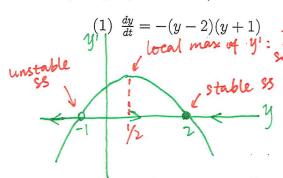
MATH 102:102, AUTONOMOUS DIFFERENTIAL EQUATIONS EXERCISE

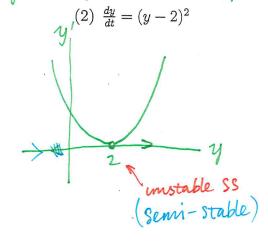
Qualitatively analyze the following differential equations. (Use the graph of dy/dt vs y to get you started.)

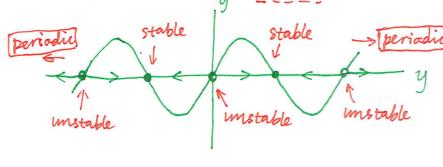


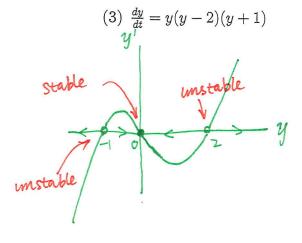
(4) $\frac{dy}{dt} = y(y-2)^2(y+1)$ unstable \$5 or we can call it a "semi-stable" \$3. symbol: o or 0

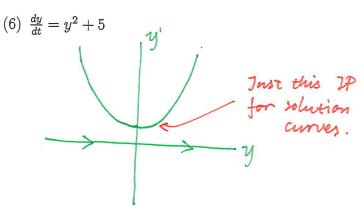
If y(0)<-1, y(t) decreases interpretations of -1< y(0)<2, y(t) increases, approaching of y(0)>2, y(t) decreases, approaching z

2 (If further -1< y(0)< x, \$\forall the curve \\ y(t) in y-t plane has an inflection point \\ -- when it pass the point with y-coordinate \((5) \frac{dy}{dt} = \sin y \\ y' \frac{1}{2} \frac{1}{2} \)









1 No steady states!

y(t) always increases!

If y(0) < 0, then \(\psi\)y(t) curve has an inflection point when y reaches 0.