

① From the given data, calculate mole ratios

$$\underline{\text{Inlet}} : \dot{Y}_{\text{CO}_2, \text{flue gas}} = \frac{0.15}{1 - 0.15} = 0.1765$$

$$\text{CO}_2 \text{ in solution, } X_0 = \frac{0.058}{1 - 0.058} = 0.06157$$

Outlet :

$$Y_{\text{CO}_2, \text{gas}} = X_1 = \frac{2}{98} = 0.02$$

$$X_n (\text{CO}_2 \text{ in solution}) = ? \quad (\text{depends on } L_s)$$

$$\text{Also } G = \frac{P_1}{RT} = \frac{1.2 \times 10^5 \times 1.01}{8.314 \times 298} = 49 \text{ mol/m}^3 \text{ of gas}$$

$$\Rightarrow G_s = 0.85 \times G = 41.65 \text{ mol/m}^3$$

The x eqbm data is converted to X by $X = \frac{x}{1-x}$.

and partial pressure is also converted to corresponding mole ratio $\Rightarrow Y = \frac{p}{1.2 \times 760}$

Thus X_{eqbm} vs Y_{eqbm} data is obtained.

Using spline interpolation, X_0 is found to be 0.0722
($\because (X_0, Y_n)$ is a point on the eqbm curve at L_{smis})

$$a) \frac{L_{\text{smis}}}{V_s} = \frac{Y_{\text{entry}} - Y_{\text{exit}}}{X_{\text{exit}} - X_{\text{entry}}} \Rightarrow \frac{L_{\text{smis}}}{V_s} = 14.722$$

b) Using value of $C_{r,s}$ calculated earlier,

$$L_s = 1.2 \times 14.722 \times V_s \Rightarrow L_s = 735.866 \text{ mol/m}^3 \text{ of gas}$$

$$\text{M.W. of liquid} = \frac{W}{\frac{0.3W}{61} + \frac{0.7W}{18}} \quad \left(\frac{\text{Weight of liquid}}{\text{total no. of moles of it}} \right)$$

$$\Rightarrow \text{M.W.} = 22.827 \text{ g mol}^{-1}$$

$$\Rightarrow L_s = 735.866 \times 22.827 \text{ g.}$$

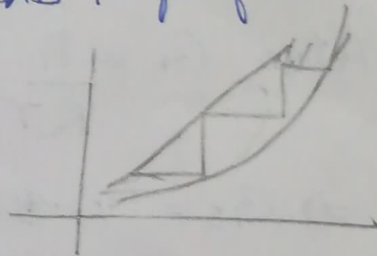
$$= 16.8 \text{ kg of liquid / m}^3 \text{ of gas.}$$

c) $\rightarrow A_{\bullet}$ loop has been set in MATLAB to perform the stepping process.

\rightarrow For a given y , find x at eqm curve using spline.

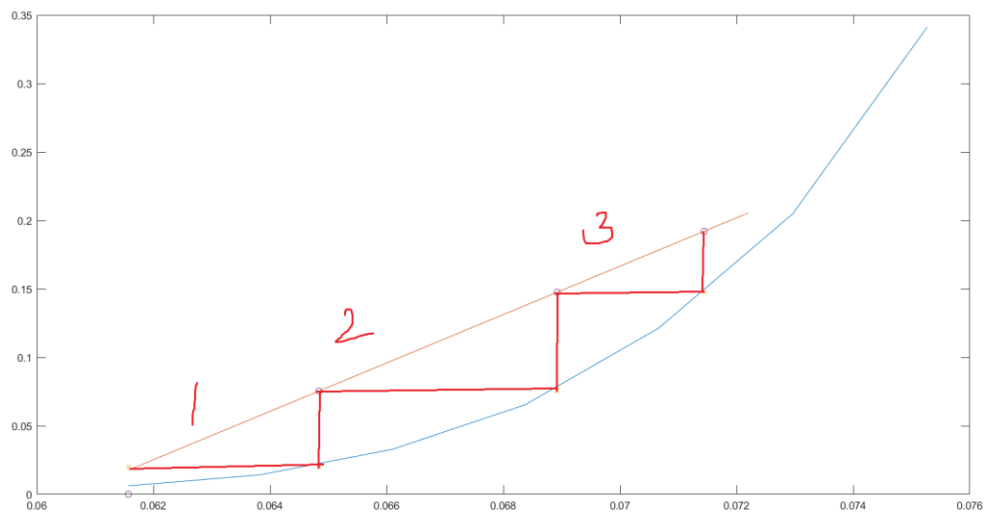
\rightarrow For that x find y as operating line

\rightarrow Stop the iterations once $y > y_{entry}$



Using the above process the number of trays was found to be 3.

Question 1) Graph + Code



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clear; close all;
X = [0.061571125 0.063829787 0.066098081 0.068376068 0.070663812 0.072961373 0.075268817 ];
Y = [0.006178288 0.014234875 0.032842582 0.065420561 0.121357433 0.204755614 0.341176471 ];
xl = 0.065:0.001:0.075;
yl = 0.1765.*ones(1,11);
xlol = linspace(0.06157,0.0722,10);
X_atminL = spline(Y,X,0.1765);
%determining number of trays
i = 0;
y = 0.02;
xcoords = zeros(1,4);
ycoords = zeros(1,4);
ycoords2 = ycoords;
while y <= 0.1765
    i = i + 1;
    x = spline(Y,X,y);
    xcoords(i) = x;
    ycoords(i) = y;
    y = 0.01765 + 1.2*14.722*(x-0.06157);
    ycoords2(i) = y;
end
xcoords(4)=0.06157;
ycoords(4) = 0.02;
plot(X,Y,xlol,0.01765 + 1.2*14.722.*(xlol-0.06157),xcoords,ycoords,'x',xcoords,ycoords2,'o');
a = [0.058 0.06 0.062 0.064 0.066 0.068 0.07 ];
b = [0.006140351 0.014035088 0.031798246 0.061403509 0.108223684 0.16995614 0.254385965 ];
figure();
plot(a,b);
```

② Given that molar gas flow rate, $V = 180 \text{ kmol/h}$.

$$V_s = 0.98 \times V = 176.4 \text{ kmol/h}.$$

$$Y_{n+1} = \frac{2}{98} \approx 0.02$$

$$Y_1 = 0.03 \times \frac{2}{98} \approx 6.12 \times 10^{-4}$$

and $X_0 = 0$ (entry feed is pure)

Modified Raoult's law: $y P_{\text{total}} = x \gamma P_{\text{saturation}}$.

For dilute solutions $y \approx Y$ and $x \approx X$

$$\Rightarrow Y P_{\text{total}} = X \gamma P_{\text{vapour}}$$

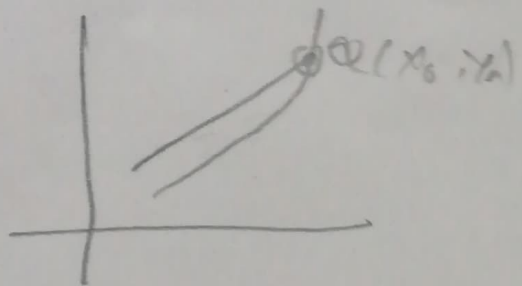
$$\Rightarrow X = \frac{P_{\text{total}}}{\gamma P_{\text{vapour}}} (Y) \quad \text{will be the equilibrium curve.}$$

$$P_{\text{total}} = 110 \text{ kPa}, P_{\text{vapour}} = 10.5 \text{ kPa}, \gamma = 6$$

At L_{min} , we know that X_0, Y_n lies on equilibrium

Using the curve equation we get,

$$X_{\text{exit}} = 0.0349.$$



$$\therefore \frac{L_{\text{min}}}{V_s} = \frac{0.02 - 6.12 \times 10^{-4}}{0.0349 - 0} \Rightarrow L_{\text{min}} = 97.99$$

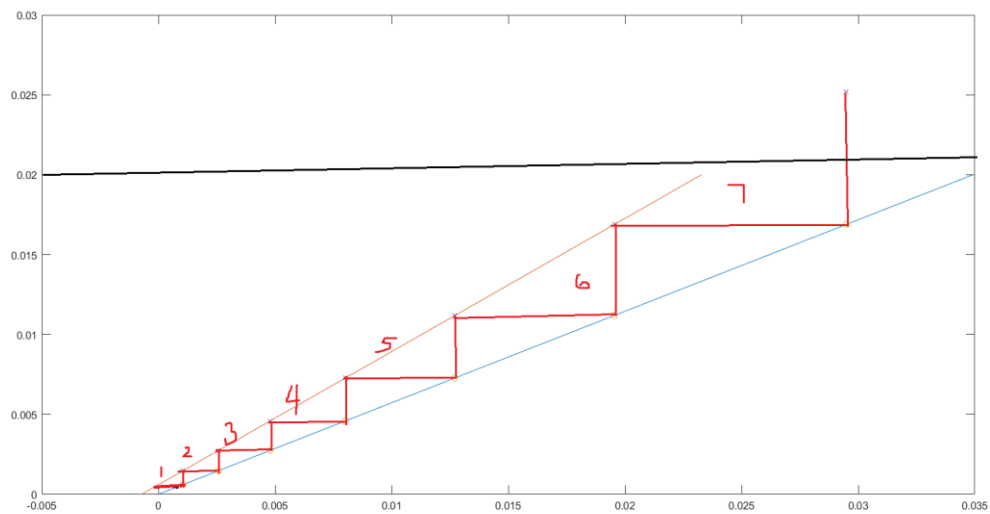
$$\Rightarrow L_{\text{min}} = 98 \text{ kmol/h}.$$

$$\text{Let } L_s = 1.5 L_{\text{min}}$$

$$\Rightarrow L_s = 146.997 \Rightarrow L_s = 147 \text{ kmol/h}$$

Using the stepping process similar to q1).
we get the number of trays to be 7.

Question 2: Graph + Code



```

close all;
Vs = 176.4;
Yentry = 0.02;
Yexit = 0.03*0.02;
Xentry = 0;
gamma = 6;
P = 110*10^3;
pvap = 10.5 * 10^3;
k = P/gamma/pvap;
X = @(Y)(k*Y);
Xexit = X(Yentry);
Lsmin = Vs*((Yentry-Yexit)/(Xexit));
Ls = 1.5*Lsmin;
m = Ls/Vs;
i = 0;
y = Yexit;
xcoords = zeros(1,3);
ycoords = zeros(1,3);
ycoords2 = ycoords;
while y <= Yentry
    i = i + 1;
    x = X(y);
    xcoords(i) = x;
    ycoords(i) = y;
    y = 0.03*0.02 + m*(x);
    ycoords2(i) = y;
end
ys = 0:0.0005:0.02;
xs = (ys - 0.03*0.02)/m;
plot(X(ys),ys,xs,ys,xcoords,ycoords,'o',xcoords,ycoords2,'x');

```