CSE 150A Notes

9/261

Course Information

Prerequisites:

- Programming Knowledge
- Elementary Probability
 - Random Variables discrete and continuous
 - Expected Values sums and integrals
- Multivariable Calculus
- Linear Algebra

HW Released Tuesdays, due Monday 24 hr late policy for HW Quizzes in person every Thursday lecture – Based on HW Point lost on quizzes go to the Final Midterm: 10/31 (Week 5) in class Final: 12/5 (Week 10) in class One sheet of handwritten notes allowed

1.2 Course Overview

- Inference and learning in Bayesian Networks
- Markov decision processes for reinforcement learning

Does not cover:

- Neural architectures
- Purely logical reasoning
- Heuristic search (A*)
- Theorem proving
- Genetic algorithms
- Philosophy of AI

$\mathbf{2}$ 10/1

Probability Theory: how knowledge affects belief (Poole and Mackworth)

This view is known as the Bayesian view of probability

Other view is the frequentist view; probability is the limit of the relative frequency of an event

Discrete Random Variables: denoted with capital letters

Domain of possible values for a variable, denoted with lowercase letters

Uncoditional (prior) probability: P(X = x)

Axioms of Probability:

$$P(X = x) \ge 0$$

$$\sum_{i=1}^{n} P(X = x_i) = 1$$

$$\sum_{i=1}^{n} P(X = x_i) = 1$$

$$P(X = x_i \text{ or } X = x_j) = P(X = x_i) + P(X = x_j) \text{ iff } x_i \neq x_j$$
Conditional Probabilities $P(X = x_i) + P(X = x_j)$

Conditional Probability: $P(X = x_i | Y = y_i)$

In this case X and Y are dependent Bayes rule:
$$P(X = x_i | Y = y_j) = \frac{P(Y = y_j | X = x_i)P(X = x_i)}{P(Y = y_j)}$$