

Block Cipher Modes

Recap:

CPA security (chosen plaintext attack)
"bare" block cipher (PRP) is not CPA-secure
better: $m \rightarrow (r, F(k, r) \oplus m)$

$$\lambda \text{ bits} \rightarrow 2\lambda \text{ bits}$$

Ex: AES $\lambda = 128$ (16 bytes)

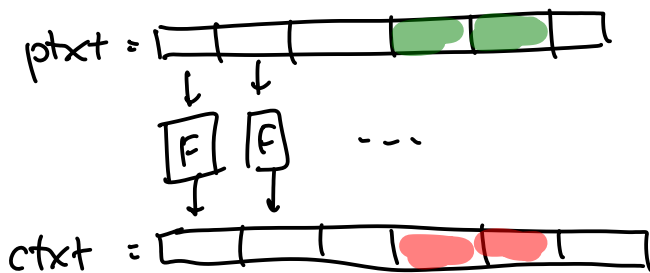
What about longer ptxts?

split into blocks of length λ , encrypt 1-by-1

If ptxt is N bits
ctxt is $2N$ bits

Block cipher mode = method of using block cipher on bigger data

ECB mode = electronic codebook

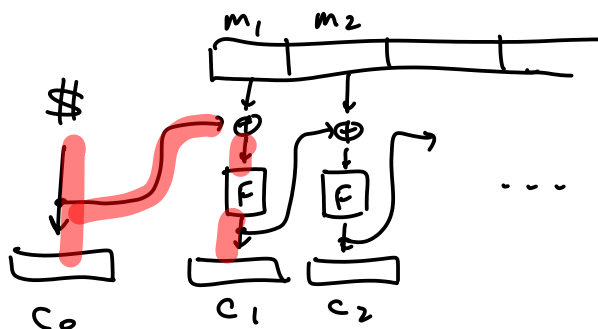


Same ptxt block

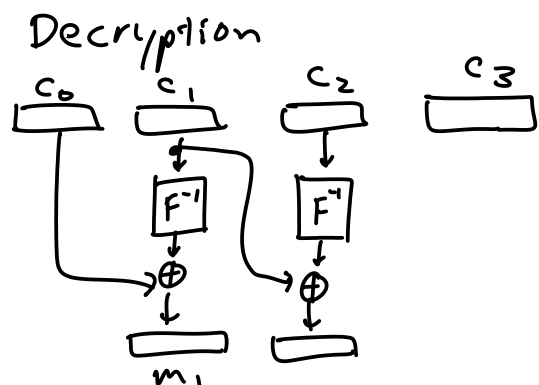


same ctxt block

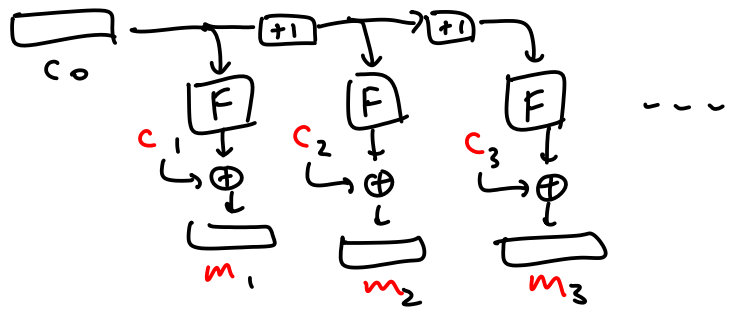
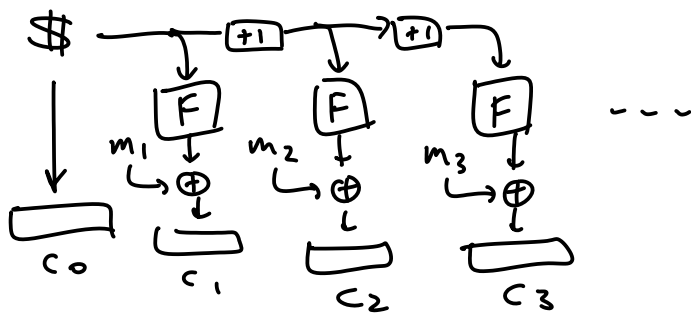
CBC mode = cipher-block chaining



Initialization Vector (IV)



CTR mode = counter



Security

CBC, CTR are CPA-secure for encryption *

* except, no they aren't

length of ctxt depends on (leaks) length of ptxt

$k \leftarrow \text{KeyGen}$
CHALLENGE(m_L, m_R):
 $c = \text{Enc}(k, m_L)$
 ret c

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$k \leftarrow \text{KeyGen}$
CHALLENGE(m_L, m_R):
 $c = \text{Enc}(k, m_R)$
 ret c

Attack by passing m_L long
 m_R short

fixed
 definition



$k \leftarrow \text{KeyGen}$
CHALLENGE(m_L, m_R):
 if $|m_L| \neq |m_R|$: ret null
 $c = \text{Enc}(k, m_L)$
 ret c

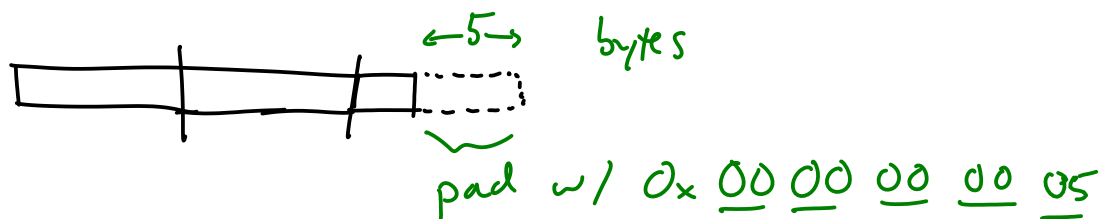
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What if ptxt length not exact multiple of λ ?

padding: extend data to next multiple of λ
(must be reversible!)

ex:



clever truncation (ciphertext stealing)