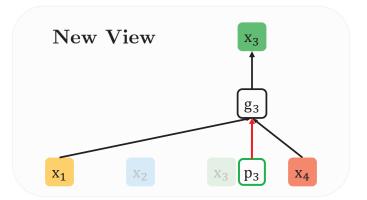


- Stand at the target position z_t
- Gather information from $\mathbf{x}_{Z < t}$

$$g(z_t, \mathbf{x}_{\mathbf{z}_{< t}}) = \operatorname{Attn}_{\theta} \left(\underbrace{\mathbf{Q} = \operatorname{Enc}(\mathbf{z}_t)}_{\text{Stand at } \mathbf{z}_t}, \underbrace{\operatorname{KV} = \mathbf{h}(\mathbf{x}_{\mathbf{z}_{< t}})}_{\text{Gather info. from } \mathbf{x}_{\mathbf{z}_{< t}}} \right)$$



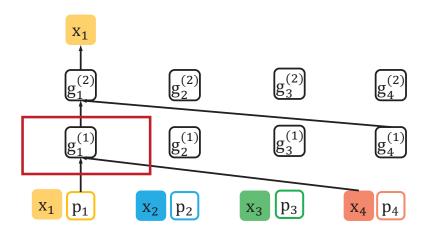




Contradiction: Predicting Self and Others

• Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$

Use $g_1^{(1)}$ to predict $\mathbf{x_1}$ (self)

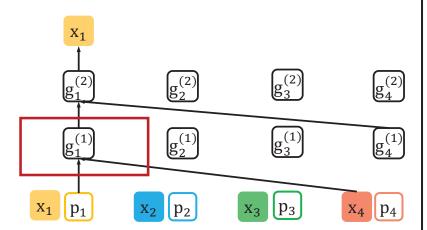


Should not encode x_1

Contradiction: Predicting Self and Others

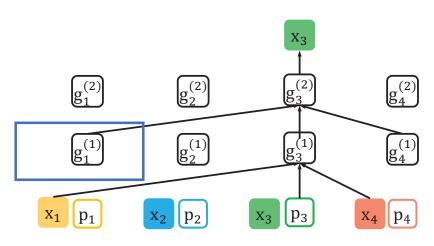
• Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$

Use $g_1^{(1)}$ to predict $\mathbf{x_1}$ (self)



Should not encode x_1

Use $g_1^{(1)}$ to predict x_3 (other)

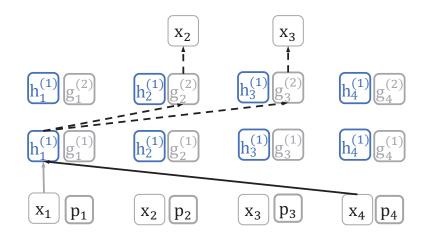


Should encode x_1

Two-Stream Attention

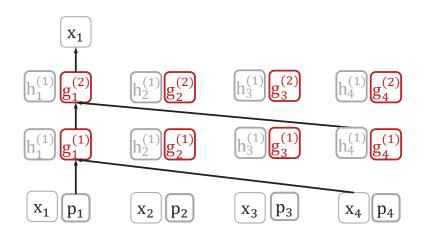
• Factorization order: $4 \rightarrow 1 \rightarrow 3 \rightarrow 2$

Encoding. Predicting x_2 and x_3 (others).

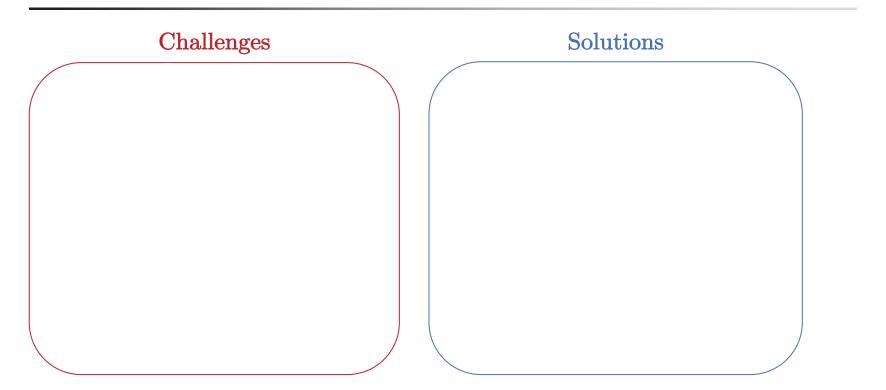


 h_1 encodes x_1

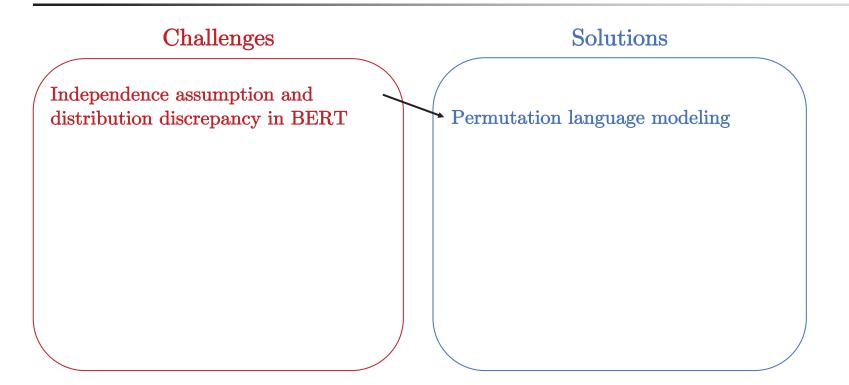
Decoding. Predicting x_1 (self).

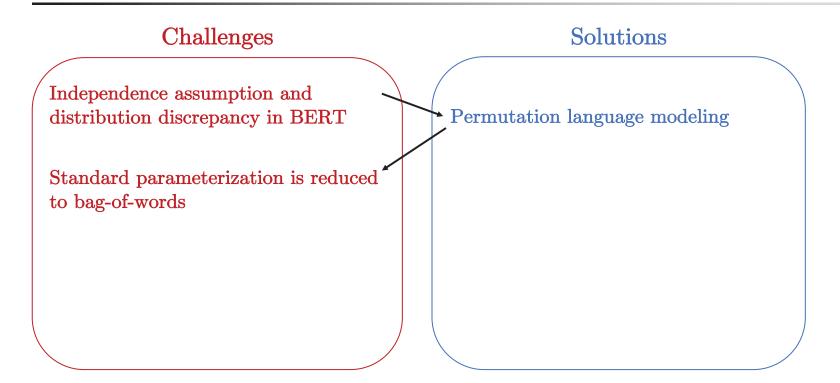


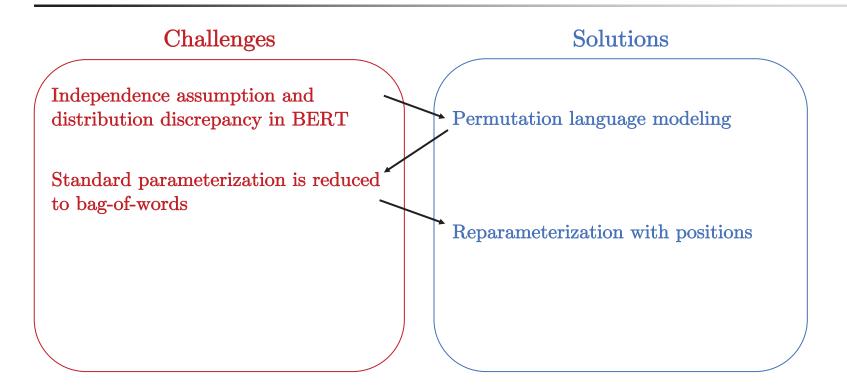
 g_1 does not encode x_1

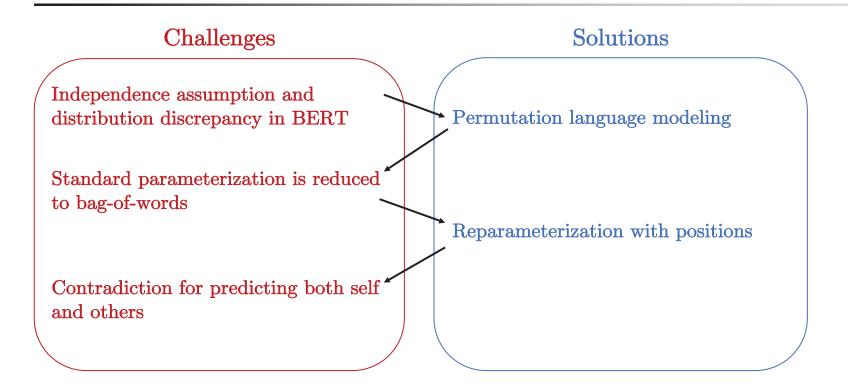


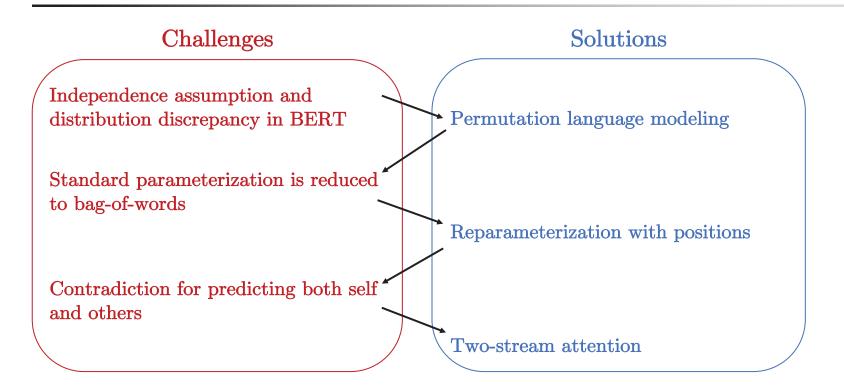
Solutions Challenges Independence assumption and distribution discrepancy in BERT $\,$



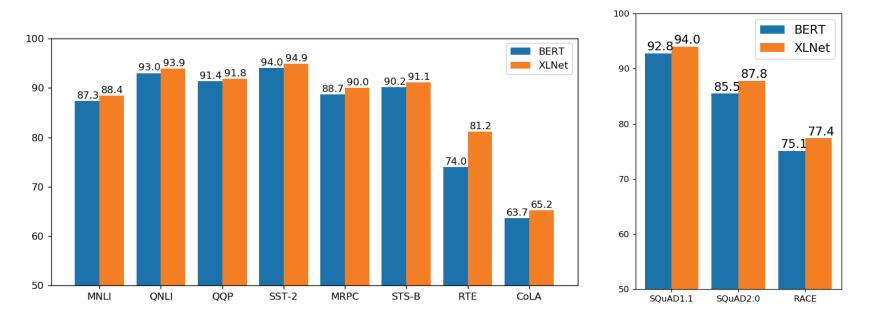






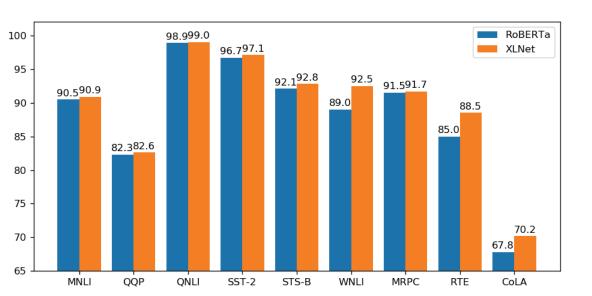


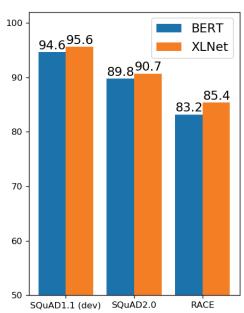
Experiment: Comparison with BERT



We report the **best of 3** BERT variants. Almost **identical** training recipes.

Experiment: Comparison with RoBERTa





Almost identical training recipes.

Challenges: Scalability of XLNet

Memory

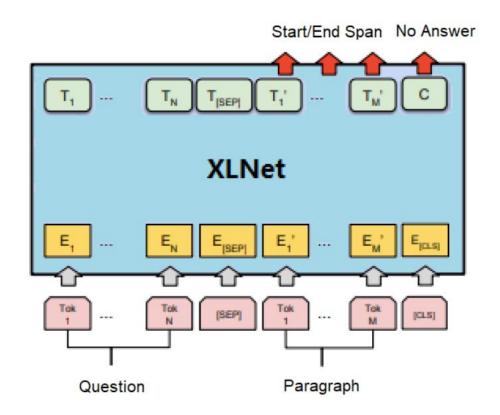
128GB GPU/TPU

(Google TPU v3-8)

Time

Days

Question Answering Fine-tuning



Default Parameters

Batch size: 8

Max Sequence length: 512

• Fine-tuned layers: 24 out of 24

Output Layers

Start: 1024 -> 1

End: 1024 -> 1

o Class: 1024 -> 1

SQuAD 1.1 & 2.0

In meteorology, precipitation is any product of the condensation of atmospheric water vapor that falls under **gravity**. The main forms of precipitation include drizzle, rain, sleet, snow, **graupel** and hail... Precipitation forms as smaller droplets coalesce via collision with other rain drops or ice crystals within a cloud. Short, intense periods of rain in scattered locations are called "showers".

What causes precipitation to fall? gravity

What is another main form of precipitation besides drizzle, rain, snow, sleet and hail? graupel

Where do water droplets collide with ice crystals to form precipitation?

Paragraph: "... Other legislation followed, including the Migratory Bird Conservation Act of 1929, a 1937 treaty prohibiting the hunting of right and gray whales, and the Bald Eagle Protection Act of 1940. These later laws had a low cost to society—the species were relatively rare—and little opposition was raised."

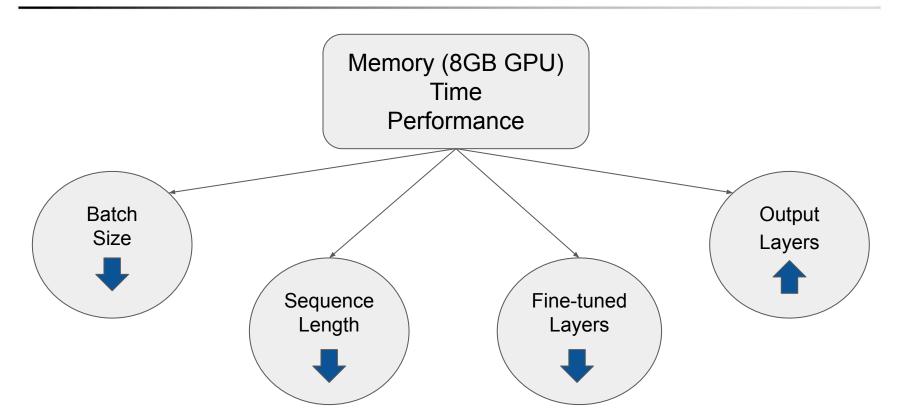
Question 1: "Which laws faced significant opposition?" Plausible Answer: later laws

Question 2: "What was the name of the 1937 treaty?" Plausible Answer: Bald Eagle Protection Act

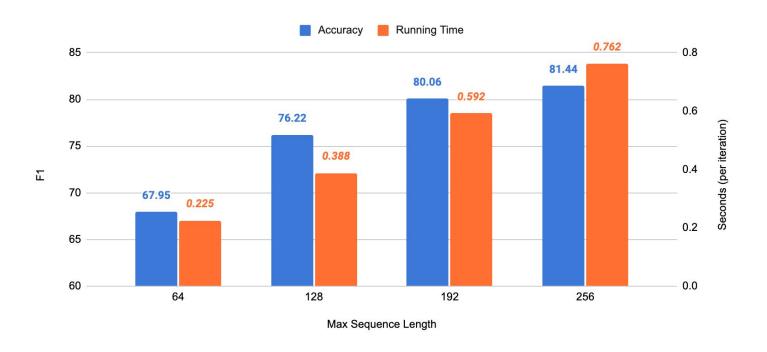
* 100,000 answerable + 50,000 unanswerable questions

within a cloud

Alternatives

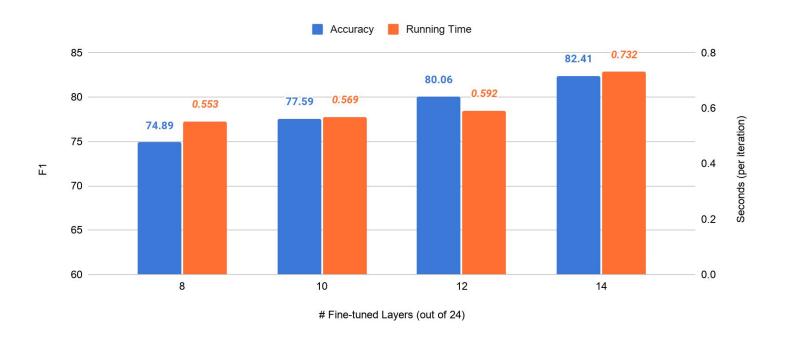


Experiment: Sequence Length



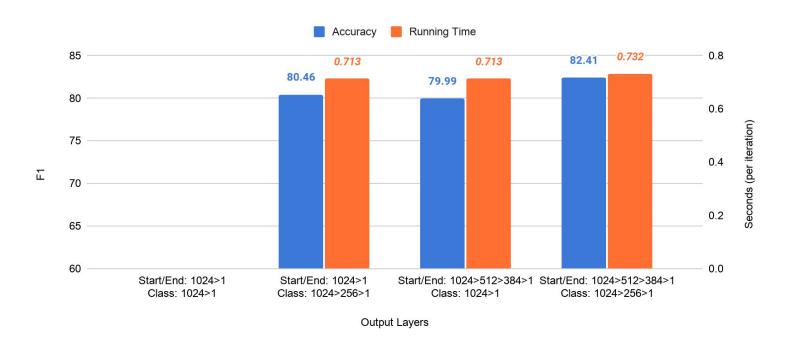
The figure shows the change in F1 score and running time when max sequence length varies. Each experiment only runs once with 12000 train-steps.

Experiment: Partial Fine-tuning



The figure shows the change in F1-score and running time when the number of trained layers varies. Each experiment only runs once with 12000 train-steps and max sequence length is set to 192.

Experiment: Output Layers



The figure shows the change in F1-score and running time when output layers vary. Each experiment only runs once with 12000 train-steps, max sequence length is set to 192 and the number of trained layers is 14.

Conclusion

 XLNet is an autoregressive model that naturally captures bidirectional context, and has shown superior performance to autoencoding models, such as BERT and RoBERTa.

We explore scalable alternatives to the question-answering fine-tuning to
tackle memory and time challenges of XLNet. We have provided insights
into tradeoffs between performance and running time with different
sequence lengths, partial fine-tuning, and different output layers.