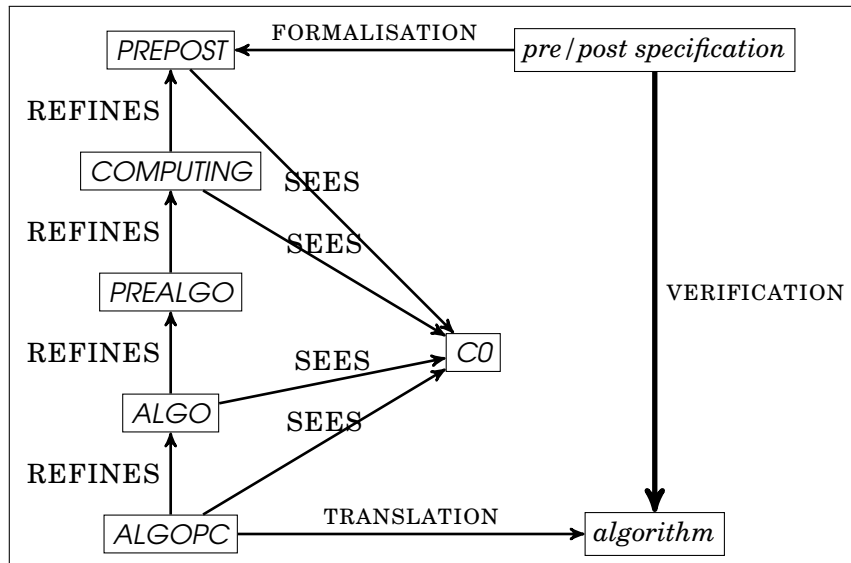**Exercice 1** *fx1-tut2.zip*

We consider a finite sequence of integers $v_1, \ldots, v_n$ where n is the length of the sequence and is supposed to be fixed. Write an Event B specification modelling the computation of the value of the summation of the sequence v. You should define cerafully v, n and the summation of a finite sequence of integers.

Exercice 2 *fx2-tut2.zip*

Apply the pattern for computing the value n^2 using the sequence $(n+1)^2 = n^2+n+n+1$.
Write a C function with annotation that you will check with Frama-c.

Exercice 3 *fx3-tut2.zip*

Develop an algorithmic solution with the pattern for the problem of finding the number of occurrences of a value v value v satisfying a condition CO in a table t of dimension n. dimension n. The table is assumed to have a value in an envelope V. seems V and that CO is a part of V.

Exercice 4 *fx4-tut2.zip*

Apply this pattern to find the index i of t such that $t(i) = v$. Write a C function that you will check with Frama-c.

Exercice 5 *fx5-tut2.zip*

Apply this pattern to compute x^3 using $(i+1)^3 = i^3+3i^2+3i+1$. We use the following sequences :

— $z_0 = 0$ *et* $\forall n \in \mathbb{N} : z_{n+1} = z_n+v_n+w_n$

— $v_0 = 0$ *et* $\forall n \in \mathbb{N} : v_{n+1} = v_n+t_n$

— $t_0 = 3$ *et* $\forall n \in \mathbb{N} : t_{n+1} = t_n+6$

— $w_0 = 1$ *et* $\forall n \in \mathbb{N} : w_{n+1} = w_n+3$

— $u_0 = 0$ *et* $\forall n \in \mathbb{N} : u_{n+1} = u_n+1$

$$\begin{pmatrix} z(i+1) \\ v(i+1) \\ t(i+1) \\ w(i+1) \\ u(i+1) \end{pmatrix} = \begin{pmatrix} z_i+v_i+w_i \\ v(i)+t(i) \\ t(i)+6 \\ w(i)+3 \\ u(i)+1 \end{pmatrix} = \begin{pmatrix} 1 & 1 & 01 & 0 \\ 0 & 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} z(i) \\ v(i \\ t(i) \\ w(i) \\ u(i) \end{pmatrix} + \begin{pmatrix} 0 \\ 0 \\ 6 \\ 3 \\ 1 \end{pmatrix}$$

Write a C function from the development and use FRma-c for checking it.