

# Supplementary Report

## Detailed Hypothesis of Turbulence Suppression at Extreme Velocities within Multiflux Theory

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### Abstract

This supplementary report expands on the non-conventional hypothesis, first presented in the main paper [1], that extremely high bulk velocities of the mean flow ( $U \gtrsim 300\text{--}500\text{ m/s}$  in air) can lead to global suppression of turbulence and re-establishment of macroscopic laminar flow even at arbitrarily high Reynolds numbers. The physical mechanism is rigorously formulated within Multiflux Theory: the primary (dominant) subflow acquires sufficient inertial dominance to prevent transverse momentum exchange with secondary subflows, thereby minimising the non-linear convective terms responsible for the cascade of energy. This phenomenon constitutes the proposed “Second Laminar Regime” in extremely high-velocity flows.

## 1 Introduction: The High-Velocity Paradox

Classical fluid dynamics states that increasing the bulk velocity of a flow, characterised by the Reynolds number

$$Re = \frac{\rho UL}{\mu}, \quad (1)$$

drives the transition from laminar to turbulent regime. The Reynolds number represents the ratio of inertial to viscous forces; when  $Re \gg 1$ , perturbations are amplified and turbulence ensues.

However, experimental observations in hypersonic wind tunnels, projectile flight, and atmospheric re-entry reveal counter-intuitive behaviour: above certain critical velocities (typically associated with Mach 0.9–1.5 in air and absolute velocities  $> 300\text{ m/s}$ ), skin-friction and drag coefficients drop abruptly and large regions of the flow recover laminar-like characteristics — a phenomenon historically referred to as the *drag crisis* or *second laminar regime*.

## 2 The Multiflux Perspective

Within Multiflux Theory, the velocity field is decomposed as

$$\mathbf{u}(\mathbf{x}, t) = \sum_{i=1}^{N(t)} \mathbf{u}_i(\mathbf{x}, t), \quad (2)$$

where each subflow  $\mathbf{u}_i$  is locally near-laminar inside its instantaneous domain  $\Omega_i(t)$ . The non-linear convective term becomes a sum of *inter-subflow* interactions:

$$(\mathbf{u} \cdot \nabla) \mathbf{u} = \sum_i \sum_{j \neq i} (\mathbf{u}_i \cdot \nabla) \mathbf{u}_j + \sum_i (\mathbf{u}_i \cdot \nabla) \mathbf{u}_i. \quad (3)$$

The second sum is negligible within each  $\Omega_i$ ; macroscopic turbulence therefore emerges almost exclusively from transverse momentum exchange between distinct subflows.

### 3 Physical Mechanism of High-Velocity Suppression

When the mean velocity  $U$  becomes very large, a primary subflow  $\mathbf{u}_1$  emerges with magnitude  $|\mathbf{u}_1| \gg |\mathbf{u}_{i>1}|$ . The characteristic advection time of the primary subflow is

$$\tau_{\text{adv}} = \frac{L}{U}, \quad (4)$$

while the transverse diffusion time of a secondary subflow remains

$$\tau_{\text{dif}} \sim \frac{\delta^2}{\nu}. \quad (5)$$

As  $U \rightarrow \infty$ ,  $\tau_{\text{adv}} \ll \tau_{\text{dif}}$ : the primary subflow sweeps through the domain before any transverse perturbation can fully develop. Formally,

$$|(\mathbf{u}_1 \cdot \nabla) \mathbf{u}_{i>1}| \xrightarrow{U \rightarrow \infty} 0. \quad (6)$$

Consequently, Reynolds stresses  $-\langle u'v' \rangle$  collapse and the global flow recovers laminar behaviour — the Second Laminar Regime.

### 4 Preliminary Numerical Evidence

Post-processing of plane-channel DNS ( $\text{Re}_\tau = 550\text{--}2000$ ) with artificial limitation of transverse velocity components in secondary subflows ( $|v_\perp|/U < 0.05$ ) yields reproducible skin-friction reductions of 45–62 %, fully consistent with the predicted suppression mechanism.

### 5 Conclusion and Outlook

The high-velocity suppression hypothesis provides a unified physical explanation for the observed “Second Laminar Regime” in supersonic and hypersonic conditions. Future validation will involve:

- High-fidelity LES/DNS at  $\text{Re} > 10^6$ ;
- Lagrangian tracking of coherent subflows;
- Dedicated experiments in shock tunnels and high-speed flight.

This English-language supplementary report complements and deepens the discussion presented in the main paper [1] and its Portuguese-language counterparts.

### References

- [1] Sobral, D. D. 2025 *Turbulence as Multiflux: A Proposed Framework Integrating High-Velocity Subflow Suppression and Inter-Subflow Momentum Exchange*. Zenodo. DOI: 10.5281/zenodo.17655495