```
em mode act energy int.f90
Oct 21 2024 14:33
                                                                        Page 1/2
! Calculate the energy (not power) m_energy integral of an EM mode with itself u
! numerical quadrature.
subroutine em_mode_act_energy_int (n_modes, n_msh_el, n_msh_pts,&
  elnd to mesh, v nd xy, n elt mats, el material, &
  v refindexn, soln em e, m energy)
  use numbat.mod
  use class TriangleIntegrators
   integer(8) n modes, n msh el, n msh pts
   integer(8) elnd to mesh(P2 NODES PER EL, n msh el), n elt mats
   integer(8) el material(n msh el)
   double precision v_nd_xy(2,n_msh_pts)
   complex(8) soln em e(3,P2 NODES PER EL+7,n modes,n msh el)
   complex(8) n_lst(n_elt_mats), v_eps(n_elt_mats)
   complex(8), dimension(n_modes) :: m_energy
   integer (8) errco
   character(len=EMSG_LENGTH) emsq
     Local variables
  integer(8) nod_el_p(P2_NODES_PER_EL)
   complex(8) bas_ovrlap(P2_NODES_PER_EL)
   integer(8) i, j, j1, typ_e
   integer(8) i_el, ival
   integer(8) nd_i, i_eq
   logical is curved
   integer(8) n_curved, debug, ui
   double precision nds_xy(2,P2_NODES_PER_EL)
   complex(8) coeff 1
   complex(8) em_E, em_Estar
  type (OuadIntegrator) quadint
  logical do P3
  double precision t_quadwt
!fo2py intent(in) n_modes, n_msh_el, n_msh_pts
!fo2py intent(in) P2_NODES_PER_EL, elnd_to_mesh, el_material, n_elt_mats
!fo2py intent(in) x, soln_em_e, n_lst
!f2py depend(elnd_to_mesh) P2_NODES_PER_EL, n_msh_el
!f2py depend(x) n_msh_pts
!f2py depend(soln_em_e) P2_NODES_PER_EL, n_modes, n_msh_el
!f2py depend(n_lst) n_elt_mats
!f2py depend(el_material) n_msh_el
!fo2py intent(out) m_energy
  ui = stdout
  do_P3 = .false.
        Calculate permittivity
  v_{eps} = n_{st*2}
  m_energy = D_ZERO
```

```
em mode act energy int.f90
 Oct 21 2024 14:33
                                                                         Page 2/2
   n curved = 0
   do i el=1, n msh el
      typ_e = el_material(i_el)
      do i=1.P2 NODES PER EL
        nds_xy(:, j) = v_nd_xy(:, elnd_to_mesh(j,i_el))
      is curved = log is curved elem tri (P2 NODES PER EL, nds xy)
      if (is curved) then
        n \text{ curved} = n \text{ curved} + 1
      endif
      bas ovrlap = 0.0d0
      do iq=1, quadint%n_quad
         call quadint%build transforms at (ig, nds xy, is curved, do P3, errco, e
msq)
         RETONERROR (errco)
         ! transformed weighting of this quadrature point including triangle are
a transform
         t_quadwt = quadint%wt_quad(iq) * abs(quadint%det)
         ! Calculate m_energy of basis functions at quadrature point,
         ! which is a superposition of P2 polynomials for each function (fi eld)
         do nd_i=1,P2_NODES_PER_EL
           bas ovrlap(nd i) = bas ovrlap(nd i) + &
               t quadwt * quadint%phi P2 ref(nd i) * quadint%phi P2 ref(nd i)
         enddo
      enddo
      ! Having calculated m_energy of basis functions on element
      ! now multiply by specific fi eld values for modes of interest.
      do ival=1.n modes
         do nd_i=1,P2_NODES_PER_EL
            do i eq=1,3
               em_Estar = conjg(soln_em_e(i_eq,nd_i,ival,i_el))
               em_E = soln_em_e(i_eq,nd_i,ival,i_el)
               m_energy(ival) = m_energy(ival) + &
                  v_eps(typ_e) * em_Estar * em_E * bas_ovrlap(nd_i)
            enddo
         enddo
      enddo
   enddo
   m_energy = 2.0 * m_energy * SI_EPS_0
end subroutine EM_mode_E_energy_int
```