

① $E_{VB} = -6 \text{ eV / vacuum.}$

Given Bandgap - 2 eV

$$\Rightarrow E_{CB} - E_{VB} = 2 \text{ eV}$$

$$\Rightarrow E_{CB} = -4 \text{ eV / vacuum.}$$

For an intrinsic semiconductor (since no. of holes = no. of e^- s), the Fermi level lies exactly in the middle.

 $E_{CB} = -4 \text{ eV / vacuum}$

 $E_{Fermi} = -5 \text{ eV / vacuum}$

 $E_{VB} = -6 \text{ eV / vacuum}$

Band diagram of intrinsic semiconductor.

To make it n-type, we need to increase the number of $-ve$ charge carriers (e^- s), so that Fermi level is up sufficiently, and e^- s

can get excited to E_{CB} . ($E_{CB} - E_{Fermi} < kT$, \Rightarrow easier for e^- s to move up)

★ To introduce e^- s we need to dope the semiconductor with material ^{having} higher valency than

that of the semiconductor.

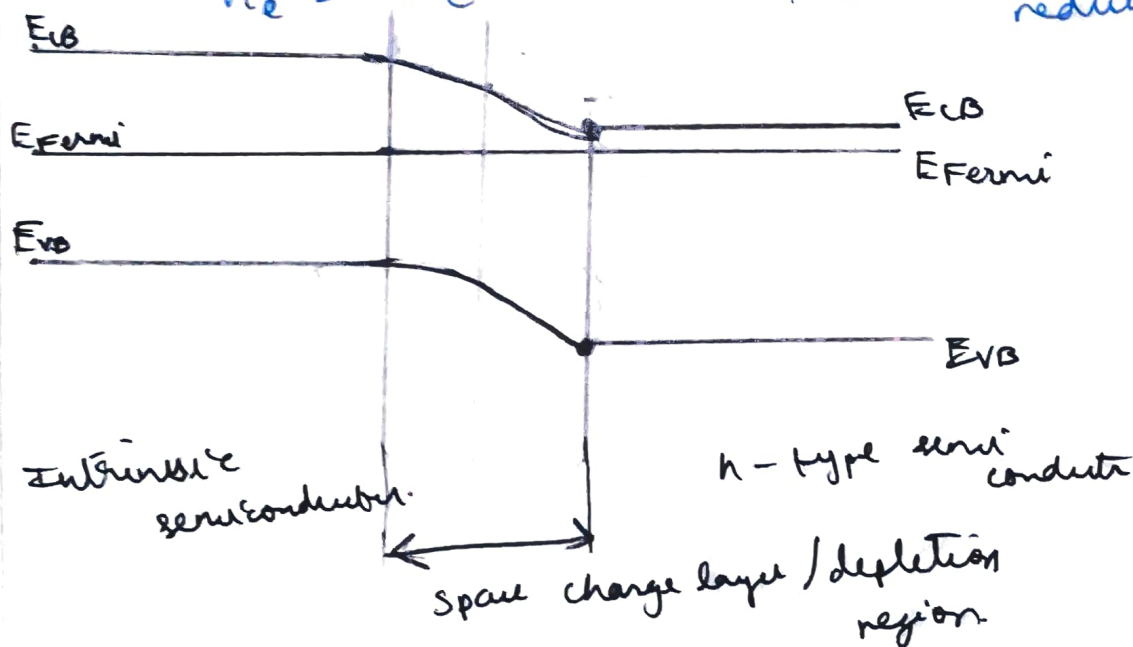
Let the semiconductor be M_A , and let its valency be $n+1$. We can add a dopant B with valency $(n+2)+$ to introduce e^- .



Thus, this is the general way of introducing n-type semiconductivity.

[Also note as we ~~add~~ n_e^+ , by the relation

$$n_e = N_C e^{-\frac{(E_C - E_F)}{kT}}, \quad E_C - E_F \text{ also reduces!}]$$



Band Diagram of Intrinsic semiconductor in contact with an n-type semiconductor [forming a junction]



Intrinsic
(NI)

n-type
(NI)



From the Band diagrams, we see e^- s can flow from conduction Band of intrinsic semiconductor to conduction Band of n-type semiconductor and holes flow from valence Band of n-type semiconductor to valence Band of intrinsic semiconductor.

One more method to introduce n-type semiconductor is via crating anion vacancies. Consider TiO_2



\Rightarrow When a vacancy of anion O^{2-} is created we get $2e^-$

Hence, we can also introduce n-type conductivity through this method.

Also, the dopant Fermi level should be close to that of the conduction band of the intrinsic semiconductor. ($\Delta E < kT$)
This is to ensure that the extra e^- donated by dopant can rise up to the conduction band of the intrinsic semiconductor to enable n-type conductivity.

(2)

Temperature of ^{cryogenic} liquid Nitrogen = -196°C

But glass transition temp. $T_g = -70^\circ\text{C}$

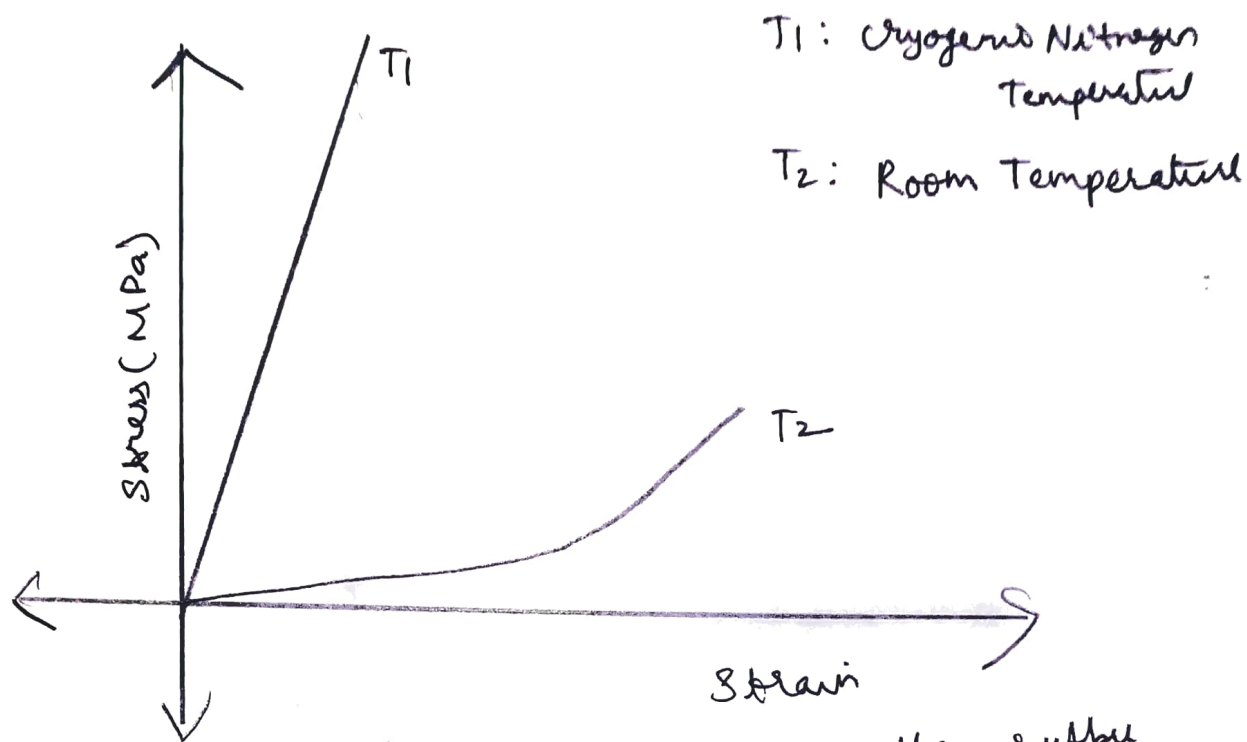
$$\Rightarrow T_{N_2} < T_{g, \text{rubber band}}$$

So initially the rubber band will be in brittle condition

After heating back to room temp. ,

$$T_{g, \text{rubber band}} < T_{\text{room, temp.}}$$

\Rightarrow the rubber band will be back to elastic / rubbery state.



Stress - strain curve of the rubber band at different temperatures

Since at T_1 it is brittle, we have a straight line.

And, since at T_2 (room temperature), rubber band is a highly elastic material (elastomer), we get the above curve.

[Note that before glass transition temperature, material is brittle/plastic, after that at $T > T_g$, the material becomes rubbery/flexible]