# Appendix: noise

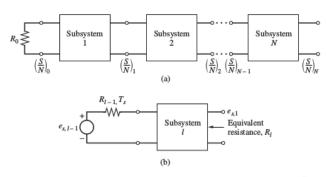
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# Characterization of noise in systems

- Noise can be modeled and characterized on a subsystem-basis
- Each subsystem can be analyzed separately and optimized for low noise performances



### Noise Figure of a System

- Noise figure  $F_l$ : ratio between SNR at subsystem input and output:  $\left(\frac{S}{N}\right)_l = \frac{1}{F_l} \left(\frac{S}{N}\right)_{l-1}$
- Ideally,  $F_l=1$  (no additional noise introduced), tipically between 2 and 8 dB
- Without having to calculate the signal power:

$$F_l = 1 + \frac{P_{int,l}}{G_a k T_0 B}$$

 $P_{int,l}$  Available, internally-generated noise power

 $G_a$  Available power gain

k Boltzmann's constant

 $T_0$  Standardized temperature, 290K

B Frequency band

■ For high gains,  $F_l$  approaches 1



### Noise Temperature

- Power produced by a noisy resistor:  $P_{a,R} = kTB$ 
  - k Boltzmann's constant,  $1.38 \times 10^{-23} J/K$
  - T Temperature of the resistor, in Kelvin
  - B Frequency band, in Hertz
    Noise power independent on the resistor value
- $\blacksquare$  Equivalent noise temperature:  $T_n = \frac{P_{n,max}}{kB}$



# Free Space Propagation Example

- As a final work for the noise calculation, we will investigate the "free-space electromagnetic-wave propagation channel.
- To understand it fully on a practical example, we will investigate the communication tie between a synchronous-orbit relay satellite and a low-orbit satellite.