

①

Given data:

$$z_F = 0.1, \quad x_B = 0.01, \quad x_D = 0.8$$

Feed is bubble-point liquid.

$$\Rightarrow q = 1$$

\Rightarrow the q -line is simply a vertical line passing through (z_F, z_F)

Step i): Finding R_{min} .

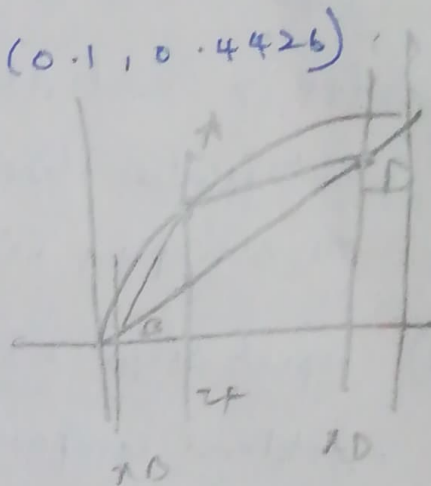
\rightarrow Find the intersection between q -line ($x = 0.1$) and the eqbm curve

\rightarrow Intersection is found to be: A (0.1, 0.4426)

\rightarrow The line joining D (x_D, x_D) to

A has slope = $\frac{R_{min}}{R_{min} + 1}$

$$\Rightarrow R_{min} = \frac{m_{min}}{1 - m_{min}} = \underline{1.043}$$



Step ii) Finding R and doing the stepping by constructing operating lines.

$$\rightarrow R = 1.5 R_{min} = \underline{1.5645}$$

\rightarrow Rectification section operating line: slope = $\frac{R}{R+1}$

and passes through (x_D, x_D)

$$\Rightarrow \text{eqn is } (y - x_D) = \left(\frac{R}{R+1} \right) (x - x_D)$$

$$\Rightarrow y = 0.6101x + 0.3119$$

→ Join point B (x_B, x_B) and the intersection of the q-line. This is the stripping operating line.
 $y = 4.03x - 0.303$

→ If the lines are plotted in MATLAB and the figure is attached

→ Stepping is done in MATLAB

Procedure:

a) Start from $y = x_D, x = x_D$.

b) fix x & y and move ^{left} to the corresponding point on the equilibrium curve.

c) fix x and drop to the point on stripping Rectification line if $x > z_F$ or to the point on stripping line if $x < z_F$.

d) Repeat steps b to c till the desired bottoms composition ($x_B = 0.01$) is achieved
(i.e. ~~you repeat till~~

(i.e. stop only when $y \leq 0.01$)

a) We find that there are 14 theoretical stages in rectification
13 theoretical stages in stripping

⇒ 17 theoretical stages.

But the last stage in stripping section is PARTIAL REBOILER

∴ Totally $\boxed{13 \text{ above} + 2 \text{ below}} = 15 \text{ theoretical plates}$
 $= \boxed{15 \text{ plates reqd.}}$

① b) Since H is given in terms of overall Mass Transfer Coefficient, $N_{OG} = \int_{y_1}^{y_2} \frac{dy}{y^* - y}$.

For obtaining y^* , we just fix the x coordinate of a point on the operating line and find the corresponding y -coordinate in the eqbm curve.

Thus we can find multiple such points and then integrate numerically

Intersection of the operating line = $(0.1, 0.373)$

Limits of Integrals

i) Rectification section: $y_1 = 0.373$,
 $y_2 = 0.8$ ($= x_D$)

ii) Stripping section: $y_1 = 0.098$ (this is the purity at which vapour from the partial reboiler enters)

$y_2 = 0.373$.

~~y_1 , stripping is found as~~

$y_{1, \text{stripping}} = y_{\text{eqbm}}$ at $x = x_B = 0.01$

Note that to generate points (y, y^*) it is easier to know the x -coordinates and find y using operating line equation and y^* using eqbm curve

So these eqns are numerically integrated in MATLAB.
using (y, y') generated for a set of x -coordinates.

One small manipulation is needed only in stripping
(otherwise $x_2 = y_2$ & $x_1 = y_1$)

In that case I use the stripping ^{line} equation to
get x_1 from y_1

Upon integration (with 30 points for each section),

$$NTU, \text{ above} = 14 \cdot 152 \text{ } \cancel{\text{to } 14} \text{ } \cancel{+ 5 \text{ units}}$$

$$NTU, \text{ below} = 2 \cdot 230 \text{ } \cancel{\text{to } 3 \text{ units.}}$$

b)

$$NTU_{above} = 14.15 \sim 15$$

Subtracting one for feed,

$$NTU_{above} = 15 - 1 = \underline{14 \text{ units}}$$

$$NTU_{below} = 2.23 \sim 2.$$

Subtracting one for feed,

$$NTU_{below} = \underline{2 \text{ units}}$$

$$\therefore \text{Total number of transfer units} = 14 + 2$$

$$(\text{including feed}) = \boxed{16 \text{ units}}$$

c)

We obtained 16 ~~theoretical~~ theoretical plates including the feed in part (a).

$$\text{Efficiency} = 0.8.$$

$$\Rightarrow \frac{\text{No. of theoretical plates}}{\text{No. of actual plates}} = 0.8.$$

$$\Rightarrow \text{No. of actual plates} = \frac{\text{No. of theoretical plates}}{0.8}$$

$$\Rightarrow \text{Number of circular plates} = \frac{16}{0.8} = 20 \text{ plates.}$$

$$\therefore \text{Height of plated section} = (20-1) \times 18 \text{ m}$$

$$\begin{aligned} \text{(if we have } n \text{ plates, we} &= 342 \text{ no. inches.} \\ \text{have } (n-1) \text{ gaps)} &= \boxed{8.839 \text{ m.}} \\ \text{b/w plates} & \end{aligned}$$

c) We have totally $14 + 2 + 1 = 18$ transfer units

$$\text{Height of bed} = NTU \times HTU$$

$$= 18 \times 1.2 \text{ feet}$$

$$= 21.6 \text{ feet}$$

$$= 6.584 \text{ m.}$$

d) We have totally $14 + 2 + 1 = 17$ transfer units
 \downarrow
 (feed)

$$\Rightarrow \text{Height of bed} = NTU \times HTU$$

$$= 17 \times 1.2$$

$$= \boxed{20.4 \text{ feet}}$$

$$= 6.218 \text{ m}$$

(Here I have rounded off the NTU to nearest integer, since it is height if we simply use the Integral value. In that case we get a less conservative value of $16.38 \times 1.2 = 19.66 \text{ feet} \sim 5.99 \text{ m}$)