

# SITE DOWN PREDICTION USING MACHINE LEARNING ALGORITHM

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## **PROCESS FLOW**



Data Collection, Processing & Feature Extraction

Model Construction & Simulation

**Result Comparison** 

Observation & Future Improvement



## DATA COLLECTION AND PROCESSING



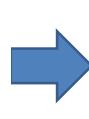
Update of Site Down at 17/06/2019 09:00:00 AM

Region:: 2G/3G/4G/P1 National:: 65/62/50/13

DHK\_M: 1/2/9/0 DHK\_N: 4/5/1/0 DHK\_S: 0/2/1/0 CTG\_M: 1/2/7/0 CTG\_N: 5/5/2/1 CTG\_S: 4/5/6/2 COM: 0/1/0/0 NOA: 2/1/0/0 SYL: 12/11/0/1 MYM: 7/8/0/0 BAR: 1/1/1/1

KUS: 1/2/4/1 RAJ: 3/4/5/1 RANG: 23/13/14/6

KHL: 1/0/0/0



Date	Time	2G	3G	4G	P1	X	Data_4G	Data_3G	Data_2G	Data_P1
16/6/2019	21:00:00	21	45	37	9	21	21,37	21,45	21,21	21,9
17/6/2019	0:00:00	26	33	44	6	0	0,44	0,33	0,26	0,6
17/6/2019	6:00:00	37	47	36	11	6	6,36	6,47	6,37	6,11
17/6/2019	9:00:00	65	62	50	13	9	9,50	9,62	9,65	9,13
17/6/2019	12:00:00	46	54	40	6	12	12,40	12,54	12,46	12,6
17/6/2019	15:00:00	48	49	34	6	15	15,34	15,49	15,48	15,6
17/6/2019	18:00:00	42	55	32	8	18	18,32	18,55	18,42	18,8
17/6/2019	21:00:00	54	59	33	9	21	21,33	21,59	21,54	21,9
18/6/2019	6:00:00	98	101	56	31	6	6,56	6,101	6,98	6,31
18/6/2019	9:00:00	99	140	60	24	9	9,60	9,140	9,99	9,24
18/6/2019	12:00:00	64	74	49	15	12	12,49	12,74	12,64	12,15
18/6/2019	15:00:00	41	60	43	8	15	15,43	15,60	15,41	15,8
18/6/2019	18:00:00	30	53	44	6	18	18,44	18,53	18,30	18,6
18/6/2019	21:00:00	54	42	41	13	21	21,41	21,42	21,54	21,13
19/6/2019	0:00:00	37	47	43	9	0	0,43	0,47	0,37	0,9
19/6/2019	6:00:00	242	92	61	126	6	6,61	6,92	6,242	6,126
40/5/0040	0.00.00	25	**	25	40	^	0.05	0.40	0.00	0.40



## **MODEL CONSTRUCTION & SIMULATION**



### **ML Algorithm**

Linear Regression

Gradient Descent

The objective of linear regression is to minimize the cost function

$$J(\theta) = \frac{1}{2m} \sum_{i=1}^{m} (h_{\theta}(x^{(i)}) - y^{(i)})^{2}$$

where the hypothesis  $h_{\theta}(x)$  is given by the linear model

$$h_{\theta}(x) = \theta^T x = \theta_0 + \theta_1 x_1$$

$$\theta_j := \theta_j - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)}) x_j^{(i)}$$
 (simultaneously update  $\theta_j$  for all  $j$ ).

#### **Programming Environment**

GNU Octave (open source)

#### **Feature**

 Single (Time Series) which is very popular and powerful in predictive analysis (i.e. weather forecasting)

#### **Parameters**

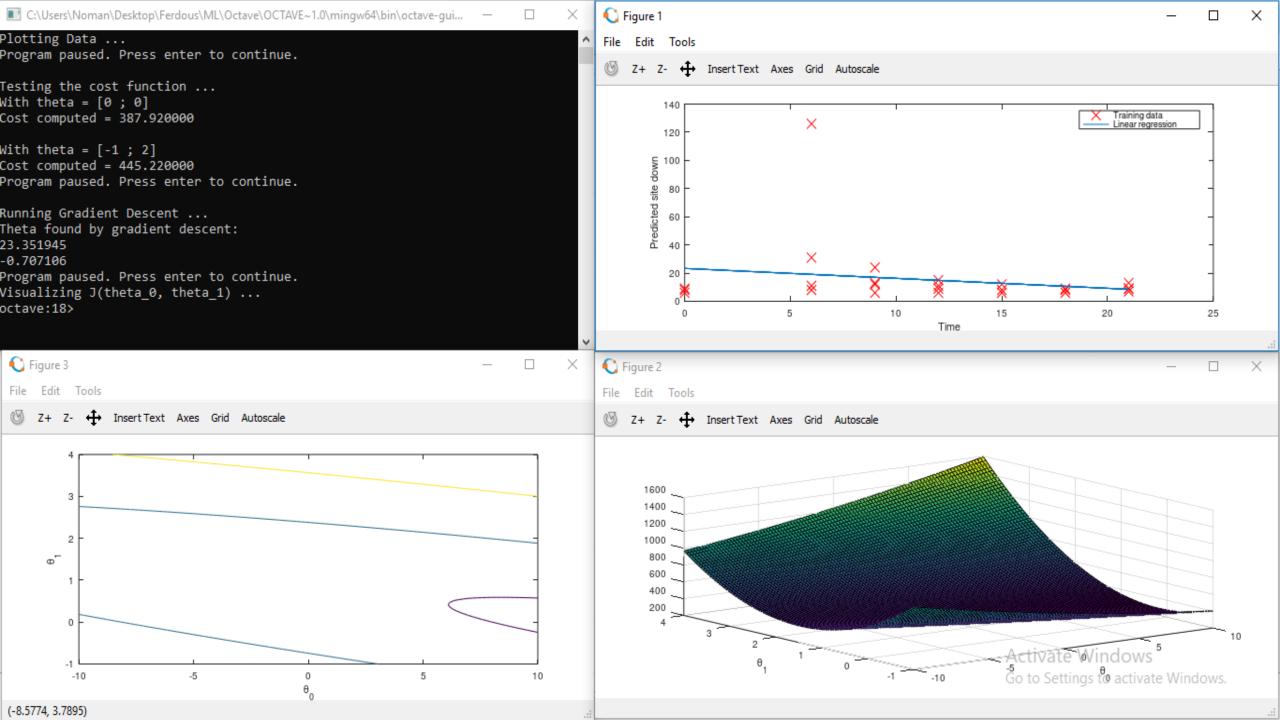
• Training Set: 25

• Test Set: 5

• Iteration: **1500** 

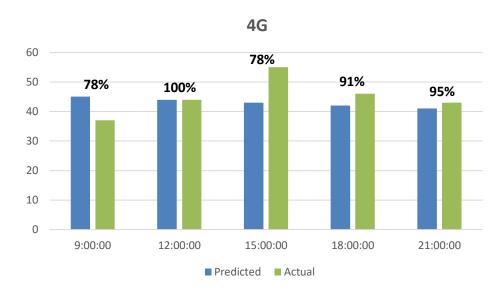
• Learning Rate (α): 0.01

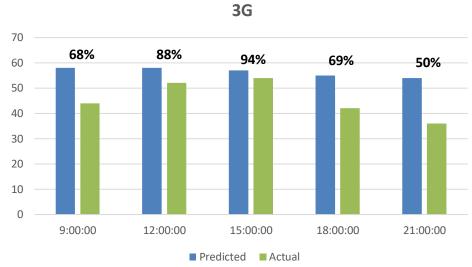


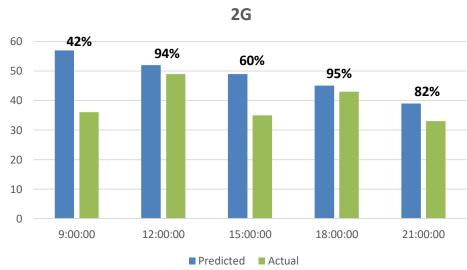


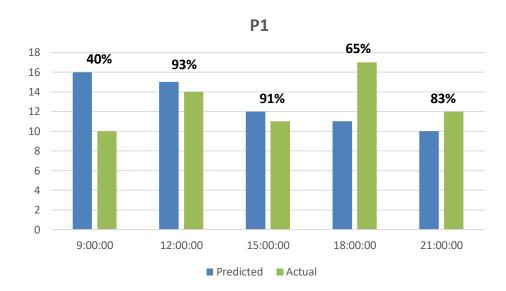
## **RESULT COMPARISON**











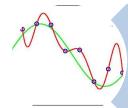


## **Observation & Future Improvement**





Currently external data to feed in the model is messy which need to be stored in a structured way. It is the most important & biggest challenge right now.



Under fitting problem occurred for certain time stamp due to low training sample which can be optimized by feeding more sample as well as non-linear analysis.



For now, prediction is only for national total. Have a plan to breakdown region wise also.



In this algorithm single feature used. In future will add more features (i.e. Mains Fail, DC Low, Weather: Temperature, rain, wind) and it will predict more accurately.



## THANK YOU

