Homework 3 - Problem 3

Coded by Michael White

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clear; clc;
% Dynamic equations using Newton-Euler formulation
syms d 2 dDot 2 dDotDot 2 theta1 thetaDot 1 thetaDotDot 1 thetaDotDot 2 thetaDotDot 2 g Ixx 1 Iyy 1 Izz 1;
linkTable = [0 0 0 theta1; -pi/2 0 d_2 0];
T01 = functions.links.Link2Transform(linkTable(1,:));
T12 = functions.links.Link2Transform(linkTable(2,:));
% Pull and define rotations from transforms
R01 = functions.transform.rotationFromTransform(T01);
R12 = functions.transform.rotationFromTransform(T12);
syms dDot_2 dDotDot_2 thetaDot_1 thetaDotDot_1 thetaDot_2 thetaDotDot_2 g;
syms c1 c2 s1 s2 m1 m2;
v0_dot = [0 0 g].';
% Define initial conditions
P 01 = functions.transform.positionFromTransform(T01);
P_12 = functions.transform.positionFromTransform(T12);
Pc_{11} = [0 \ 0 \ 0].';
Pc_{22} = [0 \ 0 \ 0].';
syms Ixx_1 Iyy_1 Izz_1;
Ic_{11} = [Ixx_{1} \ 0 \ 0; \ 0 \ Iyy_{1} \ 0; \ 0 \ 0 \ Izz_{1}];
Ic 22 = 0;
W_0 = [0 \ 0 \ 0].';
wDot 0 = 0;
v_11 = [0 \ 0 \ 0].';
% Functions needed for v_22
w 11 = functions.dynamics.omega ip1ip1(R01,w 0,thetaDot 1);
v_22 = functions.dynamics.v_ip1ip1_prism(R12,v_11,w_11,P_12,dDot_2);
% Solve for J 2
v_22 = v_22([1,3],:);
J_2 = v_22./[thetaDot_1;dDot_2];
J_2 = J_2.*eye(2);
% Solve for JDot 2
JDot_2 = subs(diff(J_2,d_2),-1,-dDot_2);
% Pulling from previous problem
M = [Izz 1+m2*d 2^2 0; 0 m2];
V = [2*d_2*m2*dDot_2*thetaDot_1; -m2*d_2*thetaDot_1^2];
G = [0; 0];
M = M.*eye(2);
V = V.*eye(2);
G = G.*eye(2);
% Solve for Mx
Mx = simplify(((J_2^-1).').*M.*(J_2^-1));
Vx = simplify(((J_2^-1).')*(V-M*(J_2^-1)*JDot_2*thetaDot_1));
Gx = simplify(((J 2^{-1}).')*G);
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