Implement K-Means clustering/ hierarchical clustering on sales_data_sample.csv dataset. Determine the number of clusters using the elbow method.

```
In [198]: import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
#Importing the required libraries.

In [199]: from sklearn.cluster import KMeans, k_means #For clustering
from sklearn.decomposition import PCA #Linear Dimensionality reduction.

In [200]: df = pd.read_csv("sales_data_sample.csv") #Loading the dataset.
```

Preprocessing

```
In [201]: df.head()

...

In [202]: df.shape

...

In [203]: df.describe()

...

In [204]: df.info()

...

In [205]: df.isnull().sum()

...

In [206]: df.dtypes

...

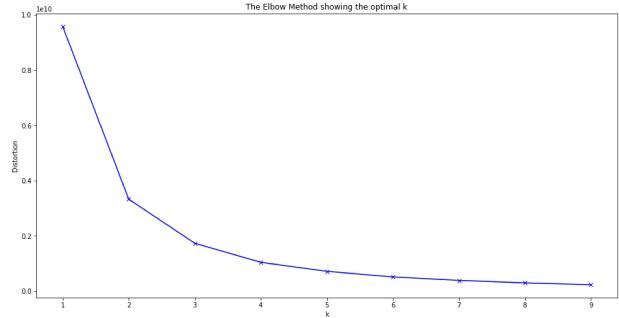
In [207]: df_drop = ['ADDRESSLINE1', 'ADDRESSLINE2', 'STATUS', 'POSTALCODE', 'CITY', 'TERN df = df.drop(df_drop, axis=1) #Dropping the categorical uneccessary columns along
```

```
In [208]: df.isnull().sum()
In [209]: df.dtypes
 In [ ]: # Checking the categorical columns.
In [210]: |df['COUNTRY'].unique()
In [211]: | df['PRODUCTLINE'].unique()
In [212]: df['DEALSIZE'].unique()
                                           . . .
In [213]: productline = pd.get_dummies(df['PRODUCTLINE']) #Converting the categorical column
          Dealsize = pd.get dummies(df['DEALSIZE'])
In [214]: | df = pd.concat([df,productline,Dealsize], axis = 1)
In [215]: df_drop = ['COUNTRY', 'PRODUCTLINE', 'DEALSIZE'] #Dropping Country too as there ar
          df = df.drop(df drop, axis=1)
In [216]: |df['PRODUCTCODE'] = pd.Categorical(df['PRODUCTCODE']).codes #Converting the data
In [217]: df.drop('ORDERDATE', axis=1, inplace=True) #Dropping the Orderdate as Month is al
In [218]: df.dtypes #All the datatypes are converted into numeric
```

Plotting the Elbow Plot to determine the number of clusters.

```
In [219]: distortions = [] # Within Cluster Sum of Squares from the centroid
K = range(1,10)
for k in K:
    kmeanModel = KMeans(n_clusters=k)
    kmeanModel.fit(df)
    distortions.append(kmeanModel.inertia_) #Appeding the intertia to the Distortion
```

```
In [220]: plt.figure(figsize=(16,8))
    plt.plot(K, distortions, 'bx-')
    plt.xlabel('k')
    plt.ylabel('Distortion')
    plt.title('The Elbow Method showing the optimal k')
    plt.show()
```



As the number of k increases Inertia decreases.

Observations: A Elbow can be observed at 3 and after that the curve decreases gradually.

Visualization

```
In [229]: pca = PCA(n_components=2) #Converting all the features into 2 columns to make it
          reduced X = pd.DataFrame(pca.fit transform(X train),columns=['PCA1','PCA2']) #Cre
In [230]:
In [231]: reduced_X.head()
Out[231]:
                   PCA1
                             PCA2
              -682.488323 -42.819535
              -787.665502 -41.694991
              330.732170 -26.481208
           3
               193.040232 -26.285766
              1651.532874
                          -6.891196
          #Plotting the normal Scatter Plot
In [232]:
          plt.figure(figsize=(14,10))
          plt.scatter(reduced_X['PCA1'],reduced_X['PCA2'])
In [233]: model.cluster centers #Finding the centriods. (3 Centriods in total. Each Array
In [234]: reduced_centers = pca.transform(model.cluster_centers_) #Transforming the centro
In [235]: reduced_centers
Out[235]: array([[ 5.84994044e+02, -4.36786931e+00],
                  [-1.43005891e+03, 2.60041009e+00],
                  [ 3.54247180e+03, 3.15185487e+00]])
          plt.figure(figsize=(14,10))
In [236]:
          plt.scatter(reduced_X['PCA1'], reduced_X['PCA2'])
          plt.scatter(reduced_centers[:,0],reduced_centers[:,1],color='black',marker='x',s=
```

```
In [237]: reduced_X['Clusters'] = predictions #Adding the Clusters to the reduced dataframe
In [238]: reduced_X.head()
```

Out[239]: <matplotlib.collections.PathCollection at 0x218dce9e1f0>

