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function status = construct\_high\_resolution\_2D\_image\_from\_3D\_point\_cloud\_data()

```
% Project: Construct high-resolution 2D images from 3D point cloud
\label{limits} {\tt \ File: construct\_high\_resolution\_2D\_image\_from\_3D\_point\_cloud\_data.m.} \\
% Author: Mohsen Ghazel
% Objectives:
% - To read and parse 3D point cloud
% - To fit high resolution surface models to the 3D point cloud
\ensuremath{\$} - To project 3D high resolution surface to a high resolution 2D image
 - To enhance and visualize the constructed high resolution 2D image.
% Input:
% - None
% Output:
% - status = 1 for success and 0 for failure
% Execution:
% >> status = construct_high_resolution_2D_image_from_3D_point_cloud_data( )
% History
% Date
                          Changes
% March 10th, 2021
                        Initial definition
% License
% MIT License: Free to copy, use, modify, share and redistribute.
% Copyright (c) 2021 mghazel2020
% display a message
fprintf(1, '===
fprintf(1, 'Project: Construct high-resolution 2D images from 3D point cloud:\n');
fprintf(1, '===
fprintf(1, 'Date: %s\n', datestr(now) );
fprintf(1, '=
                                                                            ==\n\n');
```

#### Step 1: Clear variables/figures and define global variables and constants:

```
% execution status
% Missing data-flag = "-9999"
MISSING_DATA_FLAG = -9999;
% Number of distinct scan-lines per full circle
NUM_SCAN_LINES_PER_FULL_CIRCLE = 80000;
% Tire Outer and Inner Radui
R outer = 12.25; % outer-radius
R_inner = 7.8125; % inner-radius
% estimatd tire thickness
true_tire_thickness = abs(R_outer - R_inner);
% Final concatenated vectors for visualization
XX = []; % x-coordinates of the points
YY = []; % y-coordinates of the points
% Z-coordinates
ZZ = []; % z-coordinates of the points
% start of execution
start time = tic();
```

Step 1: Clear variables/figures and define global variables and constants:

#### Step 2: Read input data:

```
fprintf(1, '===
fprintf(1, 'Step 2: Read input data:\n');
% input data file
% input file name
input_excel_file_name = '..\data\input-point-cloud-tire.xlsx';
% sheet name
sheet_name = 'Test Data - 25Apr2017';
% check if input file exists
if ~( exist(input_excel_file_name, 'file') == 2 )
    fprintf(1, 'Input data file: %s does not exist!\n', input_excel_file_name );
    fprintf(1, 'Please set the correct file name of the input data file and try again!)\n');
    status = 0;
    return;
end
% Check if sheet name is defined
if ~( exist(sheet_name, 'var') == 0 )
   fprintf(1, 'Input Excel file sheet name: %s is not defined!...\n', sheet_name );
fprintf(1, 'Please set the correct sheet-name of the input EXCEL sheet and try again...)\n');
    status = 0;
    return;
% Read the input data from the EXCEL sheet
[ndata, text, alldata] = xlsread(input_excel_file_name, sheet_name);
% number of scanned lines
num_lines = size(ndata, 1);
% set the output directory
output_directory = '..\results\';
```

Step 2: Read input data:

#### Step 3: Parse EXCEL sheet:

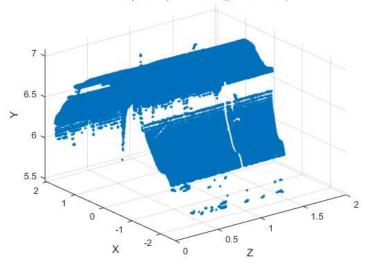
```
fprintf(1, '==
fprintf(1, 'Step 3: Parse EXCEL sheet:\n');
fprintf(1, '==
% 1) Parse EXCEL sheet
\mbox{\ensuremath{\$}} Get all valid data (not equal to the FLAG = "-9999"
% Read the encoders column (1st column)
encoder_values = ndata(:, 1);
% Remove repeated lines
encoders values no duplicates = unique(encoder values);
% Fixed but a function of the angle
THETA = (max(encoders_values_no_duplicates) - min(encoders_values_no_duplicates)) / NUM_SCAN_LINES_PER_FULL_CIRCLE * 2 * pi;
% number of distinct encoder values
num_distinct_lines = size(encoders_values_no_duplicates, 1);
% Determine the angles between the scanned lines
% Declare a vector to store the angles
theta = zeros(num_distinct_lines, 1);
% Iterate over all the values and determine the individual angles between
% the scanned lines
for counter = 2:num_distinct_lines
    \mbox{\ensuremath{\$}} define the angle between the 2 adthetajacent scan lines
    theta(counter) = THETA * ( encoders_values_no_duplicates(counter) - encoders_values_no_duplicates (counter - 1) ) / (max(encoders_values_no_dup
licates) - min(encoders_values_no_duplicates));
% define the first element
theta(1,1) = theta(2, 1);
% (x,y) coordinates data (skip first 7 columns containg the encoder values and new data)
data0 = ndata(:, 8:end);
% data structure to store data
scanned_lines = repmat( struct('encoder', 0,'size', 0, 'X',[], 'Y',[], 'Z',[]), 1, num_distinct_lines);
% counter of distinct lines
distinct_lines_number = 0;
% distinct encoder values
distinct_encoder_values = [];
% tire thickness profile
tire_thickness = zeros(num_distinct_lines, 3);
% iterate over the read data
for line number = 1: num lines
    % Check if the line is a duplicate of one of the previous lines:
      - Check if the encoder-value of this scanned line is the same as
          teh encode value of one of the previously-encoutered encoder
         values add the new-line encoder-value
    new_encoder_values = [distinct_encoder_values encoder_values(line_number, 1)];
    % Remove duplicates
    temp = unique(new_encoder_values);
    % check for duplicates, if so skip this scanned-line
    if ( size(temp, 2) < size(new_encoder_values, 2)) % there are duplicates</pre>
        continue;
    end
    % increment the number of distinct lines counter
    distinct lines number = distinct lines number + 1;
    % assign the encoder value
    scanned_lines(distinct_lines_number).encoder = encoder_values(line_number, 1);
    % update the list of distinct encoder values
    distinct_encoder_values = [distinct_encoder_values encoder_values(line_number, 1)];
    % consider the current scanned line of 9x,y) coordinates
    line scan = data0(line number, 1:end);
    % find entries of valid data points (column-array)
    valid_data_indices = find(line_scan ~= MISSING_DATA_FLAG);
    % number of new valid points
    num_valid_entries = size(valid_data_indices, 2);
    % number of valid points
    num_valid_points = num_valid_entries / 2;
```

```
scanned_lines(distinct_lines_number).size = num_valid_points;
   % X-ccordinates
   scanned_lines(distinct_lines_number).X = [scanned_lines(distinct_lines_number).X data0(line_number, valid_data_indices(1:2:end))];
   % Y-coordinates
   scanned\_lines (distinct\_lines\_number) . Y = [scanned\_lines (distinct\_lines\_number) . Y \\ data0 (line\_number, valid\_data\_indices (2:2:end))];
   % set Z-value: Use different radius value for different points
   % copy (x,y) coordinates of points
   xx = scanned_lines(distinct_lines_number).X;
   yy = scanned_lines(distinct_lines_number).Y;
   % subtract the first point
   xx = xx - xx(1);
   yy = yy - yy(1);
   % tire thickness
   tire_thickness(distinct_lines_number, 1) = distinct_lines_number;
   tire_thickness(distinct_lines_number, 2) = true_tire_thickness;
   tire thickness(distinct lines number, 3) = sqrt(xx(num valid points)*xx(num valid points) + yy(num valid points)*yy(num valid points));
   % compute the distance of each point from the centre of tire
   radius = zeros(num_valid_points, 1);
   % compute
   temp = xx.*xx + yy.*yy;
   % iterate and compute distance
   for point = 1: num valid points
       radius(point) = R_inner + sqrt(temp(point));
       radius(point) = R_inner + sqrt(xx(point) *xx(point) + yy(point) *yy(point));
   % Z-value
   scanned_lines(distinct_lines_number).Z = [scanned_lines(distinct_lines_number).Z sum(theta(1:distinct_lines_number)) * radius]';
   % Append coordinates to new vectors for visualization
   XX = [ XX scanned_lines(distinct_lines_number).X ];
   % Y-coordinates
   YY = [ YY scanned_lines(distinct_lines_number).Y ];
   % Z-coordinates
   ZZ = [ ZZ scanned_lines(distinct_lines_number).Z];
end
```

```
Step 3: Parse EXCEL sheet:
```

#### Step 4: Visualize the constructed input 3D point cloud:

## The input 3D point cloud (part of a tire)

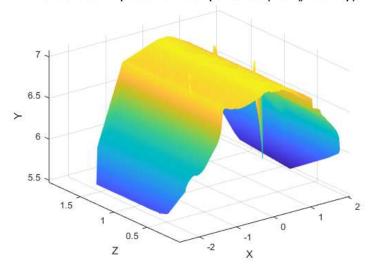


Step 5: Construct high-resolution 2D images from 3D point cloud:

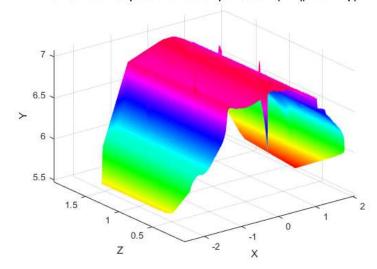
```
\mbox{\tt \%} \mbox{\tt vq} = \mbox{\tt griddata}(\mbox{\tt x},\mbox{\tt y},\mbox{\tt v},\mbox{\tt xq},\mbox{\tt yq}) \mbox{\tt fits a surface of the form } \mbox{\tt v} = \mbox{\tt f}(\mbox{\tt x},\mbox{\tt y}) \mbox{\tt to} \mbox{\tt the}
\mbox{\$} scattered data in the vectors (\mbox{x,y,v})\,. The griddata function
\mbox{\$} interpolates the surface at the query points specified by (\mbox{xq,yq}) and
% returns the interpolated values, vq.
\mbox{\ensuremath{\$}} The surface always passes through the data points defined by \mbox{\ensuremath{x}} and \mbox{\ensuremath{y}}.
fprintf(1, '===
fprintf(1, 'Step 5: Construct high-resolution 2D images from 3D point cloud:\n');
fprintf(1, '====
% Define a regular grid and interpolate the scattered data over the grid.
[xq,zq] = \texttt{meshgrid}(\texttt{min}(\texttt{min}(\texttt{XX})):0.001:\texttt{max}(\texttt{max}(\texttt{XX})), \ \texttt{min}(\texttt{min}(\texttt{ZZ})):0.001:\texttt{max}(\texttt{max}(\texttt{ZZ})));
% interpolate the y-coordinates
yq = griddata(XX,ZZ,YY, xq,zq);
% Heat-map visualization using mesh() functionality:
h20 = figure(20);
mesh(xq,zq,yq);
xlabel('X');
ylabel('Z');
zlabel('Y');
title('3D surface interpolation of the 3D point-cloud (mesh() heat-map)');
xlim([min(MX)) max(max(XX))]);
ylim([min(min(ZZ)) max(max(ZZ))]);
grid on
orient landscape
% save figure
saveas(h20,strcat([output_directory, 'surface_3D_reconstruction_using_mesh_heat_map.jpg']));
% Heat-map visualization using surf() functionality:
h30 = figure(30);
colormap hsv
surf(xq,zq,yq,'FaceColor','interp',...
   'EdgeColor', 'none',...
   'FaceLighting','gouraud')
% set axes to tight
axis tight
xlabel('X');
ylabel('Z');
zlabel('Y');
title('3D Surface Interpolation of the 3D point-cloud (surf() heat-map)');
% orient landscape
orient landscape
% save figure
saveas(h30,strcat([output_directory, 'surface_3D_reconstruction_using surf_heat_map.jpg']));
% Grayscale visualization using surf() functionality:
h40 = figure(40);
colormap(gray(256))
surf(xq, zq, yq, 'FaceColor', 'interp',...
    'EdgeColor', 'none',...
   'FaceLighting','gouraud')
% daspect([5 5 1])
axis tight
xlabel('X');
```

Step 5: Construct high-resolution 2D images from 3D point cloud:

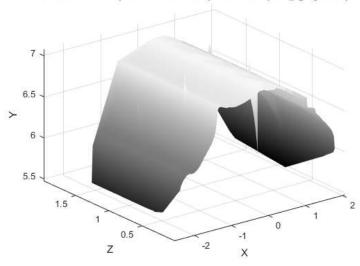
## 3D surface interpolation of the 3D point-cloud (mesh() heat-map)



## 3D Surface Interpolation of the 3D point-cloud (surf() heat-map)



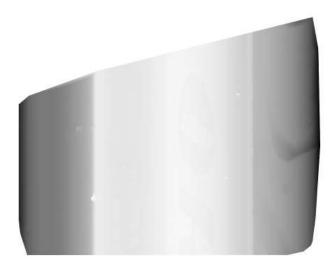
## 3D Surface Interpolation of the 3D point-cloud (surf() grayscale)



## Step 6: Project the constructed high-resolution 3D surface to high-resolution 2D image:

```
----\n');
fprintf(1, 'Step 6: Project the constructed high-resolution 3D surface to high-resolution 2D image:\n');
fprintf(1, '======\n');
% 2D top-down view grayscale visualization using surf() functionality:
% create a new figure
h50 = figure(50);
% set the grayscale colormap
colormap(gray(256))
% constrcu the surface
surf(xq, zq, yq, 'FaceColor', 'interp',...
  'EdgeColor','none',...
  'FaceLighting','gouraud')
% set axes properties
axis tight
xlabel('X');
ylabel('Z');
zlabel('Y');
\mbox{\ensuremath{\$}} display and save the plot in a 2-D view:
\mbox{\$} set the figure view to top-down (xx-plane in our case)
view(2)
% set figure in landscape orientation
% orient landscape
% remove the axes
axis off
% title('Constructed High-Resolution 2D Image');
saveas(h50,strcat([output_directory, 'projected_high_resolution_2D_image.png']));
```

Step 6: Project the constructed high-resolution 3D surface to high-resolution 2D image:



Step 7: Enhance the projected high-resolution 2D image:

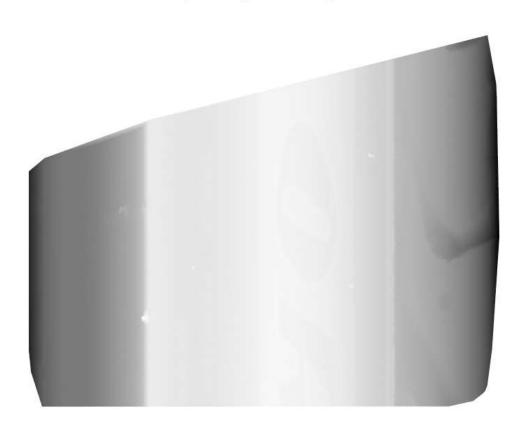
```
fprintf(1, '-----
fprintf(1, 'Step 7: Enhance the projected high-resolution 2D image:\n');
fprintf(1, '==
% - Apply Histogram Equalization
% - APply image sharpening
% read the 2D projection high-resolution image:
% read the image
img = imread(strcat([output_directory, 'projected_high_resolution_2D_image.png']));
% display the original image
h55 = figure(55);
% display the image
imshow(img);
% set the figure title
title('Projected 2D high-resolution image');
saveas(h55, strcat([output_directory, 'projected_high_resolution_2D_image.png']));
\ensuremath{\$} 7.1) Apply simple image enhancement in the form of histogram equalization:
% >> help histeq
% histeq Enhance contrast using histogram equalization.
     histeq enhances the contrast of images by transforming the values in an
     intensity image, or the values in the colormap of an indexed image, so
     that the histogram of the output image approximately matches a specified
    histogram.
% apply histogram equalization
img_histeq = histeq(img);
% display the original and enhanced images
h60 = figure(60);
% display the enhanced image
imshow(img_histeq);
% set the figure title
title('After histogram equalization');
% save the figure
saveas(h60,strcat([output_directory, 'projected_high_resolution_2D image histeq.png']));
% 7.2) Apply simple image enhancement in the form of image sharpening:
% >> help imsharpen
% imsharpen Sharpen image using unsharp masking.
   B = imsharpen(A) returns an enhanced version of the grayscale or
     truecolor input image A where the image features, such as edges, have
   been sharpened using the unsharp masking method.
% apply image sharpening
img_histeq_sharp = imsharpen(img_histeq,'Radius',3,'Amount',2);
\mbox{\ensuremath{\$}} display the original and enhanced images
h70 = figure(70);
% display the enhanced image
imshow(img_histeq_sharp);
```

Step 7: Enhance the projected high-resolution 2D image:

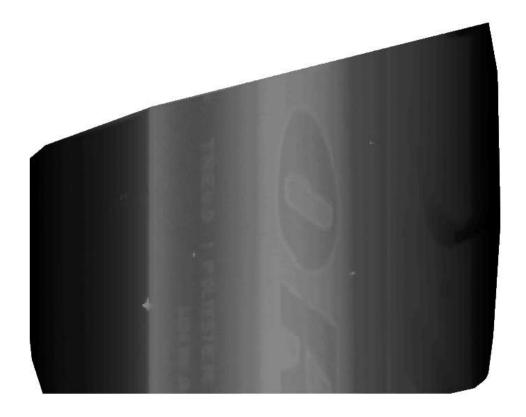
The program execution completed successfully...

Execution time = 58.5 secs

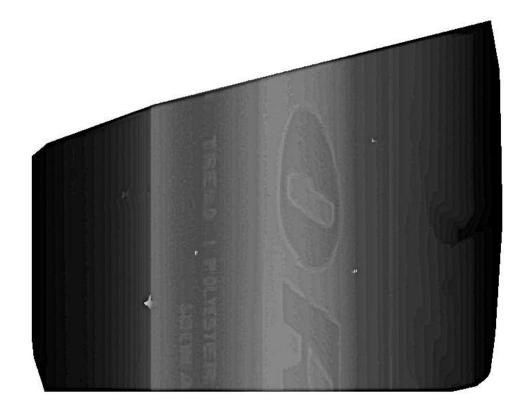
#### Projected 2D high-resolution image



# After histogram equalization



## After image sharpening



```
end
function [timeString] = format_time(timeInSecs)
% File: format_time.m
% Author: Mohsen Ghazel
% Date: January 21st, 2021
% Specifications:
\mbox{\ensuremath{\$}} — This function converts and formats the input time from seconds to
% hours, minutes, seconds
\ensuremath{\$} - This utility function used to format the execution time of the program
% Intput:
% - timeInSecs: time in seconds
% Output:
% - timeString: time formatted in hours, minutes, seconds
% >> [timeString] = format_time(timeInSecs)
% History
% March 10th, 2021 Initial definition
% License
\mbox{\%} MIT License: Free to copy, use, modify, share and redistribute.
% Copyright (c) 2021 mghazel2020
```

```
% Step 1: Initialize the ouput variables
timeString = '';
% Step 2: Initialize local variables
% number of hours
numHours = 0;
% number of minutes
numMins = 0;
% Step 3: Format the time from seconds to hours, minutes, seconds
% 3.1) check if input time is longer than 3600 seconds (1 hours)
if ( timeInSecs >= 3600 ) % if time is more than one hour
   % compute the number of hours (integer division)
   numHours = floor(timeInSecs/3600);
    % if more then 1 hour, then plural (hours)
   if ( numHours > 1 )
      hourString = ' hours, ';
   else % otherwise, then singular (hour)
      hourString = ' hour, ';
   end
   % the time string
   timeString = [num2str(numHours ) hourString];
end
% 3.2) check if input time is longer than 60 seconds (1 minute)
if ( timeInSecs >= 60 ) % if time is more than one minute
    % number of minutes
   numMins = floor((timeInSecs - 3600*numHours)/60);
   if numMins > 1
      minuteString = ' mins, ';
   else
      minuteString = ' min, ';
   timeString = [timeString num2str(numMins) minuteString];
\ensuremath{\$} 3.3) the remaining number of seconds
numSecs = timeInSecs - 3600*numHours - 60*numMins;
% 3.4) the final formatted time string
timeString = [timeString sprintf('%2.1f', numSecs) ' secs'];
% return
return;
end
```

ans =

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