# CH5120 ASSIGNMENT 6

# Question-1

System Equation:  $G(s) = \frac{5}{\tau s + 1} e^{-0.15s}$ 

$$\tau = 0.5$$

n = 24 (> p)

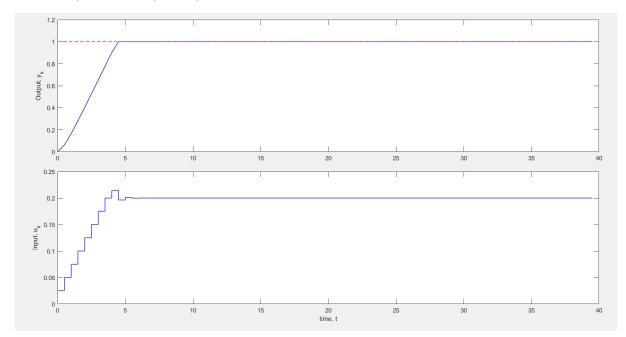
**%% Controller Parameters** 

ySP=1; % Setpoint

m=4; % Control horizon
p=10; % Prediction horizon
Q=1; % Output weight
R=0.1; % Input weight

Constraints:  $-0.4 \le u(k) \le 0.4$  and  $|\Delta u(k)| < 0.025$ 

As expected the controller is able to smoothly increase the output the set-point.



# Question-2

Disturbance Response:

$$y(s) = \frac{2.5}{20s+1}e^{-7s}u(s) + \frac{0.4}{10s+1}e^{-4s}d(s)$$

n=24;

% Please replace with your chosen n

h=5; % Sampling interval: Don't change maxTime=50; % Run this case for 50 time-steps

%% Controller Parameters

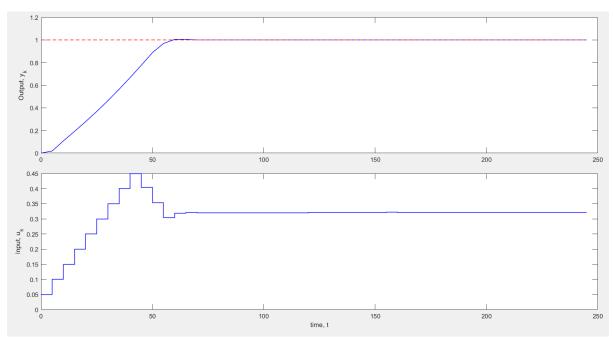
ySP=1; % Setpoint

m=4; % Control horizon
p=10; % Prediction horizon
Q=1; % Output weight
R=0.04; % Input weight

Constraints:  $-0.5 \le u(k) \le 0.5$  and  $|\Delta u(k)| < 0.05$ 

## Single disturbance

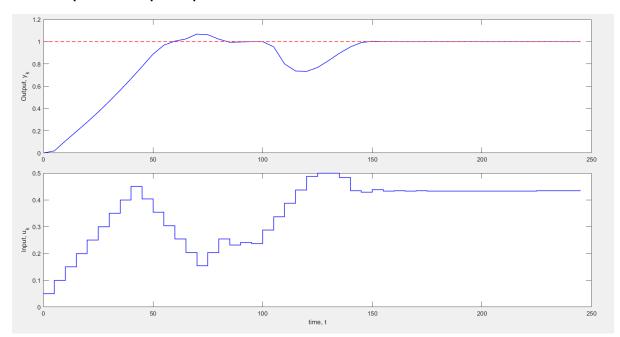
Disturbance is simply a step change given at t=0.



# Multiple Disturbance case

A series of step changes, with d = 0.5, 1.0 and -0.2 made at k = 0, 12, 20.

As expected we can see deviations in the y values at 13\*h = 13\*5 = 65, and at 21\*5 = 105. Basically the effect of the sudden change in disturbance is seen the time instant after it happens and over time the controller accommodates the change and the output is restored to its set-point.



# Question-3

Here the tuning parameters remain the same and we remove the disturbance effects. Instead, this question deals with model-plant mismatch.

Model: 
$$y(s) = \frac{2.5}{20s+1}e^{-7s}u(s)$$

Plant: 
$$y(s) = \frac{2.75}{18.5s+1}e^{-6.2s}u(s)$$

I verified that the time taken to get reasonably close to the set-point value (~0 error) is more for the case with mismatch. This extra time is needed to incorporate the effects of the mismatch (bias in the model) in the process of optimization.

