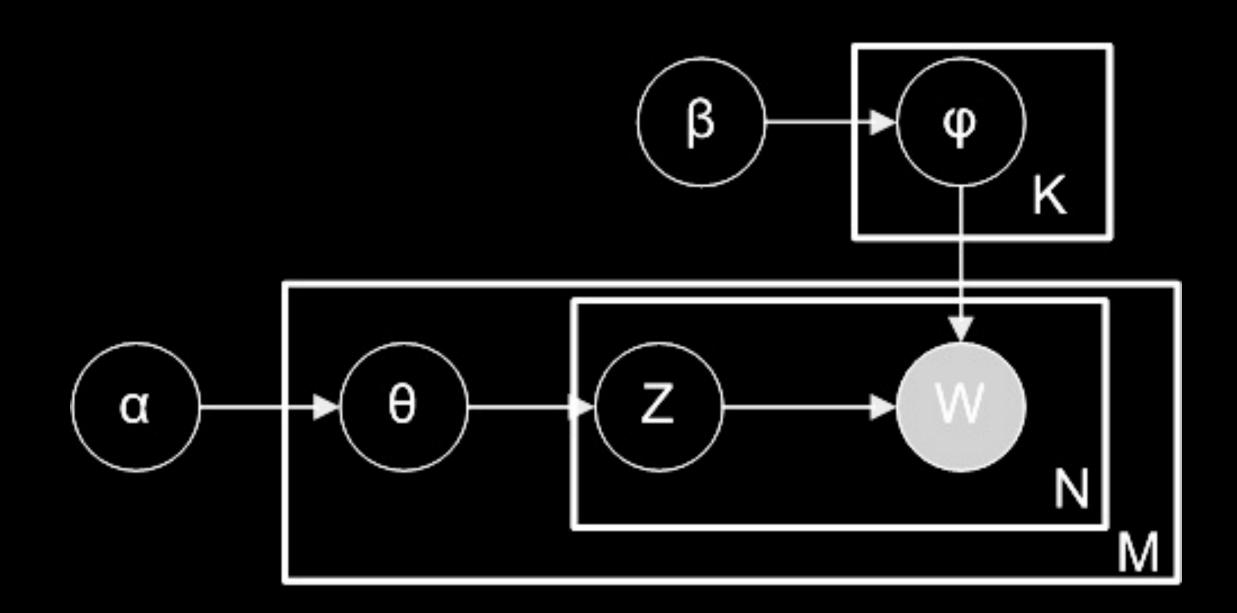
# Topic Modelling

# topics

# document

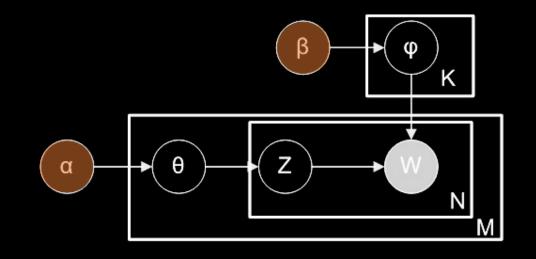




# **Level 1: The Corpus**

 $\alpha$  = the probability of each topic's appearing in the corpus

 $\beta$  = the probability of each word belonging to each topic



Let us assume that k = 10 (i.e. we want the computer sort all the words in all the documents into 10 different topics)

$$\alpha = \{0.1, 0.1, \beta = k \times V \text{ matrix} \\ 0.1, 0.1, \\ 0.1, 0.1, \\ 0.1, 0.1, \\ 0.1, 0.1\}$$

	apple	pear	tiger	nail
Topic 1	0.001	0.001	0.6	0.001
Topic 2	0.4	0.45	0.001	0.001
Topic 3	0.15	0.2	0.001	0.1
Topic 4	0.001	0.001	0.001	0.5

## **Level 2: The Document**

 $\theta$  = the probability of each topic appearing in each document



### $\theta = m \times k \text{ matrix}$

Topic 1 Topic 2 Topic 3 Topic 4 0.5 0.001 0.00.1 Doc 1 0.3 0.001 0.001 Doc 2 0.9 0.001 Doc 3 0.1 0.3 0.001 0.001 0.001 Doc 4 0.001 0.001 0.001

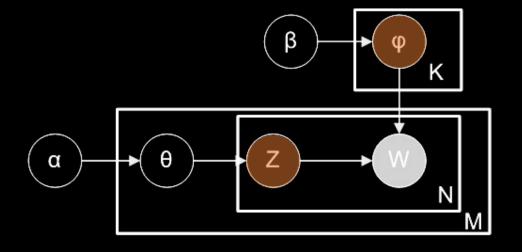
One column for each topic

One row for each document

## **Level 3: The Word**

z = the topic of this word in the document (based on the topic mixture of the document)

 $\varphi$  = the word distribution for topic z



..., he continued, 'I think we should plant an apple here under the wall.' ...

$$\theta_1 = \begin{bmatrix}
 & Topic 1 & Topic 2 & Topic 3 & Topic 4 & ... \\
 & Doc 1 & 0.3 & 0.5 & 0.001 & 0.001 & ...
\end{bmatrix}$$

sample(
$$\theta_1$$
)  $\rightarrow$  2

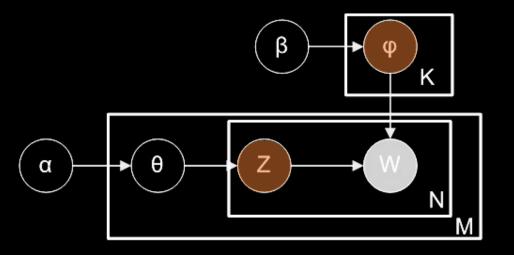
$$z = 2$$

sample(
$$\beta_2$$
)  $\rightarrow$  apple

## **Level 3: The Word**

z = the topic of this word in the document (based on the topic mixture of the document)

 $\varphi$  = the word distribution for topic z



..., he continued, 'I think we should plant an apple here under the wall.' ...

 $Z = n \times k \text{ matrix}$ 

One row for each individual word in the whole corpus (e.g. about 1 million rows for Shakespeare's works)

	Topic 1	Topic 2	Topic 3	Topic 4	
should	0	0	0	1	
plant	0	1	0	0	
apple	0	1	0	0	

One column for each topic