

CH5120 ASSIGNMENT 6

Question-1

System Equation: $G(s) = \frac{5}{\tau s + 1} e^{-0.15s}$

$$\tau = 0.5$$

%% Controller Parameters

ySP=1; % Setpoint

m=4; % Control horizon

p=10; % Prediction horizon

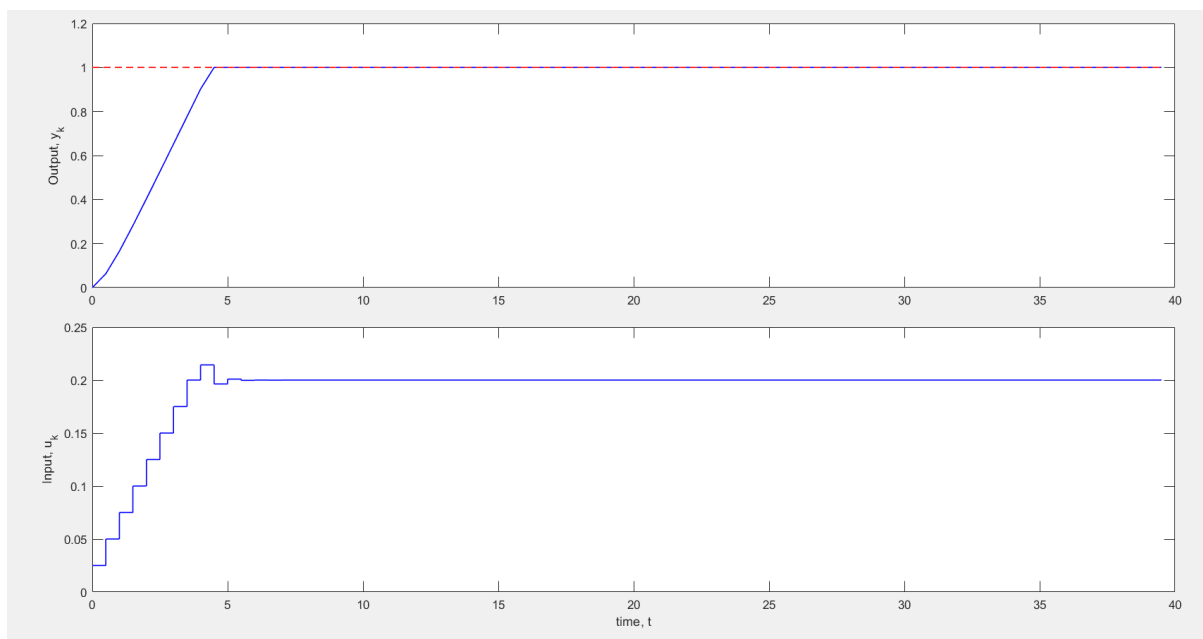
Q=1; % Output weight

R=0.1; % Input weight

Constraints: $-0.4 \leq u(k) \leq 0.4$ and $|\Delta u(k)| < 0.025$

As expected the controller is able to smoothly increase the output the set-point.

Plots of inputs and output responses



Question-2

Disturbance Response:

$$y(s) = \frac{2.5}{20s + 1} e^{-7s} u(s) + \frac{0.4}{10s + 1} e^{-4s} d(s)$$

```
n=24;
% Please replace with your chosen n
h=5;      % Sampling interval: Don't change
maxTime=50; % Run this case for 50 time-steps
```

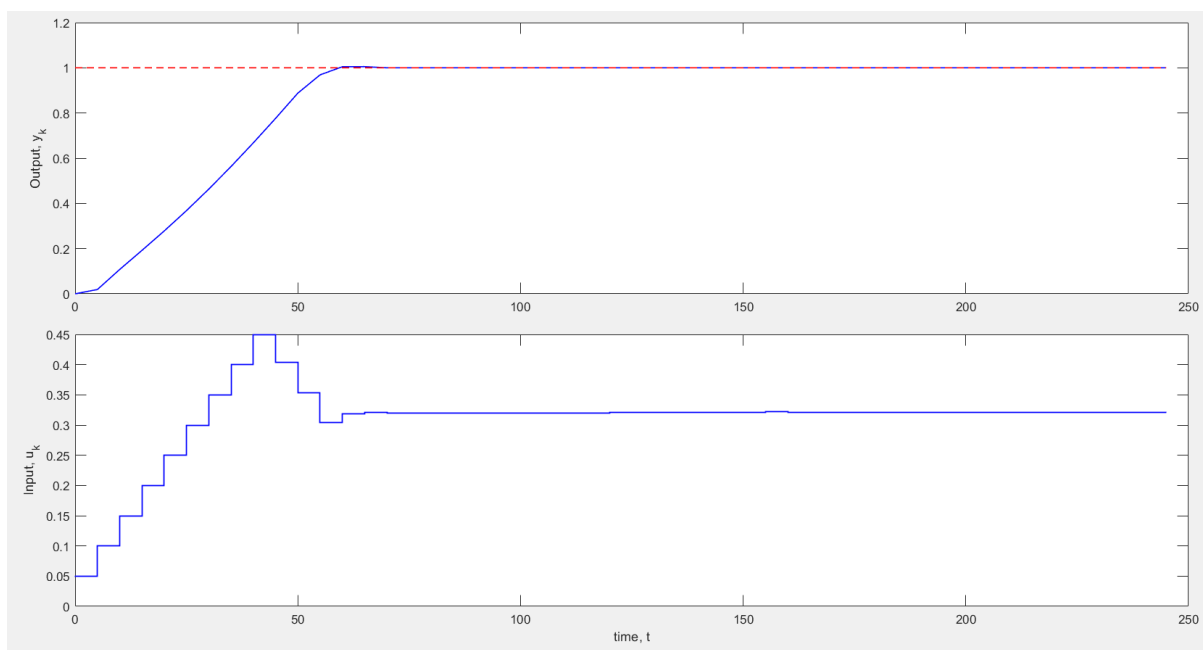
```
%% Controller Parameters
ySP=1;    % Setpoint
m=4;      % Control horizon
p=10;     % Prediction horizon
Q=1;      % Output weight
R=0.04;   % Input weight
```

Constraints: $-0.5 \leq u(k) \leq 0.5$ and $|\Delta u(k)| < 0.05$

Single disturbance

Disturbance is simply a step change given at $t=0$.

Plots of inputs and output responses

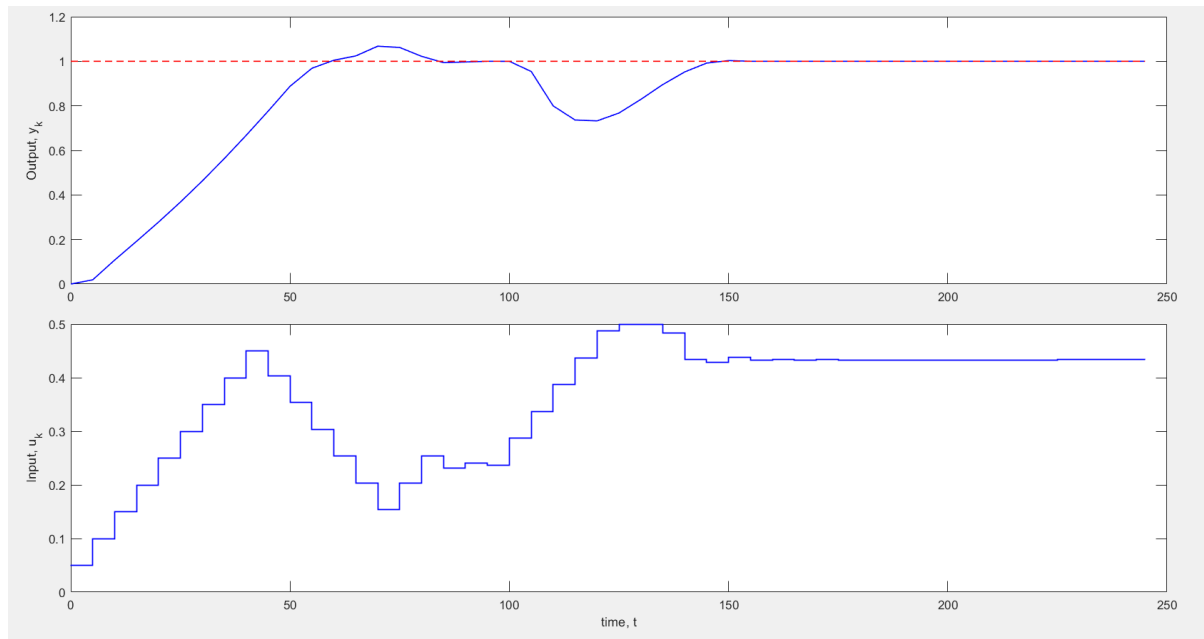


Multiple Disturbance case

A series of step changes, with $d = 0.5, 1.0$ and -0.2 made at $k = 0, 12, 20$.

As expected we can see deviations in the y values at $13 \cdot h = 13 \cdot 5 = 65$, and at $21 \cdot 5 = 105$. Basically the effect of the sudden change in disturbance is seen the time instant after it and slowly it dies down.

Plots of inputs and output responses



Question-3

Here the tuning parameters remain the same and we remove the disturbance effects. Instead this question deals with model-plant mismatch.

$$\text{Model: } y(s) = \frac{2.5}{20s+1} e^{-7s} u(s)$$

$$\text{Plant: } y(s) = \frac{2.75}{18.5s+1} e^{-6.2s} u(s)$$

I verified that the time taken to get reasonably close to the set-point value (~ 0 error) is more for the case with mismatch. This extra time is needed to incorporate the effects of the mismatch (bias) in the process of optimization.

Plots of inputs and output responses

