

**Big Data Mining and Analytics**

# MapReduce Algorithm Design

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(Chapter 3: Jimmy Lin and Chris Dyer, Data-Intensive Text Processing with MapReduce, Morgan & Claypool Publishers, 2010.)



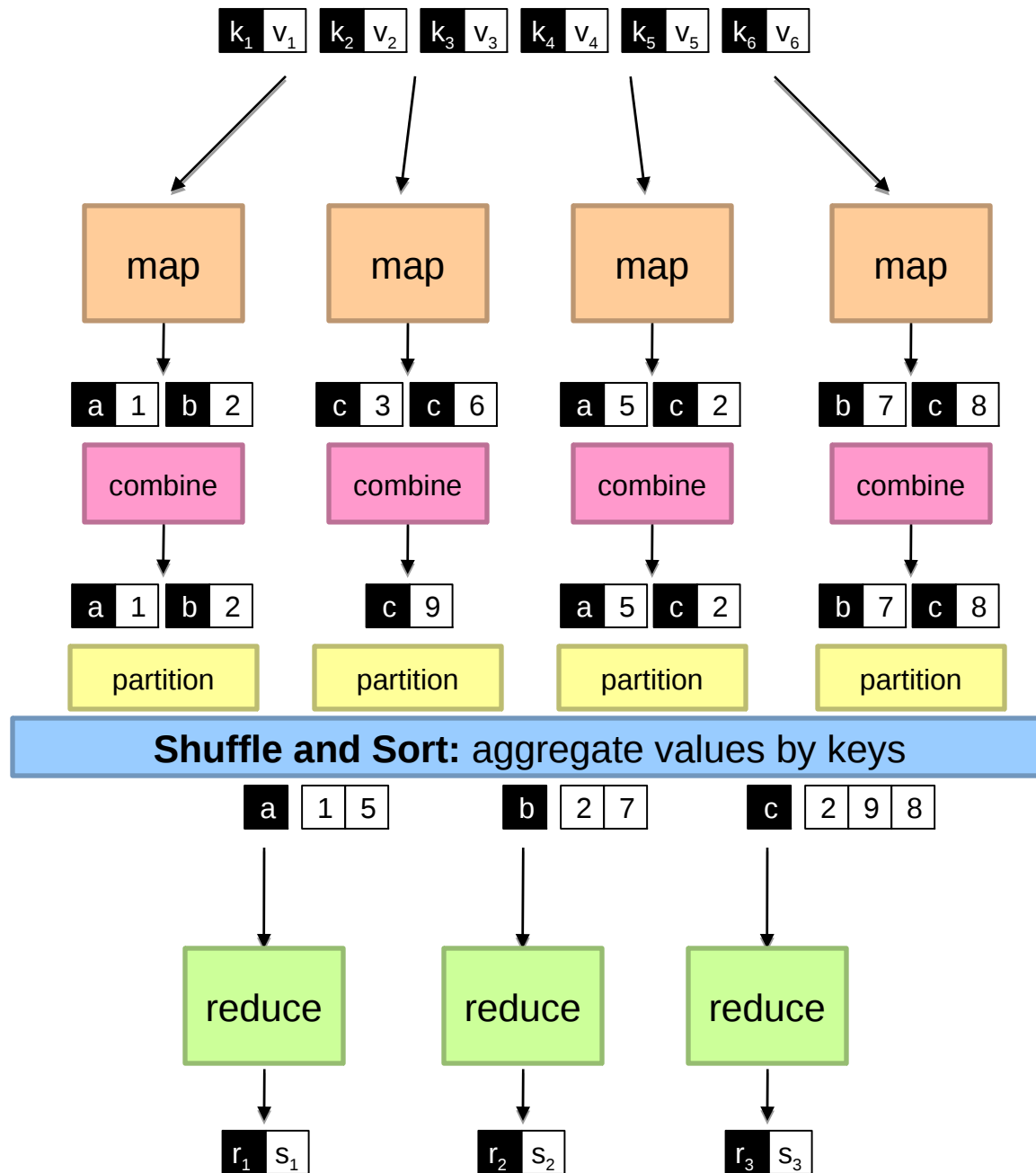
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Source: Wikipedia (Mahout)

# MapReduce: Recap

- Programmers must specify:
  - map**  $(k, v) \rightarrow \langle k', v' \rangle^*$
  - reduce**  $(k', v') \rightarrow \langle k', v' \rangle^*$ 
    - All values with the same key are reduced together
- Optionally, also:
  - partition**  $(k', \text{number of partitions}) \rightarrow \text{partition for } k'$ 
    - Often a simple hash of the key, e.g.,  $\text{hash}(k') \bmod n$
    - Divides up key space for parallel reduce operations
  - combine**  $(k', v') \rightarrow \langle k', v' \rangle^*$ 
    - Mini-reducers that run in memory after the map phase
    - Used as an optimization to reduce network traffic
- The execution framework handles everything else...



# “Everything Else”

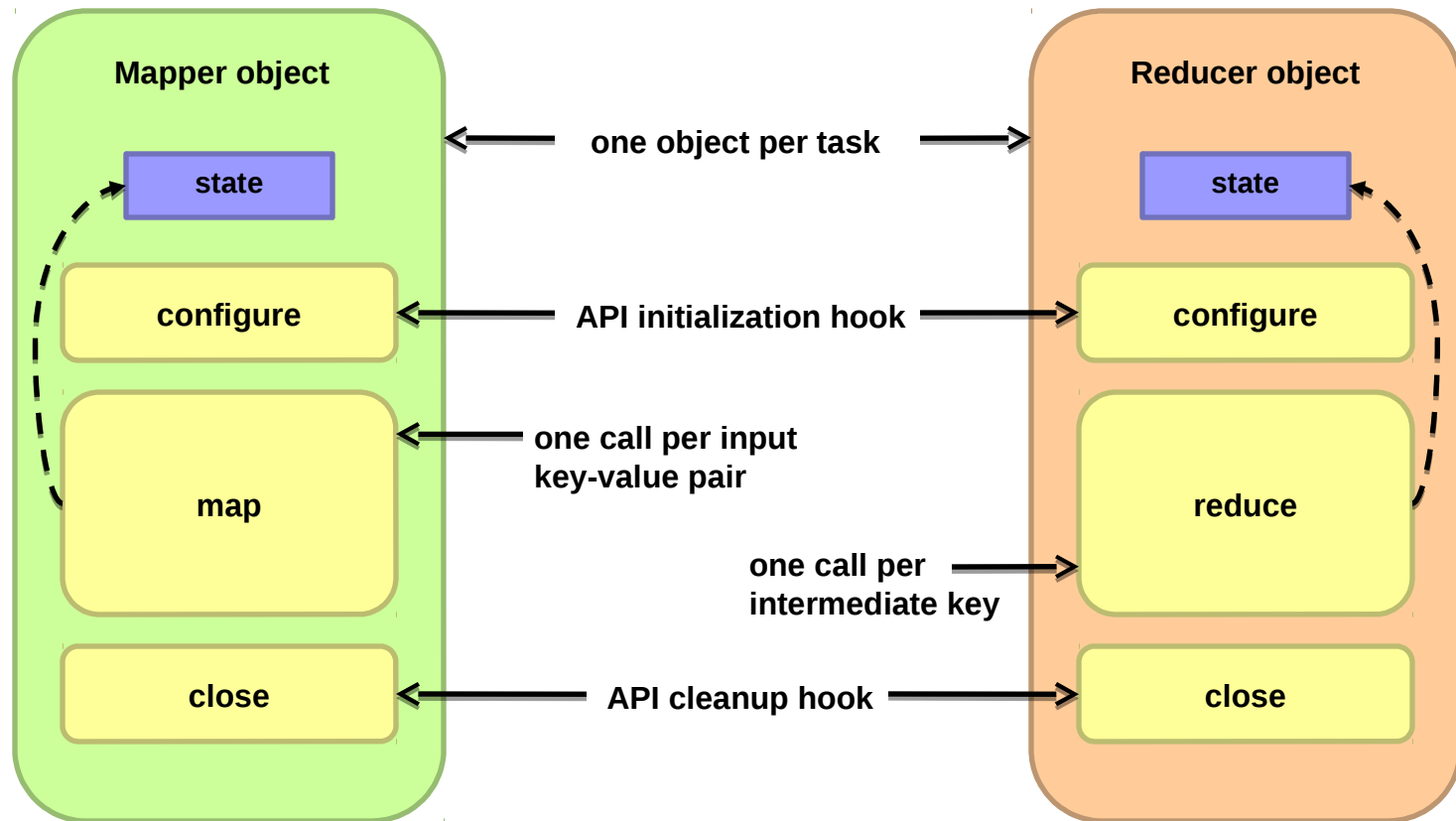
- The execution framework handles everything else...
  - Scheduling: assigns workers to map and reduce tasks
  - “Data distribution”: moves processes to data
  - Synchronization: gathers, sorts, and shuffles intermediate data
  - Errors and faults: detects worker failures and restarts
- Limited control over data and execution flow
  - All algorithms must be expressed in m, r, c, p
- You don’t know:
  - Where mappers and reducers run
  - When a mapper or reducer begins or finishes
  - Which input a particular mapper is processing
  - Which intermediate key a particular reducer is processing



# Tools for Synchronization

- Cleverly-constructed data structures
  - Bring partial results together
- Sort order of intermediate keys
  - Control order in which reducers process keys
- Partitioner
  - Control which reducer processes which keys
- Preserving state in mappers and reducers
  - Capture dependencies across multiple keys and values

# Preserving State



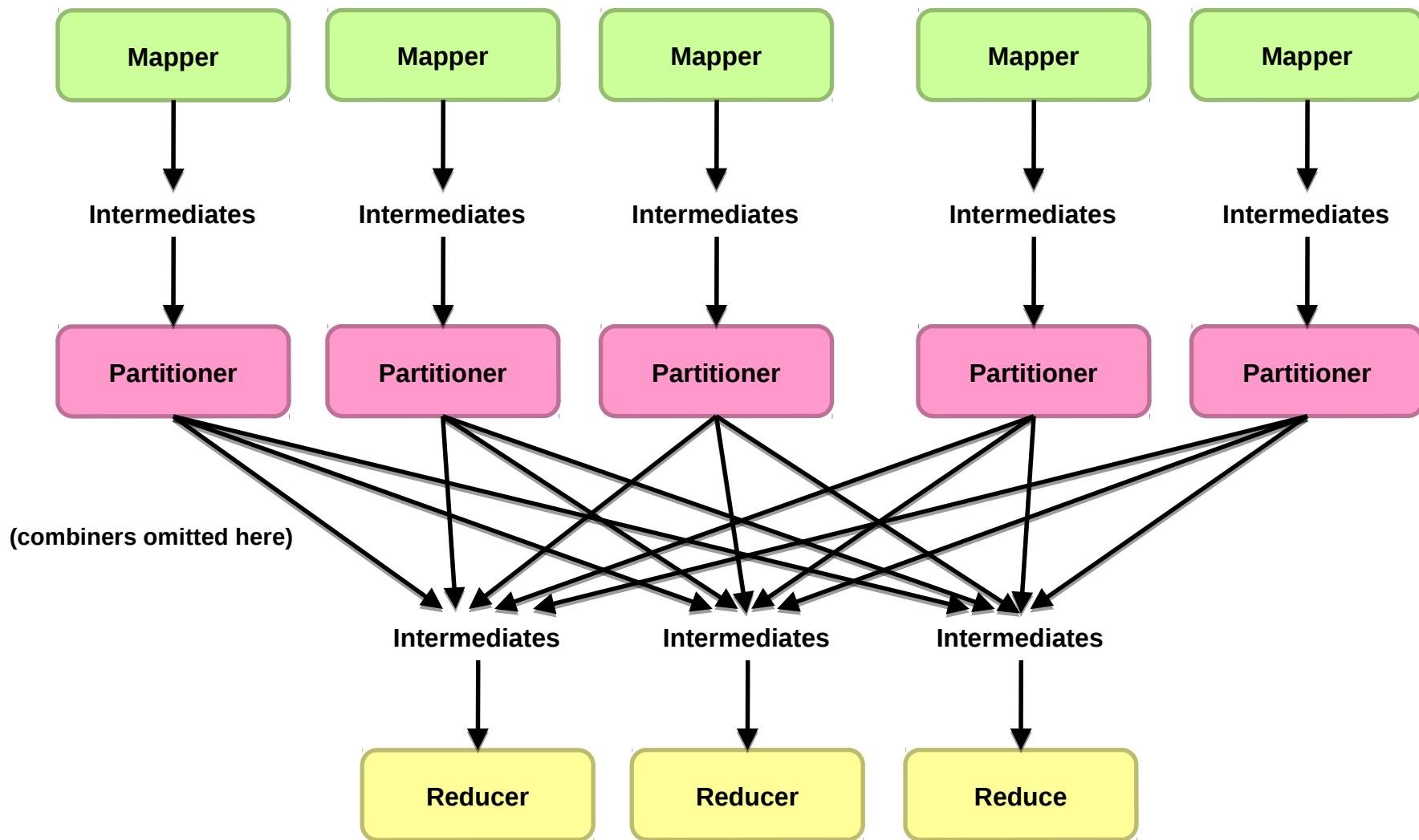
# Scalable Hadoop Algorithms: Themes

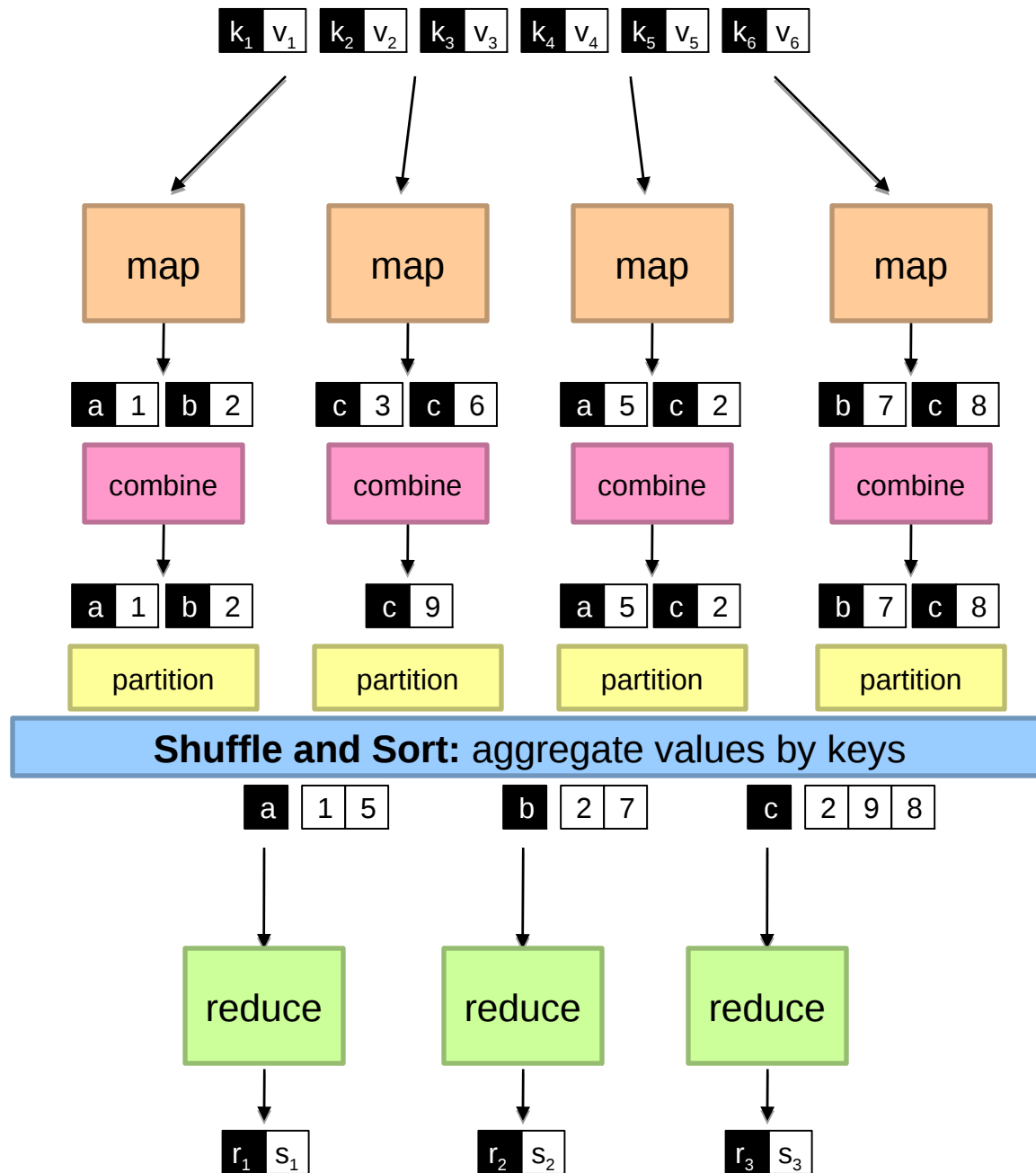
- Avoid object creation
  - Inherently costly operation
  - Garbage collection
- Avoid buffering
  - Limited heap size
  - Works for small datasets, but won't scale!



# Importance of Local Aggregation

- Ideal scaling characteristics:
  - Twice the data, twice the running time
  - Twice the resources, half the running time
- Why can't we achieve this?
  - Synchronization requires communication
  - Communication kills performance
- Thus... avoid communication!
  - Reduce intermediate data via local aggregation
  - Combiners can help





# Word Count: Baseline

```
1: class MAPPER
2:   method MAP(docid  $a$ , doc  $d$ )
3:     for all term  $t \in \text{doc } d$  do
4:       EMIT(term  $t$ , count 1)

1: class REDUCER
2:   method REDUCE(term  $t$ , counts  $[c_1, c_2, \dots]$ )
3:      $sum \leftarrow 0$ 
4:     for all count  $c \in \text{counts } [c_1, c_2, \dots]$  do
5:        $sum \leftarrow sum + c$ 
6:     EMIT(term  $t$ , count  $s$ )
```

**What's the impact of combiners?**

# Word Count: Version 1

```
1: class MAPPER
2:   method MAP(docid  $a$ , doc  $d$ )
3:      $H \leftarrow$  new ASSOCIATIVEARRAY
4:     for all term  $t \in$  doc  $d$  do
5:        $H\{t\} \leftarrow H\{t\} + 1$ 
6:     for all term  $t \in H$  do
7:       EMIT(term  $t$ , count  $H\{t\}$ )
```

▷ Tally counts for entire document

**Are combiners still needed?**

# Word Count: Version 2

```
1: class MAPPER
2:   method INITIALIZE
3:      $H \leftarrow \text{new ASSOCIATIVEARRAY}$ 
4:   method MAP(docid  $a$ , doc  $d$ )
5:     for all term  $t \in \text{doc } d$  do
6:        $H\{t\} \leftarrow H\{t\} + 1$ 
7:   method CLOSE
8:     for all term  $t \in H$  do
9:        $\text{EMIT}(\text{term } t, \text{count } H\{t\})$ 
```

**Key: preserve state across  
input key-value pairs!**

▷ Tally counts *across* documents

**Are combiners still needed?**

# Design Pattern for Local Aggregation

- “In-mapper combining”
  - Fold the functionality of the combiner into the mapper by preserving state across multiple map calls
- Advantages
  - Speed
  - Why is this faster than actual combiners?
- Disadvantages
  - Explicit memory management required
  - Potential for order-dependent bugs



# Combiner Design

- Combiners and reducers share same method signature
  - Sometimes, reducers can serve as combiners
  - Often, not...
- Remember: combiner are optional optimizations
  - Should not affect algorithm correctness
  - May be run 0, 1, or multiple times
- Example: find average of all integers associated with the same key

# Computing the Mean: Version 1

```
1: class MAPPER
2:   method MAP(string  $t$ , integer  $r$ )
3:     EMIT(string  $t$ , integer  $r$ )

1: class REDUCER
2:   method REDUCE(string  $t$ , integers  $[r_1, r_2, \dots]$ )
3:      $sum \leftarrow 0$ 
4:      $cnt \leftarrow 0$ 
5:     for all integer  $r \in$  integers  $[r_1, r_2, \dots]$  do
6:        $sum \leftarrow sum + r$ 
7:        $cnt \leftarrow cnt + 1$ 
8:        $r_{avg} \leftarrow sum / cnt$ 
9:       EMIT(string  $t$ , integer  $r_{avg}$ )
```

**Why can't we use reducer as combiner?**

# Computing the Mean: Version 2

```
1: class MAPPER
2:   method MAP(string  $t$ , integer  $r$ )
3:     EMIT(string  $t$ , integer  $r$ )

1: class COMBINER
2:   method COMBINE(string  $t$ , integers  $[r_1, r_2, \dots]$ )
3:      $sum \leftarrow 0$ 
4:      $cnt \leftarrow 0$ 
5:     for all integer  $r \in$  integers  $[r_1, r_2, \dots]$  do
6:        $sum \leftarrow sum + r$ 
7:        $cnt \leftarrow cnt + 1$ 
8:     EMIT(string  $t$ , pair ( $sum, cnt$ ))           ▷ Separate sum and count

1: class REDUCER
2:   method REDUCE(string  $t$ , pairs  $[(s_1, c_1), (s_2, c_2) \dots]$ )
3:      $sum \leftarrow 0$ 
4:      $cnt \leftarrow 0$ 
5:     for all pair  $(s, c) \in$  pairs  $[(s_1, c_1), (s_2, c_2) \dots]$  do
6:        $sum \leftarrow sum + s$ 
7:        $cnt \leftarrow cnt + c$ 
8:      $r_{avg} \leftarrow sum / cnt$ 
9:     EMIT(string  $t$ , integer  $r_{avg}$ )
```

**Why doesn't this work?**

# Computing the Mean: Version 3

```
1: class MAPPER
2:   method MAP(string  $t$ , integer  $r$ )
3:     EMIT(string  $t$ , pair ( $r$ , 1))

1: class COMBINER
2:   method COMBINE(string  $t$ , pairs  $[(s_1, c_1), (s_2, c_2) \dots]$ )
3:      $sum \leftarrow 0$ 
4:      $cnt \leftarrow 0$ 
5:     for all pair  $(s, c) \in$  pairs  $[(s_1, c_1), (s_2, c_2) \dots]$  do
6:        $sum \leftarrow sum + s$ 
7:        $cnt \leftarrow cnt + c$ 
8:     EMIT(string  $t$ , pair ( $sum$ ,  $cnt$ ))

1: class REDUCER
2:   method REDUCE(string  $t$ , pairs  $[(s_1, c_1), (s_2, c_2) \dots]$ )
3:      $sum \leftarrow 0$ 
4:      $cnt \leftarrow 0$ 
5:     for all pair  $(s, c) \in$  pairs  $[(s_1, c_1), (s_2, c_2) \dots]$  do
6:        $sum \leftarrow sum + s$ 
7:        $cnt \leftarrow cnt + c$ 
8:      $r_{avg} \leftarrow sum / cnt$ 
9:     EMIT(string  $t$ , pair ( $r_{avg}$ ,  $cnt$ ))
```

Fixed?

# Computing the Mean: Version 4

```
1: class MAPPER
2:   method INITIALIZE
3:      $S \leftarrow \text{new ASSOCIATIVEARRAY}$ 
4:      $C \leftarrow \text{new ASSOCIATIVEARRAY}$ 
5:   method MAP(string  $t$ , integer  $r$ )
6:      $S\{t\} \leftarrow S\{t\} + r$ 
7:      $C\{t\} \leftarrow C\{t\} + 1$ 
8:   method CLOSE
9:     for all term  $t \in S$  do
10:       EMIT(term  $t$ , pair ( $S\{t\}, C\{t\}$ ))
```

**Are combiners still needed?**

# Algorithm Design: Running Example

- Term co-occurrence matrix for a text collection
  - $M = N \times N$  matrix ( $N =$  vocabulary size)
  - $M_{ij}$ : number of times  $i$  and  $j$  co-occur in some context  
(for concreteness, let's say context = sentence)
- Why?
  - Distributional profiles as a way of measuring semantic distance
  - Semantic distance useful for many language processing tasks

# MapReduce: Large Counting Problems

- Term co-occurrence matrix for a text collection  
= specific instance of a large counting problem
  - A large event space (number of terms)
  - A large number of observations (the collection itself)
  - Goal: keep track of interesting statistics about the events
- Basic approach
  - Mappers generate partial counts
  - Reducers aggregate partial counts

**How do we aggregate partial counts efficiently?**



# First Try: “Pairs”

- Each mapper takes a sentence:
  - Generate all co-occurring term pairs
  - For all pairs, emit  $(a, b) \rightarrow \text{count}$
- Reducers sum up counts associated with these pairs
- Use combiners!

# Pairs: Pseudo-Code

```
1: class MAPPER
2:   method MAP(docid  $a$ , doc  $d$ )
3:     for all term  $w \in \text{doc } d$  do
4:       for all term  $u \in \text{NEIGHBORS}(w)$  do
5:         EMIT(pair  $(w, u)$ , count 1)      ▷ Emit count for each co-occurrence

1: class REDUCER
2:   method REDUCE(pair  $p$ , counts  $[c_1, c_2, \dots]$ )
3:      $s \leftarrow 0$ 
4:     for all count  $c \in \text{counts } [c_1, c_2, \dots]$  do
5:        $s \leftarrow s + c$                   ▷ Sum co-occurrence counts
6:     EMIT(pair  $p$ , count  $s$ )
```

# “Pairs” Analysis

- Advantages

- Easy to implement, easy to understand

- Disadvantages

- Lots of pairs to sort and shuffle around (upper bound?)
  - Not many opportunities for combiners to work

# Another Try: “Stripes”

- Idea: group together pairs into an associative array

(a, b) → 1

(a, c) → 2

(a, d) → 5

(a, e) → 3

(a, f) → 2

$a \rightarrow \{ b: 1, c: 2, d: 5, e: 3, f: 2 \}$

- Each mapper takes a sentence:
  - Generate all co-occurring term pairs
  - For each term, emit  $a \rightarrow \{ b: \text{count}_b, c: \text{count}_c, d: \text{count}_d \dots \}$
- Reducers perform element-wise sum of associative arrays

$$\begin{array}{r} a \rightarrow \{ b: 1, \quad d: 5, e: 3 \} \\ + \quad a \rightarrow \{ b: 1, c: 2, d: 2, \quad f: 2 \} \\ \hline a \rightarrow \{ b: 2, c: 2, d: 7, e: 3, f: 2 \} \end{array}$$

**Key: cleverly-constructed data structure  
brings together partial results**

# Stripes: Pseudo-Code

```
1: class MAPPER
2:   method MAP(docid  $a$ , doc  $d$ )
3:     for all term  $w \in \text{doc } d$  do
4:        $H \leftarrow \text{new ASSOCIATIVEARRAY}$ 
5:       for all term  $u \in \text{NEIGHBORS}(w)$  do
6:          $H\{u\} \leftarrow H\{u\} + 1$  ▷ Tally words co-occurring with  $w$ 
7:        $\text{EMIT}(\text{Term } w, \text{Stripe } H)$ 

1: class REDUCER
2:   method REDUCE(term  $w$ , stripes  $[H_1, H_2, H_3, \dots]$ )
3:      $H_f \leftarrow \text{new ASSOCIATIVEARRAY}$ 
4:     for all stripe  $H \in \text{stripes } [H_1, H_2, H_3, \dots]$  do
5:        $\text{SUM}(H_f, H)$  ▷ Element-wise sum
6:      $\text{EMIT}(\text{term } w, \text{stripe } H_f)$ 
```

# “Stripes” Analysis

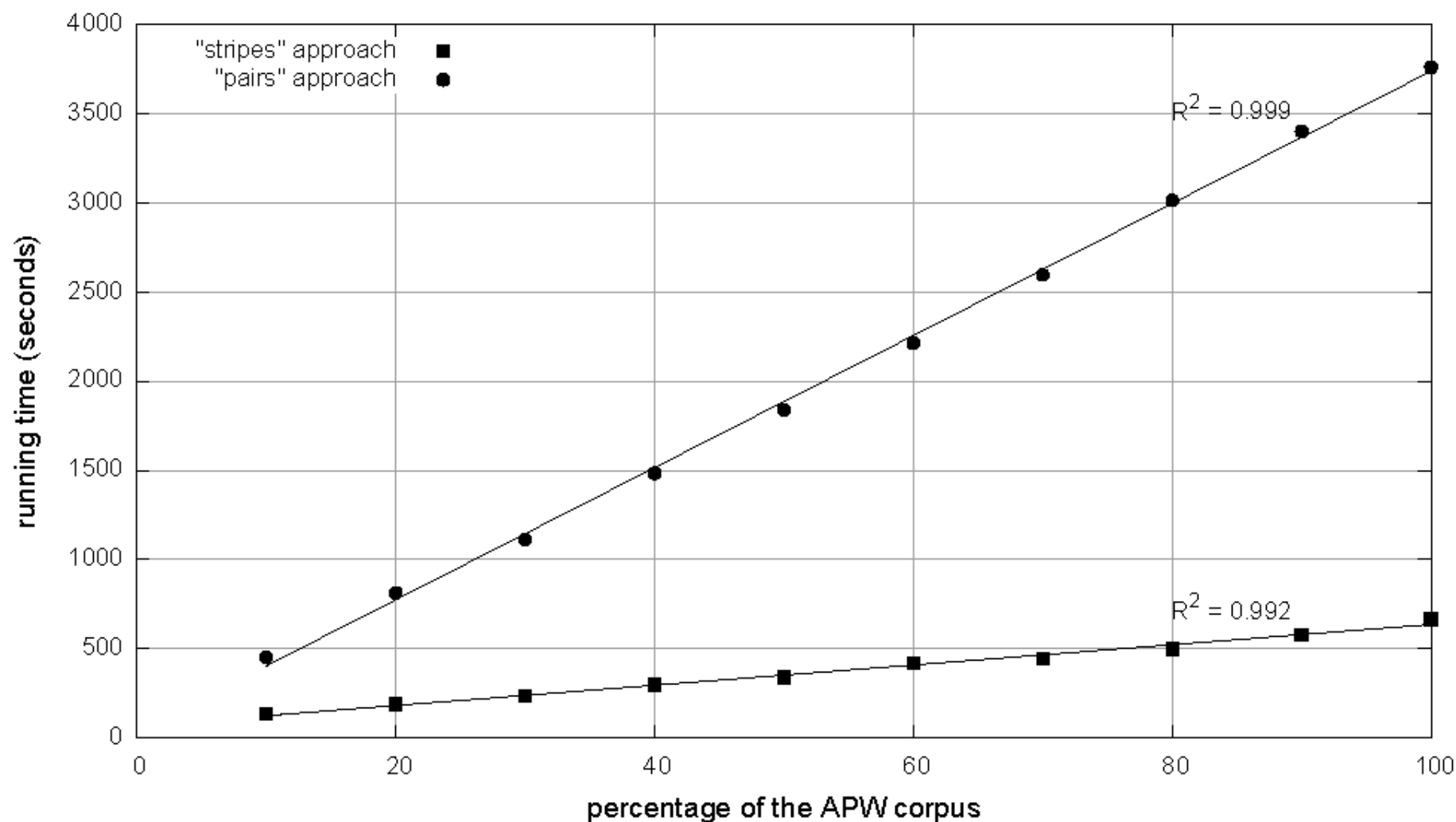
- Advantages

- Far less sorting and shuffling of key-value pairs
- Can make better use of combiners

- Disadvantages

- More difficult to implement
- Underlying object more heavyweight
- Fundamental limitation in terms of size of event space

## Comparison of "pairs" vs. "stripes" for computing word co-occurrence matrices

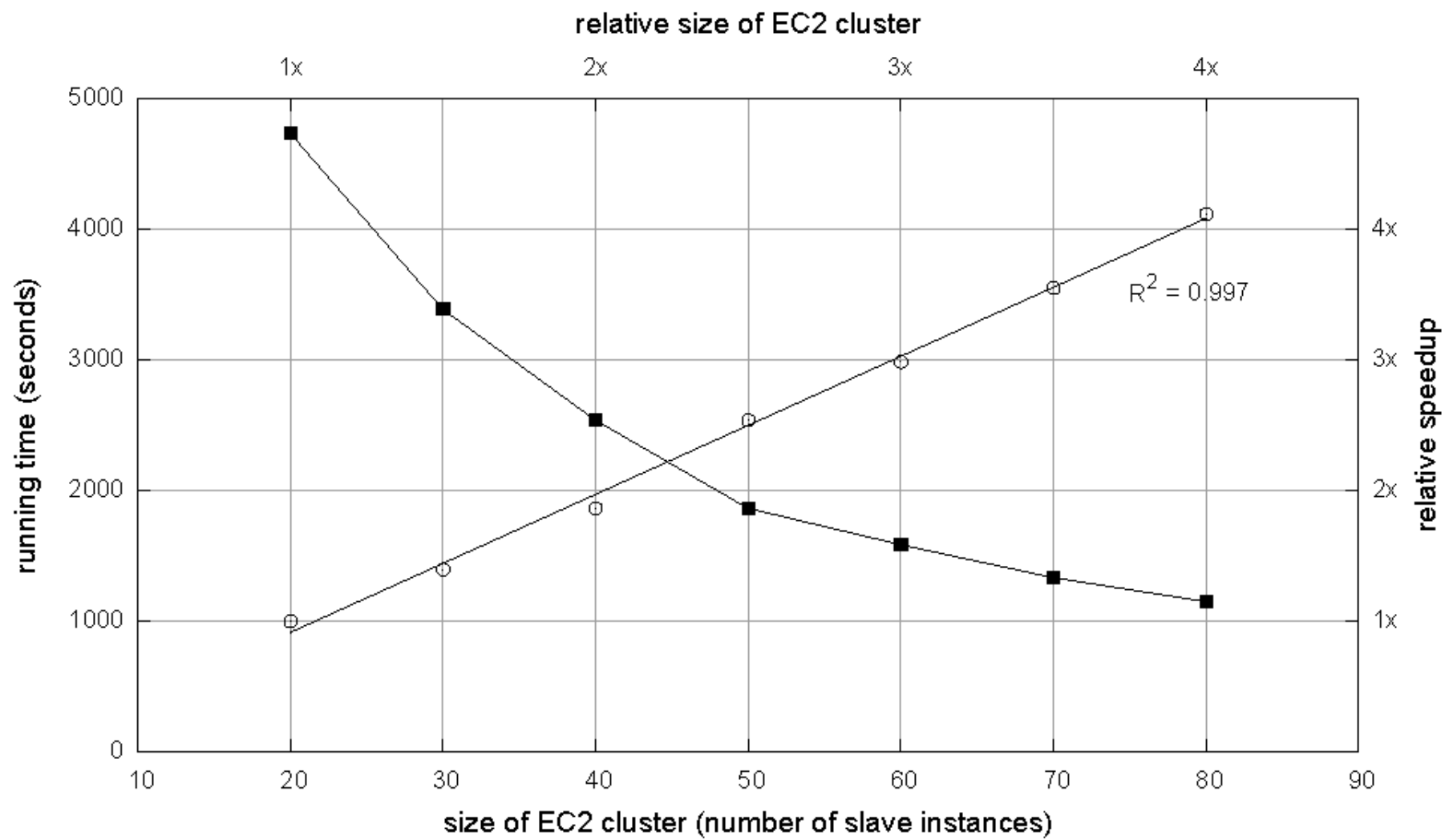


**Cluster size:** 38 cores

**Data Source:** Associated Press Worldstream (APW) of the English Gigaword Corpus (v3), which contains 2.27 million documents (1.8 GB compressed, 5.7 GB uncompressed)



## Effect of cluster size on "stripes" algorithm



# Relative Frequencies

- How do we estimate relative frequencies from counts?

$$f(B | A) = \frac{\text{count}(A, B)}{\text{count}(A)} = \frac{\text{count}(A, B)}{\sum_{B'} \text{count}(A, B')}$$

- Why do we want to do this?
- How do we do this with MapReduce?

# $f(B|A)$ : “Stripes”

$$a \rightarrow \{b_1:3, b_2:12, b_3:7, b_4:1, \dots\}$$

- Easy!

- One pass to compute  $(a, *)$
- Another pass to directly compute  $f(B|A)$

# $f(B|A)$ : “Pairs”

$(a, *) \rightarrow 32$

Reducer holds this value in memory

$(a, b_1) \rightarrow 3$

$(a, b_2) \rightarrow 12$

$(a, b_3) \rightarrow 7$

$(a, b_4) \rightarrow 1$



$(a, b_1) \rightarrow 3 / 32$

$(a, b_2) \rightarrow 12 / 32$

$(a, b_3) \rightarrow 7 / 32$

$(a, b_4) \rightarrow 1 / 32$

...

## ○ For this to work:

- Must emit extra  $(a, *)$  for every  $b_n$  in mapper
- Must make sure all  $a$ 's get sent to same reducer (use partitioner)
- Must make sure  $(a, *)$  comes first (define sort order)
- Must hold state in reducer across different key-value pairs

# $f(B|A)$ : “Pairs”

```
class MAPPER
```

```
    method MAP(docid  $a$ , doc  $d$  )
```

```
        for all term  $w \in$  doc  $d$  do
```

```
            for all term  $u \in$  NEIGHBOURS( $w$ ) do
```

```
                EMIT( pair( $w,u$ ), count 1)
```

```
                EMIT( pair( $w,*$ ), count 1)
```

```
method COMPARETO( pair  $p1$ , pair  $p2$ )
```

```
    if ( $* \in p1$ ) return  $p1$ 
```

```
    if ( $* \in p2$ ) return  $p2$ 
```

```
    else return compare( $p1.left$ ,  $p2.left$ )
```

```
class PARTITIONER
```

```
    method GETPARTITION(pair  $p$ , count  $c$ )
```

```
        return  $p.left.hasCode( ) \% \text{numReducers}$ 
```

# $f(B|A)$ : “Pairs”

```
class REDUCER
```

```
  method INITIALIZE()
```

```
    MC  $\leftarrow$  0
```

```
  method REDUCE( pair  $p$ , counts[ $c_1, c_2, \dots$ ] )
```

```
    if ( $p.\text{right.equals}(\ast)$ )
```

```
      MC  $\leftarrow$  0
```

```
      for all count  $c \in$  counts[ $c_1, c_2, \dots$ ] do
```

```
        MC  $\leftarrow$  MC +  $c$ 
```

```
    sum  $\leftarrow$  0
```

```
    rf  $\leftarrow$  0
```

```
    for all count  $c \in$  counts[ $c_1, c_2, \dots$ ] do
```

```
      sum  $\leftarrow$  sum +  $c$ 
```

```
    rf  $\leftarrow$  sum/MC
```

```
    EMIT(pair  $p$ , rf )
```

# “Order Inversion”

- Common design pattern
  - Computing relative frequencies requires marginal counts
  - But marginal cannot be computed until you see all counts
  - Buffering is a bad idea!
  - Trick: getting the marginal counts to arrive at the reducer before the joint counts
- Optimizations
  - Apply in-memory combining pattern to accumulate marginal counts
  - Should we apply combiners?



# Synchronization: Pairs vs. Stripes

- Approach 1: turn synchronization into an ordering problem
  - Sort keys into correct order of computation
  - Partition key space so that each reducer gets the appropriate set of partial results
  - Hold state in reducer across multiple key-value pairs to perform computation
  - Illustrated by the “pairs” approach
- Approach 2: construct data structures that bring partial results together
  - Each reducer receives all the data it needs to complete the computation
  - Illustrated by the “stripes” approach

# Secondary Sorting

- MapReduce sorts input to reducers by key
  - Values may be arbitrarily ordered
- What if want to sort value also?
  - E.g.,  $k \rightarrow (v_1, r), (v_3, r), (v_4, r), (v_8, r) \dots$

# Secondary Sorting: Solutions

- Solution 1:
  - Buffer values in memory, then sort
  - Why is this a bad idea?
- Solution 2:
  - “Value-to-key conversion” design pattern: form composite intermediate key,  $(k, v_1)$
  - Let execution framework do the sorting
  - Preserve state across multiple key-value pairs to handle processing
  - Anything else we need to do?

# Recap: Tools for Synchronization

- Cleverly-constructed data structures
  - Bring data together
- Sort order of intermediate keys
  - Control order in which reducers process keys
- Partitioner
  - Control which reducer processes which keys
- Preserving state in mappers and reducers
  - Capture dependencies across multiple keys and values

# Issues and Tradeoffs

- Number of key-value pairs
  - Object creation overhead
  - Time for sorting and shuffling pairs across the network
- Size of each key-value pair
  - De/serialization overhead
- Local aggregation
  - Opportunities to perform local aggregation varies
  - Combiners make a big difference
  - Combiners vs. in-mapper combining
  - RAM vs. disk vs. network

# Debugging at Scale

- Works on small datasets, won't scale... why?
  - Memory management issues (buffering and object creation)
  - Too much intermediate data
  - Mangled input records
- Real-world data is messy!
  - Word count: how many unique words in Wikipedia?
  - There's no such thing as "consistent data"
  - Watch out for corner cases
  - Isolate unexpected behavior, bring local





# Questions?