

IMAGE CONTRAST:

- LOOKING AT OUR BASIC MRI IMAGING EQN., WE SEE THAT OUR SIGNAL IS ALWAYS WEIGHTED SPATIALLY BY THE SPIN DENSITY (OR PROTON DENSITY, PD, FOR 'H IMAGING):

$$s(t) = \int_x \int_y \underbrace{m(x,y)}_{\substack{\uparrow \\ \text{SPIN DENSITY (WE ALSO WRITE AS } \rho(x,y))}} e^{-i2\pi[k_x(t)x + k_y(t)y]} dy dx$$

HOWEVER, THE SIGNAL EQN. ONLY TELLS PART OF THE STORY. WE CAN DO A LOT WITH  $\alpha$  (OUR FLIP ANGLE), TR (OUR REPETITION TIME), TE (OUR ECHO TIME), AND OTHER PULSE SEQUENCE VARIATIONS TO CHANGE OUR SIGNAL BASED ON THINGS LIKE:

$T_1, T_2$ , CHEMICAL SHIFT, FLOW, AND OTHERS...

NOTE THAT MAGNETIZATION VECTORS (OR SPINS) ARE CONSTANTLY CHANGING IN LENGTH AND DIRECTION (AND THUS OUR SIGNAL IS CONSTANTLY IN FLUX). WHAT DETERMINES OUR IMAGE CONTRAST??

IMAGE CONTRAST IS LARGELY DETERMINED BY RELATIVE SIGNAL LEVELS OF DIFFERENT TISSUES WHEN WE SAMPLE THE CENTER OF K-SPACE!

SIGNAL LEVELS  
AT OUR ECHO TIME TE!

- LET'S LOOK AT SOME BASIC CONTRAST MECHANISMS.

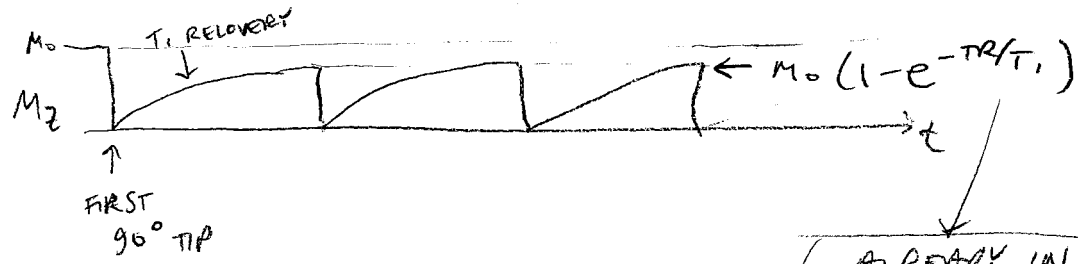
# SATURATION-RECOVERY SEQUENCE

"SATURATION" MEANS A  $90^\circ$  TIP, MAKING  $M_z \rightarrow 0$ .



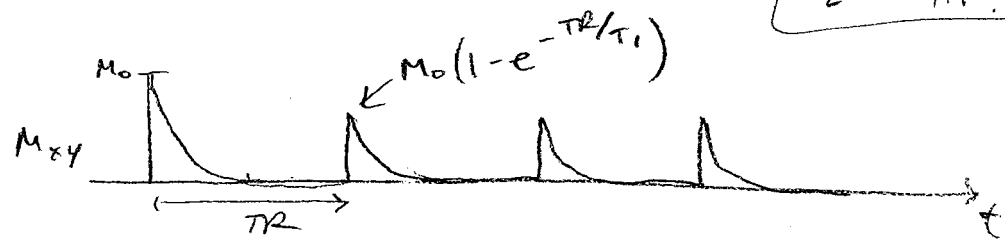
ASSUME  $TR \gg T_2$  (LONG TR COMPARED TO LONGEST  $T_2$ 'S IN OUR SAMPLE)

LET'S LOOK AT  $M_z$ :



ALREADY IN STEADY STATE AT 2<sup>nd</sup> TIP!

LOOKING AT  $M_{xy}$  (OUR SIGNAL):



WITHOUT  $T_2$  DELAY, OUR IMAGE INTENSITY IS:

$$I(x,y) = K \rho(x,y) (1 - e^{-TR/T_1(x,y)})$$

↑  
CATCH-ALL  
CONSTANT  
( $M_0$ , COIL SENSITIVITY, ETC...)

AFTER EXCITATION, WE SAMPLE SIGNAL AT THE ELHO TIME  $T_E$ .  $T_2$  DELAY (OR  $T_2^*$ , DEPENDING) OCCURS DURING THAT TIME, AND WE HAVE:

$$I(x,y) = K \rho(x,y) (1 - e^{-TR/T_1(x,y)}) e^{-TE/T_2(x,y)}$$

HOW CAN WE GET DIFFERENT KINDS OF CONTRAST WITH A SATURATION-RECOVERY SEQUENCE??

T<sub>1</sub>-WEIGHTED CONTRAST: - SHORT TE ( $TE \ll T_2$ )

SHORTER T<sub>1</sub> TISSUES ARE BRIGHTER!

$$e^{-\frac{TE}{T_2}} \approx 1$$

ONLY T<sub>1</sub> WEIGHTING (AND PROTON DENSITY, BUT WE ALWAYS GET THAT!)

T<sub>2</sub>-WEIGHTED CONTRAST:

- INTERMEDIATE TE

LONGER T<sub>2</sub> TISSUES ARE BRIGHTER!

$$(TE \approx T_2)$$

- LONG TR ( $TR > \sim 3T_1$ )

$$e^{-\frac{TR}{T_1}} \approx 0$$

AND T<sub>1</sub> TERM GOES AWAY!

PROTON DENSITY (PD) CONTRAST:

- SHORT TE ( $TE \ll T_2$ )

- LONG TR ( $TR > \sim 3T_1$ )

T<sub>1</sub> AND T<sub>2</sub> TERMS GO AWAY.  
LEFT W/ PD CONTRAST ONLY!

YOU CAN OPTIMIZE CONTRAST BETWEEN DIFFERENT TISSUES BY USING THESE EQUATIONS AND SOLVING FOR TR, TE THAT MAXIMIZES THE CONTRAST OF INTEREST!

PULSE SEQUENCE OPTIMIZATION

## GENERAL EXCITATION - RECOVERY SEQUENCE

AGAIN ASSUME  $TR \gg T_2$  ( $M_{xy} \rightarrow 0$  BY THE END OF A REPETITION)

- INSTEAD OF A  $90^\circ$  PULSE, WE APPLY A TIP OF  $\alpha$  DEGREES.
- NOW A  $M_z$  COMPONENT REMAINS AFTER EACH EXCITATION IF  $\alpha \neq 90^\circ$ !

NEED TO SOLVE FOR THE STEADY-STATE SIGNAL!

SEE P. 151 OF NISHIMURA

I'M GOING TO HAVE YOU SIMULATE THE CASE WHEN  $TR$  IS NOT  $\ll T_2$  ON THE HOMEWORK, SO UNDERSTAND THE SIGNAL DERIVATION!

DERIVATION YIELDS:

$$I(x,y) = k \rho(x,y) \frac{[1 - e^{-TR/T_1(x,y)}] \sin \alpha}{1 - e^{-TR/T_1(x,y)} \cos \alpha}$$

$\uparrow$   
THIS ASSUMES  $TE \approx 0$  (SMALL  $TE$ )

WE CAN ALSO INCLUDE  $T_2$  DELAY:

$$I(x,y) = k \rho(x,y) \frac{[1 - e^{-TR/T_1(x,y)}] \sin \alpha}{1 - e^{-TR/T_1(x,y)} \cos \alpha} e^{-TE/T_2(x,y)}$$

FOR A GIVEN  $T_1$ , WE CAN SOLVE FOR FLIP ANGLE  $\alpha$  THAT YIELDS MAXIMUM SIGNAL FOR A GIVEN  $TR$ . THIS IS CALLED THE "ERNST ANGLE".

# INVERSION - RECOVERY SEQUENCE

- ALLOWS US TO SELECTIVELY NULL OR KILL THE SIGNAL FROM TISSUES WITH A CERTAIN  $T_1$ !

\* VERY USEFUL FOR NULLING CSF SIGNAL IN BRAIN.

