

Principles of Digital Data Transmission in Noise

Riccardo Miccini¹ Eren Can ¹

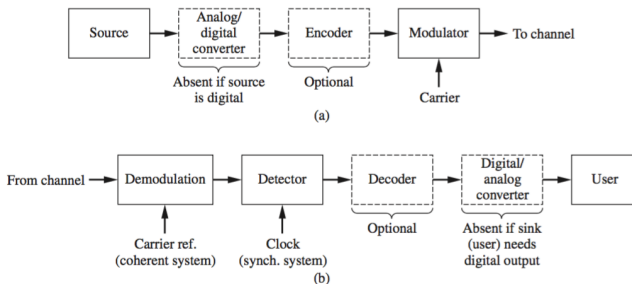
¹Technical University of Denmark
Digital Communication

October 25, 2016

Principles of Digital Data Transmission in Noise

- In this chapter, we are concerned with the transmission of information from sources that produce discrete-valued symbols.
- Throughout this chapter, we will make the assumption that source symbols occur with equal probability. Many discrete-time sources naturally produces symbols with equal probability.

Block Diagram of Digital Data Transmission System



- Whether a source is purely digital or analog that converted to digital , it may be advantageous to add or remove redundant digits to the digital signal. This process referred as forward error-correction coding
- We can see from the figure that modulator input take on one of only two possible values. This system will referred as "binary". If it takes $M \geq 2$ possible values, system will be referred as M-ary.
- Also system will be referred as "coherent" if a local reference is available for demodulation that in phase with the transmitter carrier. Otherwise it will be called "noncoherent".
- Also if the system has a periodic signal and synching with transmitted sequence of digital signals than system will be synchronous if not, system will be called asynchronous.

Baseband Data Transmission In White Gaussian Noise

- During data transmission, receiver is to decide whether the transmitted signal was A or $-A$ during each bit period.
- Practical way of determining this is to pass the signal-pulse noise through a lowpass predetection filter. If the sample greater than zero then A was transmitted if not, $-A$ was transmitted.

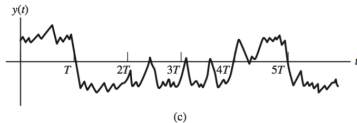
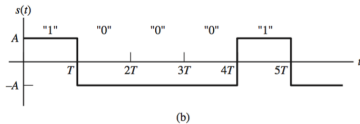
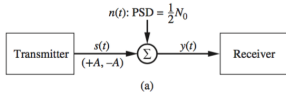
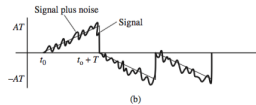
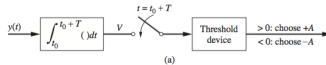


Fig
Sys
for
dig
(a)
cor
(b)
seq
seq



How well does this receiver will perform ?

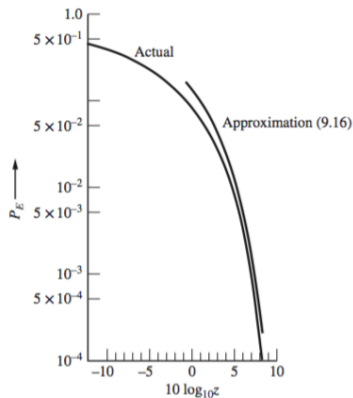
- As we discussed before ,useful criterion of performance is probability of error.

- Probability of error through approximation is:

$$P_E = Q * \sqrt{2 * A^2 * T / N_o}$$

- Our important parameters are; $A^2 * T / N_0 = z$
- E_b is called the energy per bit that carries one bit of information.
- We also now that rectangular pulse of duration T seconds ahas amplitude spectrum $ATsincTf$ and that $B_p = 1/T$ is a rough measure of it's bandwidth. Thus our calculation will become: $E_b/N_o = A^2/N_o * (1/T) = A^2/(N_0 * B_p)$. This can be interpreted as the ratio of signal power to noise power in the signal bandwidth.

Plot of of P_E versus z



graph.png