

Assignment 11

Due: Thursday, 24th December at 5 pm

You used the Dynamic Matrix Control (DMC) algorithm to solve three cases: (i) set-point tracking; (ii) rejection of measured disturbance; and (iii) handling model-plant mismatch.

On similar lines, you will use MPC toolbox to solve the three cases in state-space MPC. Note that you do not need to write your own MPC code, but use MPC toolbox instead.

Use the following parameters (<u>note that they are slightly different from Assignment-6</u>): Sampling interval: $\Delta t = 0.25$; MPC horizons: m = 4, p = 10; setpoint: r(k) = 1; Output and inputrate weights Q = 1, R = 0.1; Constraints: $-0.4 \le u(k) \le 0.4$, $|\Delta u(k)| < 0.025$.

Problem 1: SISO MPC (6 points)

Consider the following system, as in Assignment-6:

$$G(s) = \frac{5}{\tau s + 1} e^{-0.15s}$$
, $\tau = \frac{1 + a}{2}$ a = Last digit of roll number

Starting at origin, find the set of input moves in order to control the system at a new setpoint r = 1.

Problem 2: Extension to Measured Disturbance Case

(8 points)

Modify the above problem to simulate the case of measured disturbance:

$$y(s) = \frac{5e^{-0.15s}}{\tau s + 1}u(s) + \frac{0.4e^{-0.1s}}{2s + 1}d(s)$$

with a step disturbance of d(k) = 0.5 occurring at k = 0. Note the setpoint is r = 1 and the system is initially at the origin. There is no model plant mismatch for this problem.

Problem 3: Extension to Model-Plant Mismatch Case

(6 points)

Now consider the case of Model-Plant Mismatch. Let us assume that the true *Plant* is:

$$y(s) = \frac{5.4e^{-0.12s}}{\tau s + 1}u(s)$$

Thus, the *model* used by MPC is as given in Problem-1, whereas the *true plant* is as given in this problem. The system is initially at the origin and needs to be controlled to the setpoint of r = 1.

Note: The gain and time delay are different, but the time-constant τ is kept the same.