

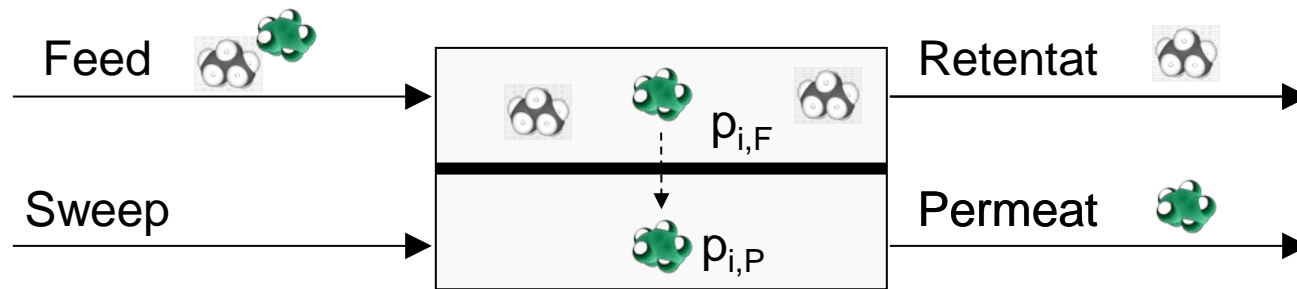
# Gas permeation

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AVT.CVT - Chemical Process Engineering

# What is gas permeation?



*Gas permeation is the art of walking through an apparently dense wall ....*

# What is gas permeation?

- Gas Permeation (GP): the separation of gases with membranes
- GP is a promising alternative to conventional techniques, like:
  - rectification at low temperatures
  - physical or chemical absorption
  - adsorption on activated carbon or zeolites
- Advantages:
  - easy, flexible, mobile, space-saving units
  - low energy consumption

- Materials & separation mechanisms
  - Mesoporous membranes
  - Microporous membranes
  - Dense membranes
- Parameters describing the transport properties
- Membranes & modules
- Plant design
- Applications
- Future directions
- Conclusion

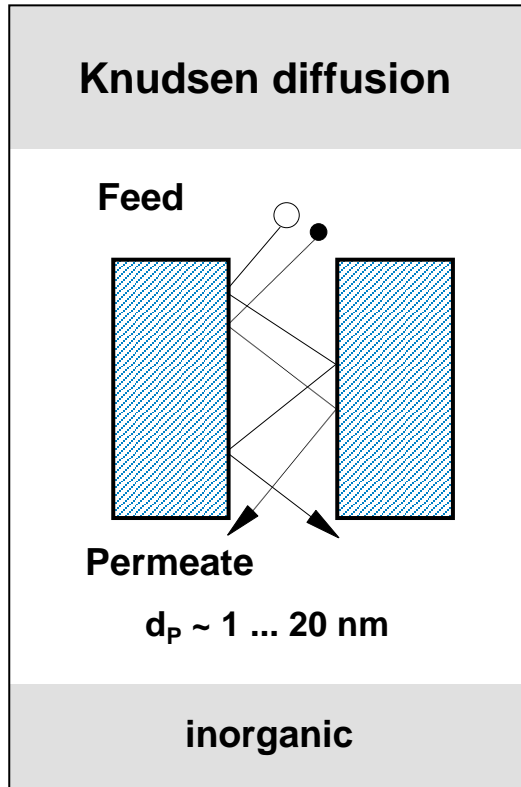
Basically all materials which you can convert to thin, stable films

## ■ Polymers

- polysulphone
- polyimide
- polyaramide
- polycarbonate
- cellulose acetate
- polyphenylene oxides
- silicones

## ■ Inorganic Materials

- metal
- glass
- ceramics



$d_p > 20 \text{ nm}$ : viscous flow  
without selectivity

- Knudsen diffusion:  
Transport based on  
the dominance of  
gas/wall - interactions
- Knudsen number  $\gg 1$

$$Kn = \frac{\lambda}{d_p} \gg 1$$

- mole fluxes: 
$$\dot{n}_i'' = \frac{4 \varepsilon d_p}{3 \tau \sqrt{2 \pi R T M_i}} \frac{\Delta p_i}{\delta}$$
- ideal separation factor : 
$$\alpha_{ij} = \sqrt{\frac{M_j}{M_i}} \quad (p_{P,i,j} \rightarrow 0)$$

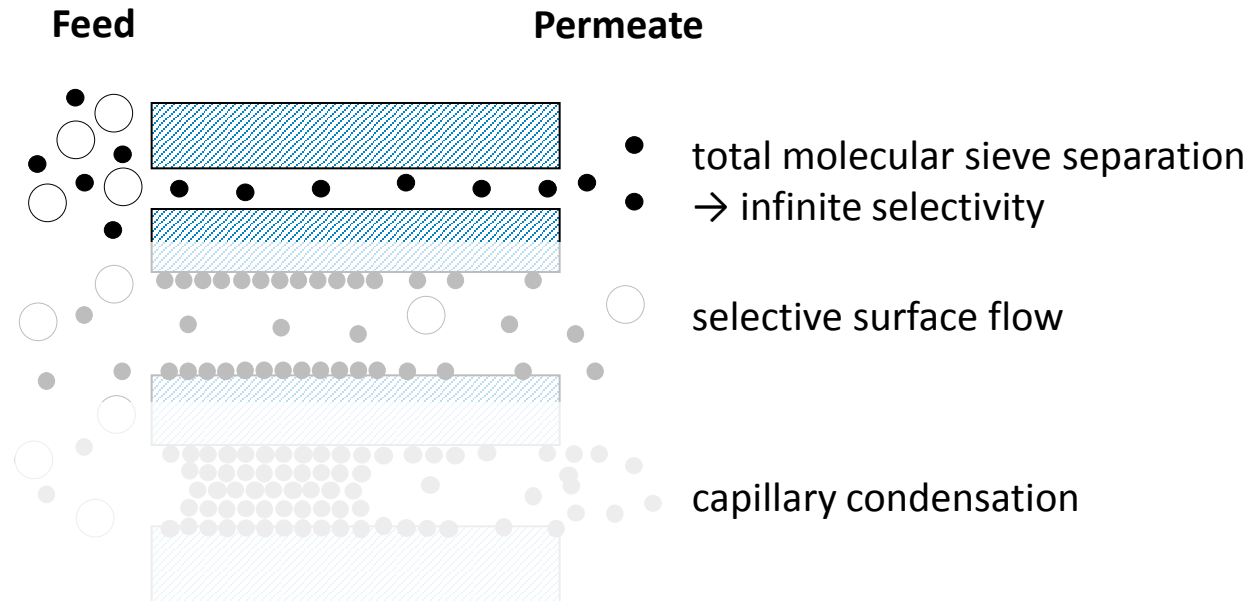
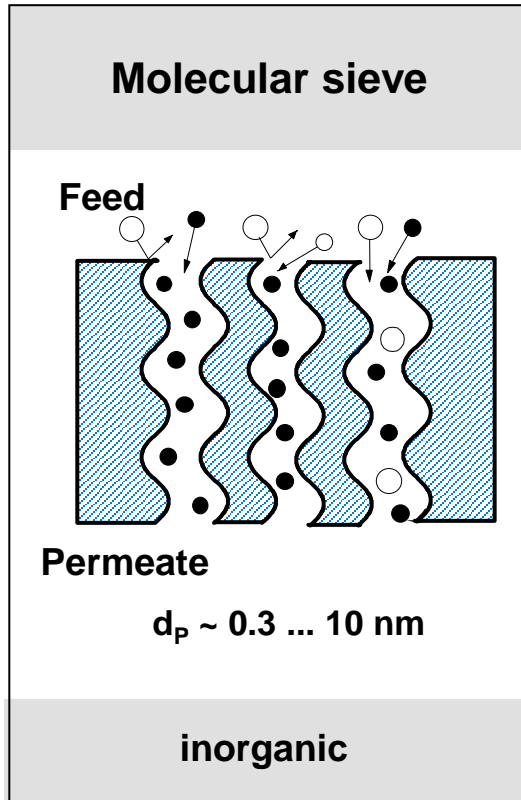
➡ Separation depends on difference in molecular masses

➡ Ideal separation factor is rather low

$$\alpha_{\text{O}_2/\text{N}_2} = (28/32)^{1/2} = 0,935$$

- Molecular sieve separation based on **molecule sizes & adsorption effects**

$$\frac{d_{\text{molecule}}}{d_p} \approx 1$$



➡ selectivity is very sensitive to defects/pinholes

- Selective due to difference in **solubility and diffusivity**

## Generalised Fick's Law of diffusion

$$\dot{n}_i'' = -c_{iM} \frac{D_{iM,0}}{RT} \frac{\partial \mu_{iM}}{\partial z}$$



assuming:

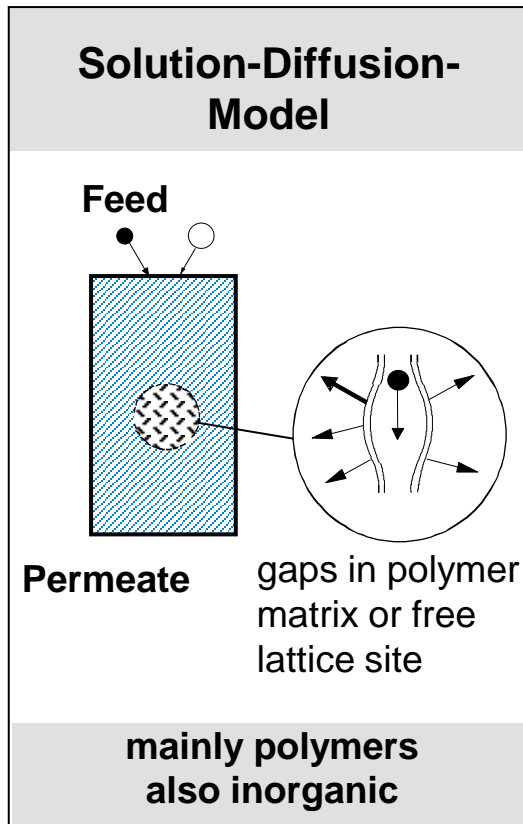
1. non-coupled permeate fluxes
2. Henry's Law:  $c_i = S_i p_i$
3. chemical potential at the membrane surface equals one in the gas phase

## linear mass transport equation

$$\dot{n}_i'' = Q_i (p_{i,F} - p_{i,P}) = Q_i (x_i p_F - y_i p_P)$$

$Q_i$ : permeance  
membrane and species specific

application  
specific





## ■ Permeance $Q_i$ (dt. Permabilität):

- membrane and species specific
- units:  $\left[ \frac{m^3}{m^2 \cdot h \cdot bar} \right]$  or  $[GPU]$

$$Q_i = \frac{D_i \cdot S_i}{\delta} = \frac{\text{Diffusion coefficient} \cdot \text{solubility coefficient}}{\text{active layer thickness of membrane}}$$

## ■ Permeability $P_i$ (dt. intrinsische Permeabilität):

- material specific
- independent of membrane thickness
- units:  $\left[ \frac{m^3 \cdot m}{m^2 \cdot h \cdot bar} \right]$  or  $[barrer]$

$$P_i = D_i \cdot S_i$$

Solution-Diffusion-Model

- Selectivity:

$$\alpha_{ij} = \frac{Q_i}{Q_j} = \underbrace{\left[ \frac{D_i}{D_j} \right]}_{\text{diffusion selectivity}} \underbrace{\left[ \frac{S_i}{S_j} \right]}_{\text{solubility selectivity}}$$

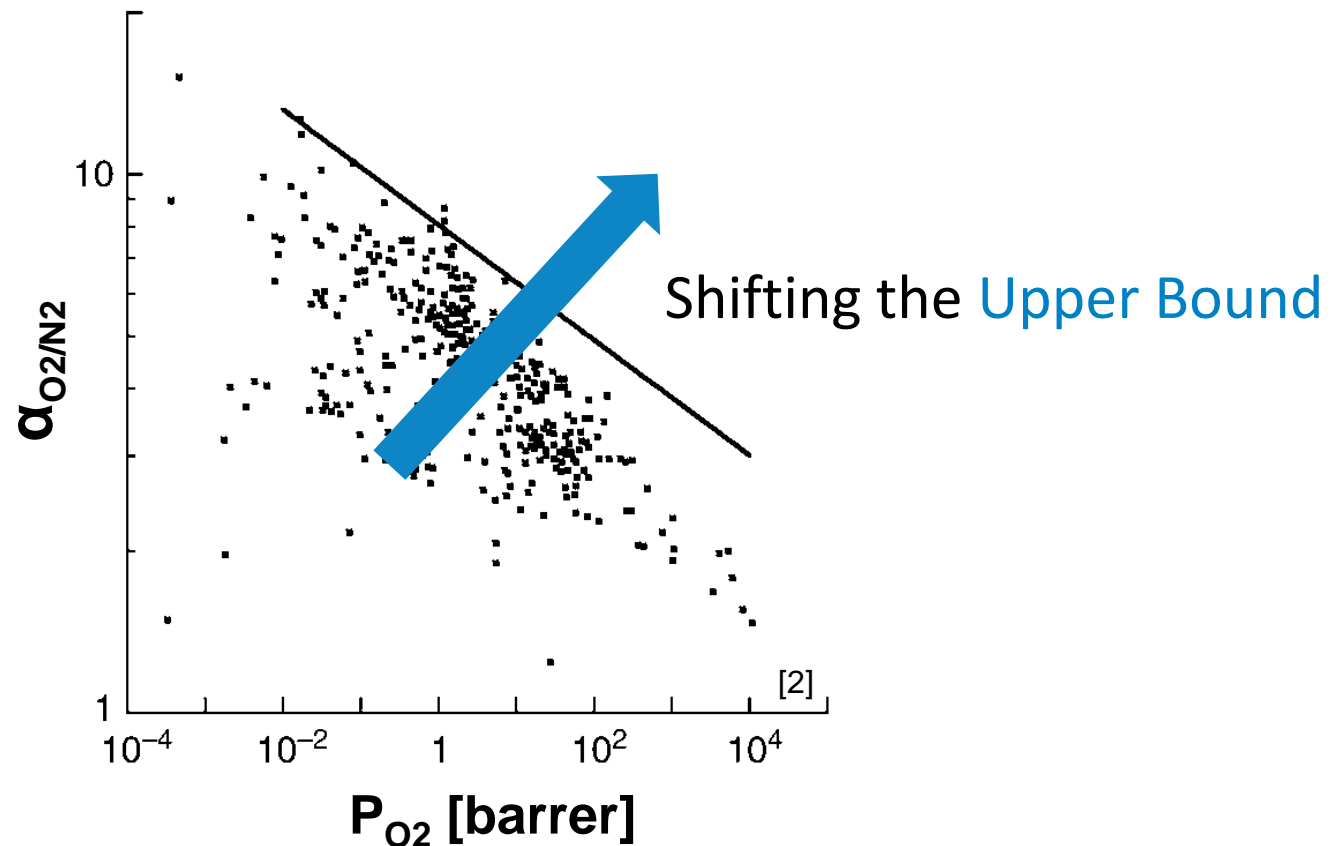
- Recommendations for an ideal membrane

- $(D_i \cdot S_i)$  for component  $i$  as large as possible
- $(D_j \cdot S_j)$  for component  $j$  as low as possible
- $\delta$  as low as possible

- In general:

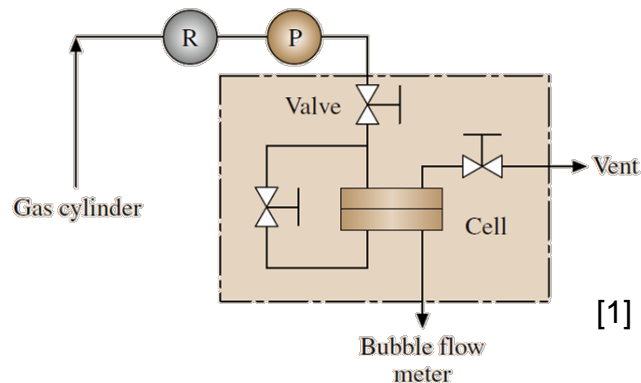
- Small molecules diffuse faster
- Large molecules are more soluble

- Permeability/permeance and separation factor oppose each other

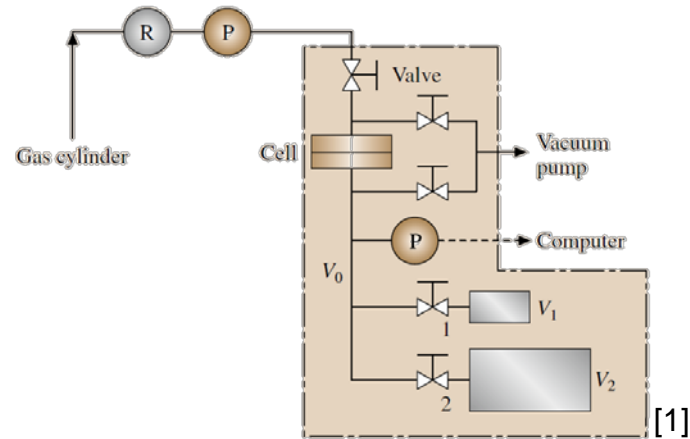


# Experimental determination of Q

- Constant pressure – variable volume

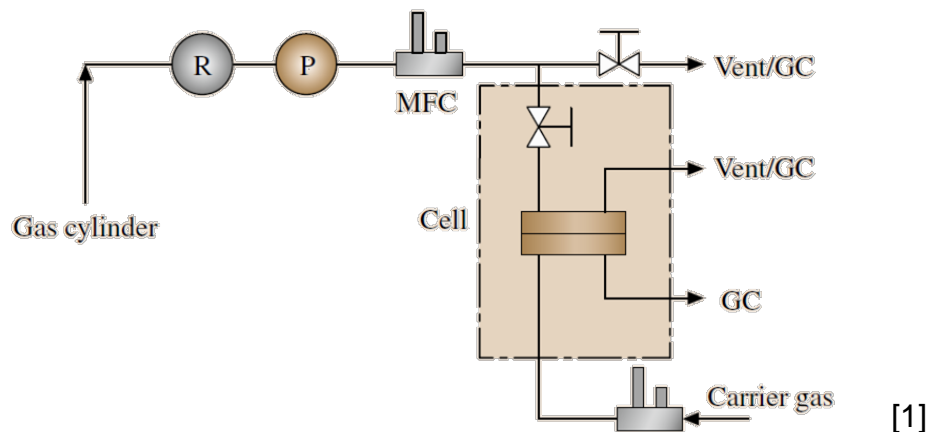


- Constant volume – variable pressure



*pure gas*

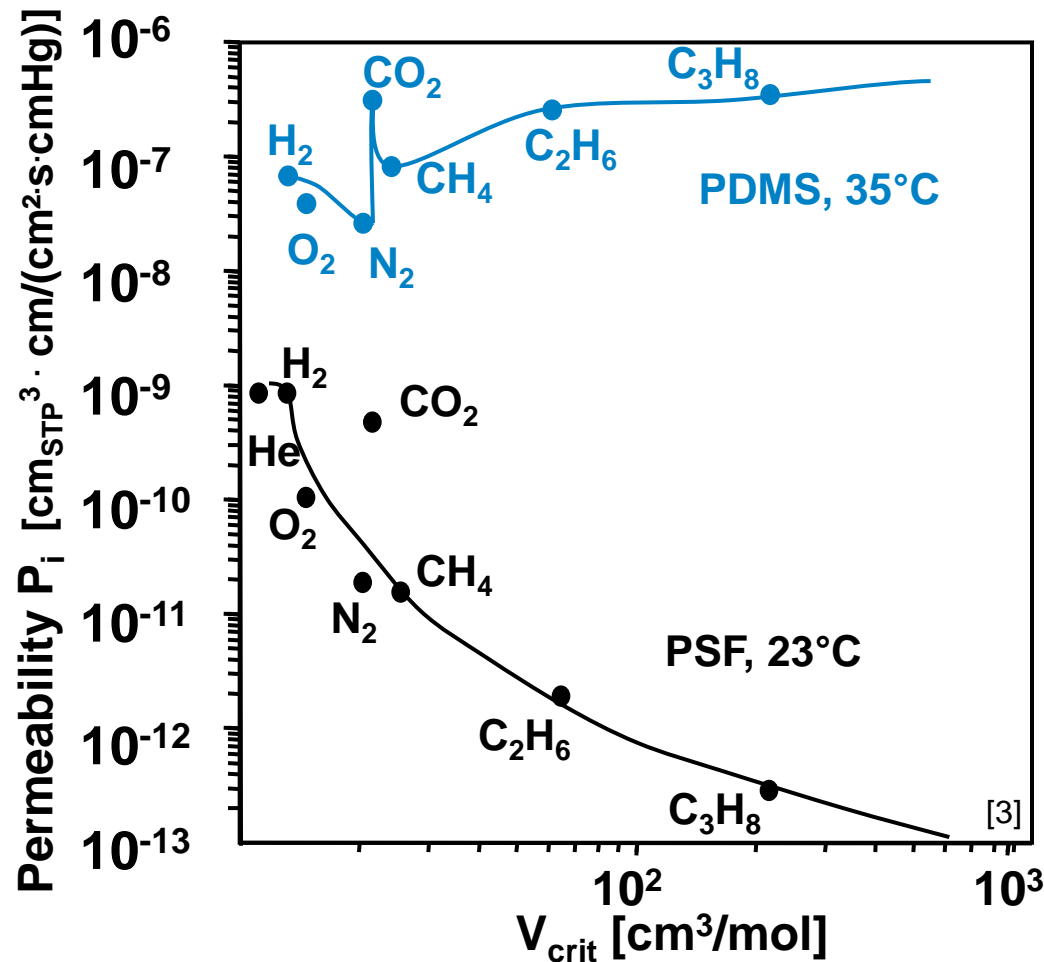
- Gas chromatograph



*mixed gas*

- Materials & separation mechanisms
- Parameters describing the transport properties
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- Materials
- Molecular properties
- Process parameters



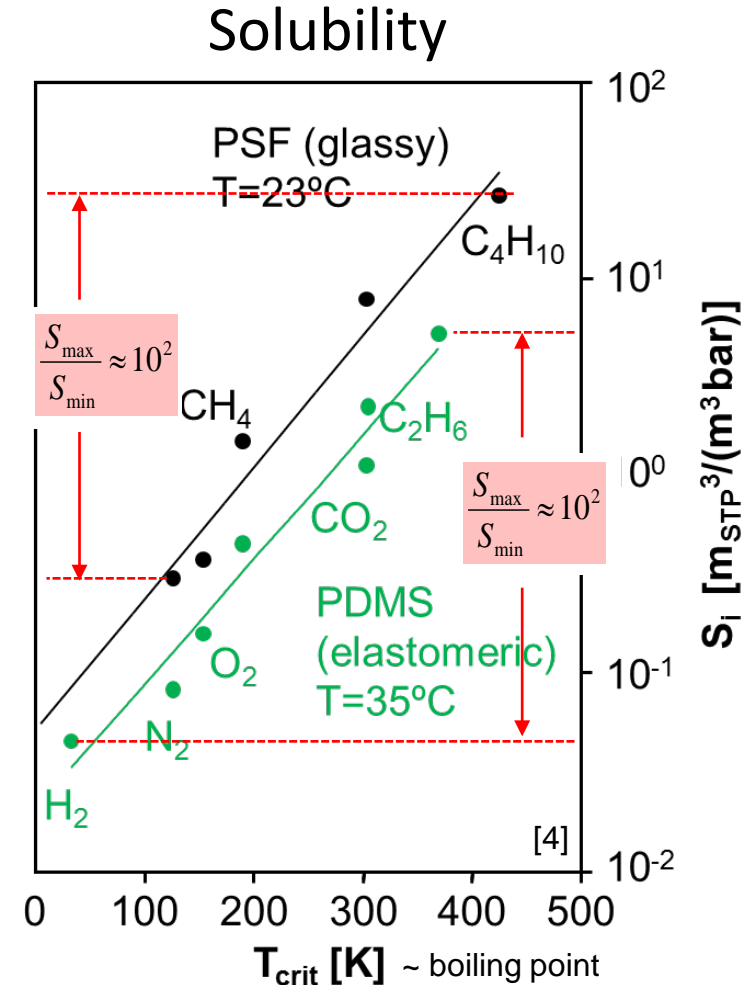
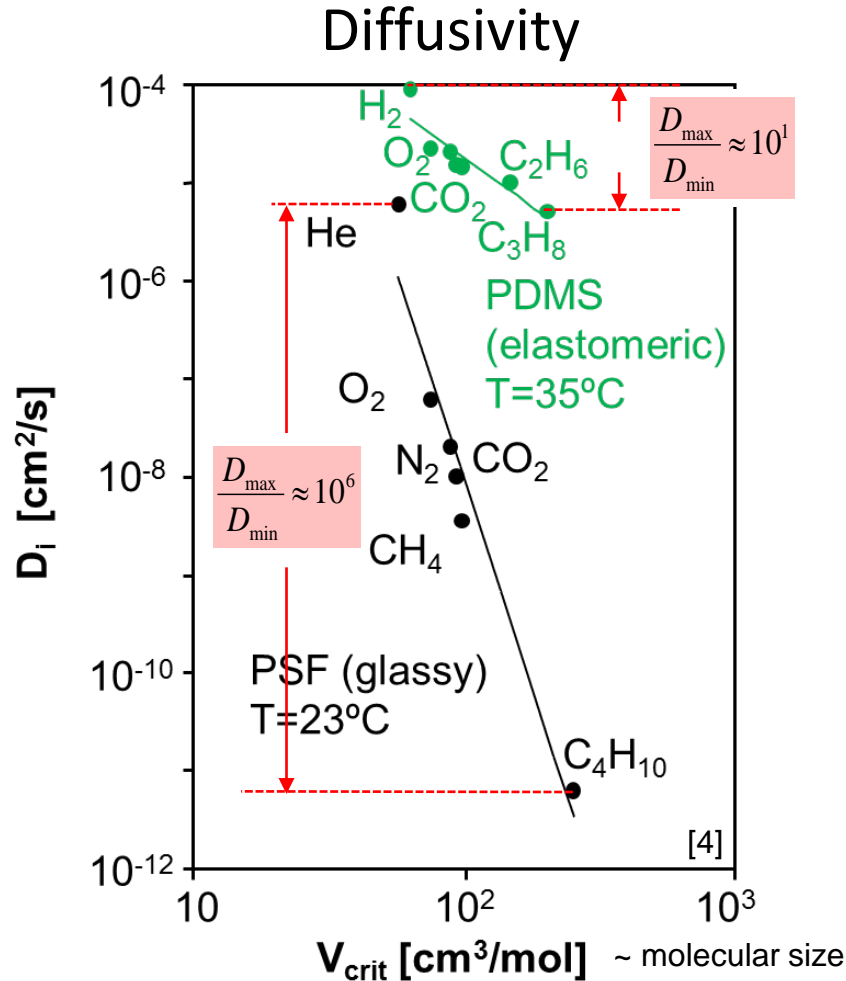
rubbery ( $T > T_g$ )  
selective for vapours  
-> solvent recovery

$$P_{\text{rubbery}} > P_{\text{glassy}}$$

glassy membranes ( $T < T_g$ )  
selective for permanent gases  
-> separation of N<sub>2</sub>/O<sub>2</sub>, CH<sub>4</sub>/CO<sub>2</sub>

$T_g$  - glass transition temperature

# Diffusivity vs. Solubility



→ small molecules diffuse faster

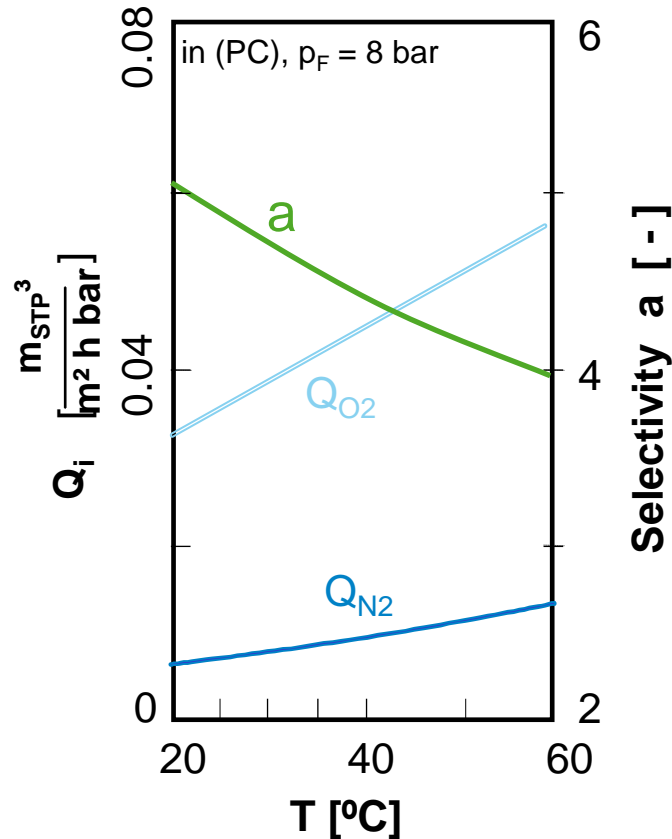
→ condensable gases are more soluble



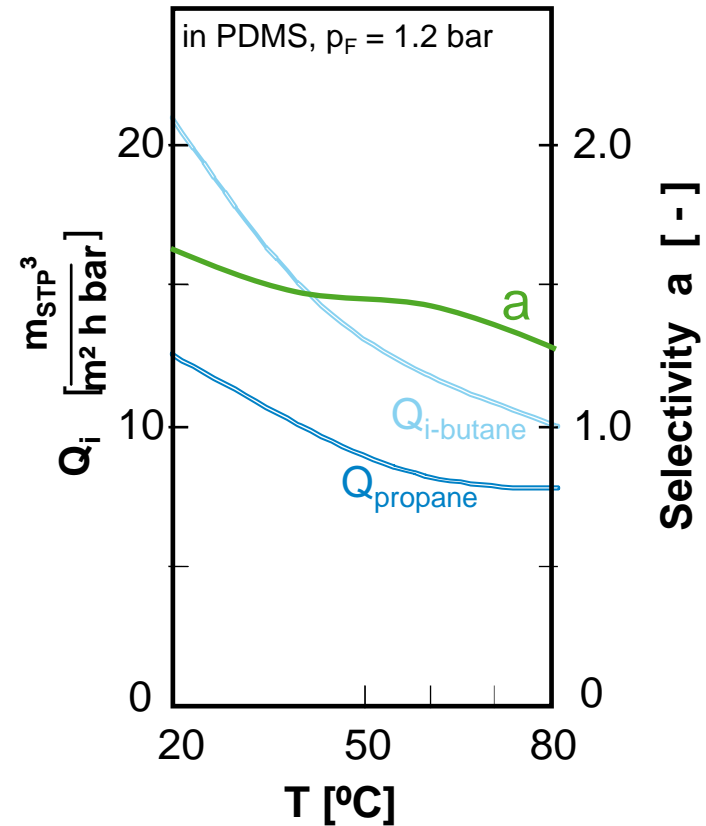
- glassy polymers ( $T_{\text{Process}} < T_g$ )
  - high influence of molecular size on diffusion coefficient
  - diffusivity determines selectivity
  - typical applications:  $\text{N}_2/\text{O}_2$ -separation,  $\text{CH}_4/\text{CO}_2$ -separation
  
- rubbery polymers ( $T_{\text{Process}} > T_g$ )
  - $D_{\text{rubbery}}/D_{\text{glassy}}$ : 100-100000
  - solubility determines the selectivity
  - typical applications: solvent recovery from off-gas

# Permeability - operating temperature

## permanent gases



## vapors



$T \uparrow = \text{selectivity} \downarrow$

# Permeability - operating pressure

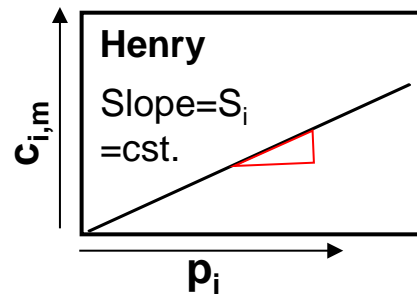
## Absolute pressure

- membrane compaction (mechanically):
  - $p_i \uparrow \rightarrow D_i \downarrow \rightarrow Q_i \downarrow$

## Partial pressure

- sorption

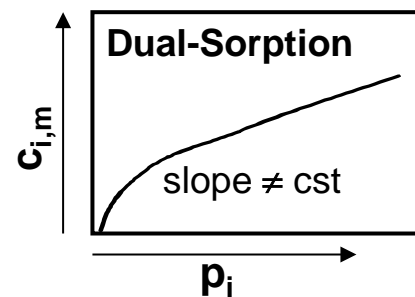
### Ideal gas



no pressure dependence

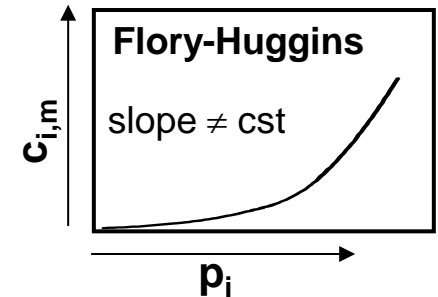
### Real gas

#### glassy



$p_i \uparrow \rightarrow S_i \downarrow \rightarrow Q_i \downarrow$

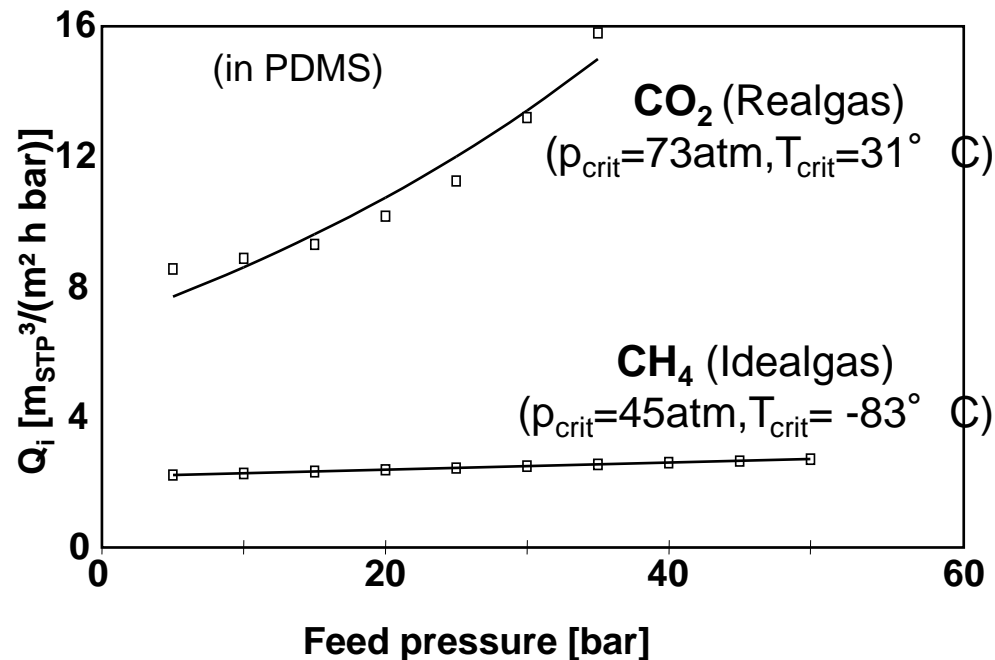
#### rubbery



$p_i \uparrow \rightarrow S_i \uparrow \rightarrow Q_i \uparrow$

- membrane swelling (plasticization):

- $p_i \uparrow \rightarrow D_i \uparrow \rightarrow Q_i \uparrow$

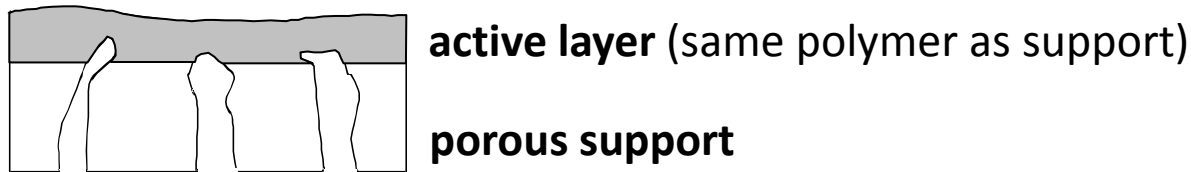


- mixed gas selectivity is often far below pure gas performance

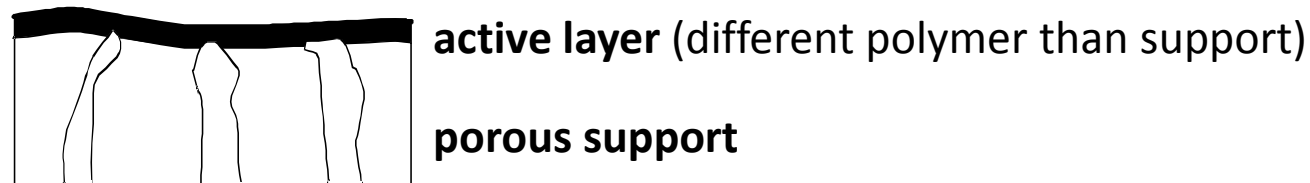
$$S_{\text{mixed}} < S_{\text{pure}}$$

- Materials & separation mechanisms
- Parameters describing the transport properties
- **Membranes & modules**
- Plant design
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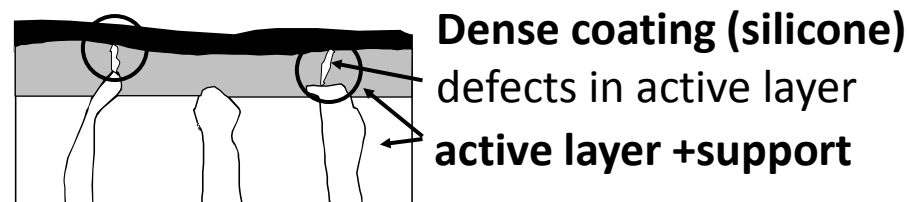
## Loeb-Sourirajan membrane:



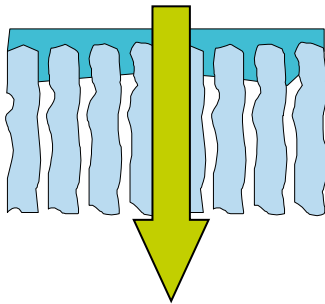
## Ward-Riley composite membrane:



## coated Loeb-Sourirajan membrane:

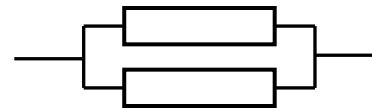
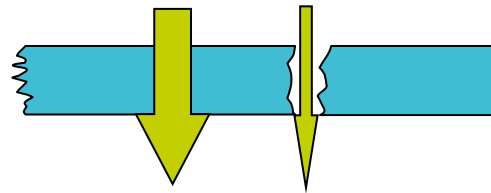


## Serial Resistance

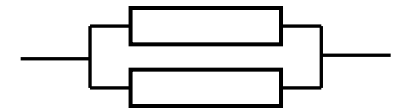
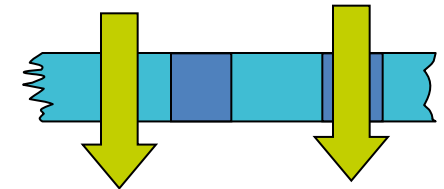


$$R_{tot} = R_{AL} + R_{Supp}$$

## Parallel Resistance



$$\frac{1}{R_{tot}} = \frac{1}{R_{AL}} + \frac{1}{R_{pin\ hole}}$$



# Membrane resistance in GP

- Analogy between electrical current and flux

Flux

$$Q_i = \frac{P_i A \Delta c_i}{l}$$

$$Q_i = \frac{\Delta c_i}{R_i}$$

Current

$$I = \frac{U}{R}$$



with

$$R_i = \frac{l}{P_i A}$$



# Membrane resistance in GP

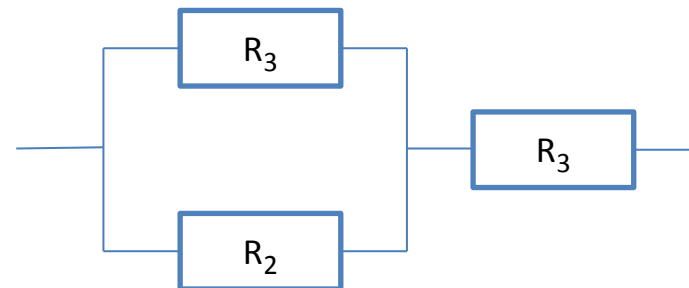
Total resistance

$$R_t = \frac{R_2 R_3}{R_2 + R_3} + R_4$$

$R_2$ : Dense membrane

$R_3$ : Pore resistance

$R_4$ : Porous matrix



# Membrane resistance in GP

Total resistance

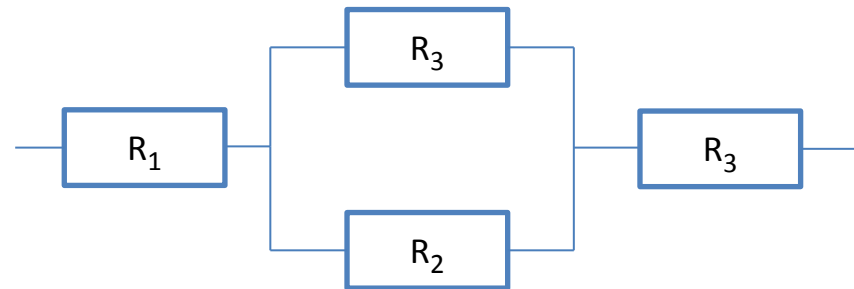
$$R_t = R_1 + \frac{R_2 R_3}{R_2 + R_3} + \underbrace{R_4}_{\approx 0}$$

$R_1$ : Dense Coating

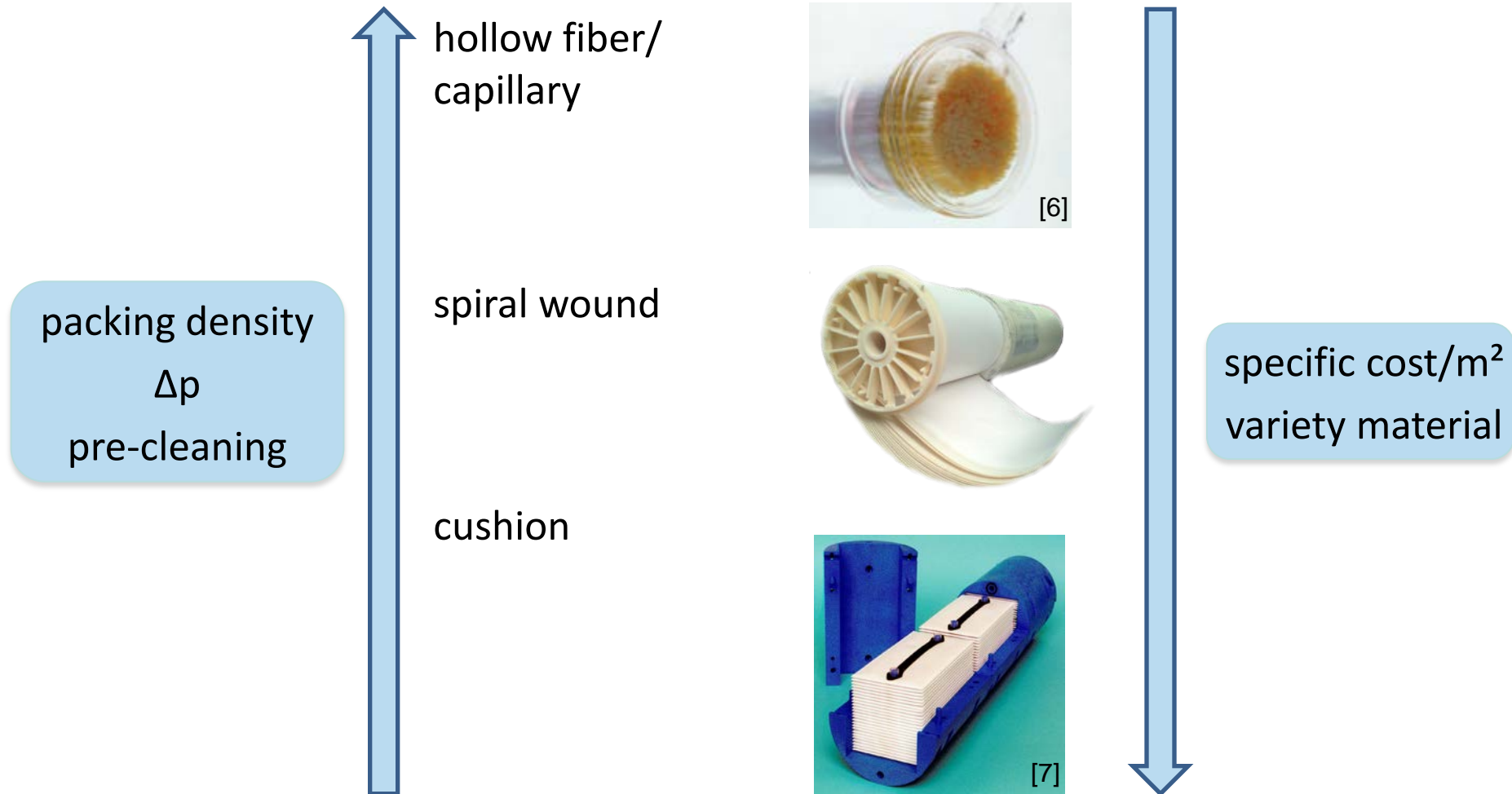
$R_2$ : Dense membrane

$R_3$ : Dense Coating in pores

$R_4$ : Porous matrix



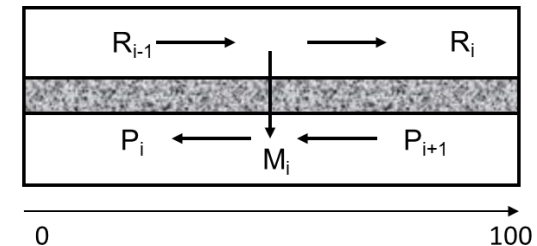
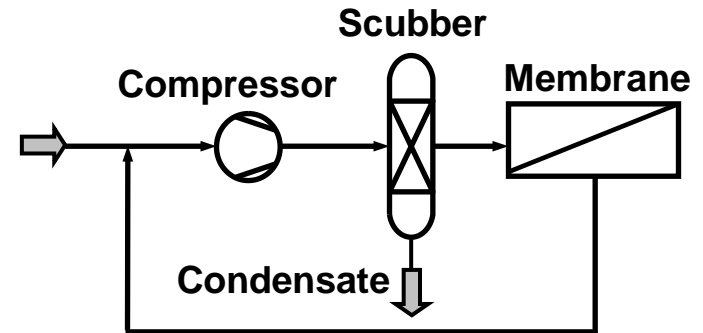
- high packing density
- small pressure loss (especially when operating with vacuum)
- mechanical, thermal, chemical stability
- economic production



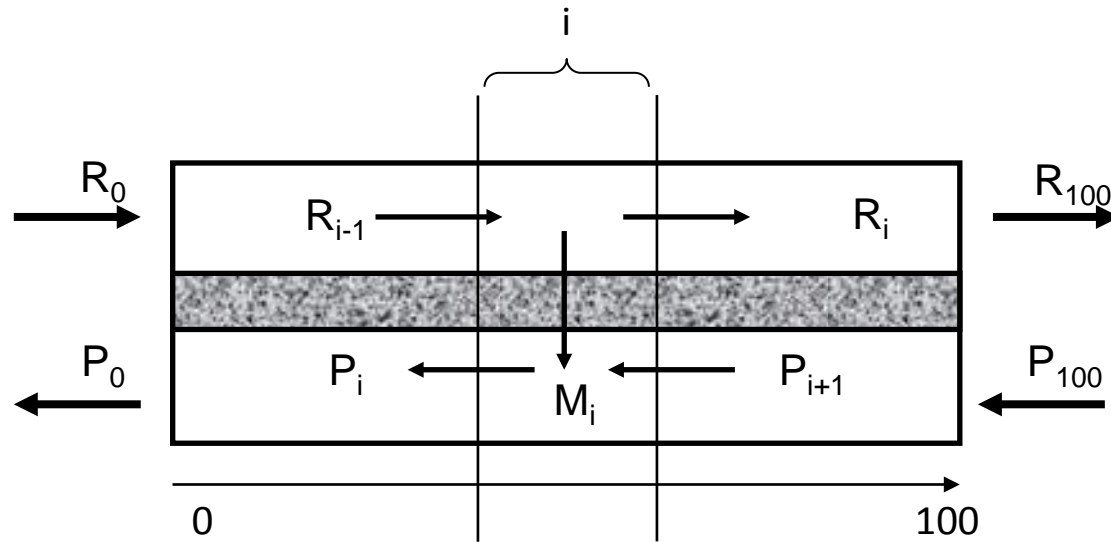
- Materials & separation mechanisms
- Parameters describing the transport properties
- Membranes & modules
- Plant design
  - Local mass transfer
  - Module performance
- Applications
- Future directions
- Conclusion

***Complete process-modelling  
(e.g. AspenPlus®, Pro2, etc.)***

***„Stand-alone“-calculation of module  
performance (e.g. Fortran, C++, Matlab, etc.)***

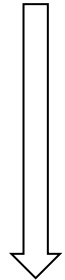


**Model for local  
mass transport**



- Multiple component system:  
numerical solution for differential equations
- Two component system:  
analytical solution

- Starting with the linear mass transfer equation...  $\dot{n}_i'' = Q_i(x_i p_F - y_i p_P)$



...using following assumptions...

1. no concentration polarisation
2. no pressure drop in porous support layer
3. “unhindered” permeate flow (no influence of the flow pattern)

$$y_i = \frac{\dot{n}_i''}{\dot{n}_i'' + \dot{n}_j''}$$

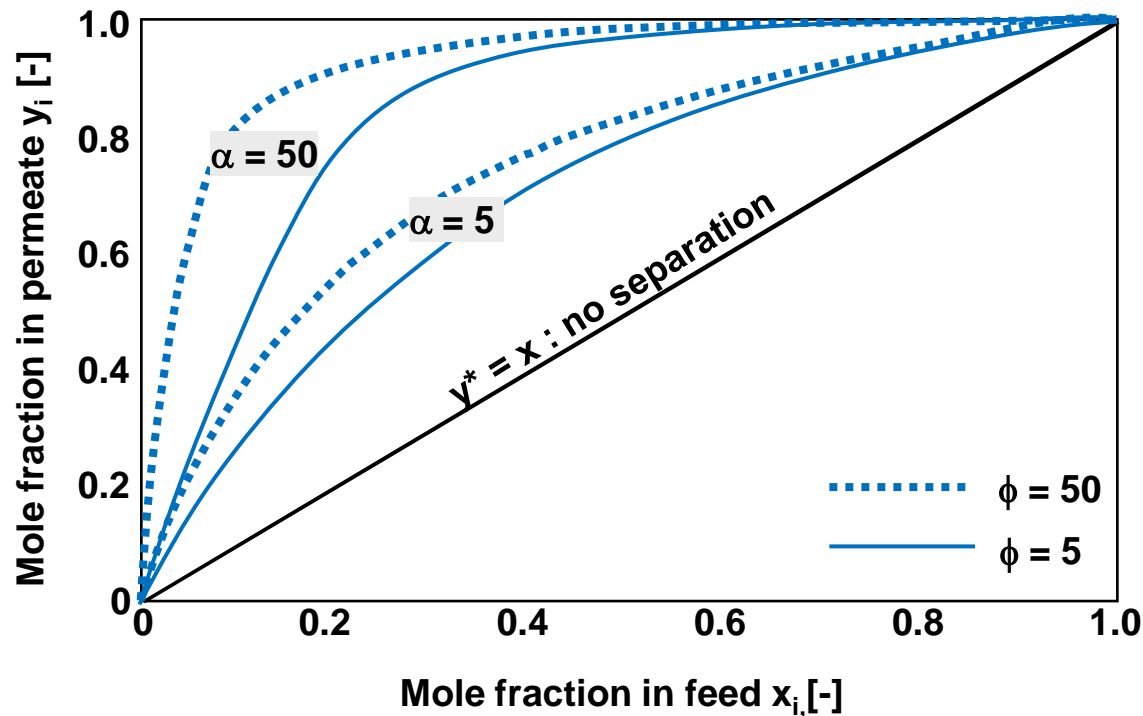
...yields the local permeate composition of a **binary mixture**

$$y_i = \frac{\alpha(x_i \phi - y_i)}{\alpha(x_i \phi - y_i) + (1 - x_i)\phi - (1 - y_i)} = f(x_i, \alpha, \phi)$$

- $\phi = p_{Feed} / p_{Permeate} = \text{pressure ratio} > 1$
- $\alpha = \text{ideal separation factor} > 1$
- $x_i, y_i$  are the mole fractions of the faster permeating species in the feed and permeate

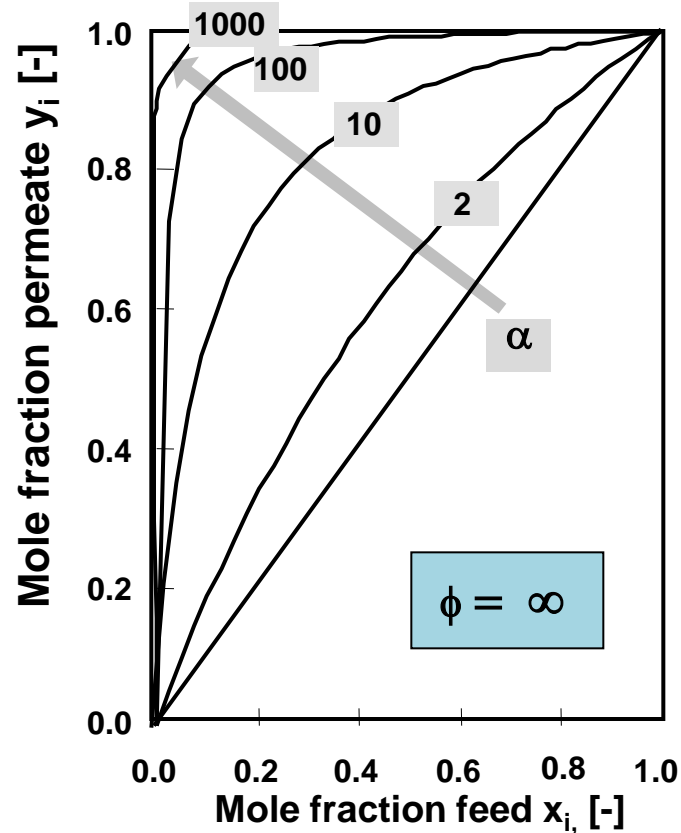


$$y_i = \frac{1}{2} \left( 1 + \phi \left( x_i + \frac{1}{\alpha - 1} \right) \right) - \sqrt{\left[ \frac{1}{2} \left( 1 + \phi \left( x_i + \frac{1}{\alpha - 1} \right) \right) \right]^2 - \frac{\alpha \cdot \phi \cdot x_i}{\alpha - 1}}$$



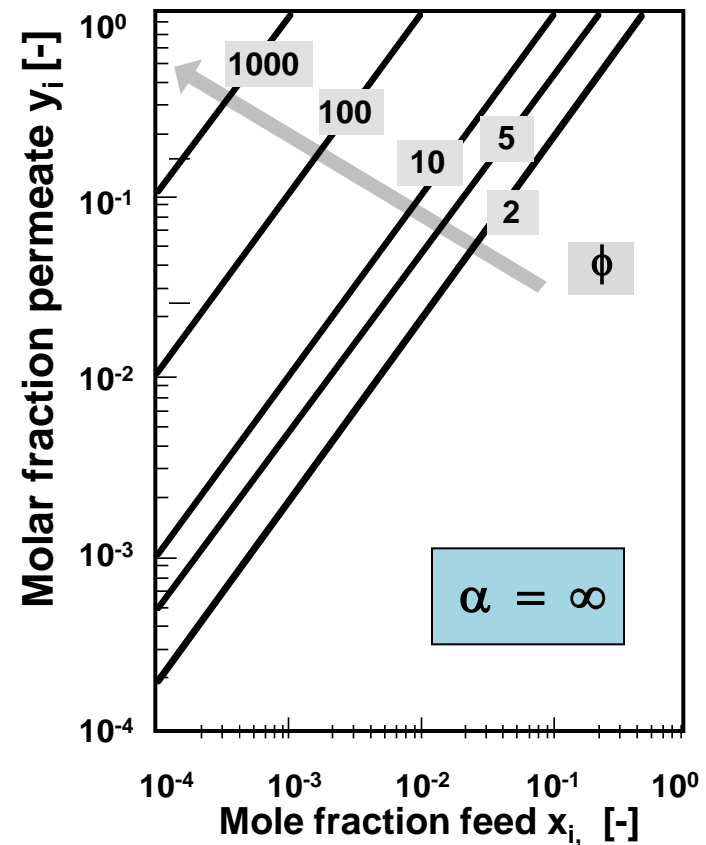
pressure ratio  $\Phi \uparrow$   
selectivity  $\alpha \uparrow$  } separation  $\uparrow$

## infinite driving force

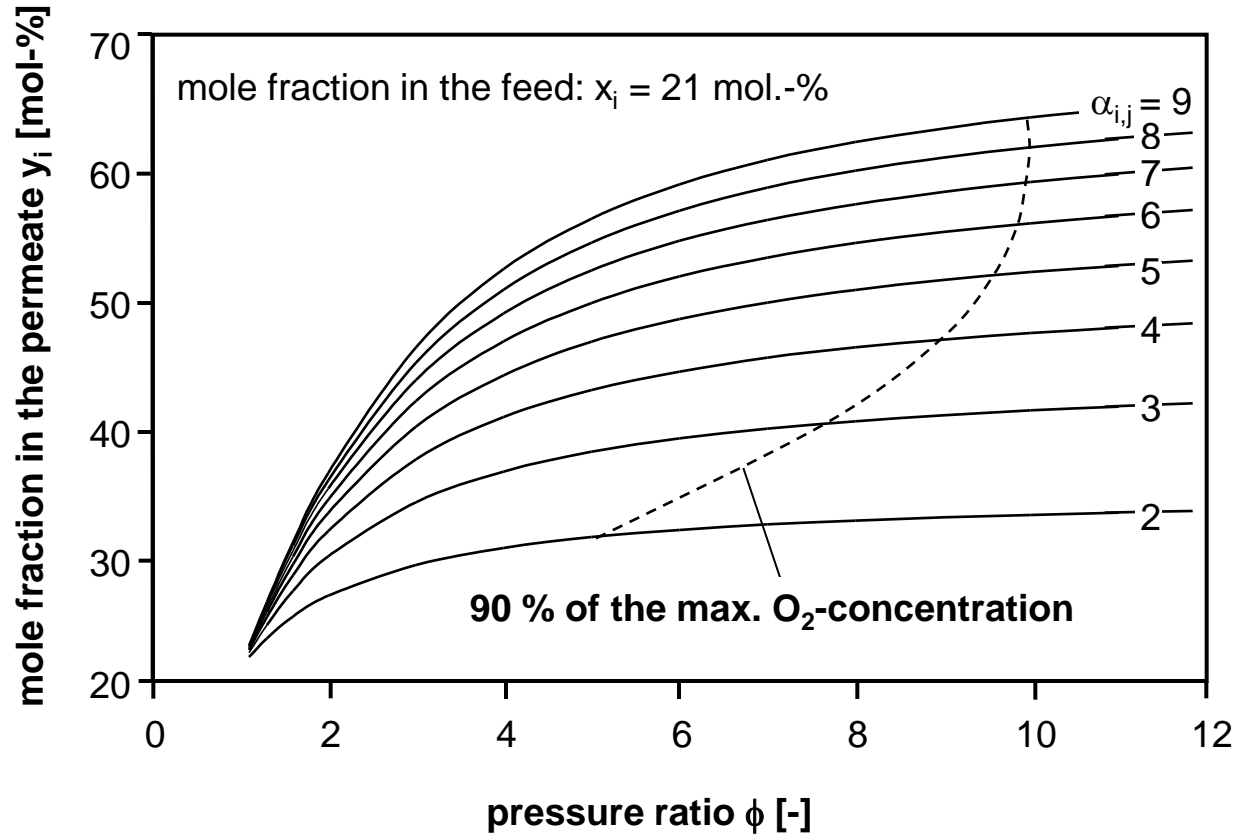


$$\phi \rightarrow \infty: \quad y_i = \frac{\alpha \cdot x_i}{(1 - x_i + \alpha \cdot x_i)}$$

## infinite selectivity

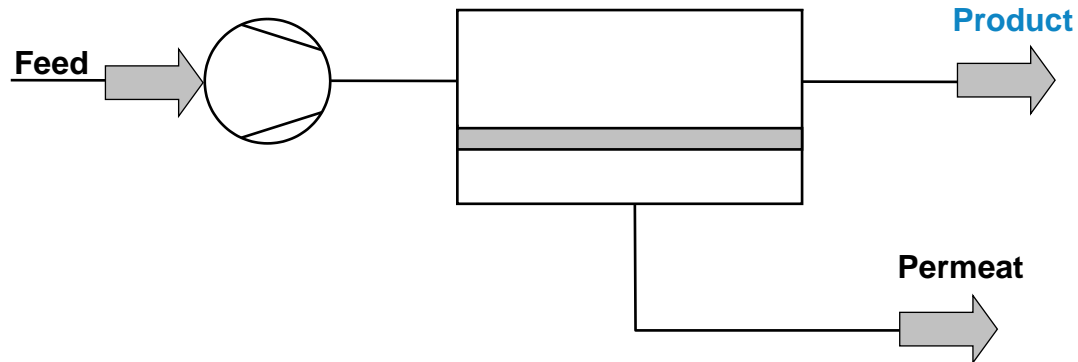


$$\alpha \rightarrow \infty: \quad y_i = \phi \cdot x_i$$

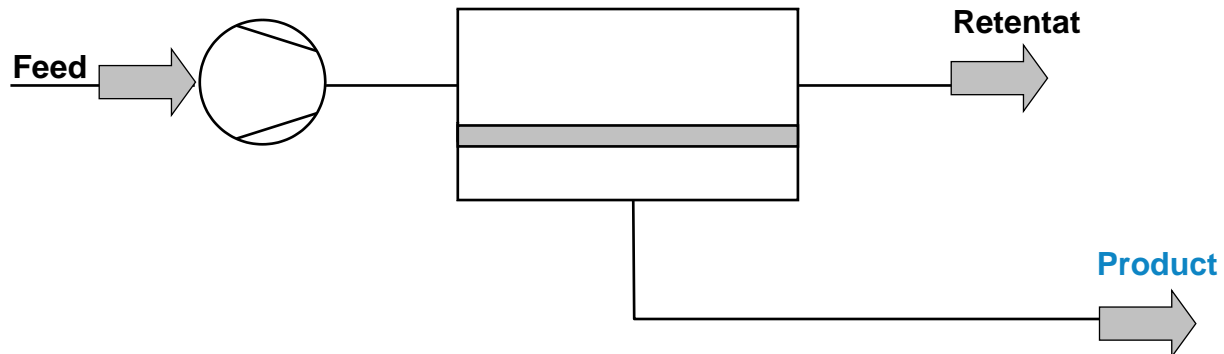


- Rule of thumb for optimized operation:  $\phi \approx \alpha$

## Product in the retentate



## Product in the permeate

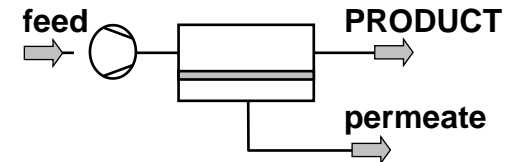


# Good to know...

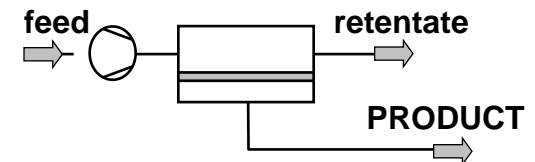
- Is the **product** in the **retentate**...  
...any purity  $x_{Ret}$  can be achieved with a single stage unit!

However...

- Risk of poor product recovery  $\eta = \dot{n}_{i,Ret} / \dot{n}_{i,Feed}$   
 $A_{mem} \rightarrow \infty \rightarrow \text{product stream} \rightarrow 0 \rightarrow \text{recovery } \eta \rightarrow 0$



- Is the **product** in the **permeate**...  
....purity  $y$  is limited by  $a$  and  $\phi$ !  
  - for high purity  $y$ , normally multi-stage operations are required
  - increased system complexity and energy demand  $\rightarrow$  high costs



- No analytical solution possible → iterative solution

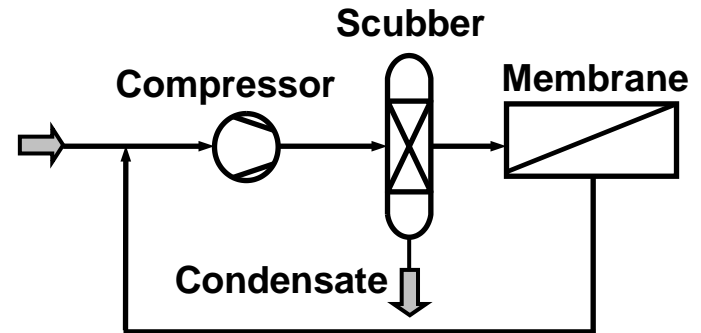
$$1 - \sum_{i=1}^n y_i = 0 \quad \text{with} \quad y_i = \frac{x_i y_1 \frac{Q_i}{Q_1}}{x_1 - y_1 \frac{p_p}{p_f} \left( 1 - \frac{Q_i}{Q_1} \right)}$$

- Simplification by a quasi-binary mixture:  
fast/slowly permeating species are summarized in groups

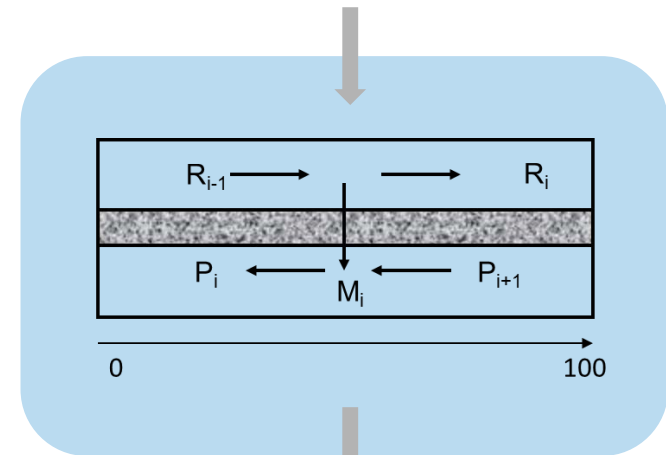
average permeabilities:  $\overline{Q_{12}} = \frac{x_1 Q_1 + x_2 Q_2}{x_1 + x_2} \quad \overline{Q_{34}} = \frac{x_3 Q_3 + x_4 Q_4}{x_3 + x_4}$

for  $Q_1 > Q_2 \gg Q_3 > Q_4$

***Complete process-modelling  
(e.g. AspenPlus®, Pro2, etc.)***



***„Stand-alone“-calculation of module  
performance (e.g. Fortran, C++, Matlab, etc.)***



**Model for local  
mass transport**

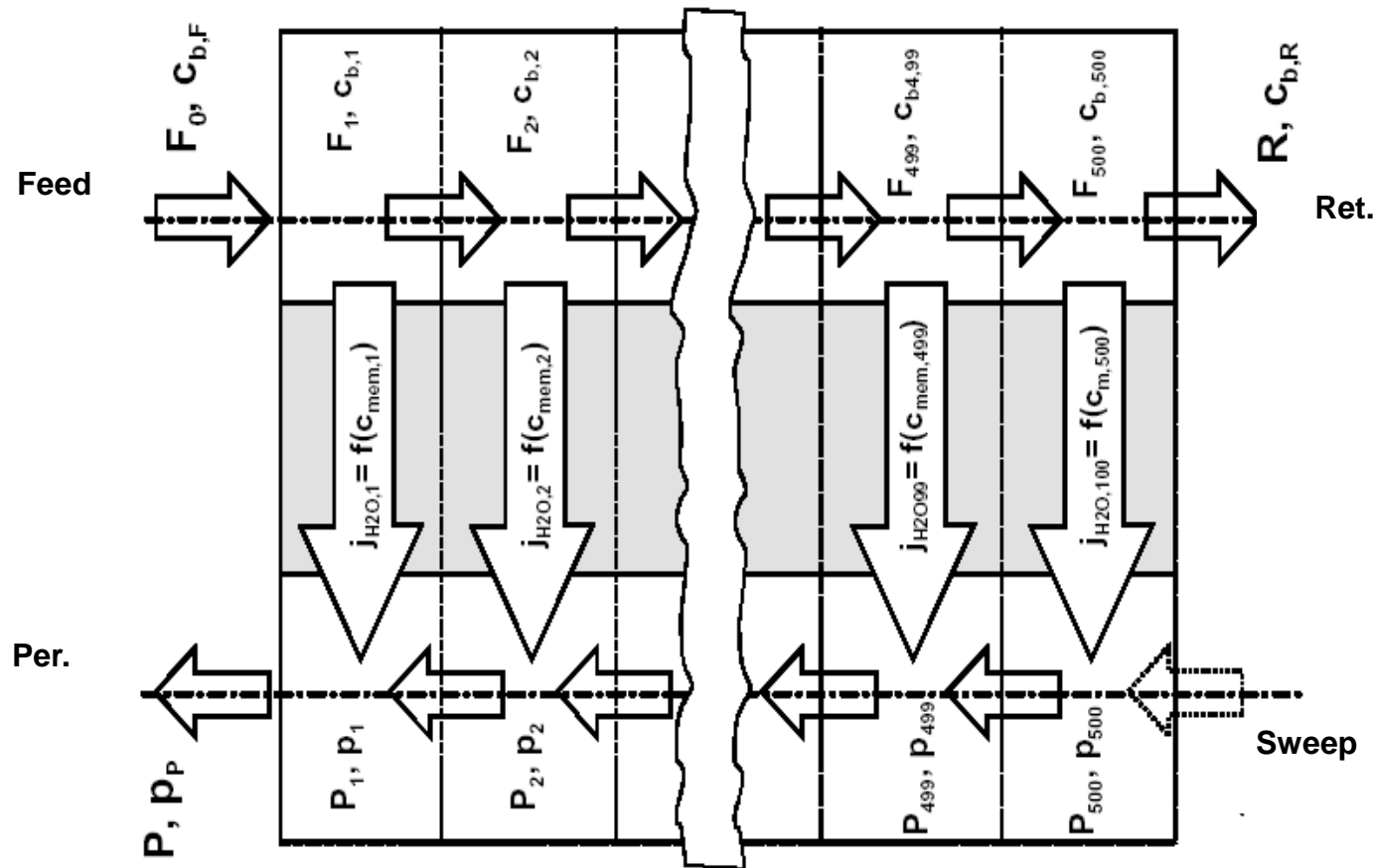
- Designing a module for given process specifications

or

- Calculating the product composition and recovery for a given module



- Numerical solution of differential equations (1D, 2D, 3D)

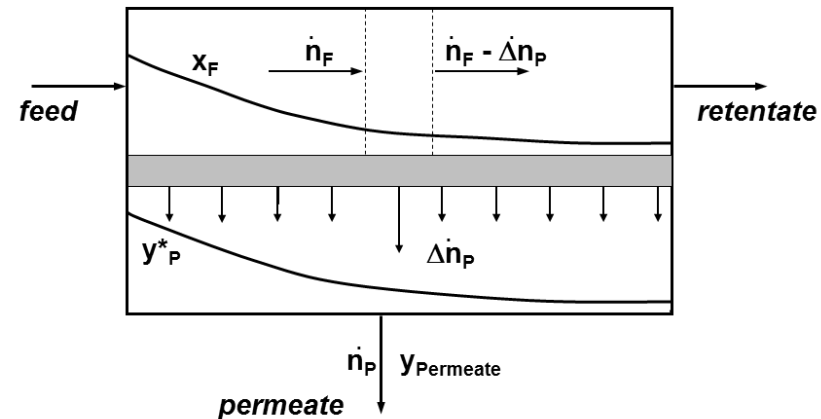


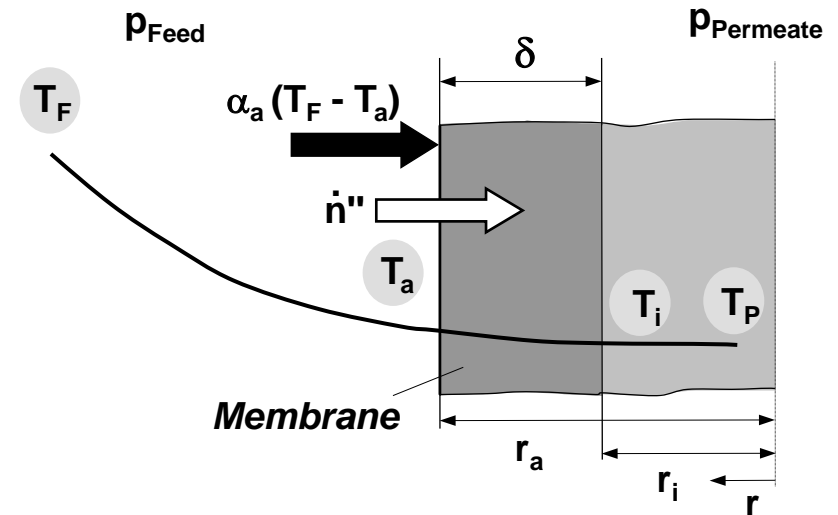
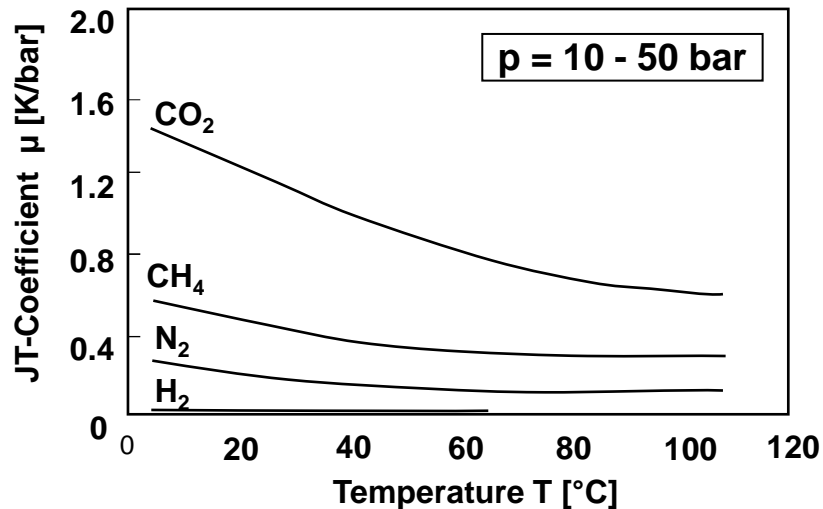
## ■ Information required

- local mass transfer: permeances  $Q_i(T)$  for each species
- flow pattern: co-/counter-current, unhindered permeate
- geometry: feed/permeate channel dimensions

## ■ Encountered difficulties:

- multi-component mixtures
- non-linear concentration/temperature profiles along the membrane
- „non-idealities”
  - polarization effects
  - pressure loss
  - real gas behavior
  - Joule-Thomson effect etc.

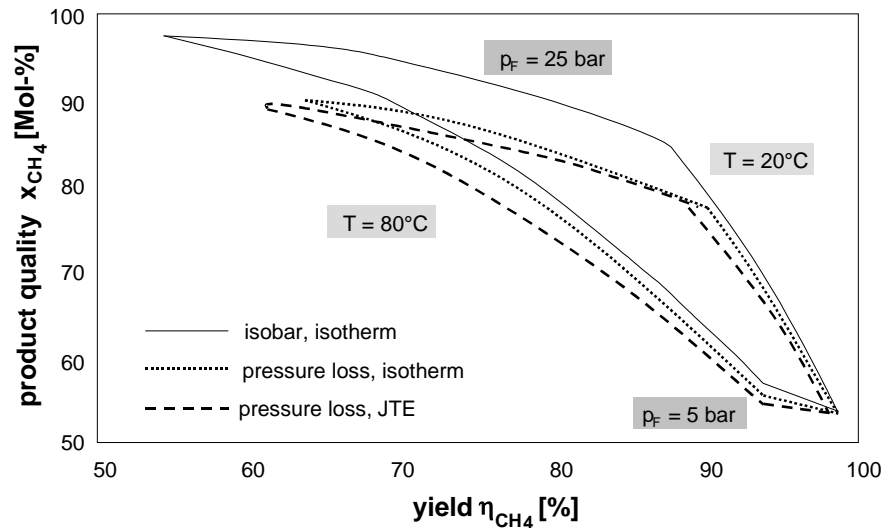




- thermodynamically: permeation = adiabatic expansion
- JT occurs at high  $\Delta p$  for real gases (JT-coefficients significantly above 0)

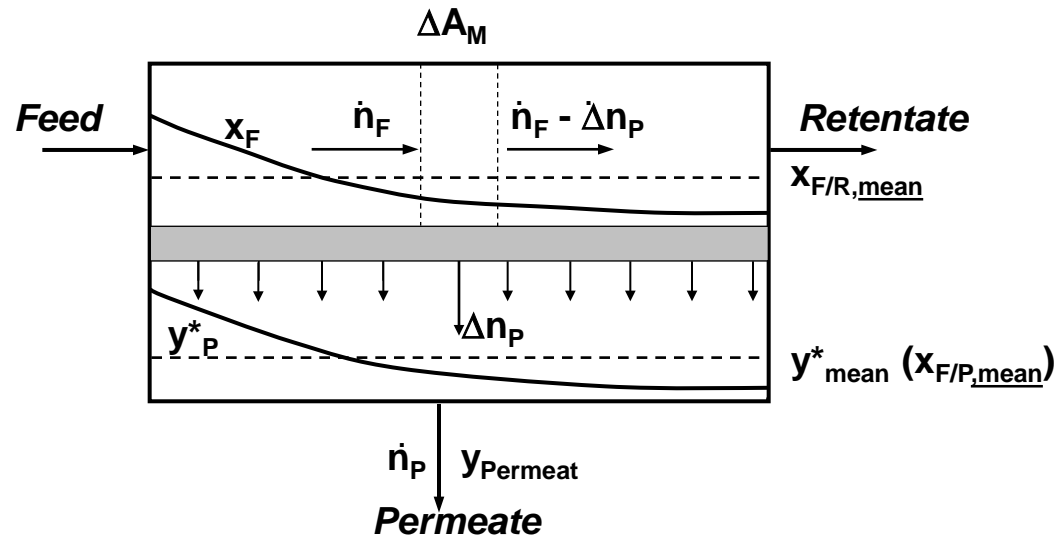
→ locally  $T \downarrow$   $\Rightarrow$  membrane orthogonal T-profile  
 $\Rightarrow$  membrane axial T-profile  
 $\Rightarrow P \downarrow$ , condensation (stability  $\downarrow$ , selectivity  $\downarrow$ )

- JT shows in most cases a lower influence on the separation efficiency than calculating with the right pressure losses.



- JT should be considered, when dealing with...
  - high feed pressures and real gases (e.g.  $CO_2$ )
  - vapors in the feed close to condensation level

- Simplified mean-value method

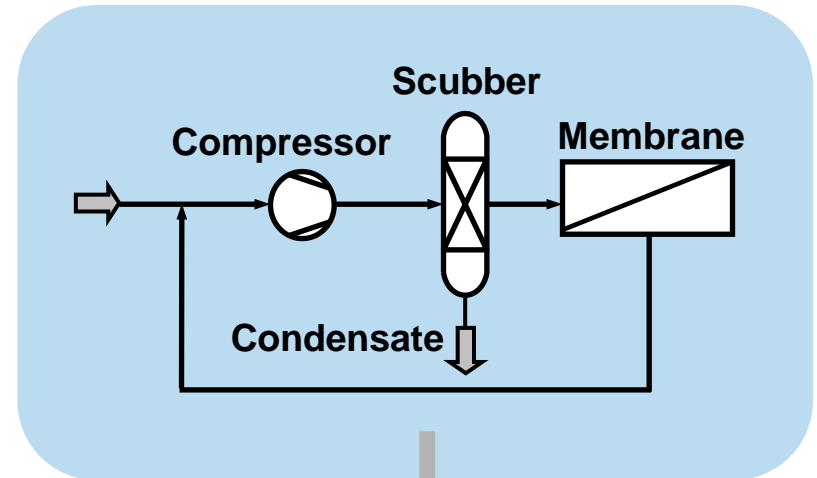


calculation of mole fractions with **mean values**

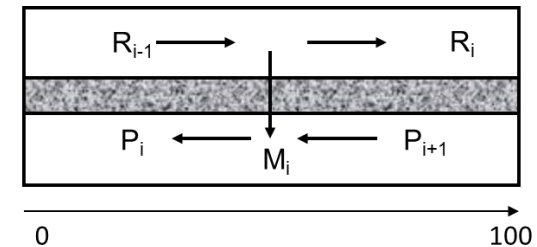
$$y_{mean} = f(x_{f/r,mean}, \Phi, \alpha)$$

➡ Rough estimation of  $A_{mem}$  becomes possible.

***Complete process-modelling  
(e.g. AspenPlus®, Pro2, etc.)***



***„Stand-alone“-calculation of module  
performance (e.g. Fortran, C++, Matlab, etc.)***



**Model for local  
mass transport**

- Materials & separation mechanisms
- Parameters describing the transport properties
- Membranes & modules
- Plant design
- Applications
  - N<sub>2</sub> from ambient air
  - CO<sub>2</sub>-removal
  - H<sub>2</sub>-removal
  - Air dehydration
  - Solvent recovery
- Future directions
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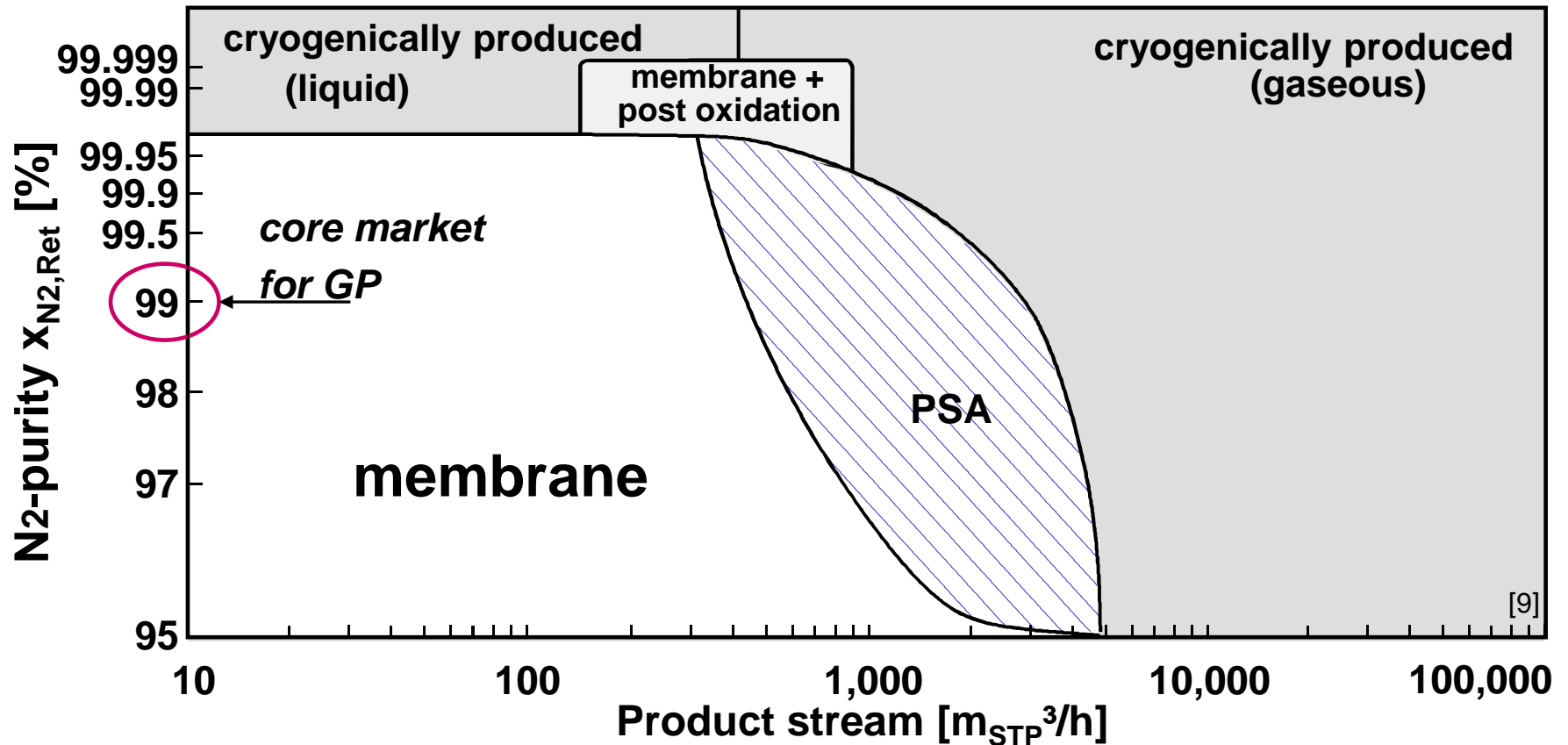
		membrane market (US\$ million)		
GP- market		2000	2010	2020
• N <sub>2</sub> from air		75	100	125
• O <sub>2</sub> from air		<1	10	30
• H <sub>2</sub> -separation		25	60	100
• natural gas		30	90	220
• vapor/N <sub>2</sub>		10	30	60
• vapor/vapor		0	30	125
• other		10	30	100
total		150	350	760

[8]

- 90% of the market
  - implies applications around permanent gases:  
N<sub>2</sub>/O<sub>2</sub>-separation, CO<sub>2</sub>/CH<sub>4</sub>-separation, H<sub>2</sub>-separation from nitrogen, argon or methane
  - is dominated by 8 polymer materials
  
- Companies: Air Products, Air Liquide, Parker, Praxair, Kvaerner, UOP (Honeywell), UBE, MTR, Cynara (NatcoGroup), GKSS licencees

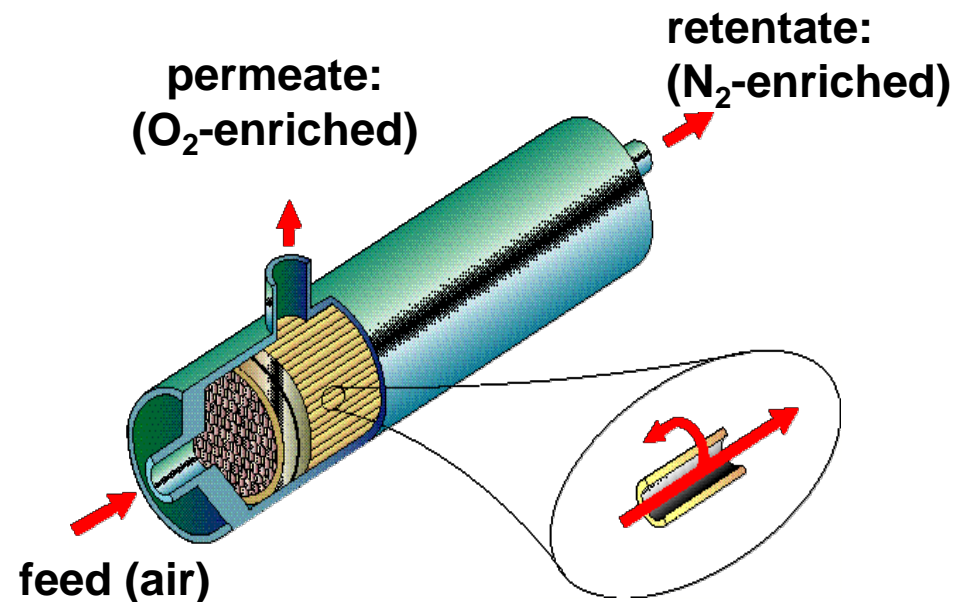
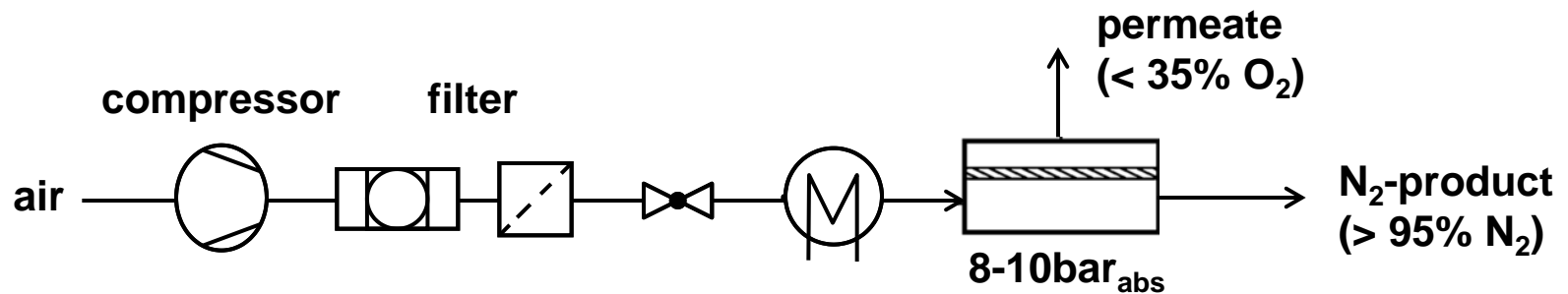


- Materials & separation mechanisms
- Parameters describing the transport properties
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  - Module performance
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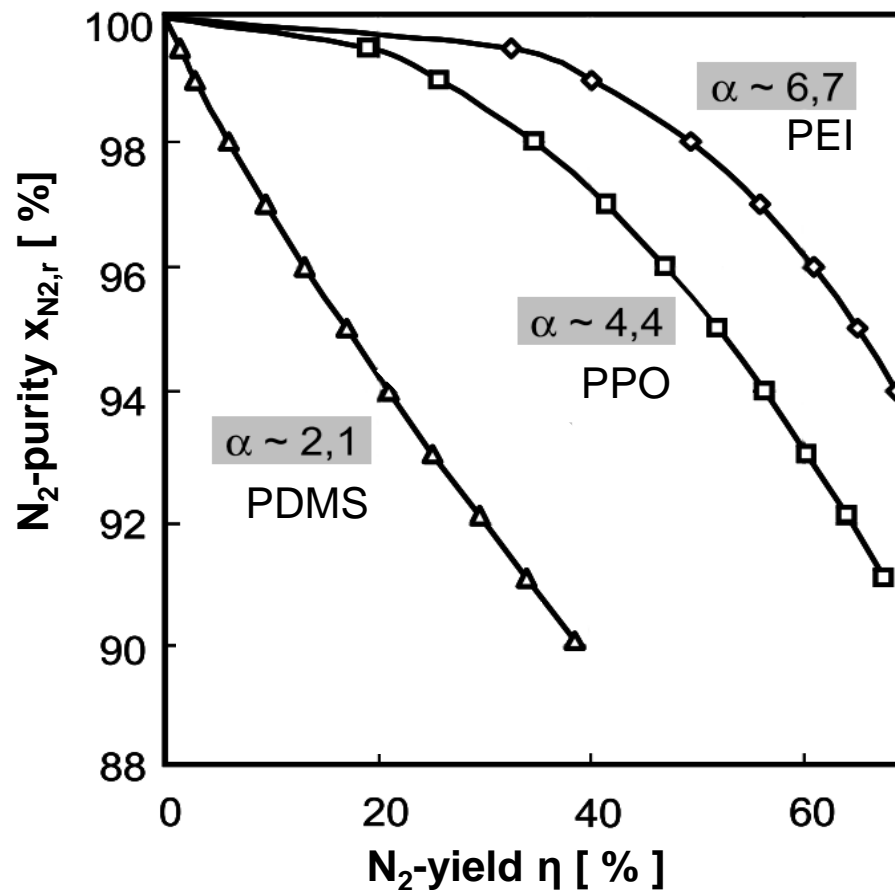
➡ GP is the process of choice for moderate purities and small to intermediate product stream

# Process scheme



# Separation performance: $x_{N_2}(\eta)$

- **N<sub>2</sub>-purity** in the retentate  $x_{N_2,r}$  can be determined as a function of **N<sub>2</sub>-yield**  $\eta$  :
  - $x_{N_2,r} = f(\eta, x_f, \alpha, \phi, A)$



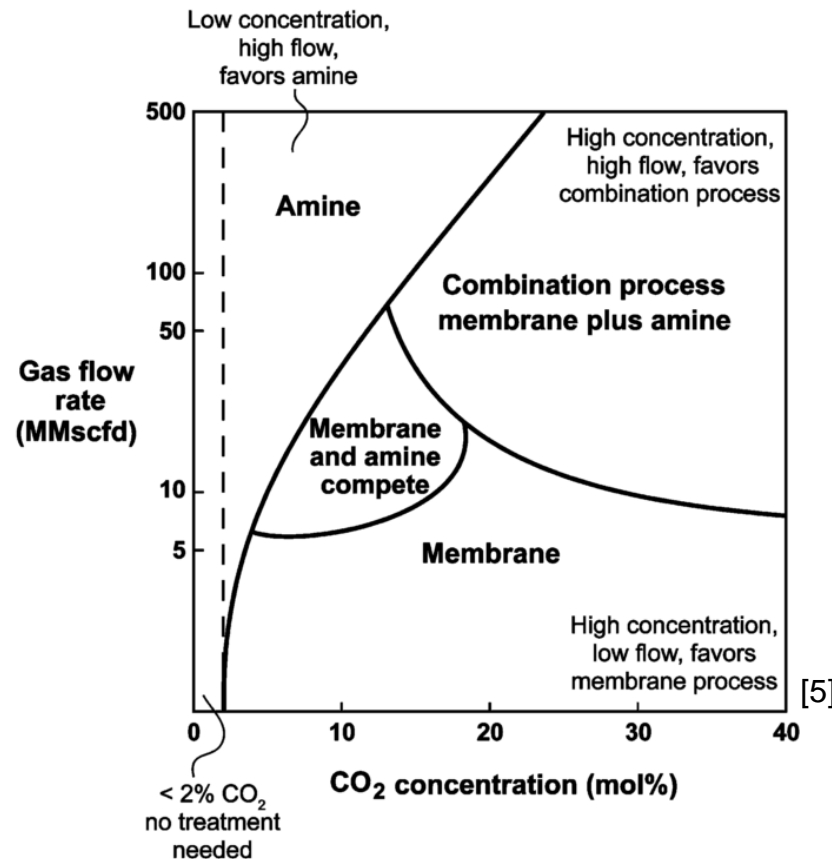
$$\eta = \frac{x_r \dot{n}_r}{x_f \dot{n}_f}$$

# N<sub>2</sub>-enrichment - good to know...

- GP economical for small/intermediate product streams and moderate purities (90...99 %)
- Product is in the retentate: any purity within a single stage
  - $\eta \downarrow$  with low  $\alpha$
  - highly selective membranes:
    - $\eta \uparrow \rightarrow \text{energy demand } (P_{\text{compressor}}) \downarrow$
    - $Q \downarrow \rightarrow A_{\text{mem}} \uparrow$
- investment costs:
  - membrane modules < 20 %
  - compressor  $\approx 70$  %

⇒ for every membrane material, there is an optimal pressure ratio minimizing energy and membrane area

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- **membranes:** CA, PI (glassy polymers with selectivities of 10-20)
- **p<sub>feed</sub>:** 30-60bar
- **modules:** hollow fibres/spiral wound modules

## ■ Selection criterias:

- selectivities and permeances of the membranes
- CO<sub>2</sub> concentration of the gas and the separation required
- value of the gas
- location of the plant (offshore/onshore)



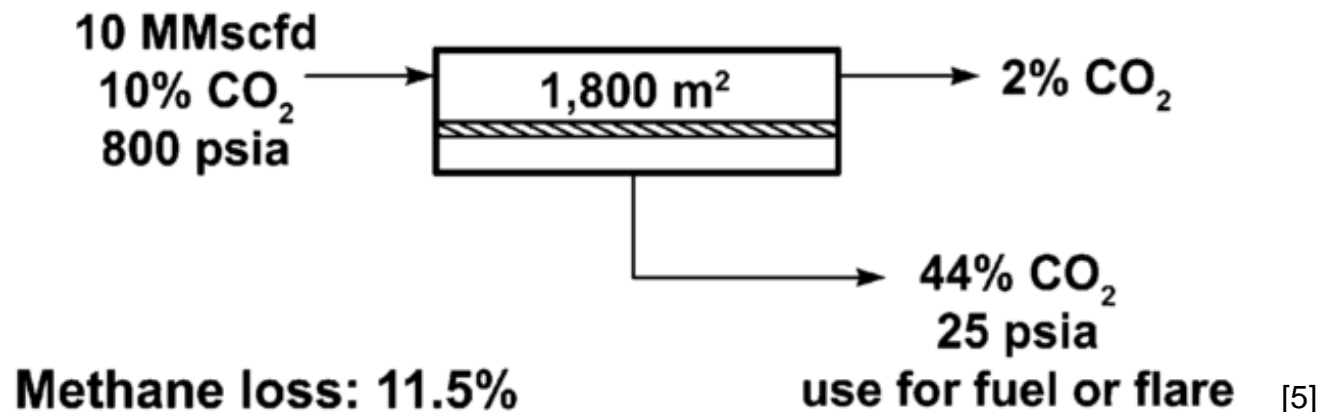
capacity: 10000m<sup>3</sup>/h, depletion of 6% CO<sub>2</sub> in the feed to pipeline standard of 2%



## ■ Single stage plant

1 MMscfd = 1180m<sup>3</sup>/h

1 psia = 0.06895bar



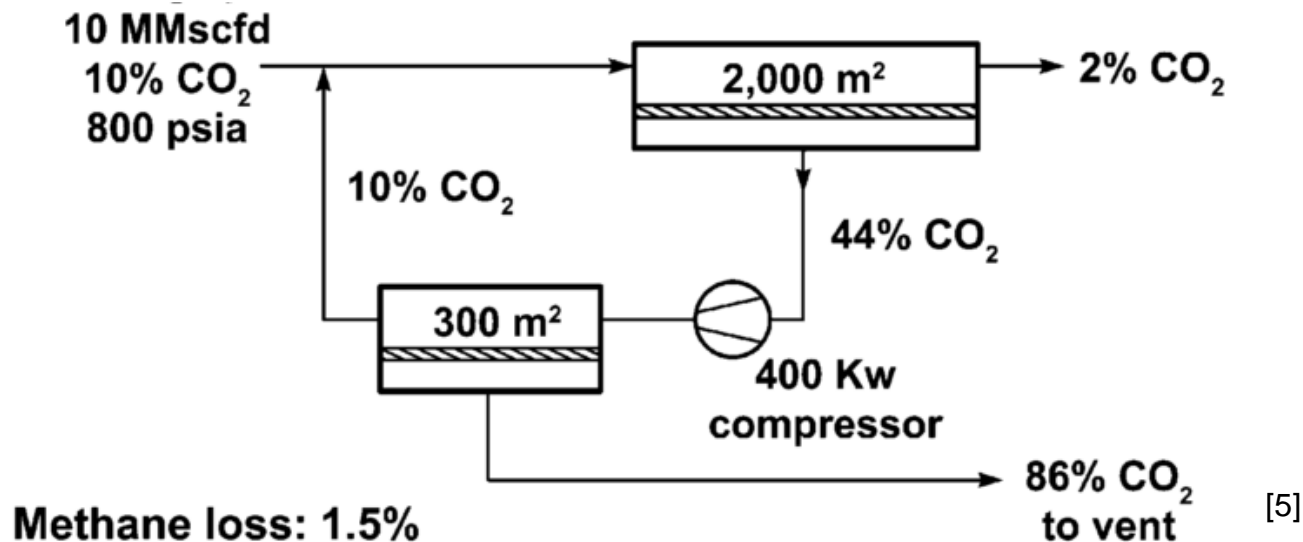
for very small gas flows (<1MMscfd)

+ no rotating parts

- loss of methane

## ■ Multi stage plant

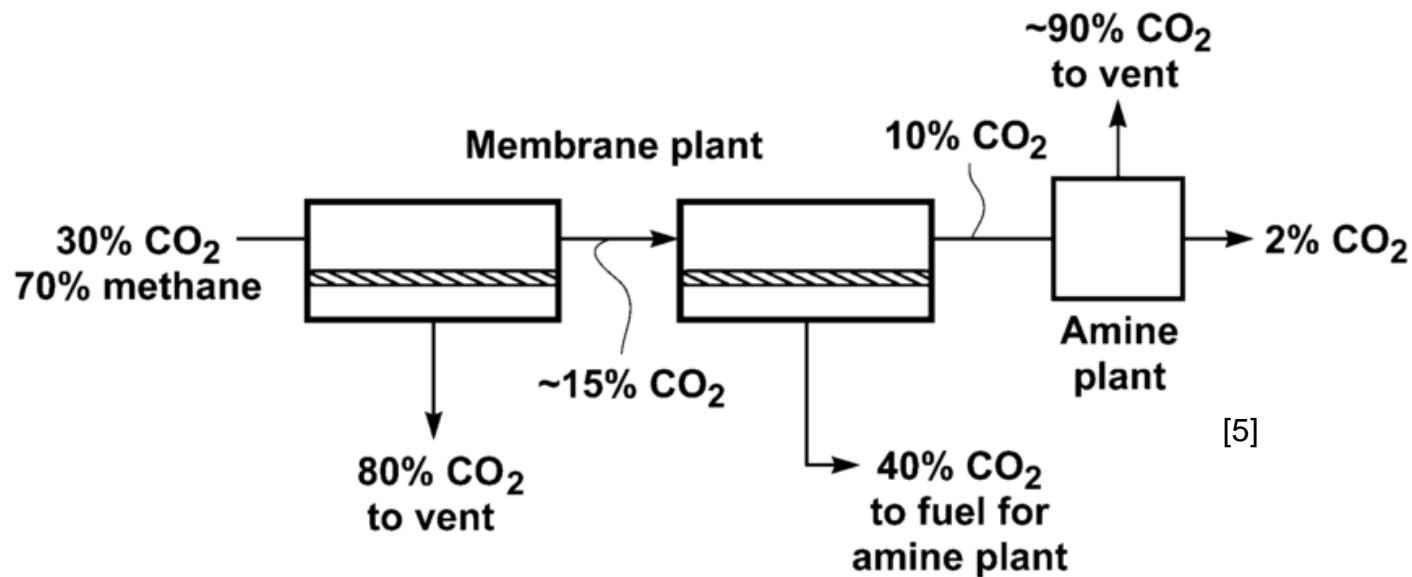
1 MMscfd = 1180m<sup>3</sup>/h  
1 psia = 0.06895bar



higher gas flows  
- increased capital costs  
+ more economic

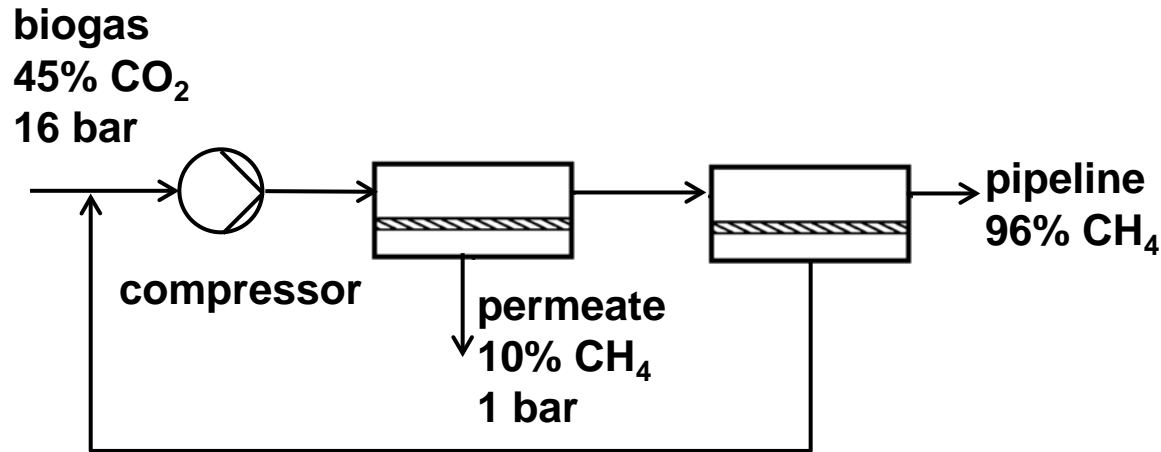
- Hybrid plant

1 MMscfd = 1180m<sup>3</sup>/h  
1 psia = 0.06895bar



- offers a low cost alternative to all-amine / all-membrane systems
- higher complexity → limited to large plants

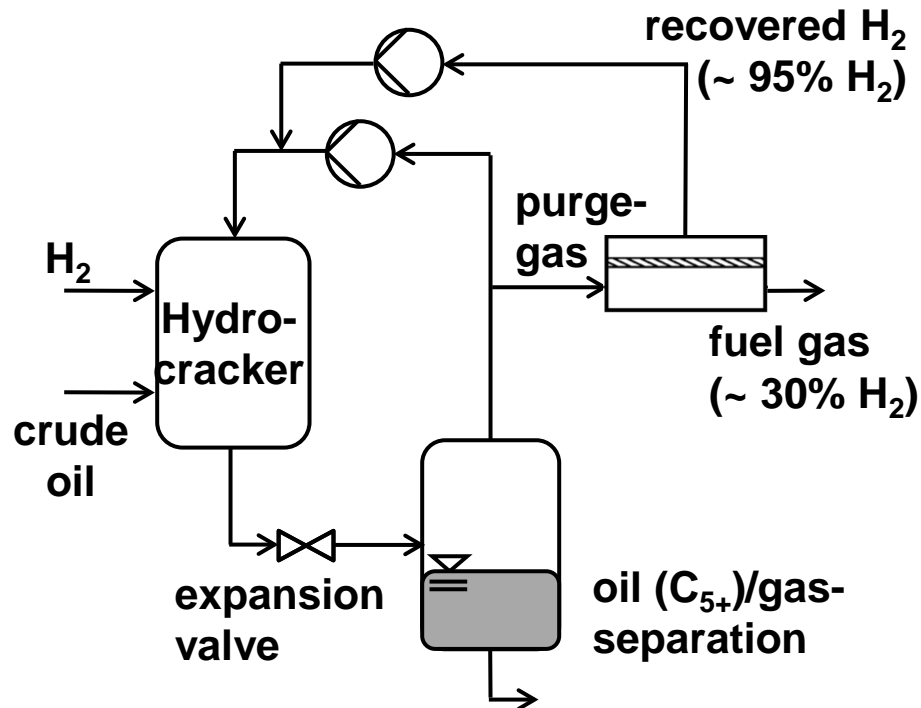
# CO<sub>2</sub>-depletion of biogas



- **landfill gas or sewage gas:**  
usually 2-stage process (permeate of 2nd stage flowing back to global feed)
- **membranes:** polyimide/ polyaramide, (CO<sub>2</sub>/CH<sub>4</sub>-selectivity around 20-25)
- **p<sub>feed</sub>:** 16-20bar
- **methane losses** ~ 10 %

# Overview

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- **without membrane:**  
non-reacted H<sub>2</sub> in purge gas is "lost" (post-combusted)
- **with membrane:**  
H<sub>2</sub> in purge gas is recirculated.

- crude oil-intermediates are contacted with H<sub>2</sub> for cracking (formation of C<sub>5+</sub> favored)
- methane, ethane and propane are byproducts
- purge stream to prevent the accumulation of lighter hydrocarbons
- purge-gas composition: CH<sub>4</sub>, ethane, propane and H<sub>2</sub> (75-80%)

- Other applications of H<sub>2</sub>-membrane plants:
  - synthesis gas treatment to adjust the H<sub>2</sub>/CO ratio  
e.g. for **methanol production** and **oxosynthesis**
  - H<sub>2</sub>-recovery from purge gases at **ammonium- and methanol synthesis**
  - H<sub>2</sub>-recovery from **PSA- or cracker-offgas**

good to know...

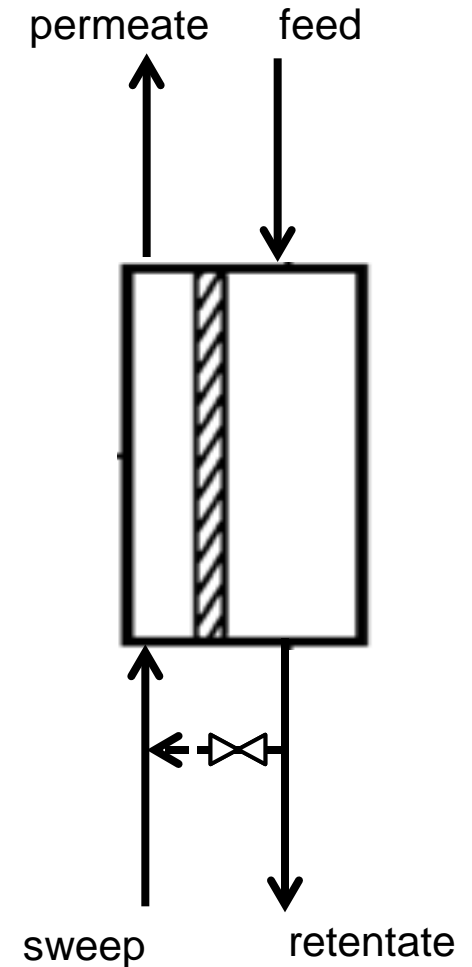
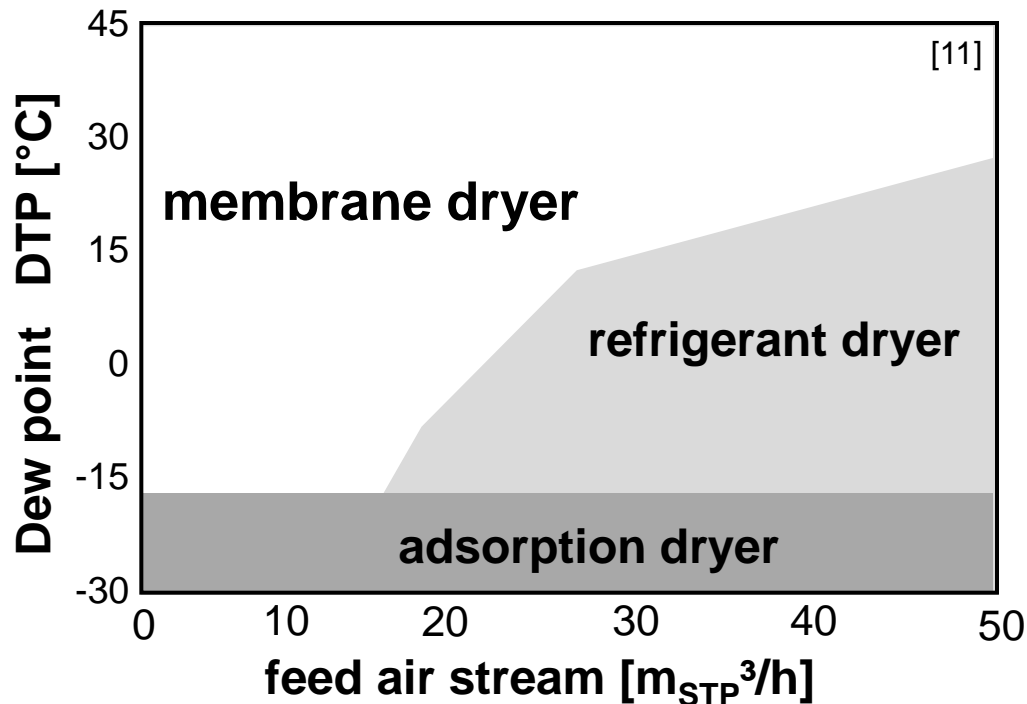
- H<sub>2</sub> is 3 times as valuable recovered than burned
- worldwide, more than 100 H<sub>2</sub>-membrane plants after hydrocrackers are installed.
- main problems:
  - membrane fouling due to condensed hydrocarbons  
→ precaution measures: heating the feed stream (~ 80°C)

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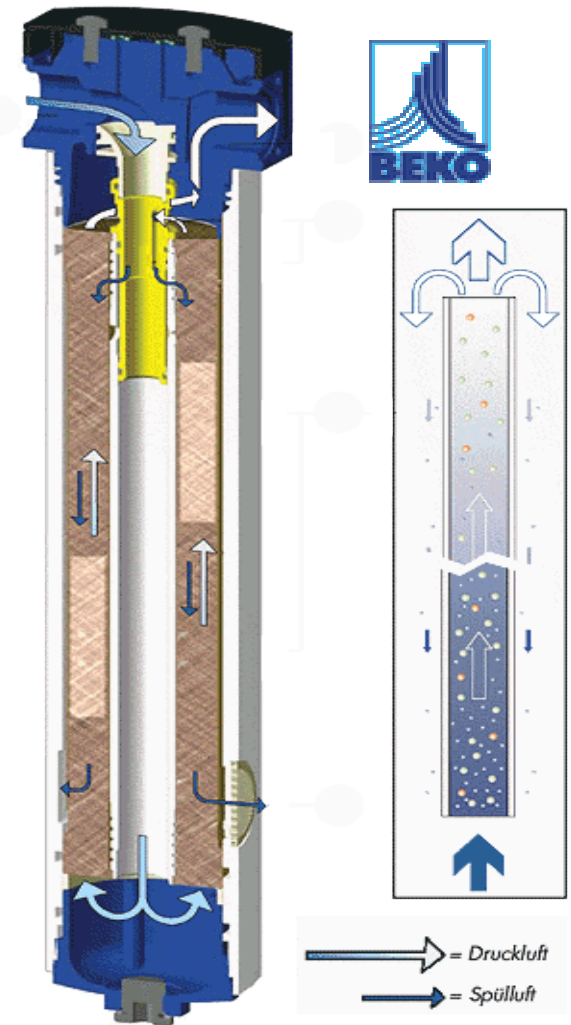
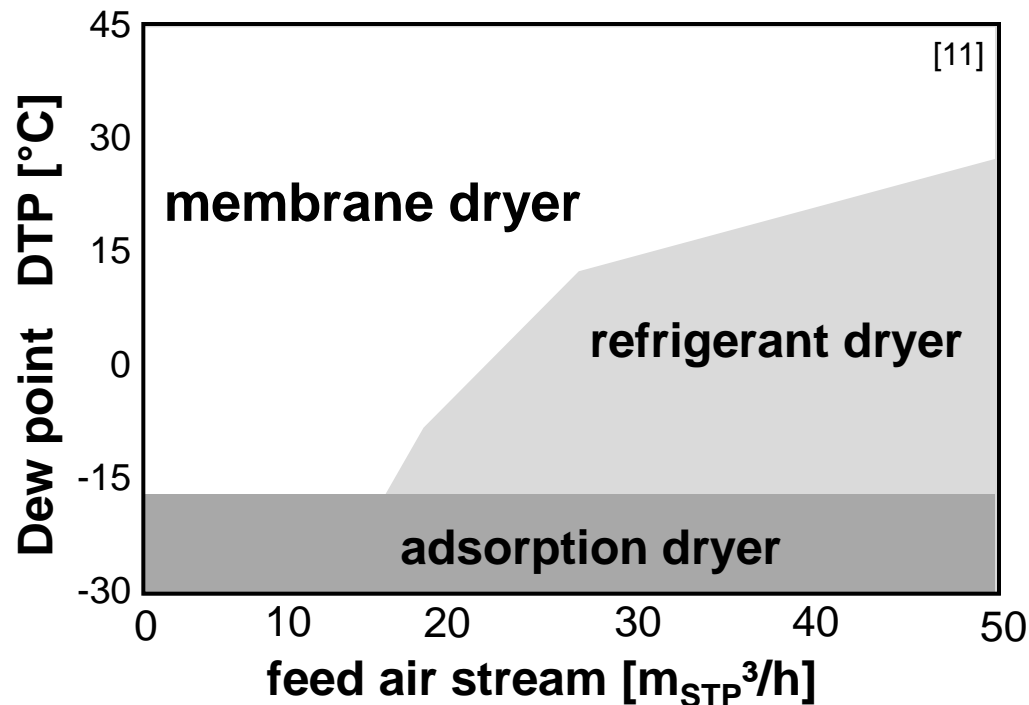
# Pressured air dryer

- sweep gas use (partial retentate recirculation)
- easy and flexible installation
- especially drying to **moderate DTP**
- air losses: ~ 10 %



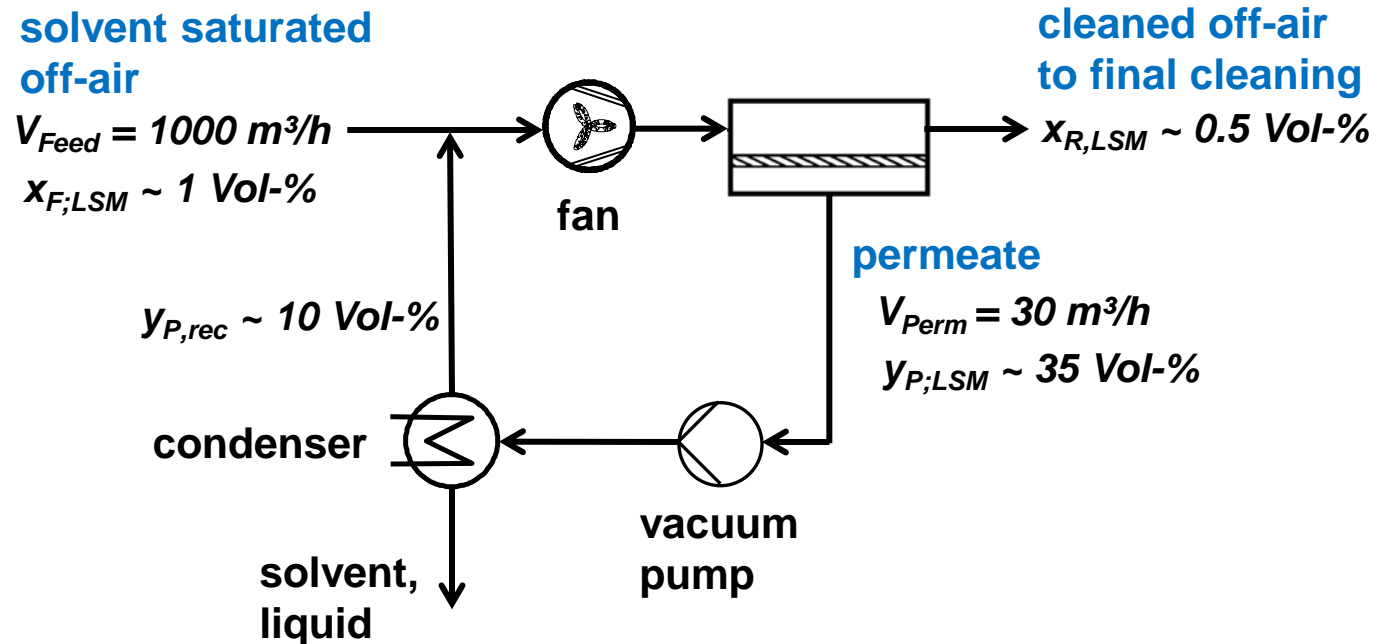
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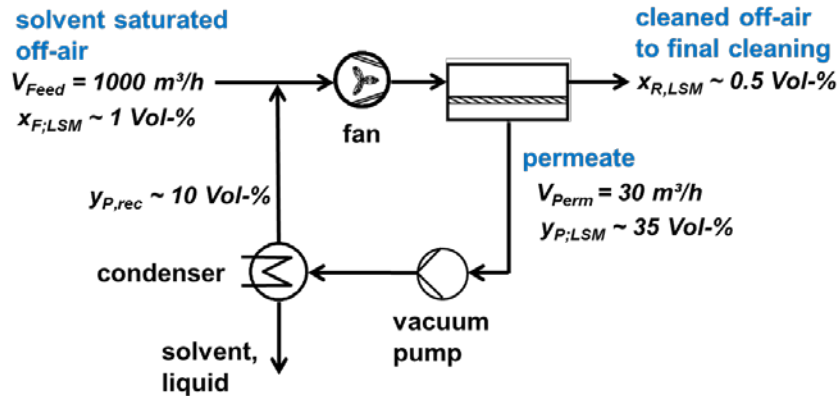
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# Solvent recovery from off-air (e.g. DMIA)



- membrane (PDMS) is highly selective for solvent
- strong solvent enrichment in permeate due to vacuum
- condensation is favoured by prior compression in vacuum pump

# Solvent recovery from off-air

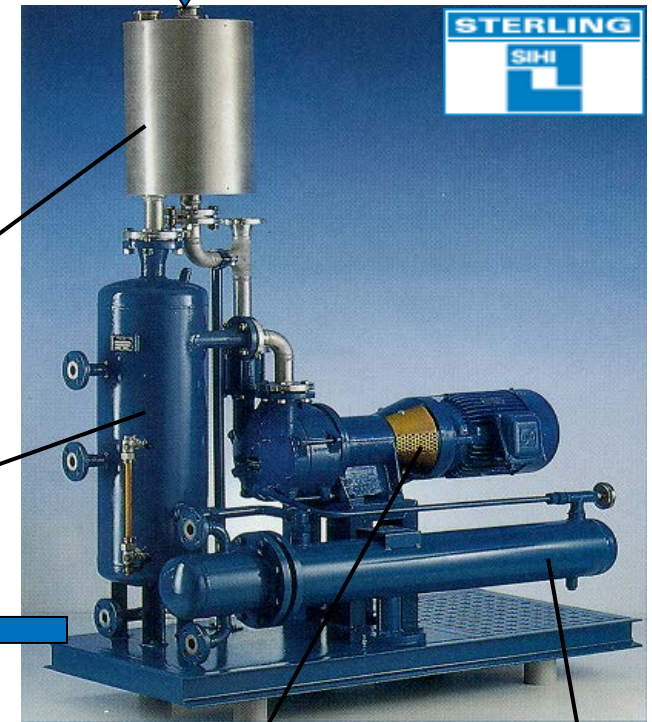


membrane cushion module

chilled liquid/  
gas separator

liquid  
solvent

solvent saturated  
off-air



vacuum pump

condenser

- Profitable at
  - **high solvent loads** and moderate retentate purity (e.g. fuel vapour recovery)
  - **low solvent loads** only if solvent is expensive (recovery is driving factor, not air cleaning to legal levels)
- Air-cleaning down to "TA Luft" is possible but not profitable  
→ post-processing (e.g. combustion, adsorption)
- Applications:  
propene/N<sub>2</sub>, ethene/N<sub>2</sub>, fuel vapors, cooling agents, solvents (hexane, acetone, toluene, etc.)

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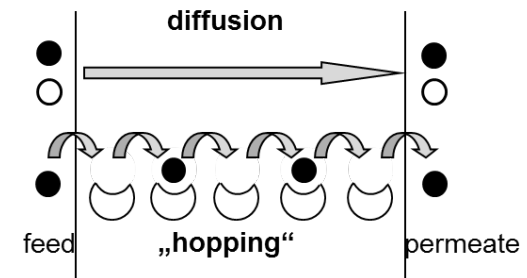
## ■ Objectives:

- membranes with better mechanical, thermal & chemical resistance
- higher selectivities and permeabilities to overcome the upper bond (e.g. by species-specific (chemical) transport mechanism)

common selectivities:

$O_2/N_2 < 10$ ,  $H_2/CO < 100$ ,  $H_2/N_2$  100-200,  
 $CO_2/CH_4 < 100$ ,  $H_2O/air > 200$

- as low-cost as nowadays polymer membranes



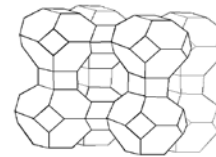
## ■ Natural Gas treatment / $CH_4$ enrichment to pipeline quality

- $C_{3+}$  - separation
- Water vapor separation
- $N_2$  - separation

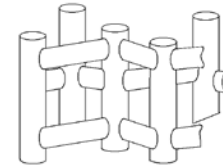


- **porous materials?**

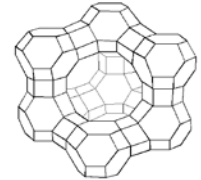
e.g. zeolites, carbon, glass, metal



*A-Typ*



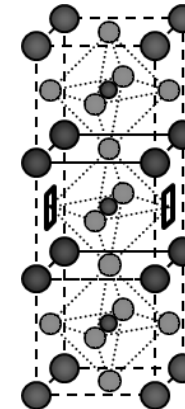
*ZSM-5*



*Y-Typ*

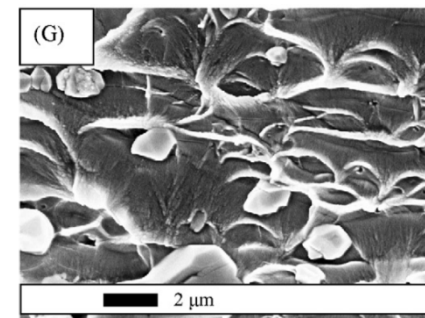
- **dense materials?**

e.g. metal membranes, perovskite



- **mixed-matrix membranes?**

e.g. dispersed particles in polymer matrix



[12]

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- Dense **polymer membranes** dominate the market
  - SDM describes the mass transfer
  - solubility/diffusivity selective materials
  - Robeson's upper bound
  - influence of T, p, gas mixtures
- **Modules/membranes:**
  - **permanent gases:** hollow fibre / mainly glassy polymers
  - **vapors:** spiral wound or cushion modules / mainly rubbery polymers
- **Theory of mass transport**
  - limiting influence of  $\alpha$  and  $\phi$

## ■ Applications

- N<sub>2</sub>-enrichment, CO<sub>2</sub>-depletion, H<sub>2</sub>-recovery, air drying and solvent recovery

## ■ Research is focusing on

- membranes with **higher selectivity and/or higher permeability**, enhanced chemical resistance (especially in natural gas or refinery applications)

## ■ Outlook

- the GP-market is growing
- with new materials further applications become more probable

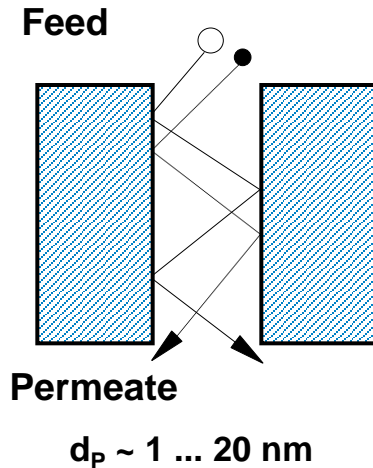
**Thank you for your attention**

AVT.CVT - Chemical Process Engineering

# Refernces

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- [2] Yampolski et al, *Materials Science of Membranes for Gas and Vapor Separation*; Wiley (2006).
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- [4] Ghosal K. et al, *Macromolecules* 29, 4360-4369 (1996)
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- [11] Ohlrogge K. & Ebert K., *Membranen*, Wiley (2006)
- [12] Zhang, Y. et al, *J. Membr. Sci.* 325, 28-39 (2008)

## Mesoporous Membrane

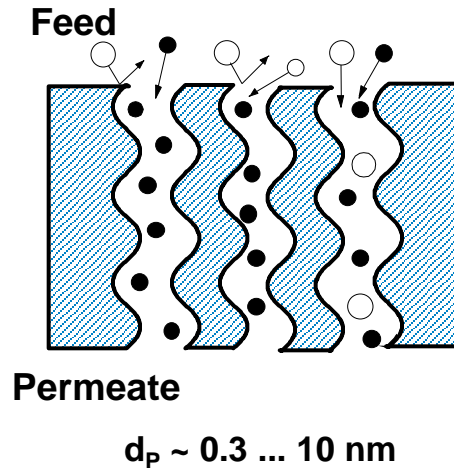


### Knudsen diffusion

based on the dominance  
of gas/wall - collisions

**inorganic**

## Microporous Membrane

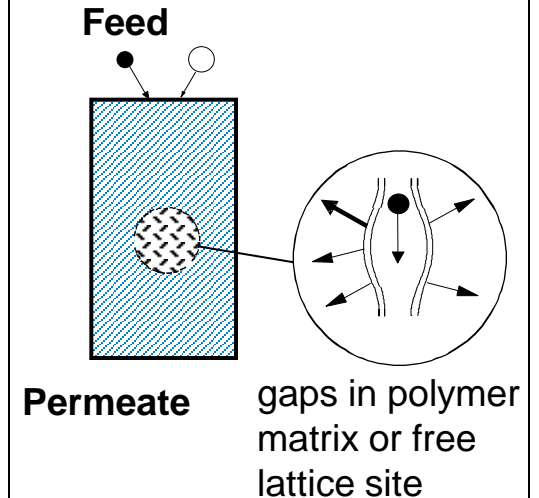


### Molecular sieve separation

based on different diffusion rates of  
different molecules with different  
molecular sizes + adsorption effects

**inorganic**

## Dense Membrane



### Solution-Diffusion

based on different  
solubility- and diffusion coefficients

**mainly polymers  
also inorganic**

$d_p > 20 \text{ nm}$ : viscous flow without selectivity

$$\dot{n}_k'' = -c_{km} b_{km} \frac{\partial \mu_{km}}{\partial z} \quad \text{mit Nernst Einstein:} \quad D_{k0} = RT \cdot b_k$$

$\nwarrow$   $\nearrow$   
 Beweglichkeit  
 Konzentration

$$\dot{n}_k'' = -c_{km} \frac{D_{km,0}}{RT} \frac{\partial \mu_{km}}{\partial z} \quad (\text{Generalised Fick's Law of diffusion})$$

mit  $\mu_i = \mu_i^0 + RT \ln a_i$  folgt  $\dot{n}_k'' = -c_{km} D_{km,0} \frac{\partial \ln a_{km}}{\partial z}$

mit  $c_{km} = S_k p_k$  folgt  $\dot{n}_k'' = -S_k D_{km,0} \frac{da_{km}}{dz}$

... leads with following assumptions...

1. non-coupled permeate fluxes
2. Henry's Law:  $c_{km} = S_k p_k$
3. the chemical potential of each s at the membrane surface corresponding gas phase

...to a linear mass transport equation!

$$\dot{n}_k'' = Q_i (p_{i,F} - p_{i,P}) = Q_i (x_i p_F - y_i p_P)$$

$Q_i$ : permeance  
membrane and species specific

application  
specific