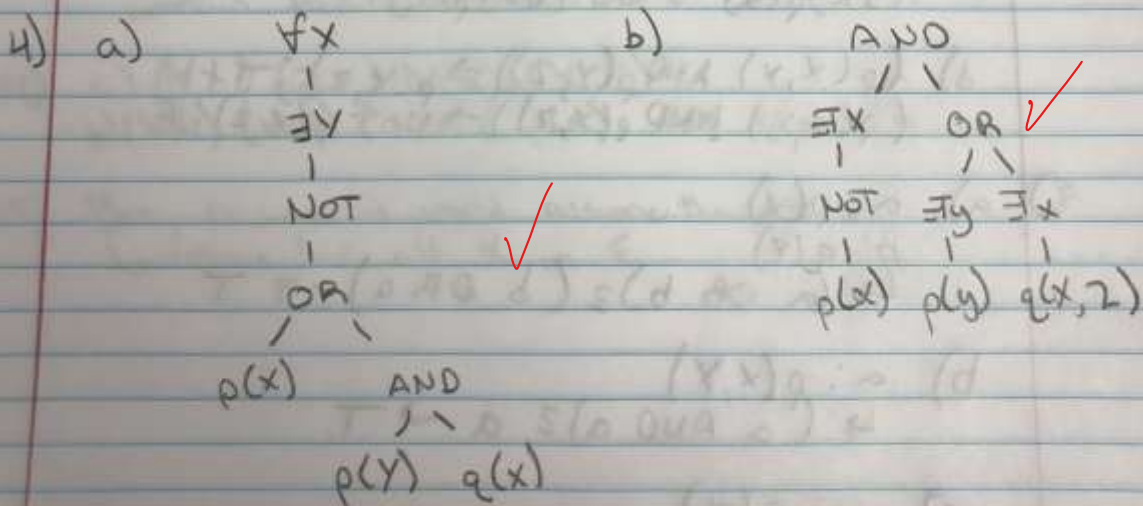


80

- 1) a) Variable
b) constant ✓
c) constant
d) constant
e) non-grammatical formula
f) grammatical formula
g) constant

2) $\text{csg}(\text{"CMPT000"}, S, G)$ AND
 $\text{snap}(S, \text{"L. Van Ruit"}, A, P)$
→ $\text{answer}(G)$
 $C = \text{"CMPT000"}$
 $n = \text{"L. Van Ruit"}$ ✓

3) a) $(\forall x)(\exists y) \text{NOT}(p(x) \text{ OR } p(y) \text{ AND } q(x))$
b) $(\exists x) \text{NOT}(p(x) \text{ AND } (\exists y) p(y) \text{ OR } (\exists z) q(x, z))$



$$5) (\exists x) \text{NOT } p(x) \text{ AND } ((\exists y) p(y) \text{ OR } q(y, z))$$

$$6) a) \text{CSG}(C, S, "A") \text{ AND } \text{SNAP}(S, "C. Brown", A, P) \rightarrow ("A")$$

$$b) \text{NOT } (\exists c) \text{CSG}(C, S, "A") \text{ AND } \text{SNAP}(S, "C. Brown", A, P) \rightarrow ("A")$$

$$7) a) (\forall x) (\exists y) (\text{loves}(x, y)) : T \text{ which domain?}$$

$$b) p(x) = F : p(x) \rightarrow \text{NOT } p(x) : T$$

$$p(x) = T : p(x) \rightarrow \text{NOT } p(x) : F$$

$$c) (\exists x) p(x) \rightarrow (\forall x) p(x) : T$$

$$(\exists x) p(x) \rightarrow \text{NOT } (\forall x) p(x) : F$$

$$d) (p(x, y) \text{ AND } p(y, z)) \rightarrow p(x, z) : T$$

$$(p(x, y) \text{ AND } p(y, z)) \rightarrow \text{NOT } p(x, z) : F$$

$$8) a) a : p(x)$$

$$b : q(y)$$

$$\hookrightarrow (a \text{ OR } b) \equiv (b \text{ OR } a) \rightarrow T$$

$$b) a : p(x, y)$$

$$\hookrightarrow (a \text{ AND } a) \equiv a \rightarrow T$$

$$c) a : p(x)$$

$$\hookrightarrow (a \rightarrow \text{FALSE}) \equiv \text{NOT } a \rightarrow T$$

9) a) $(\exists x)(\neg p(x) \text{ AND } (\exists y)p(y)) \text{ OR } \exists M(M, z)$

b) $(\exists x)(p(x) \text{ OR } q(x) \text{ OR } r(x))$ -2

10) a) $(\forall x)(\forall y)(p(x,y) \text{ OR } p(y,x))$ -1

b) $(\exists x)(\forall y)(p(x,y) \text{ OR } p(y,x))$

11) Yes, because the law asserts that the quantifier $\exists x$ would apply to both $p(x,y)$ and $q(x)$ -4

12) a) $(\exists x)(\exists y) \exists M (\neg p(x) \text{ AND } p(y) \text{ OR } q(M, z))$ -1

b) $(\exists x)(\exists y) p(x) \text{ OR } q(x) \text{ OR } r(x)$

13) $(Q, x)(Q, y)(E \rightarrow F)$, E and F cannot contain free variables -1

14) a) $(\forall x)(\forall y) \neg p(x,y)$

b) $(\forall x)(\forall y)(\neg(p(x) \text{ OR } q(x,y)))$ ✓

15) Yes, because it would assume there is a tautology for all x in E X -4