

Computer Implementation 1.5 (*Matlab*) 5 bar truss assembly (p. 28)

Use *Matlab* to develop element equations and assemble them to form global equations for five bar plane truss. The complete procedure, with data in N-mm units, is as follows.

MatlabFiles\Chap1\TrussAssemblyEx.m

```
% Truss Assembly Example
e1=200*10^3; e2=70*10^3; a1=40*100; a2=30*100; a3=20*100;
P = 150*10^3;
nodes = 1000*[0, 0; 1.5, 3.5; 0, 5; 5, 5];
K=zeros(8);
% Generate stiffness matrix for each element and assemble it.
k=PlaneTrussElement(e1, a1, nodes([1 2],:));
lm=[1, 2, 3, 4];
K(lm, lm) = K(lm, lm) + k;

k=PlaneTrussElement(e1, a1, nodes([2 4],:));
lm=[3, 4, 7, 8];
K(lm, lm) = K(lm, lm) + k;

k=PlaneTrussElement(e1, a2, nodes([1 3],:));
lm=[1, 2, 5, 6];
K(lm, lm) = K(lm, lm) + k;

k=PlaneTrussElement(e1, a2, nodes([3 4],:));
lm=[5, 6, 7, 8];
K(lm, lm) = K(lm, lm) + k;

k=PlaneTrussElement(e2, a3, nodes([2 3],:));
lm=[3, 4, 5, 6];
K(lm, lm) = K(lm, lm) + k;

% Define the load vector
R = zeros(8,1); R(4)=-P
```

For each element the PlaneTrussElement function defined in *Matlab* Implementation 1.1 is first used to generate element stiffness matrix, k . From the degrees of freedom the assembly location vector lm for the element is then defined. The assembly is then carried out by the statement $K(lm, lm) = K(lm, lm) + k$. To conserve space printing of most intermediate results is suppressed by ending statements with a semicolon. If desired, the intermediate results can be seen by executing statements with the semicolon removed. The global load vector is written directly.

```
>>
```

```
K =
```

```
1.0e+005 *
```

```
Columns 1 through 7
```

0.3260	0.7607	-0.3260	-0.7607	0	0	0
0.7607	2.9749	-0.7607	-1.7749	0	-1.2000	0
-0.3260	-0.7607	2.4309	1.1914	-0.3300	0.3300	-1.7749
-0.7607	-1.7749	1.1914	2.4309	0.3300	-0.3300	-0.7607
0	0	-0.3300	0.3300	1.5300	-0.3300	-1.2000
0	-1.2000	0.3300	-0.3300	-0.3300	1.5300	0
0	0	-1.7749	-0.7607	-1.2000	0	2.9749

0	0	-0.7607	-0.3260	0	0	0.7607
---	---	---------	---------	---	---	--------

Column 8

0
0
-0.7607
-0.3260
0
0
0.7607
0.3260

R =

0
0
0
-150000
0
0
0
0