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# Optimal Binary Search Trees

Dynamic programming.

Operation Research.

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The goal of the maximum weight independent set problem (MWIS) is to compute, for a given set of geometric objects with certain weights, a subset of disjoint (non-overlapping) objects with maximum total weight.

There is a PTAS (polynomial-time algorithm scheme) for MWIS in disk graphs, provided that a disk representation of the graph is given. The running-time for achieving approximation ratio  $1 + \epsilon$  is  $n^{O(1/\epsilon^2)}$  for a disk graph with  $n$  disks.

Details:

- Executed on : SEG OUT 06 01:47:26 BRT 2014.
- Number of disks : 42.
- Execution time : 134182,139052 SECONDS.
- Memory required : 16080 BYTES.

Nodes

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## Execution

## Analysis



Figure 1: Optimal search tree.

## Digest

- Total nodes : 42.
- Levels : 1.
- Expected cost : 340282346638528859811704183484516925440,00.

	Name	Probabilities
1	A0	0,00
2	A1	0,00
3	B0	0,00
4	B1	0,00
5	C0	0,00
6	C1	0,00
7	D0	0,00
8	D1	0,00
9	E0	0,00
10	E1	0,00
11	F0	0,00
12	F1	0,00
13	G0	0,00
14	G1	0,00
15	H0	0,00
16	H1	0,00
17	I0	0,00
18	I1	0,00
19	J0	0,00
20	J1	0,00
21	K0	0,00
22	K1	0,00
23	L0	0,00
24	L1	0,00
25	M0	0,00
26	M1	0,00
27	M1	0,00
28	N0	0,00
29	N1	0,00
30	N1	0,00
31	O0	0,00
32	O1	0,00
33	P1	0,00
34	R0	0,00
35	S0	0,00
36	T0	0,00
37	U0	0,00
38	V0	0,00
39	W0	0,00
40	X0	0,00
41	Y0	0,00
42	Z0	0,00

Table 1: Nodes probabilities.

	1	2	3	4
0	0,00	340282346638528859811704183484516925440,00	340282346638528859811704183484516925440,00	340282346638528859811704183484516925440,00
1		0,00	340282346638528859811704183484516925440,00	340282346638528859811704183484516925440,00
2			0,00	340282346638528859811704183484516925440,00
3				0,00
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Table 2: Table A.

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
1		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
2			0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
3				0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
4					0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
5						0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
6							0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
7								0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
8									0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
9										0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
10											0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
11												0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
12													0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
13														0	0	0	0	0	0	0	0	0	0	0	0	0	0
14															0	0	0	0	0	0	0	0	0	0	0	0	0
15																0	0	0	0	0	0	0	0	0	0	0	0
16																	0	0	0	0	0	0	0	0	0	0	0
17																		0	0	0	0	0	0	0	0	0	0
18																			0	0	0	0	0	0	0	0	0
19																				0	0	0	0	0	0	0	0
20																					0	0	0	0	0	0	0
21																						0	0	0	0	0	0
22																							0	0	0	0	0
23																								0	0	0	0
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Table 3: Table R.