

# University of Information Technology & Sciences

## Department of Computer Science and Engineering



## Lab Assignment 02

Course Title: Simulation & Modeling Lab

Course Code: CSE-413

### Submitted To

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### Part C :

① Suppose  $\alpha = 0.05$

a) If  $p = 0.03 \rightarrow H_1$  wins because  $p(0.03) \leq \alpha(0.05)$ .

The evidence is strong enough to reject  $H_0$ .

b) If  $p = 0.08 \rightarrow H_0$  wins because  $p(0.08) > \alpha(0.05)$

The evidence is not strong, so we fail to reject  $H_0$ .

② i) We need  $\alpha$  because it works as a decision cut off. without  $\alpha$ , we can not say clearly whether the evidence is strong enough to reject  $H_0$ .

ii) If  $p$ -value is small. It means the data gives very strong evidence against  $H_0$ . So we are more confident to accept  $H_1$ .

③ Example: with  $\alpha = 0.01$

Case 1:  $p = 0.008 \rightarrow$  Since  $p \leq \alpha$ , we  $H_0$  and accept  $H_1$ . (Evidence is strong)

Case 2:  $p = 0.02 \rightarrow$  Since  $p > \alpha$ , we fail to reject  $H_0$ . (Evidence is not strong enough)

### part D: Courtroom Analogy:

Hypothesis testing is like a courtroom trial. Here  $H_0$  means the person is innocent, and  $H_1$  means the person is guilty. The p-value is the evidence presented by the lawyer. The p-value is judges sets  $\alpha$  as the level of strictness for the proof. If the evidence is strong enough and falls below the judges standard ( $\alpha$ ), we reject innocence ( $H_0$ ) and declare the person guilty ( $H_1$ ). If the evidence is weak ( $p > \alpha$ ), the judge cannot reject innocence, so the person stays innocent (failed to reject  $H_0$ ).

③ Example: with  $\alpha = 0.01$

Case 1:  $p = 0.008 \rightarrow$  since  $p < \alpha$ , we reject  $H_0$  and

$H_1$  (Evidence is strong)

Case 2:  $p = 0.02 \rightarrow$  since  $p > \alpha$ , we fail

to reject  $H_0$  (Evidence is not strong enough)