# A Quantitative Theory of Relationship Lending

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# What are the macro effects of relationship lending?

- Large literature on relationship lending in banking
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  - "Informational lock-in" (Sharpe 90, Rajan 92)
  - Price dispersion and sourcing persistence

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- What are the macroeconomic consequences of relationship lending?
  - 1. For the dynamics of individual relationships
  - 2. For the distribution of banks in the economy (interest rates, capital, risk...)
  - 3. For how the economy responds to aggregate shocks

### This Paper

#### 1. Quantitative Model of Relationship Lending

- Multiple lenders and sourcing adjustment costs give rise to "relationships"
- 2-tier demand system, amenable to estimation
- Banks internalize relationship formation ⇒ dynamic pricing
- Financial frictions interact with motives to manage customer capital

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- Model matches lender switching patterns and "relationship life cycle" pricing patterns

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#### 3. Model Results

- Relationship lending generates interest rate dispersion, provides insurance for banks
- Customer capital as a substitute for financial capital
- Passthrough of aggregate shocks nonlinear in the degree of competition
- Models w/ high market power can "mimic" competitive economies

### What we contribute to the literature

We combine insights from 2 main literatures:

- 1. financial accelerator/banking frictions: Kiyotaki & Moore 97; BGG 99; Corbae & D'Erasmo 21
  - novel competition structure with long-horizon pricing
  - heterogeneous bank "block" integrates with economy-wide loan market
- 2. customer capital / habits: Ravn et al 06; Gourio & Rudanko 14; Gilchrist et al 17
  - banks internalize habit formation, relationships pin down demand elasticity

towards a quantitative framework with credit market relationships.

- empirics: e.g. Rajan & Petersen 94; Drechsler, Savov & Schnabl 17; Atkeson et al 19
- equilibrium models: e.g. Boualam (18), ...

### Outline

Model

Mapping the Model to the Data

**Quantitative Analysis** 

Conclusion

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  - A continuum of identical firms  $i \in [0,1]$  that hire labor and borrow to produce
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- Firms form persistent relationships w/ banks that are costly to adjust
- Partial equilibrium: risk-free rate  $\bar{r}$ , wage  $\bar{w}$ , and deposit price  $\bar{q}^d$  taken as given

### Banks' problem

**States**: net worth *n*, relationship intensity *s*, return shock *z* 

$$V(n, s, z; \mu) = \max_{q,e,n',\ell',d',s'} e + \overline{q}\pi \mathbb{E}_{z'} \left[ V(n', s', z'; \mu) \right]$$
 subject to:

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 subject to: 
$$[ ext{budget constraint} ] \qquad q\ell' + \psi(e) \leq n + z + \overline{q}^d d'$$
 [net worth dynamics]  $n' = \ell' - d'$  [capital requirement]  $\chi q\ell' \leq q\ell' - \overline{q}^d d'$  [loan demand]  $\ell' = \ell'(q,s)$  [relationship formation]  $s' = \rho_q \frac{q\ell'}{L'(\mu)} + \rho_s s$ 

 $\mu(q,s)$  is the joint distribution of interest rates and relationships

## **Dynamic Loan Pricing**

Define the net period return on a dollar loan

$$\Pi_t = \underbrace{\frac{\overline{q}}{q_t} \pi \mathbb{E}_t \left[ \frac{\left(\psi^{-1}\right)'(e_{t+1})}{\left(\psi^{-1}\right)'(e_t)} \right]}_{\text{loan return}} - \underbrace{\frac{1}{\text{funding cost}} + \underbrace{\lambda_t (1 - \chi)}_{\text{SV ease cap. req}}}_{\text{SV ease cap. req}}$$

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#### The bank's optimal choice is given by

$$\Pi_t + \overline{q}\pi \rho_q \mathbb{E}_t \sum_{i=1}^{\infty} (\overline{q}\pi(\rho_q + \rho_s))^i \Pi_{t+i} = \underbrace{\epsilon^{-1}(q\ell',q)}_{\text{excess return (from today's market power)}}^{\text{static market power}} \times \frac{\overline{q}}{q_t} \pi \mathbb{E}_t \left[ (\psi^{-1})'(e_{t+1}) \right]$$

 $\epsilon^{-1}(q\ell',q)$  is the inverse elasticity of loan demand ullet special cases

Quantitative Relationship Lending

### Borrowers and Loan Demand

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- Working capital constraint motivates borrowing (Christiano, Eichenbaum and Evans 05)
- Continuum of identical firms ⇒ focus on representative borrower
- Borrow (in principle) from all banks  $j \in [0, 1]$ , choose sourcing given:
  - $q_j$ : loan price offered by j, implies interest rate  $r(q_j)$
  - $s_i$ : (relative) relationship with  $j \rightarrow$  weighted average of past loan shares
  - $\mu(q, s)$ : joint distribution of prices and relationships
    - borrower does not internalize current loan choices on  $\{s'\}$ ,  $\mu'$
    - "external habits" in the spirit of Ravn, Schmitt-Grohe & Uribe, 06
- Loan share adjustment subject to quadratic costs with level  $\phi$

### Representative borrower problem

$$W(\mathcal{L};\mu) = \max_{n,L',\mathcal{L}'=\{\ell'(q,s)\}} \underbrace{zn^{\alpha} - \overline{w}n}_{\text{op. profits}} + \underbrace{L' - \int \ell(q,s) \mathrm{d}\mu(q,s)}_{\text{borrowing, net repayments}} \\ - \underbrace{\frac{\phi}{2} L' \int \left(\frac{q\ell'(q,s)}{L'} - 1 - (s-S)\right)^{2} \mathrm{d}\mu(q,s)}_{\text{adjustment costs}} + \overline{q}\mathbb{E}\left[W(\mathcal{L}';\mu')\right]$$

subject to:

$$[\text{working cap.}] \qquad \qquad \mathit{L}' \geq \kappa \overline{w} \mathit{n} \\ [\text{sourcing}] \qquad \qquad \int q \ell'(q,s) \mathrm{d} \mu(q,s) \geq \mathit{L}'$$

# 2-part equilibrium loan demand system

### 1. Bank-specific loan demand

$$\underbrace{\frac{q\ell'(q,s;\mu)}{L'(\mu)}}_{\text{relative loan demand}} = 1 + \underbrace{(s-S)}_{\text{relationship shifter}} - \underbrace{\frac{\overline{q}}{\phi}[r(q)-R(\mu)]}_{\text{elasticity} \times \text{IR spread}}$$

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### 1. Bank-specific loan demand

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### 2. Aggregate loan demand

$$L'(\mu) = \kappa \overline{w} \left[ \frac{\alpha z / \overline{w}}{1 + \kappa \left( \overline{q} \tilde{R}(\mu) - 1 \right)} \right]^{\frac{1}{1 - \alpha}}$$
 $\underbrace{\tilde{R}(\mu)}_{\text{"effective" IR}} = \underbrace{R(\mu)}_{\text{avg. IR}} + \underbrace{\mathbb{C}_{\mu}(r, s)}_{\text{cov. term}} - \underbrace{\frac{1}{2} \frac{\overline{q}}{\phi} \mathbb{V}_{\mu}(r)}_{\text{var. term}}$ 

### Equilibrium



#### A stationary recursive competitive equilibrium in this model consists of:

- loan demand functions  $\ell'(q, s; \mu)$  and  $L'(\mu)$ ;
- bank policies  $g_q(n, s, z; \mu)$  and  $g_d(n, s, z; \mu)$ ;
- distribution of prices and relationships  $\mu(q, s)$ ; and
- distribution of bank states  $m(n, s, z; \mu)$

which satisfy (i) borrower optimality; (ii) bank optimality; (iii) stationarity of bank distribution m given policies g; and (iv) consistency of distributions m and  $\mu$  given g:

$$\mu(q,s) = \int \mathbf{1} \left[q = g_q(n,s,z;\mu)\right] m(\mathrm{d}n,s,\mathrm{d}z) \text{ for all } q,s$$

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**Goal:** tie our hands on  $\phi$ ,  $\rho_q$ ,  $\rho_s$  using semi-structural approach on micro data (2), then match other key features of banking industry (3).

## Externally set parameters

	Description	Value	Target / Reason
$\overline{r}_{ann}$	Annualized risk-free rate	2%	Quarterly discount price $\overline{q}=(1+\overline{r}_{ann})^{-\frac{1}{4}}$
$ u_{ann}$	Deposit liquidity premium	0.17%	Quarterly deposit price $\overline{q}^d = (1 + \overline{r}_{\sf ann} -  u_{\sf ann})^{\scriptscriptstyle op}$
$\chi$	Capital requirement	8%	Current US bank regulation
$\pi$	Bank survival rate	0.9928	Quarterly bank exit rate of 0.72%
$\alpha$	Returns to scale	0.75	Profit share of 20-30%
$\overline{W}$	Wage rate	1	Normalization
$\overline{A}$	Aggregate TFP	1	Normalization



**Goal**: estimate model-implied demand to retrieve  $\phi$ 

$$rac{q\ell'(q,s;\mu)}{L'(\mu)} = 1 + (s-S) - rac{\overline{q}}{\phi}[r(q) - R(\mu)]$$

Need data on quantities and prices of credit.



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### FR Y-14Q (Schedule H.1)

- Regulatory dataset maintained by the Federal Reserve for stress testing
- Quarterly loan-level panel on universe of loan facilities > \$1M
- Covers top 30/40 BHCs, 2014:Q1-2022:Q4
- Detailed information on features of credit facilities

With data on quantities and prices, we can estimate

$$\frac{\ell_{fbt}}{L_{ft}} = \underbrace{\alpha_{ft} + \alpha_b + \Gamma X_{bt}}_{\text{FEs and controls}} + \underbrace{\beta(r_{fbt} - r_{ft})}_{\text{spread term}} + \underbrace{u_{fbt}}_{s \text{ term}}$$
$$f = \text{firm}, \quad b = \text{bank}, \quad t = \text{quarter}$$

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Classic simultaneity problem: follow Amiti & Weinstein 18 and estimate

$$r_{fbt} - r_{ft} = \gamma_{ft} + \gamma_{bt} + v_{fbt}$$

- use  $\hat{\gamma}_{bt}$  to instrument spread term
- measures "pure" credit supply shock

### Estimating $\phi$ : results

$$\frac{\ell_{fbt}}{L_{ft}} = \alpha_{ft} + \alpha_b + \Gamma X_{bt} + \beta (r_{fbt} - r_{ft}) + u_{fbt}$$

$$\frac{(1)}{\hat{\beta}} \qquad \frac{(2)}{-14.084^{***}} \quad \frac{(3)}{-30.932^{***}} \quad \frac{(4)}{-12.191^{***}} \quad \frac{(4)}{-26.505^{***}}$$

$$\frac{(4.121)}{(3.928)} \quad \frac{(1.767)}{(1.767)} \quad \frac{(7.998)}{(7.998)}$$
Firm identifier
$$\frac{\text{TIN}}{\text{Observations}} \quad \frac{\text{TIN}}{57,346} \quad \frac{\text{TIN}}{57,245} \quad \frac{\text{ISL cell}}{218,866} \quad \frac{1}{218,827}$$

$$\frac{\text{Model}}{\text{Implied } \hat{\phi}} \quad \frac{\text{OLS}}{\text{O.070}} \quad \frac{\text{IV}}{\text{O.033}} \quad \frac{\text{O.082}}{\text{O.038}}$$

<sup>•</sup> TIN: tax identification number (individual firm)

<sup>•</sup> ISL: industry/size/location cell (Degryse et al. 19)
Quantitative Relationship Lending

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# Estimating $\rho_s$ and $\rho_q$ : bank-level dynamics

• Demand regressions: s terms were subsumed into residual  $u_{fbt}$ 

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• Use  $\hat{u}_{fbt}$  to proxy  $s_{fbt}$  and estimate law of motion with OLS

$$\hat{u}_{fbt} = \alpha_f + \alpha_b + \alpha_t + \underbrace{\rho_q \frac{\ell_{fbt}}{L_{ft}}}_{\text{loan term}} + \underbrace{\rho_s \hat{u}_{fbt-1}}_{\text{lag term}} + \nu_{fbt}$$

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Generated regressor: need to boostrap standard errors

## Estimating $\rho_s$ and $\rho_a$ : results

$$\hat{u}_{fbt} = \alpha_f + \alpha_b + \alpha_t + \rho_q \frac{\ell_{fbt}}{L_{ft}} + \rho_s \hat{u}_{fbt-1} + \nu_{fbt}$$

$$(1) \qquad (2)$$

$$\hat{\rho}_q \qquad 0.771^{***} \quad 0.791^{***} \quad (0.012) \quad (0.005)$$

$$\hat{\rho}_s \qquad 0.178^{***} \quad 0.141^{***} \quad (0.011) \quad (0.005)$$
Firm identifier TIN ISL cell Observations 36,651 132,290 R-squared 0.91 0.89

#### Internal Calibration

- Net worth shock:  $z_t = \rho_z z_{t-1} + \sigma_z \epsilon_t^z$
- Equity issuance costs:

$$\psi(e) = egin{cases} -\overline{\psi} \ln\left(1-rac{e}{\overline{\psi}}
ight) & ext{if } e < 0 \ e & ext{if } e \geq 0 \end{cases}$$

	Description	Value	Target / Reason	Data	Model
$\kappa$	Working capital constraint	0.9581	Business debt to GDP ratio	71.5%	71.6%
$\overline{\psi}$	Equity issuance cost curvature	0.0094	Gross equity issuance / NW	1.1%	1.2%
$ ho_{z}$	persistence of net worth shocks	0.2619	Net dividend payouts / NW	5.8%	4.4%
$\sigma_{z}$	iid bank shock variance	0.0026	Average net interest margin	1.8%	1.7%
			Average bank leverage	92.0%	91.8%

#### Outline

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**Quantitative Analysis** 

Conclusion

## **Quantitative Analysis**

Compare three economies:

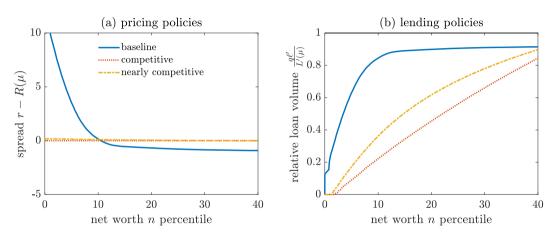
1. Baseline, with estimated  $\hat{\phi}$ 

2. Perfectly competitive economy

3. Nearly competitive economy,  $\phi \rightarrow 0$ 

## Policies by net worth



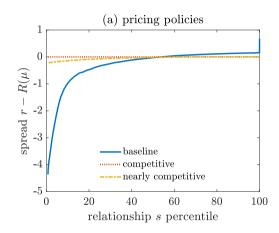


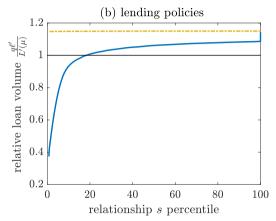
Low  $n \implies$  price "above market" to cut loan supply when net worth falls

• financial and customer capital are substitutes

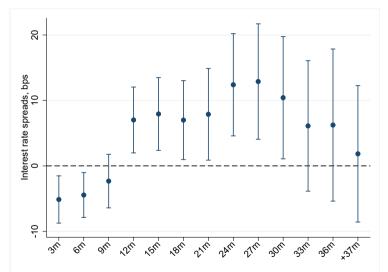
## Policies by relationship intensity







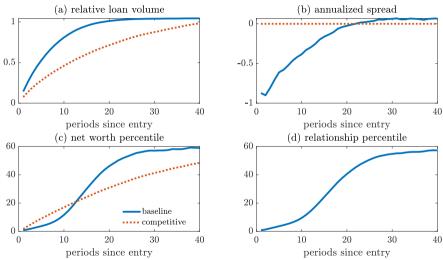
- banks with no existing relationships need to price below market
- doesn't immediately translate into loan volume given demand system



**Exercise:** match similar loans in Y-14Q, compare terms for switching and non-switching

- "honeymoon:" upon switching banks, firms pay lower interest rates
- "holdup:" over time with bank, firms end up paying higher rates

## Validation: relationship lifecycle in the model



Model also matches share of switching loans in the data • data on switching

Quantitative Relationship Lending

## Pricing outcomes across model variants

			level		% diff rel to	% diff rel to base	
		baseline	near comp.	comp.	near comp.	comp.	
effective IR (pp, ann.)	$ ilde{R}$	3.51	2.18	2.07	-38.0	-41.0	
= average rate	R	3.49	2.18	2.07	-37.6	-37.6	
+ covariance term	$\mathbb{C}_{\mu}(\mathit{r}, \mathit{s})$	0.03	0.00	-	-103.2	-	
+ variance term	$\mathbb{V}_{\mu}(r)$	-0.01	0.00	-	-93.4	-	
loan-weighted avg. IR	$\overline{R}_L$	3.49	2.07	2.07	-40.8	-40.8	
loan volume	L'	0.30	0.30	0.30	1.2	1.2	

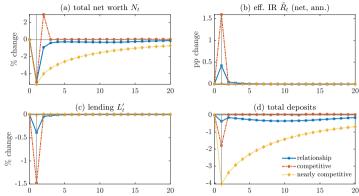
- higher effective IR, mostly driven by average rate
- covariance term raises rate, dispersion term attenuates

Banking industry moments across model variants

		level		% diff rel to base	
	baseline	near comp.	comp.	near comp.	comp.
average net worth	0.026	0.023	0.024	-9.5	-9.5
std dev, net worth	0.006	0.009	0.012	55.7	55.7
std dev, relationships	0.171	0.294	-	72.2	-
corr, net worth and spread	-0.021	-0.005	-	-75.4	_
corr, relationships and spread	0.062	-0.002	-	-102.8	-
corr, net worth and relationships	0.869	0.945	-	8.7	-
share of switches (pp)	8.84	10.32	-	16.7	-

- more competitive model ⇒ less net worth on average odistributions
  - (s, n) substitutability vs. franchise value effect
- weak negative correlation between spreads and net worth
  - financial constraints vs positive correlation between types of capital

## Dynamic experiment 1: aggregate bank net worth shock

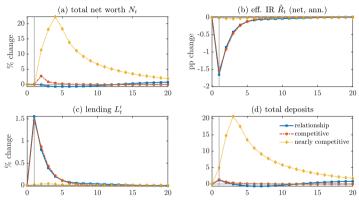


#### **Shock:** wipe out 5% of net worth at each bank

- fast recaps in competitive and baseline economies (for different reasons)
- low passthrough to credit markets in nearly competitive economy

Quantitative Relationship Lending

#### Dynamic experiment 2: real interest rate shock



**Shock:** drop  $\bar{r}$  from 2% to 0%, persistence of  $\rho_{\bar{q}} = 0.5$ 

- credit markets: competitive and baseline economies observationally equivalent
- nearly competitive economy features almost no passthrough
- degree of competition matters for MP transmission
  Quantitative Relationship Lending

  Output

  Dempsey and Faria-e-Castro (2023)

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#### Conclusion and future directions

**Model:** imperfect competition via relationships + financial frictions

- CC ⇒ today's pricing decisions affect tomorrow's loan demand
- frictions  $\implies$  banks can expend CC to smooth shocks
- aggregate demand depends on joint distribution of prices and relationships

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Quantitative analysis: estimate demand parameters using micro-data

- cross-section: endogenous life cycle, corr. b/w net worth, markups, CC
- dynamics: sluggish recovery, muted impact, greater persistence
- Extent of passthrough & dynamics nonlinear in the degree of competition

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On deck: hone in on validation, GE, implications for financial stability

## Thank you!

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#### Outline

#### **Appendix**

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Data

# **Appendix**

## **Dynamic Loan Pricing: special cases**



1. Fixed Relationship Intensity:  $\rho_q = 0$ , "local monopolist"

$$\Pi_t = \epsilon^{-1}(q\ell',q) imes rac{\overline{q}}{q_t} \pi \mathbb{E}_t \left[ (\psi^{-1})'(e_{t+1}) 
ight]$$

2. Perfect Competition:  $\epsilon^{-1} = \rho_q = 0$ 

$$\Pi_t = 0$$

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**Appendix** 

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#### Evolution of bank distribution



Let the distribution of banks over states be denoted m(x). This distribution evolves according to

$$T^*m(n',s')=\pi\int\mathbf{1}\left[n'=z'g_\ell(n,s)+g_s(n,s),s'=(1-
ho)g_q(n,s)g_\ell(n,s)+
ho s
ight]f(z')dm(n,s)$$

for continuing firms and

$$T^*m(x)=(1-\pi)\overline{m}(x),$$

where  $\overline{m}(x)$  is the distribution of entering banks (0 net worth, 0 customer capital)

## Competitive model



• borrowers are indifferent about loan sourcing: care only about L'

$$L'(R) = \kappa w \left[ \frac{\alpha/w}{1 + \kappa(\overline{q}R - 1)} \right]^{\frac{1}{1 - \alpha}}$$

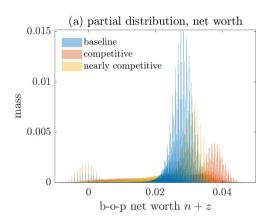
Note that this is the same as baseline with  $R = \tilde{R}$ 

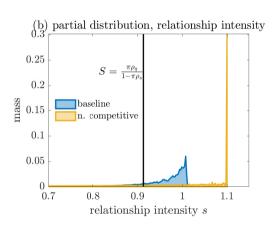
• banks choose  $\ell'$  taking q = 1/R as given:

$$V\left(n,z
ight) = \max_{e,\ell',d'} e + \overline{q}\pi\mathbb{E}\left[V\left(n',z'
ight)
ight]$$
 subject to: [budget]  $q\ell' + \psi(e) \leq n + z + \overline{q}^d d'$  [net worth dynamics]  $n' = \ell' - d'$  [capital requirement]  $\overline{q}^d d' \leq (1-\chi)q\ell'$ 

#### Distributions across models







All models have lots of compression in both net worth and customer capital

• low  $\phi$ : more dispersion in both n (to left) and s distributions

#### Outline

**Appendix** 

Model

Data

#### FR Y-14Q details



#### Data: FR Y-14Q, schedule H.1

- Focus on new loans only (originated in the last 4 quarters)
- Criteria for inclusion:
  - Non-syndicated
  - US dollars
  - Non-missing TIN with US address
  - Not in NAICS 52 (finance) or 92 (government)
  - Loan has positive interest rate and committed exposure
- Three definitions of a "firm":
  - 1. Baseline: TIN
  - 2. Degryse et al. (2019): ISL, CBSA  $\times$  size decile  $\times$  3-digit NAICS

## Procedure: switching vs. non-switching loans



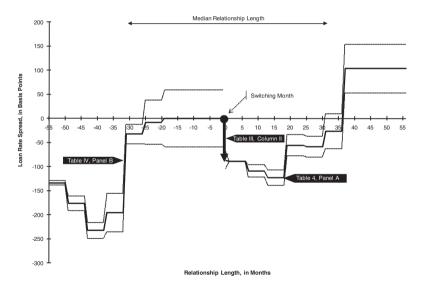
**Goal:** match switching vs. non-switching loans on a set of observables and compare spreads, following loannidou and Ongena (2010)

- 1. **identify switches:** new loan from bank j from whom firm i has not borrowed in past N=4 quarters (may overstate: unbalanced panel, 1\$ M threshold, loan sales)
- 2. **form matched pairs:** match switching and non-switching loans on: (i) quarter; (ii) bank; (iii) quarter of origination; (iv) loan maturity; (v) loan size (percentile); (vi) default probability (percentile); (vii) loan type; (viii) variable v. fixed IR
  - more non-switches than switches ⇒ resample non-switches to pair each switch
- 3. compare spreads: for each matched pair k, regress

$$\mathsf{spread}_{kt} = \sum_{q=-\mathcal{Q}}^{\mathcal{Q}} \alpha_q \mathbf{1}[t=q] + arepsilon_{kt} \; \mathsf{where} \; q \; \mathsf{is} \; \mathsf{time} \; \mathsf{since} \; \mathsf{switch}$$

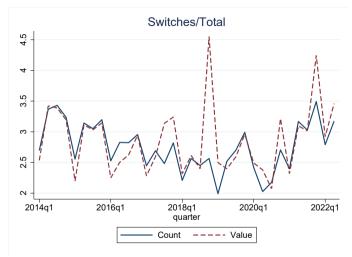
# Ioannidou and Ongena (2010 JF) Figure 4





## Data on switching





Source: Y-14Q. Switches defined in terms of number of loans.

Loan is a switch if it's (i) new and (ii) from a bank with which the firm has had no relationship in past year

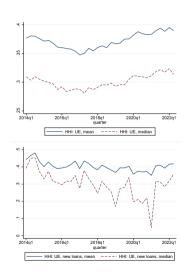
 definition follows loannidou & Ongena (2010)

Nature of the data  $\implies$  likely an upper bound:

- unbalanced panel: do not observe loans w/ balance < \$1M</li>
- no small firms or small banks, where switching is less likely
- loans may enter/exit panel for

#### Loan markets are concentrated





Compute Herfindahl-Hirschman Indices for local lending markets

- loan market defined as CBSA-quarter pair k
- The HHI is defined as

$$HHI_k = \sum_{i=1}^{N_k} \mu_{i,k}$$

where  $N_k$  is the number of banks present in market k and  $\mu_{i,k}$  is the market share of bank i

 The DOJ considers an industry with a HHI above 0.18 to denote a "highly concentrated industry"