

Prelab 5: Wheatstone Bridge

Michael Isaiah Raba

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Due 6 Sept 11:59

Problem 2

① Explain Kirchoffs Loop/Voltage rule (**KVL**) $\sum \Delta V = 0$. ② When should we apply this rule? ③ Why is it true?

- ① $\Delta V = 0 \Leftrightarrow$ the sum of all voltages/potential differences in a circuit loop is 0.
- ② Apply KVL to loop
- ③ \therefore Conservation of energy

Problem 3

① What formula expresses the definition of resistance in terms of resistivity (and other parameters of the resistor like its thickness)? ② How is this related to Lab 1 and 2?

①

$$R = \frac{\rho L}{A} \quad (1.1)$$

~ Resistance R expressed in terms of resistivity.

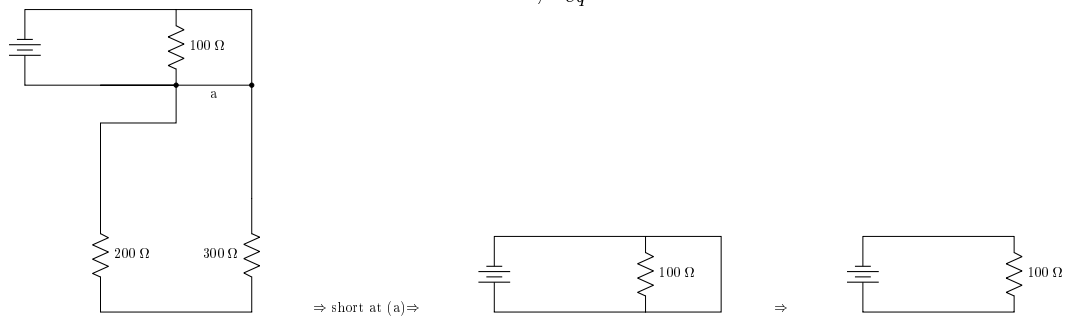
- ② In lab 1 and 2, non-ohmic device (lightbulb) and their resistance is examined, i.e. $V = IR$ where the current i is uniform, but R is not constant, in terms of Equation 1.1 the resistivity ρ varied (increased) as the temperature T increased.



Problem 2

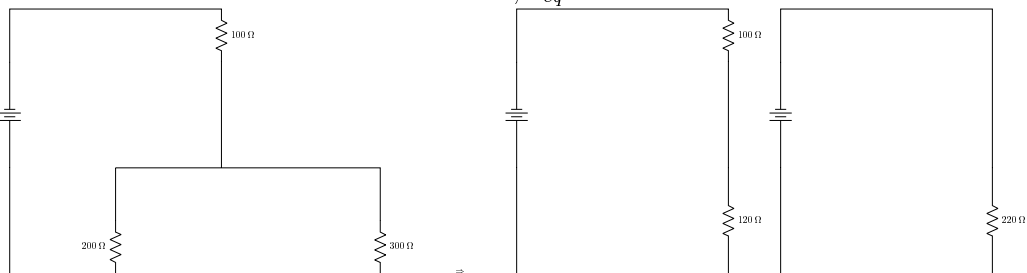
! Whats the equivalent resistance of the following three circuits?

Problem a, $R_{eq} = 100\Omega$



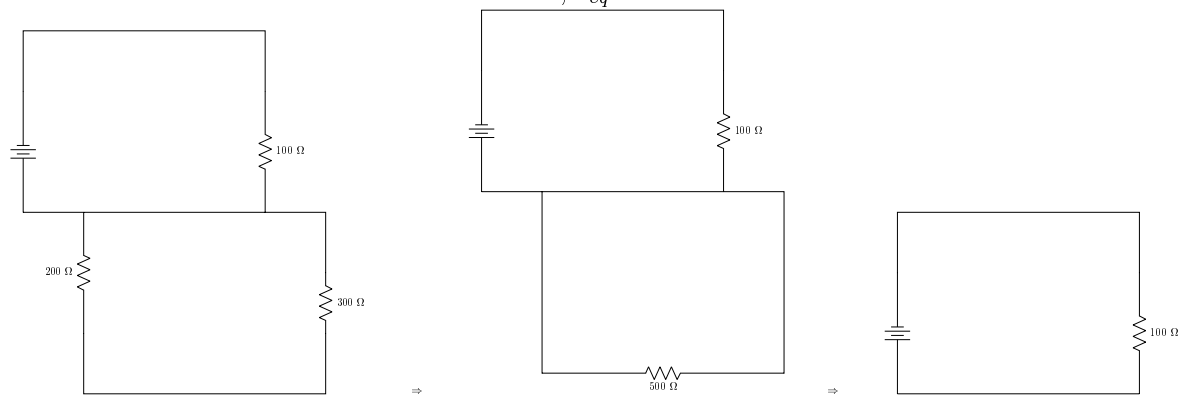
Explanation: there is a **short** at wire labeled (a) in the figure. The potential difference at the two points is the same $\Rightarrow \therefore$ no current flows thru the 200 and 300 Ω resistors $\therefore R_{eq} = 100\Omega$.

Problem b, $R_{eq} = 220\Omega$



Explanation: The 200 & 300 Ω resistors are in parallel, these combine to form 120 Ω and with the 100 Ω resistor give $R_{eq} = (120 + 100)\Omega = 220\Omega$.

Problem c, $R_{eq} = 100\Omega$



Explanation: The 200Ω and 300Ω resistors are in series but there is a short between them and the loop containing the battery and 100Ω resistor, because the potential difference on the wire joining the two loops is zero. Therefore no current flows through the loop containing the 200Ω and 300Ω resistors, and so the equivalent resistance is 100Ω .