#### **Question 1**

Amdahl's law = T(N) = B + (T(1) - B) / N

Given the execution times of each block, the non-parallelizable fraction is 120m/190m= .6315 fraction of the total execution time.

Therefore, 
$$S_{latency}[20] = \frac{1}{\left(1 - \frac{120}{190}\right) + \frac{120/190}{20}} = 2.50$$

## **Question 2**

As s tends to infinity, the limit of  $S_{latency}[20]$  is  $\frac{1}{1 - \frac{120}{190}} = 2.7777$ 

#### **Question 3**

Karp-flatt metric = 
$$\frac{\frac{1}{190} - \frac{1}{10}}{1 - \frac{1}{10}} = .63$$

### **Question 4**

Since there are 10 processors and the for loop goes for i = 1 to 10, probably easiest way to parallelize is by assigning each processor to each i. In that way, each processor will share a load of 1 i and 1/10 of share of m for loop.

# **Question 5**

Assuming time needed for the non-parallelizable algorithm follows a uniform random distribution with a mean of  $\frac{1}{2}[1+72000]=36000.5\ s=10\ hours$ In the above case, the following algorithm can be constructed to map the task-

To efficiently parallelize, one possible solution could be **master-slave parallel computing scheduling** where each processor doesn't sit idle at any time. Each job consists of a preprocessing task, a slave task and a post-processing task that must be executed in this order. The pre- and post-processing tasks are to be processed by a master processor while the slave task is processed by a slave processor.