

# 1 Method of Iteration

**Procedure Description:**

The \_\_\_\_\_ allows us to compute the general term of a sequence from its recurrence relation and initial conditions. This is done by computing successive terms in the sequence until a pattern is observed.

**Example:** Suppose the recurrence relation is  $t_n = 2t_{n-1}$  for  $n \geq 2$  with initial condition  $t_1 = 3$  (from 9.1). How could we describe the  $n$ th term of this sequence?

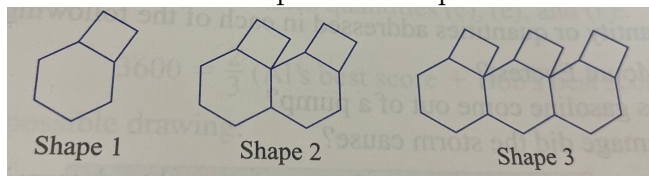
**Example:** Suppose the recurrence relation is  $p_n = p_{n-1} + 2$  for  $n \geq 1$  with initial condition  $p_0 = 92$  (from 9.1). How could we describe the  $n$ th term of this sequence?

**Example:** Suppose the recurrence relation is  $s_n = 2s_{n-1} - 3$  for  $n \geq 1$  with initial condition  $s_0 = 7$ . How could we describe the  $n$ th term of this sequence?

**Example:** Use the method of iteration to help you compute  $1 + 2 + 3 + \dots + n$ .

**Example:** Use the method of iteration to find a formula expressing  $s_n$  as a function of  $n$  for the given recurrence relation and initial conditions:  $s_n = -s_{n-1} + 10$ ,  $s_0 = -4$ .

**Example:** Use the method of iteration to find a formula expressing the number of toothpicks needed to make shape  $n$  in the pattern as a function of  $n$ :



**Example:** Use the method of iteration to find a formula expressing  $s_n$  as a function of  $n$  for the given recurrence relation and initial conditions:  $s_n = s_{n-1} + 4(n - 3)$ ,  $s_0 = 10$ .

**Example:** Use the method of iteration to find a formula expressing  $s_n$  as a function of  $n$  for the given recurrence relation and initial conditions:  $s_n = 3s_{n-2} + 4$ ,  $s_0 = 1$ ,  $s_1 = 2$ .